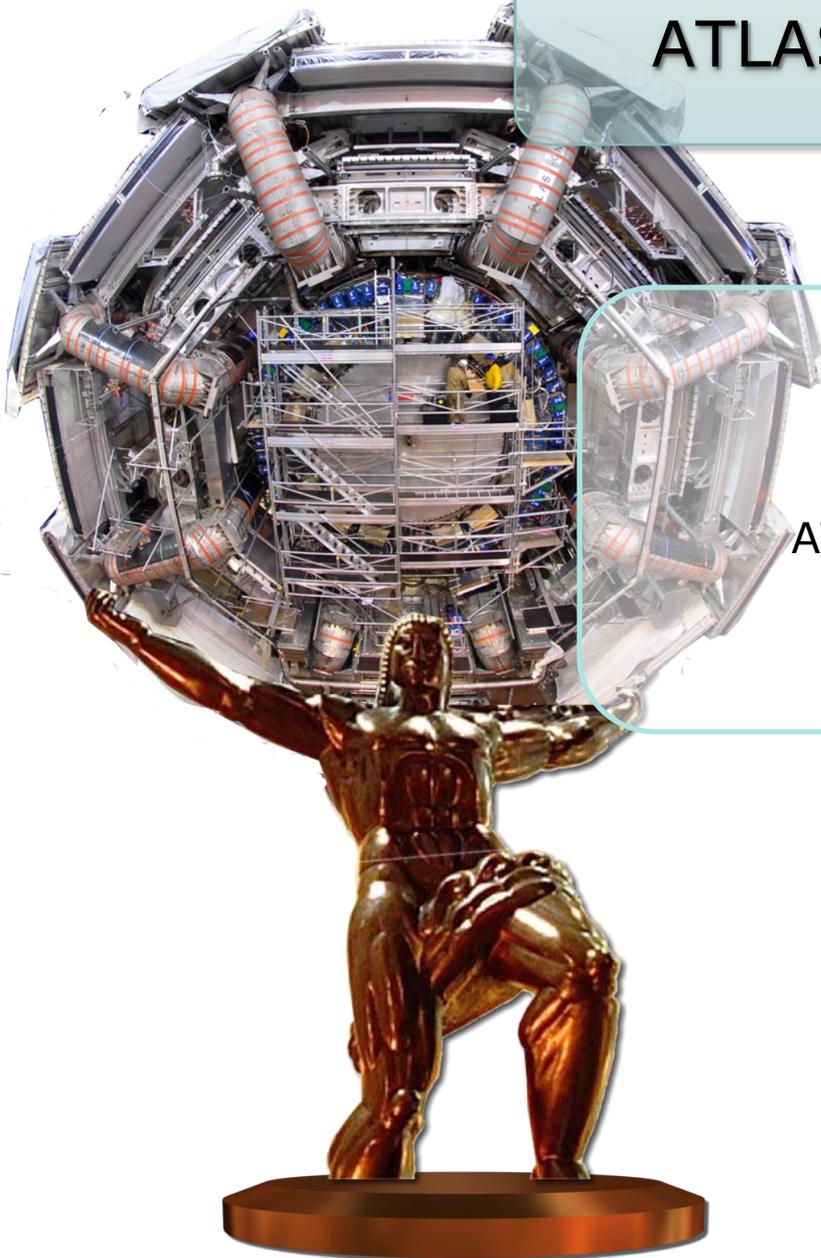


ATLAS Inner Detector Alignment

Tobias Göttfert – MPI für Physik

on behalf of the
ATLAS Inner Detector alignment group
EPS HEP conference 2007
Manchester, 20.7.07



Max-Planck-Institut
für Physik
(Werner-Heisenberg-Institut)

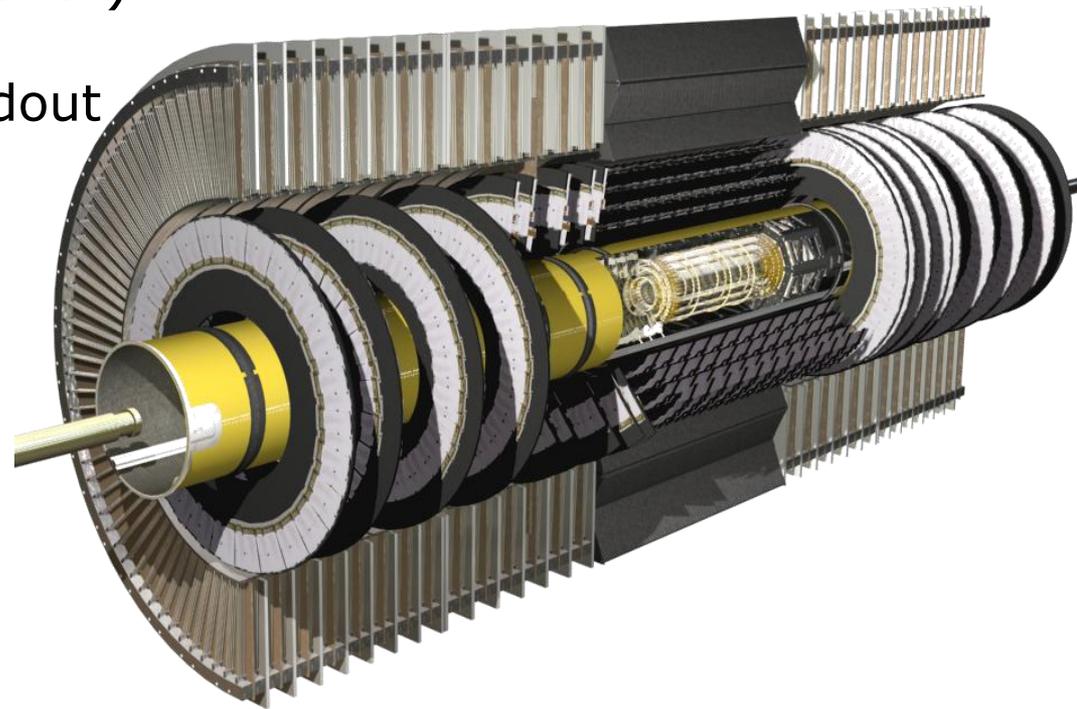


ATLAS

The ATLAS Inner Detector

Three subdetectors in barrel and two endcaps:

