

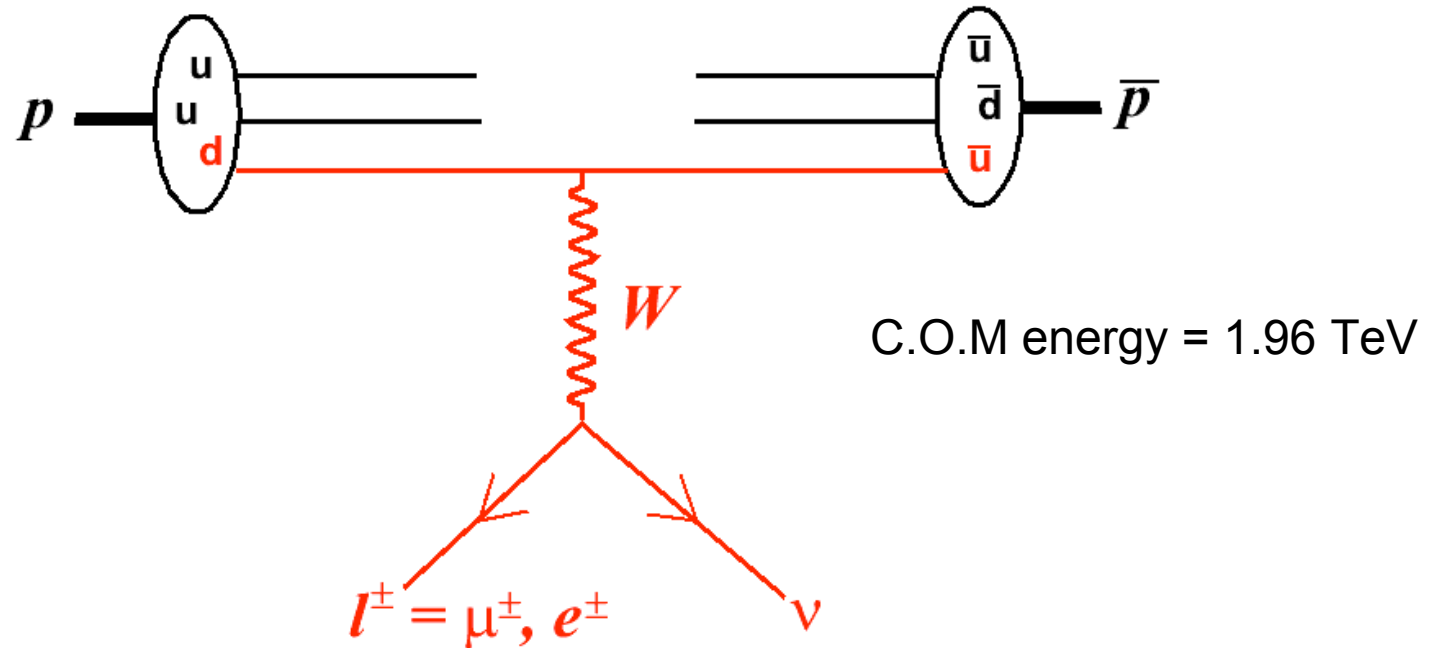


# W Boson production and properties at CDF



EPS, Manchester, July 2007

# W production at the Tevatron



The **electron** and **muon** channels are used to measure W properties, due to their clean experimental signature.

The large mass ( $\sim 80$  GeV) of W bosons gives their decay products large  $p_T$ .

W events can be used to:

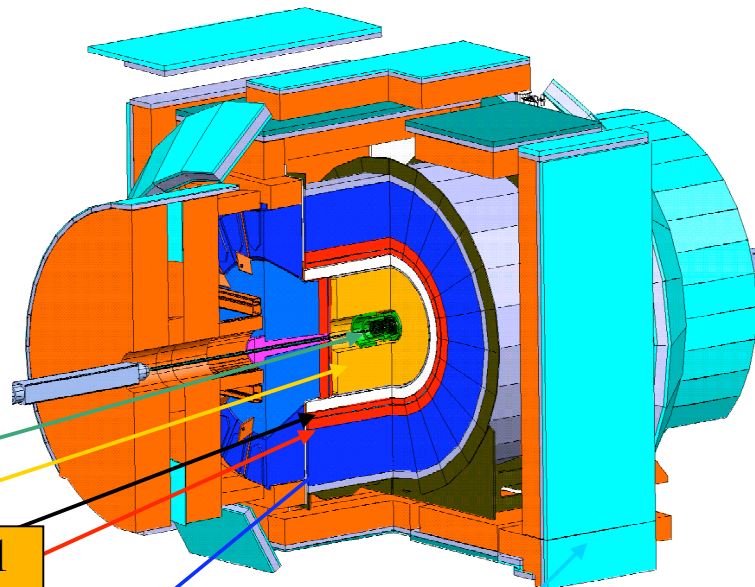
- constrain the QCD part of the production mechanism: **W charge asymmetry**.
- measure W properties: **W mass** (see talk by Oliver Steltzer-Chilton) and **W width**.