- Pixel
 - silicon modules with time-over-threshold readout
 - pixel size $50 \cdot 400 \mu\text{m}$, resolution $\sim 14 \cdot \sim 115 \mu\text{m}$
- SCT (SemiConductor Tracker)
 - double layer silicon strip modules with binary readout
 - pitch $80 \mu\text{m}$, resolution $\sim 23 \mu\text{m}$
- TRT (Transition Radiation Tracker)
 - drift straw tubes with gold wire
 - 4 mm diameter, resolution $\sim 170 \mu\text{m}$

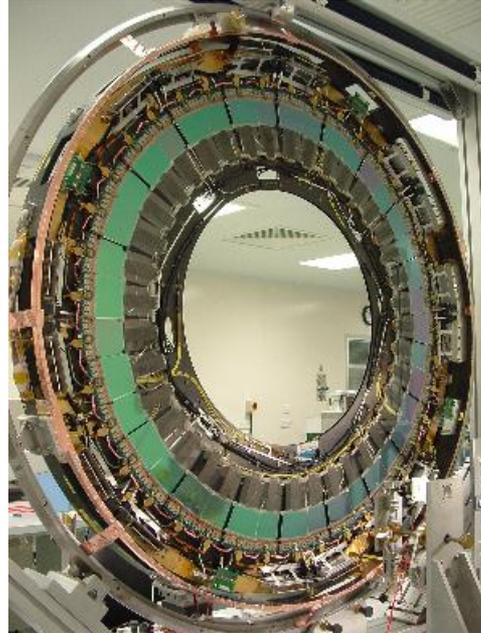


The ATLAS Inner Detector

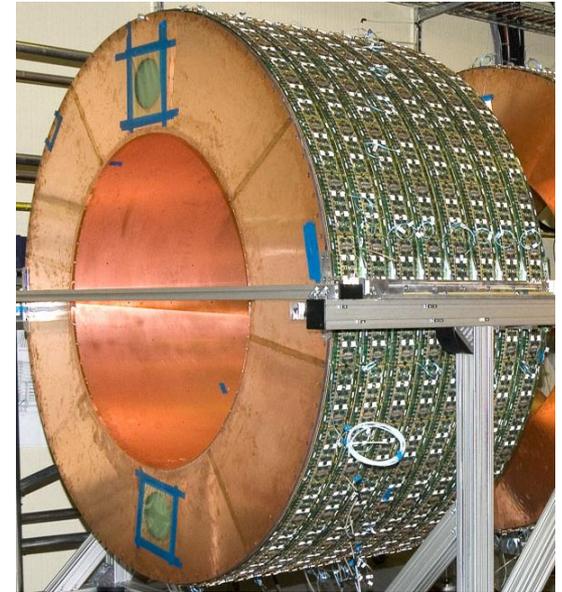
- Inner Detector has 1744 Pixel modules, 4088 SCT modules and 544 TRT modules (even more individual wafers and straw tubes)



Pixel barrel



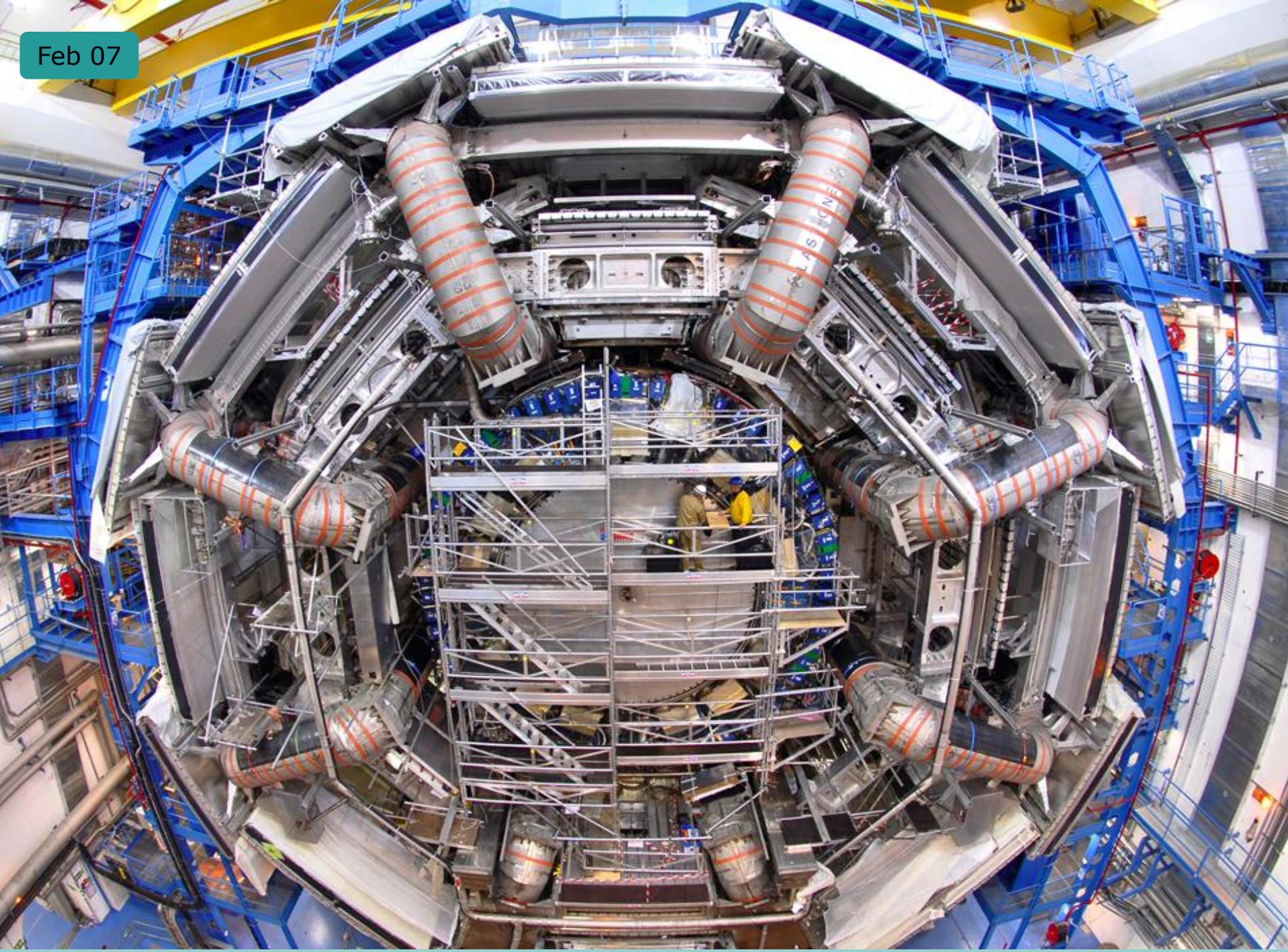
SCT endcap



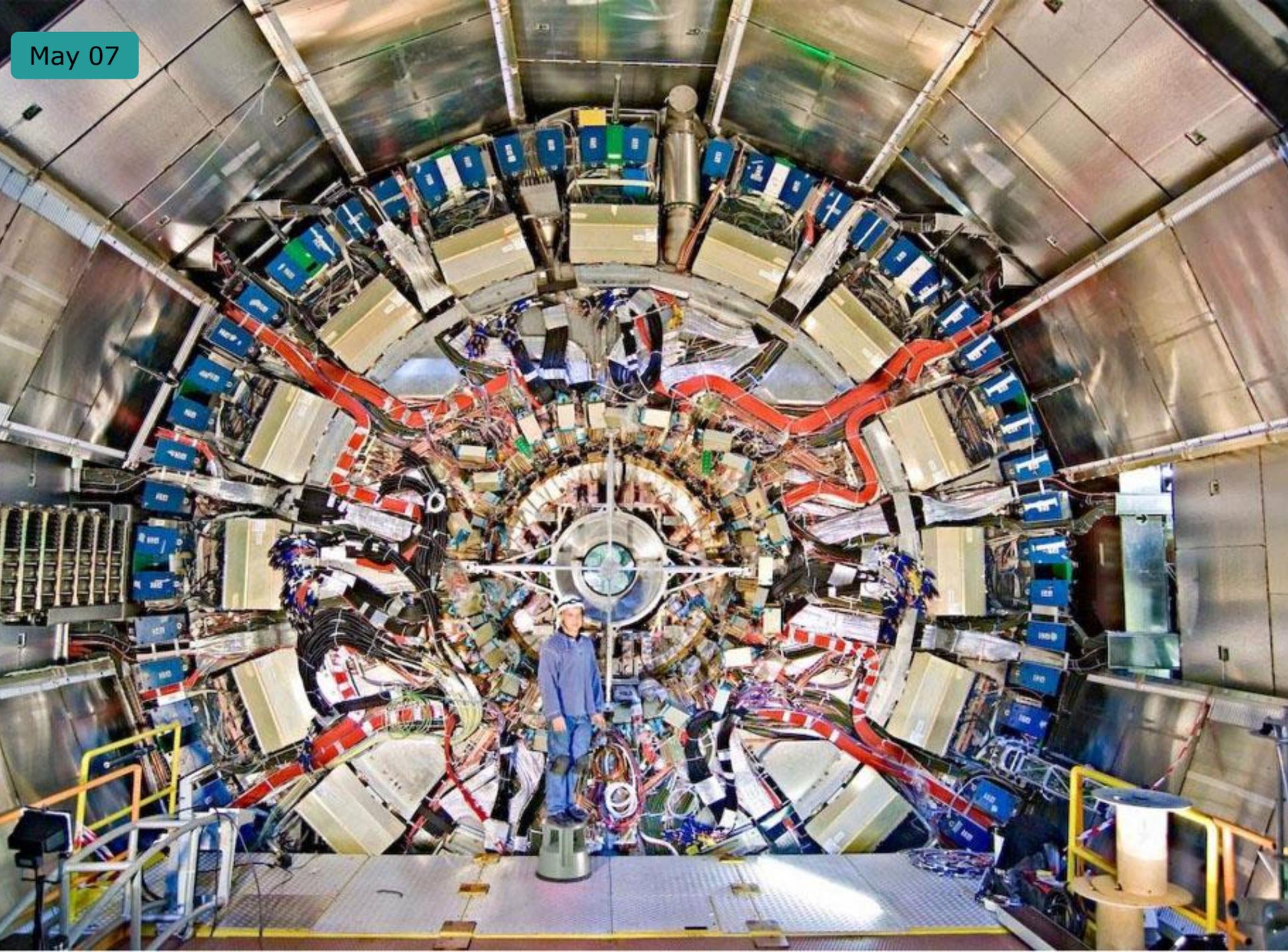
TRT endcap

- Modules are overlapping within a barrel layer / endcap disk
- SCT barrel has a hardware-based alignment system (FSI)

Feb 07



May 07



The Alignment Challenge

- Parameters to determine:

	Barrel			Endcap		
	Pix	SCT	TRT	Pix	SCT	TRT
layers	3	4	3	2 · 3	2 · 9	2 · 14
modules	1456	2112	96	2 · 144	2 · 988	2 · 14
total	$O(6k) \cdot 6 \text{ DoF} = O(36k) \text{ DoF}$					

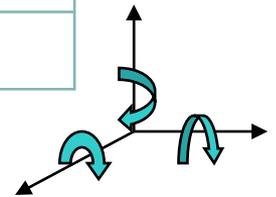
- Mounting and survey precision:
 $O(100 \mu\text{m})$, depending on subdetector