# Detecting W decay particles at CDF

**Electrons:** detected in central trackers (p measurement) and EM calorimeter (E measurement).

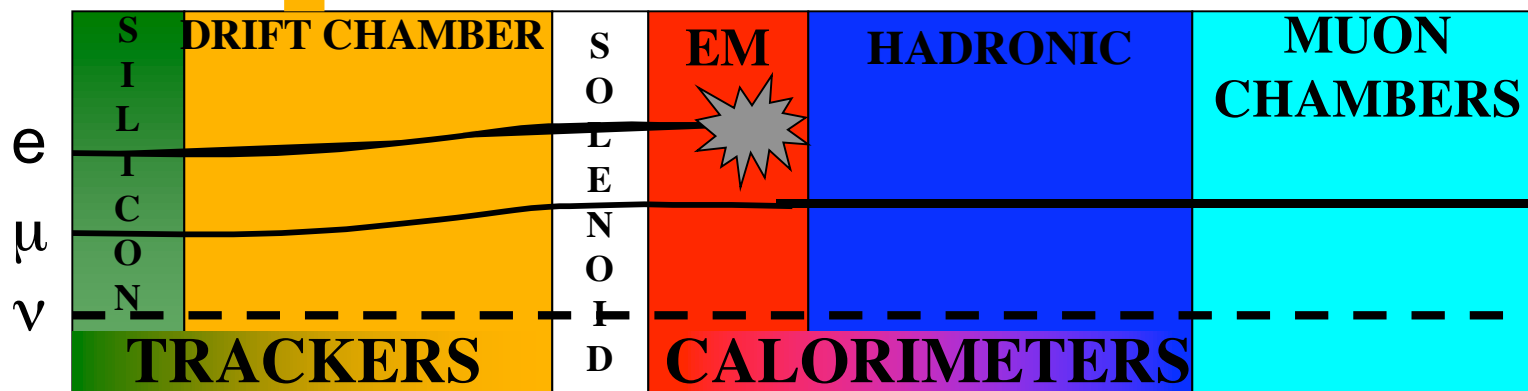
**Muons:** detected in central trackers (p measurement), calorimeter (MIP signal) and muon chambers.

**Neutrinos:** not detected! Vector sum the total *transverse energy* ( $E_T = E \sin \theta$ ) in calorimeters. "Missing  $E_T$ " inferred as neutrino  $p_T$ .