- Requirements:

- track parameter resolution not to be worsened by more than 20%
- b-tagging efficiency drops by 10% with a misalignment of $O(10 \mu\text{m})$

- Required accuracy:

$O(10 \mu\text{m})$ and less, depending on subdetector



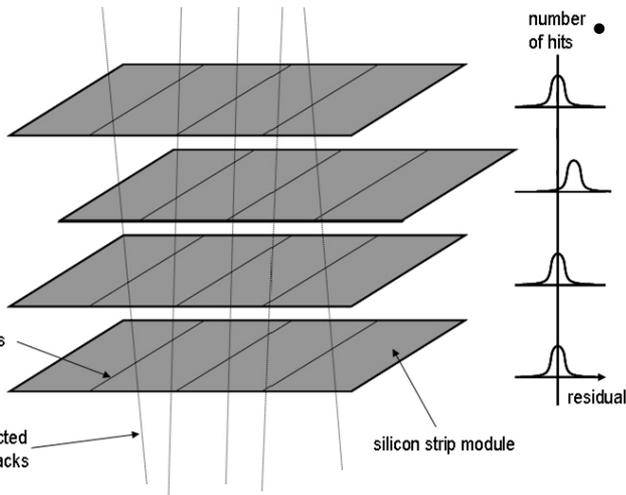
3 translations & 3 rotations
per alignable structure

Alignment algorithms

- Track-based alignment algorithms were developed within the ATLAS software framework
- Track-based alignment works by minimizing residuals (distance between detector hitpoint and trackfit)

Robust method

- centres residual and overlap-residual distributions
- aligns 2-3 degrees of freedom (DoF)
- iterative procedure



χ^2 -based methods

$$\chi^2 = \sum_{\text{tracks}} r_i^T V^{-1} r_i$$

Local χ^2

- invert only 6x6 matrices per alignable structure
- iterate to get correlations back

Global χ^2

solve full linear system of equations with 36k parameters

TRT Algorithm

- global and local χ^2 mode
- also has to calibrate R-t relation and T_0 of the tubes

Alignment algorithms were used for:

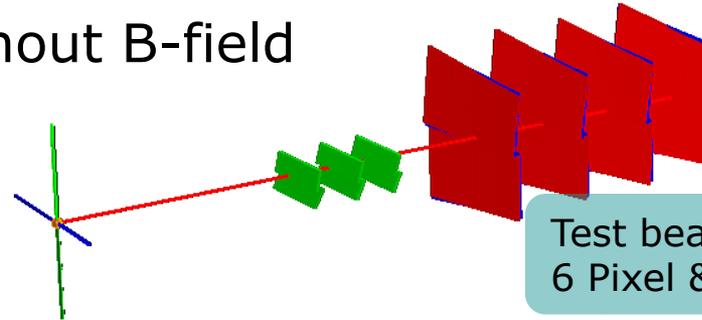
Testbeam data

Cosmics data

Simulated data (CSC)

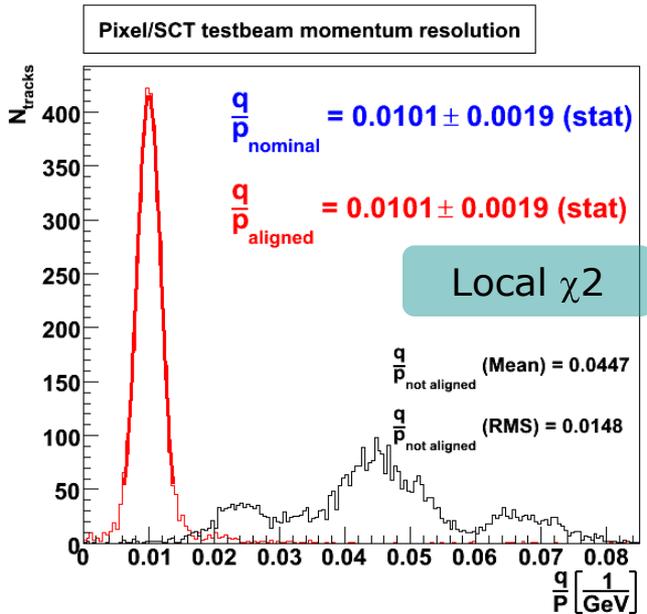
Combined Test Beam

- 2004 combined pion/electron run at the CERN SPS H8 beamline
- 2-180 GeV with and without B-field
- Recent results:



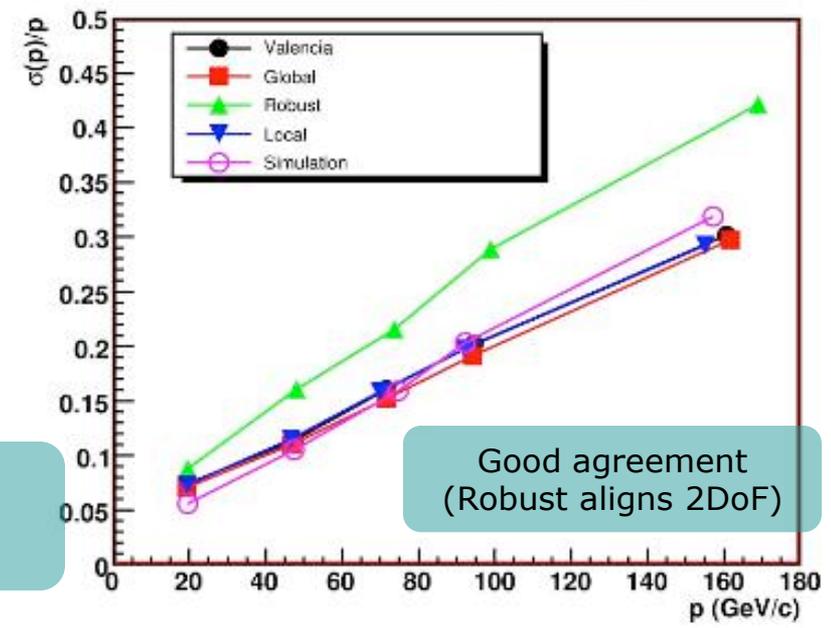
Test beam detector setup:
6 Pixel & 8 SCT modules