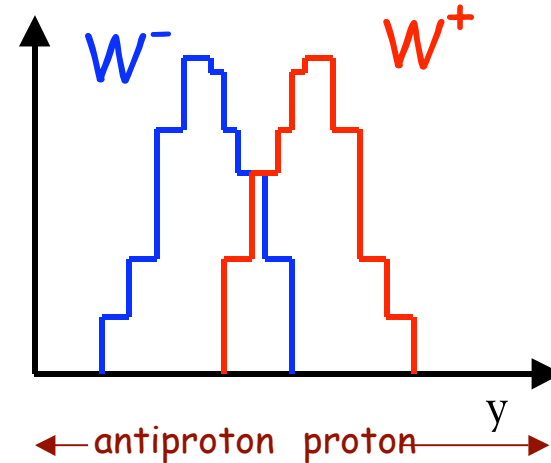
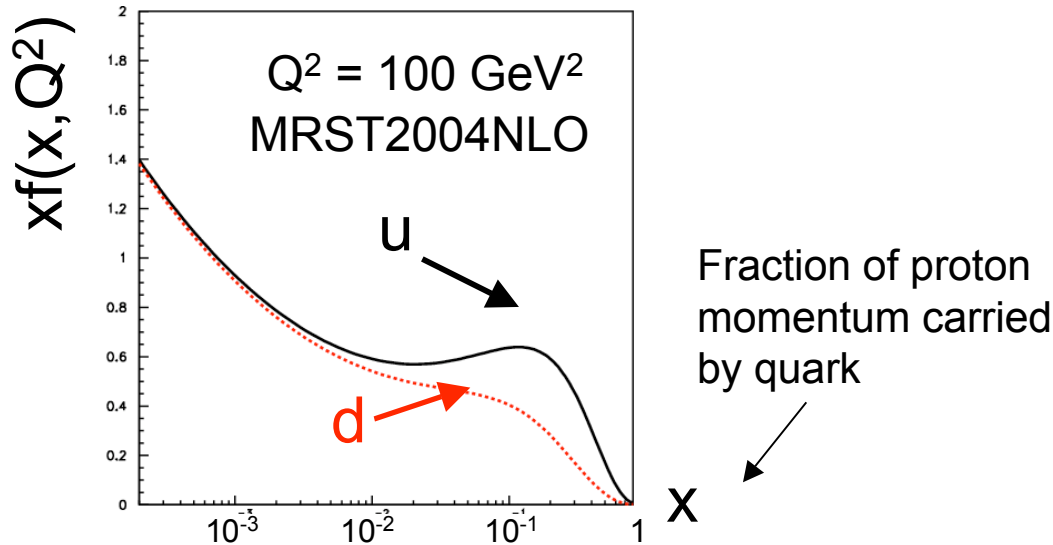
$$\delta p_T / p_T \approx 0.0005 \times p_T \text{ [GeV/c; beam constrained]; } |\eta| < 1$$

$$\delta E_T / E_T \approx 13.5\% / \sqrt{E_T} \oplus 1\% \quad |\eta| < 1.1$$

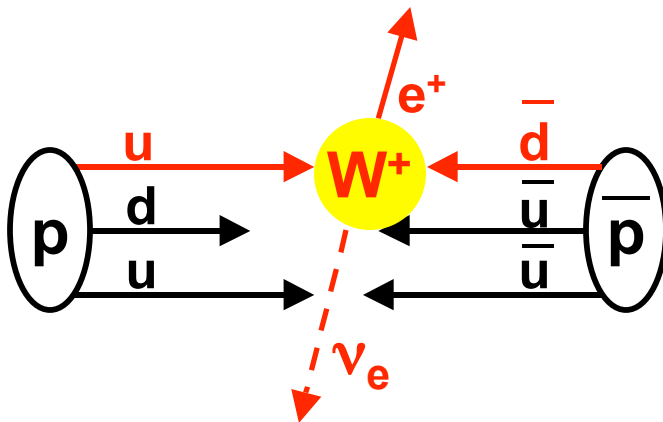


# W charge asymmetry: introduction

Parton Distribution Functions describe the momentum distribution of partons in the (anti-)proton. They are constrained by fits to data.