100 GeV pions momentum spectrum



Momentum resolutions after alignment

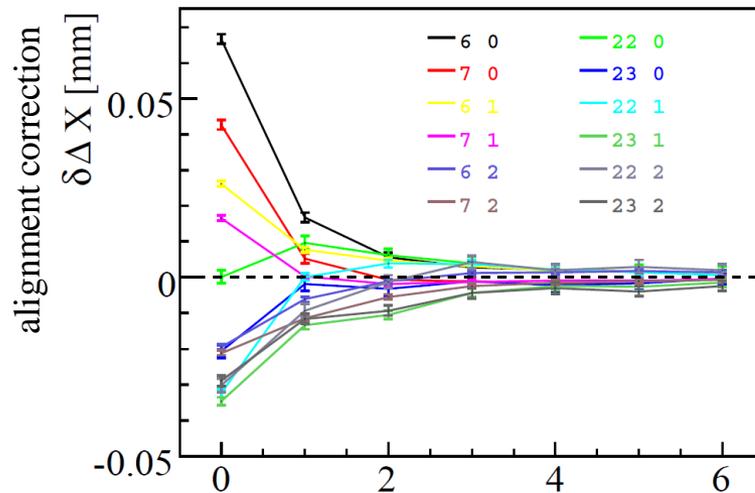
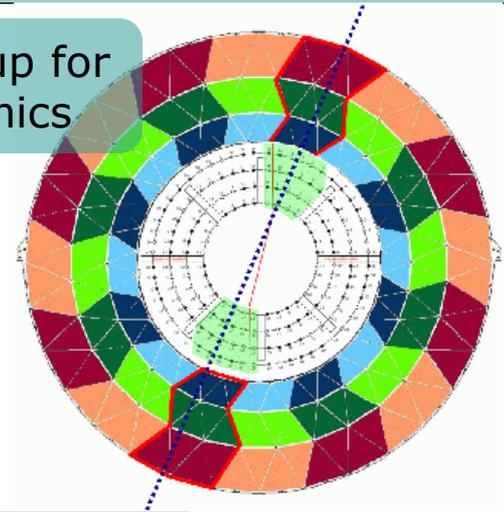
Momentum resolution electron runs with B field



Cosmics alignment

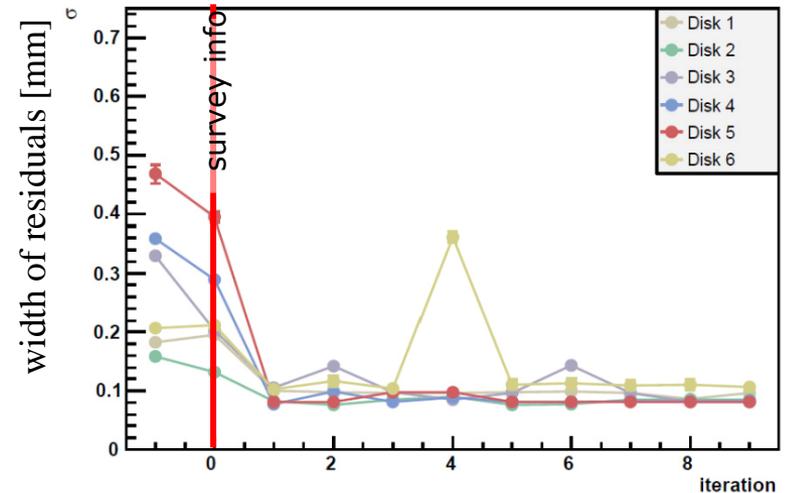
- TRT+SCT combined cosmic runs (2006)
 - ~500 SCT and 12 TRT modules (barrel), one endcap (endcap)
 - Only scintillator trigger added, no B-field, no momentum hardening
 - O(100k) tracks (barrel), O(10k) tracks (endcap)
 - In the endcap, only complete disks were aligned

detector setup for barrel cosmics



TRT local χ^2 alg on TRT barrel iteration

Sigma of residuals vs. iterations



TRT Global χ^2 on SCT endcap

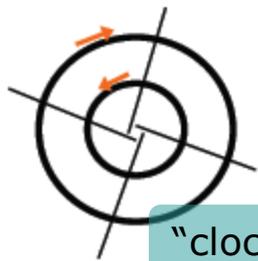
Alignment of the CSC

CSC (Computing System Commissioning) Challenge:

- Alignment task is to align an educated guess of misaligned “as-built” detector geometry
- CSC misalignment scales:

	Level 1 (barrel, endcap)	Level 2 (layers, discs)	Level 3 (modules)
Misalignment	O(1 mm)	O(100 μm)	O(100 μm)

- “Weak modes” leave χ^2 for tracks from the interaction point unchanged; can be cured by
 - additional track samples (cosmics, beam halo...)
 - additional constraints (vertex, mass constraint...)



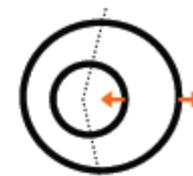
“clocking”



“telescope”



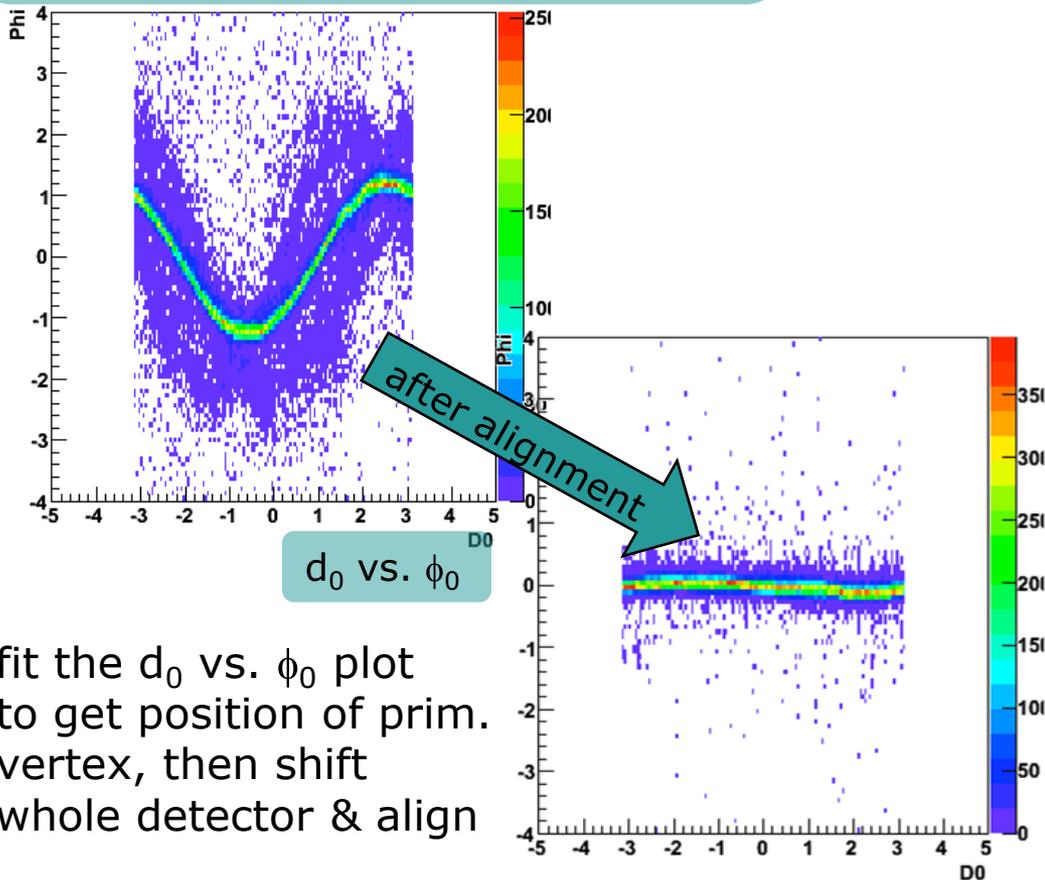
radial
expansion



non-concentric

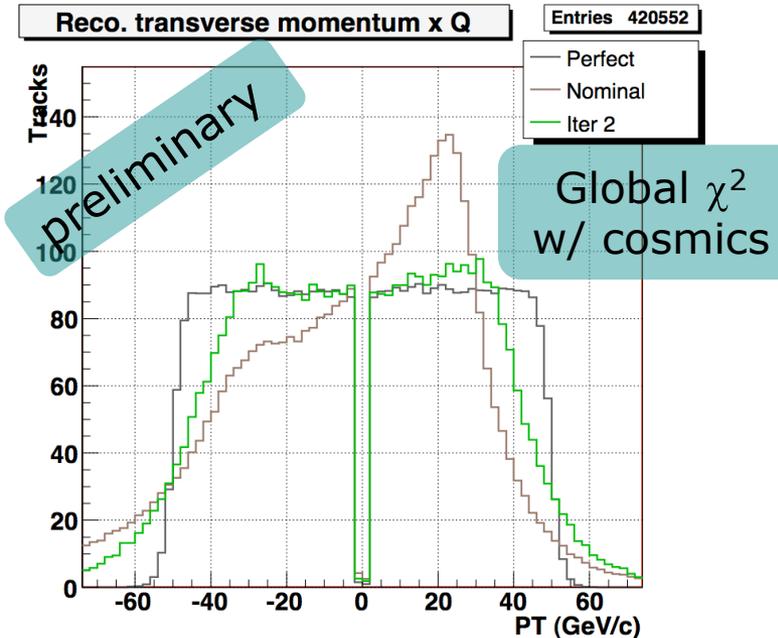
CSC alignment – physics parameters

Correcting L1 resolves improper track impact parameter reconstruction:



fit the d_0 vs. ϕ_0 plot to get position of prim. vertex, then shift whole detector & align

Correcting L2 improves momentum scale:



L3 brings best resolution to physics quantities

Calibration Stream

- ATLAS computing model requests that alignment constants are produced within 24h after data taking
- Select tracks from samples of different topology for
 - Alignment
 - TRT R-t calibration
- Estimation: about 1000 hits per alignable structure are needed to fulfill accuracy requirements
 - For Level1 and Level2, this is quick
 - Level3 is challenging
- Since largest time fraction is needed for reconstruction, select good alignment tracks in the EventFilter and put into dedicated CalibrationStream

Conclusions

- Track-based alignment algorithms were developed within the ATLAS software framework
- They were successfully applied on
 - Testbeam data
 - Cosmics data
 - Simulated full ATLAS data (CSC)and will be applied on the data currently taken during pit commissioning
- Computing model requires that alignment constants are produced within 24 hours

Acknowledgments:

Many thanks to the whole ATLAS ID alignment group!