$$\text{rapidity} = y = \frac{1}{2} \ln \frac{E + p_L}{E - p_L}$$



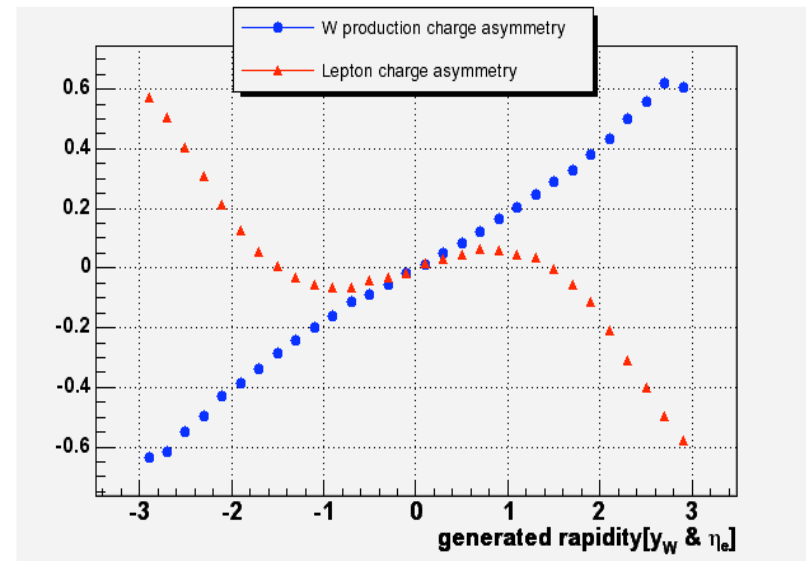
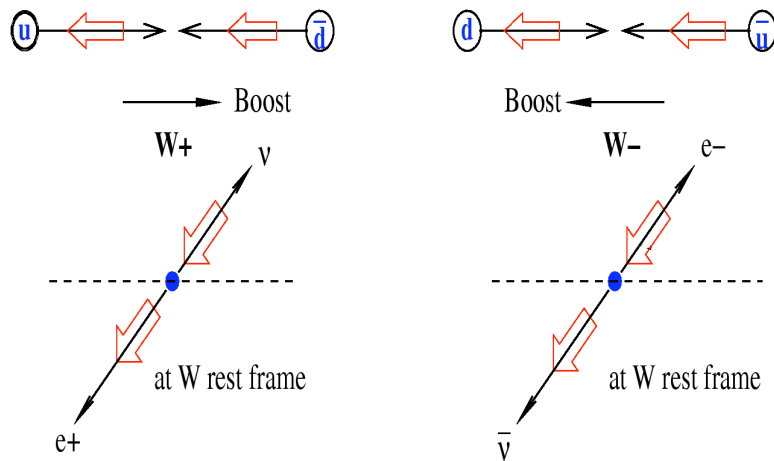
$$A(y_W) = \frac{d\sigma_+ / dy_W - d\sigma_- / dy_W}{d\sigma_+ / dy_W + d\sigma_- / dy_W}$$

(helps constrain PDFs!)

# W charge asymmetry: from $e^{+(-)}$ asymmetry

- Since  $p_L^v$  is not known the  $W^\pm$  rapidity cannot be reconstructed  $\therefore$  traditionally the *electron charge asymmetry* is measured.
- The V-A structure of the  $W^{+(-)}$  decay favours a backward (forward)  $e^{+(-)}$  “diluting” the W charge asymmetry.

$$A(\eta_l) = \frac{d\sigma_+ / d\eta_l - d\sigma_- / d\eta_l}{d\sigma_+ / d\eta_l + d\sigma_- / d\eta_l}$$



# W charge asymmetry: direct measurement

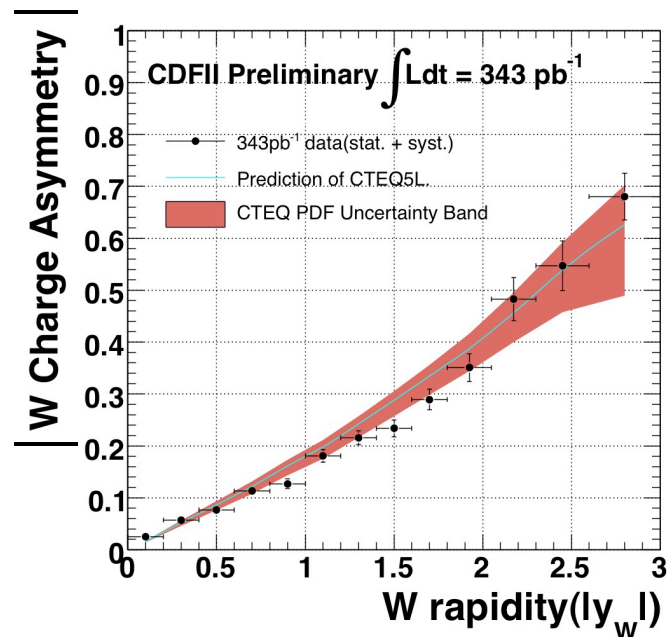
This CDF measurement (performed in  $W \rightarrow e\nu$  channel):