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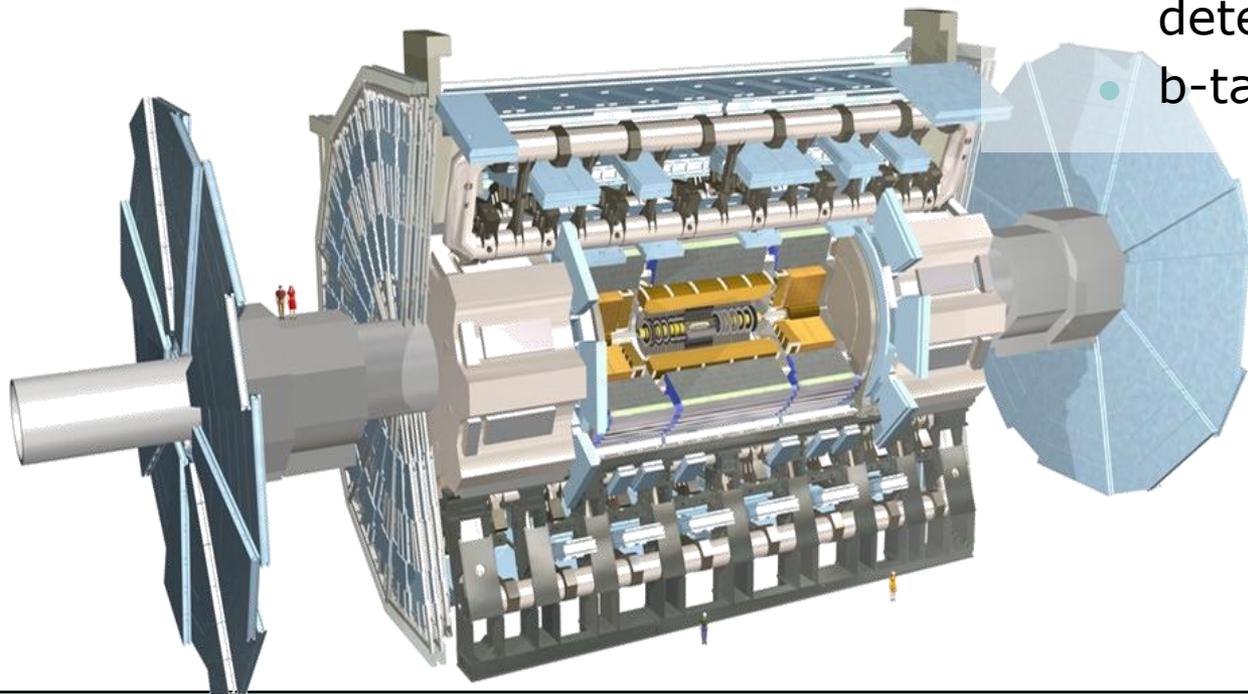
Backup

Backup



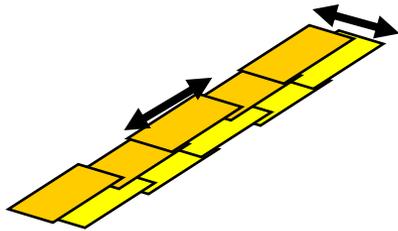
ATLAS at the LHC

- General purpose experiment for the LHC
- Physics goals:
 - Search for the Higgs
 - Supersymmetry searches
 - Top quark measurements
- Tracking system (ID) in 2T magnetic field
 - efficient track reconstruction
 - precise momentum measurement
 - precise interaction point determination
 - b-tagging

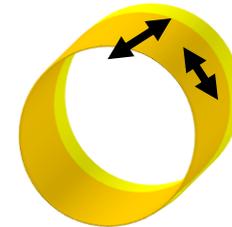


Robust alignment

F. Heinemann



Sum over neighbours,
take correlations into
account

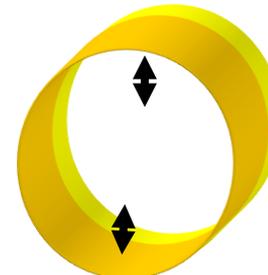


$$a = -\frac{\sum a_i / \sigma_i^2}{\sum 1 / \sigma_i^2}, \quad a = x, y; \quad i = \text{mean residual, mean } Z \text{ overlap residual, mean } R\phi \text{ overlap residual}$$

Sum over all modules in
a ring

Correct for change in
radius

$$z = -\frac{\sum \text{mean } R\phi \text{ overlap residual}}{2\pi}$$



The Global χ^2 Approach

A. Morley

Method consists of minimizing a giant χ^2 resulting from a simultaneous fit of all particle trajectories and alignment parameters:

$$\chi^2 = \sum_{tracks} r^T V^{-1} r$$

$$r(\pi, a, m)$$

r = residuals
 V = covariance matrix
 π = track parameters
 a = alignment parameters
 m = measurement

Use the linear expansion (assume all second order derivatives negligible).

$$\frac{d\chi^2}{d\pi} = 0 \rightarrow$$

$$\pi = \pi_0 + \delta\pi = \pi_0 - \left(\frac{\partial e^T}{\partial \pi_0} V^{-1} \frac{\partial e}{\partial \pi_0} \right)^{-1} \frac{\partial e^T}{\partial \pi_0} V^{-1} r(\pi_0, a)$$

$$\frac{d\chi^2}{da} = 0 \rightarrow$$

$$\left(\sum_{tracks} \frac{dr^T}{da_0} V^{-1} \frac{dr}{da_0} \right) \delta a + \sum_{tracks} \frac{dr^T}{da_0} V^{-1} r(\pi_0, a_0) = 0$$

Key relation!

$$\frac{dr}{da} = \frac{\partial r}{\partial a} + \frac{\partial r}{\partial \pi} \frac{d\pi}{da}$$

Alignment Parameters are given by:

$$\delta a = - \underbrace{\left(\sum_{tracks} \frac{\partial r^T}{\partial a_0} W \frac{\partial r}{\partial a_0} \right)^{-1}}_{\mathcal{M}} \underbrace{\sum_{tracks} \frac{\partial r^T}{\partial a_0} W r(\pi_0, a_0)}_{\mathcal{V}}$$