$p_L^\nu$  determined by constraining  $M_W = 80.4 \text{ GeV} \rightarrow$  two possible  $y_W$  solutions. Each solution receives a weight probability according to:

a) **V-A decay structure**

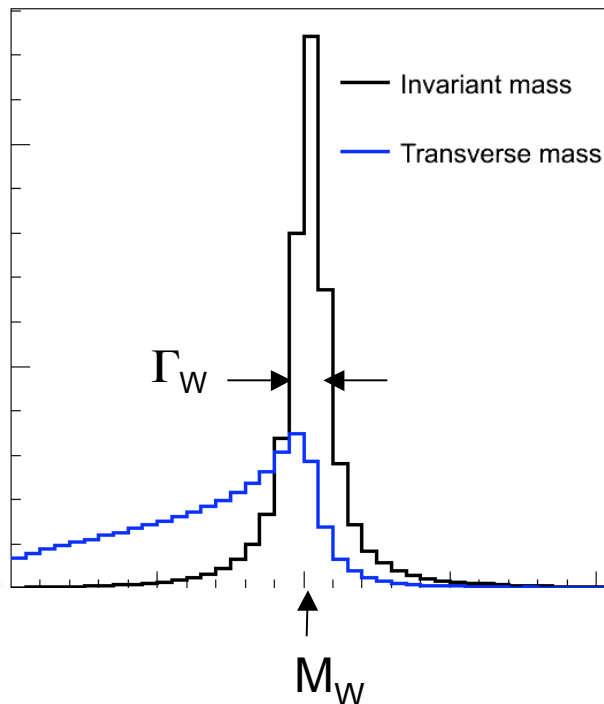
b) **W cross-section:  $\sigma(y_W)$**

(Process iterated since  $\sigma(y_W)$  depends on asymmetry)



# W width : introduction

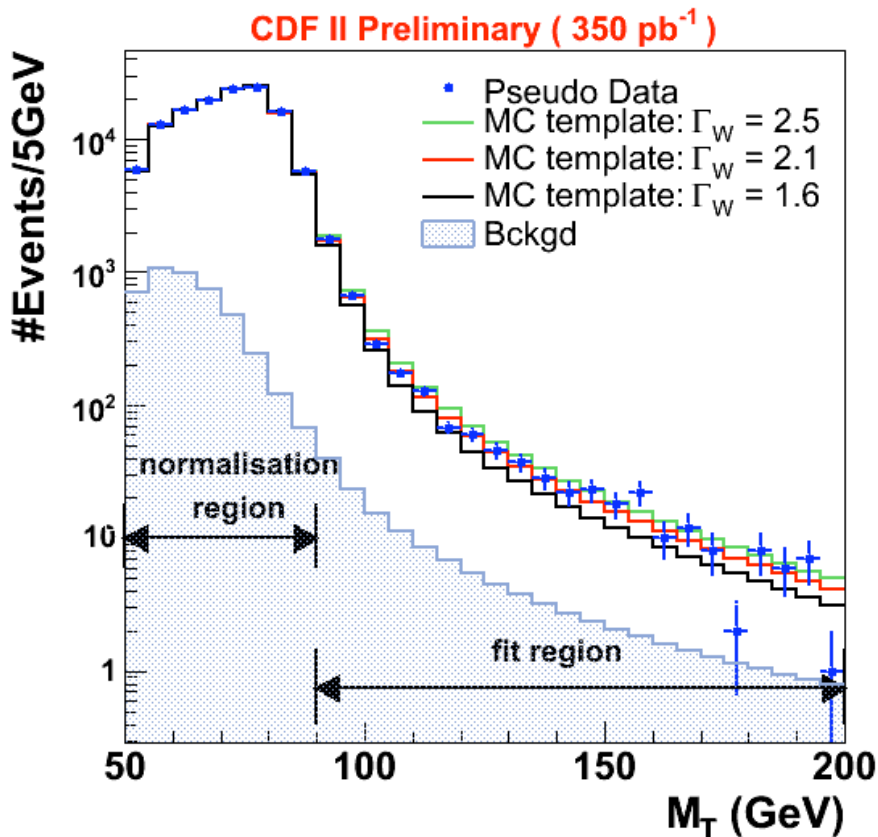
- Predicted very precisely within the Standard Model by summing the leptonic and hadronic partial widths:  $\Gamma_W^{\text{SM}} = 2091 \pm 2 \text{ MeV}$  [PDG: J. Phys. G 33, 1]
- Deviations from this prediction suggest non-SM decay modes.
- $\Gamma_W$  is an input to the W mass measurement:  $\Delta M_W \sim \Delta \Gamma_W / 7$



Ideally we would reconstruct the invariant mass of the decay products to measure  $\Gamma_W$ , since  $\nu$  isn't detected we reconstruct the transverse mass:

$$m_T = \sqrt{2 p_T^l p_T^\nu (1 - \cos \phi_{l\nu})}$$

# W width : Analysis strategy



- Simulate  $m_T$  distribution with a dedicated *fast* parameterised MC (using a Breit-Wigner lineshape).
- MC simulates QCD (RESBOS Balazs et.al. PRD56, 5558) and QED (Berends & Kleiss Berends et.al. ZPhys. C27, 155) corrections.
- Utilise  $Z \rightarrow \ell\bar{\ell}$  (and  $W \rightarrow \ell\nu$ ) data to calibrate the detector to a high precision.
- Fit  $m_T$  templates (with  $\Gamma_W$  varying) to the data, fit range: 90-200 GeV

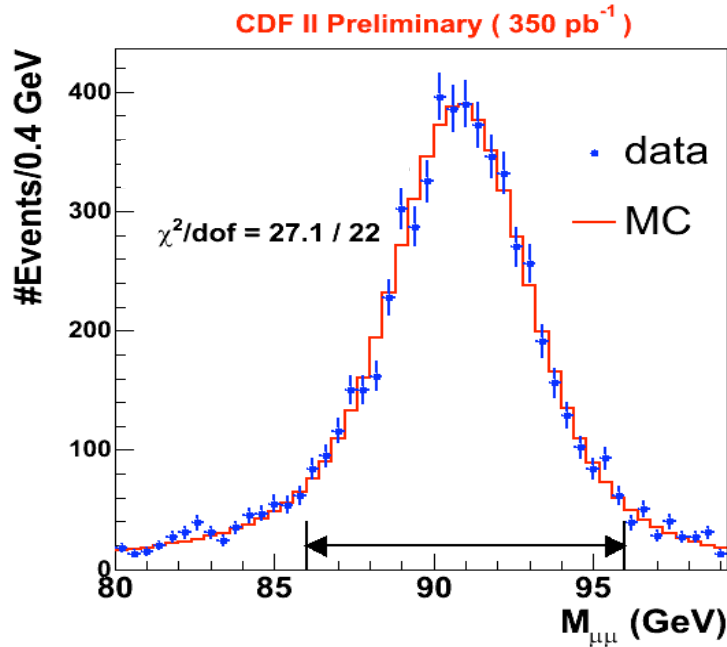
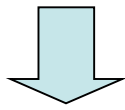
← optimised to reduce total uncertainty

$$m_T = \sqrt{2p_T^l p_T^\nu (1 - \cos \phi_{l\nu})}$$

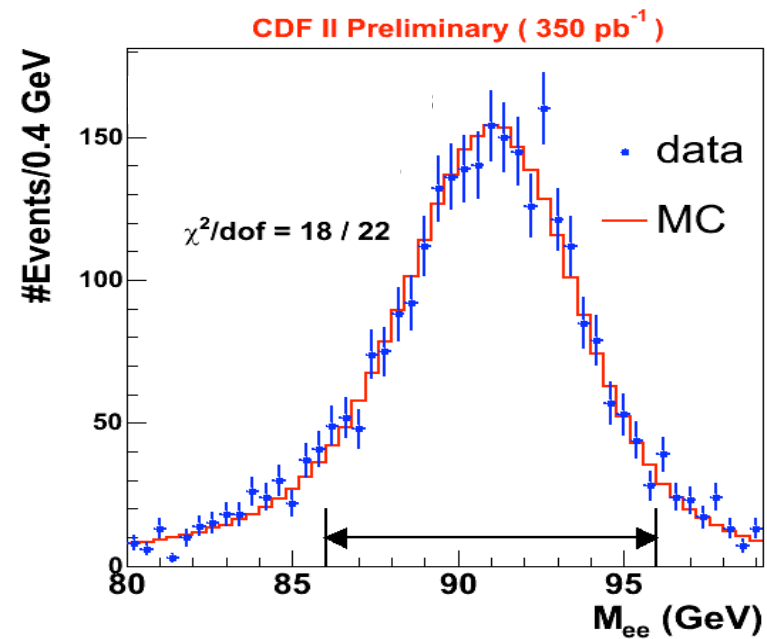
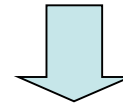