Where

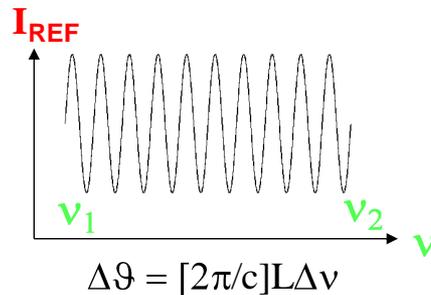
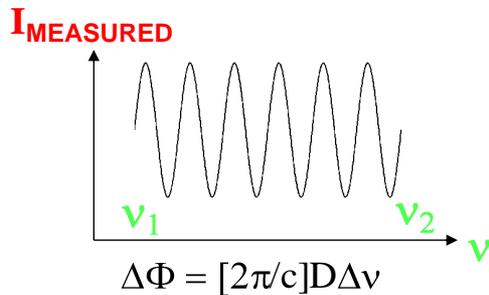
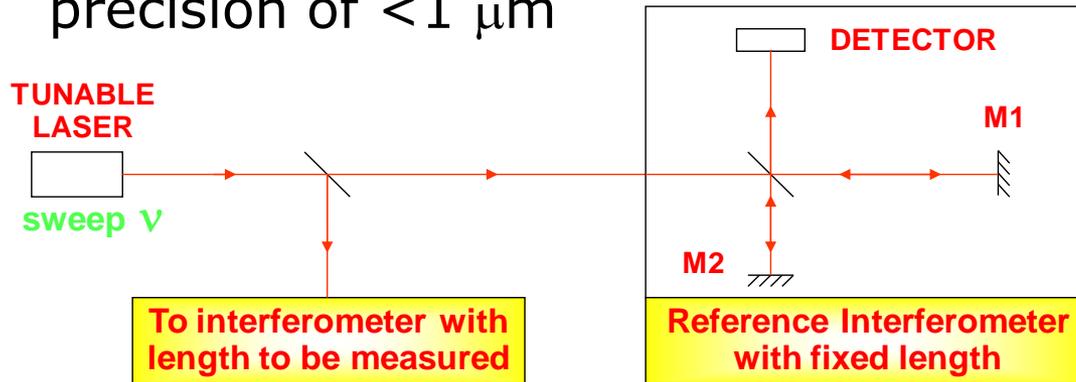
$$W \equiv V^{-1} \hat{W} \equiv V^{-1} - V^{-1} E (E^T V^{-1} E)^{-1} E^T V^{-1}$$

$$E = \frac{dr}{d\pi_0}$$

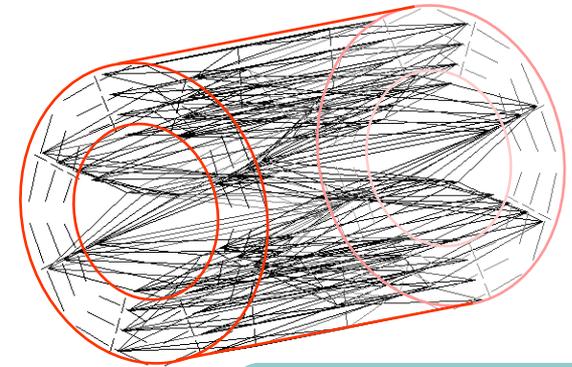
Similar approach to Millipede at CMS



- Frequency Scanning Interferometry for monitoring SCT detector distortions on short timescales
- Forms a geodetic grid in the SCT barrel
- 842 grid line length measurements simultaneously to a precision of $<1 \mu\text{m}$



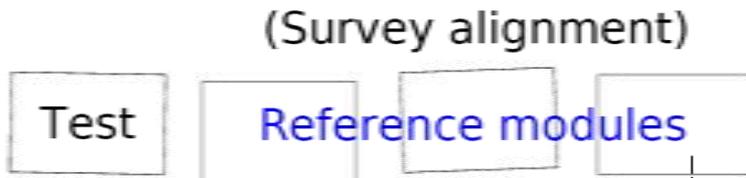
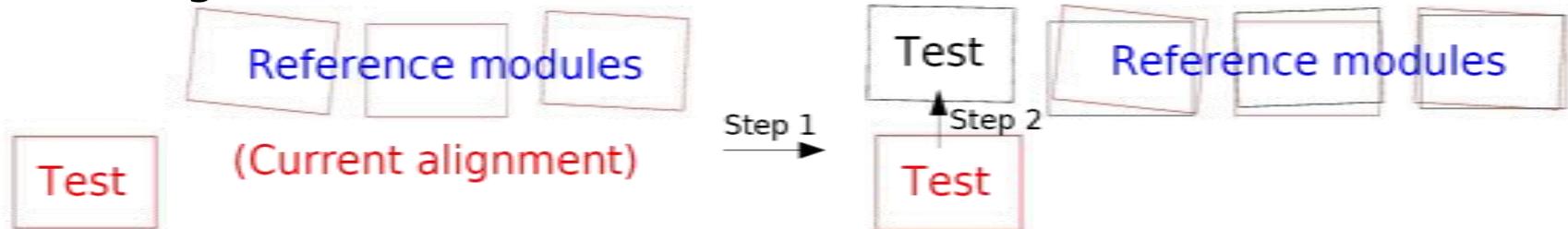
Ratio of phase change = Ratio of lengths



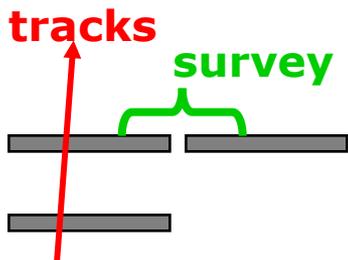
geodetic grid of SCT barrel

Survey

- additional χ^2 -term places constraints on module positions within a structure
- orthogonal to track information



module-to-module
survey precision



	Pixel sector	Pixel stave	SCT disk	SCT stave
δx	4.6 μ	50 μ	32 μ	150 μ
δy	4.7 μ	20 μ	41 μ	150 μ
δz	12.7 μ	50 μ	50 μ	150 μ
$\delta\phi_x$	0.3 mrad	1.7 mrad	1.0 mrad	2.5 mrad
$\delta\phi_y$	0.7 mrad	5.0 mrad	1.0 mrad	5.0 mrad
$\delta\phi_z$	0.12 mrad	1.7 mrad	0.09 mrad	2.5 mrad