# W width : Lepton $p_T$

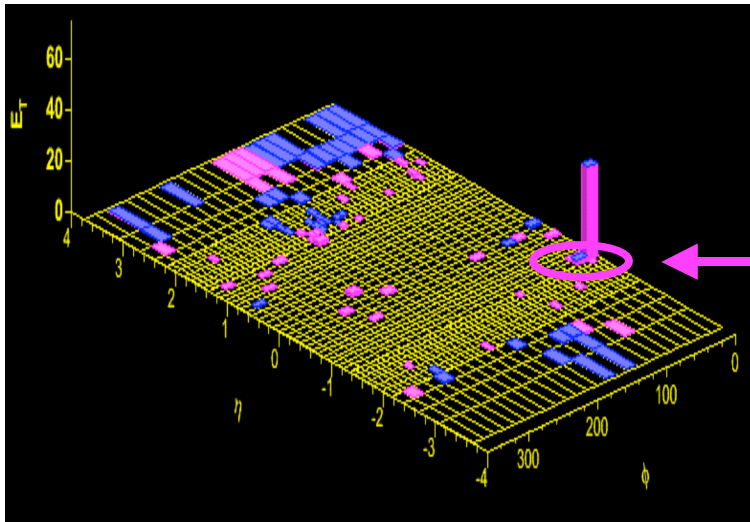
$\mu^\pm$  momentum measured in central tracker - scale and resolution calibrated using  $Z \rightarrow \mu\mu$  resonance.



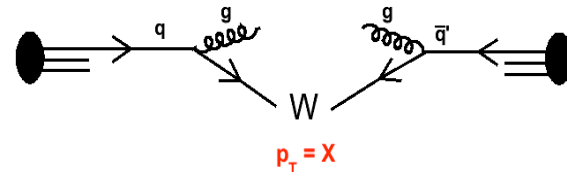
$e^\pm$  energy measured in EM calorimeter - scale and resolution calibrated using  $Z \rightarrow ee$  resonance and  $E/p$  in  $W \rightarrow ev$  data.



# W width : Neutrino $p_T$

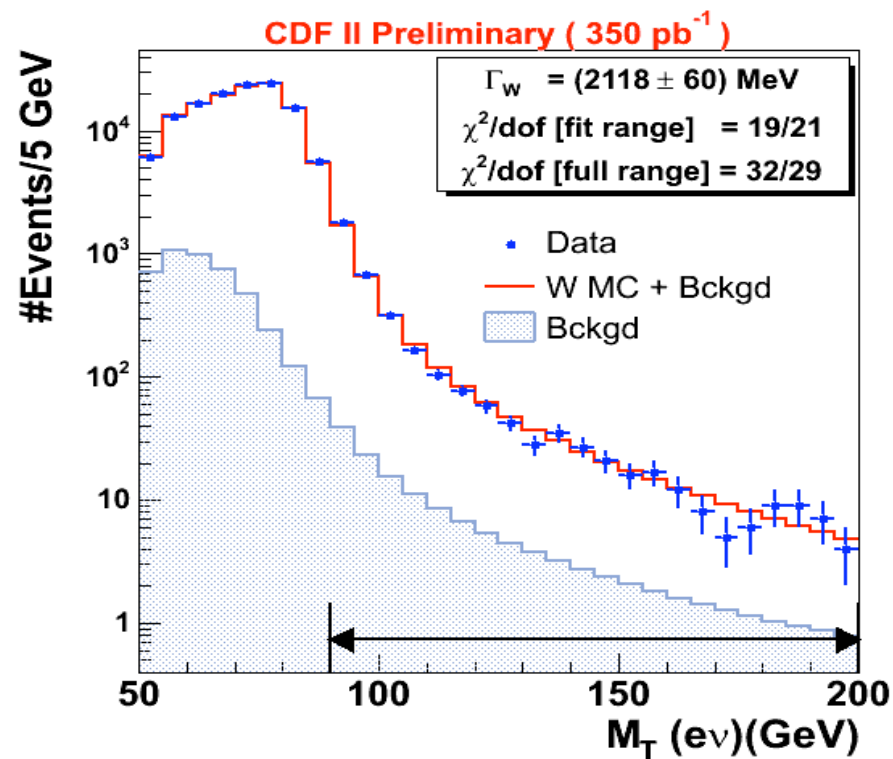
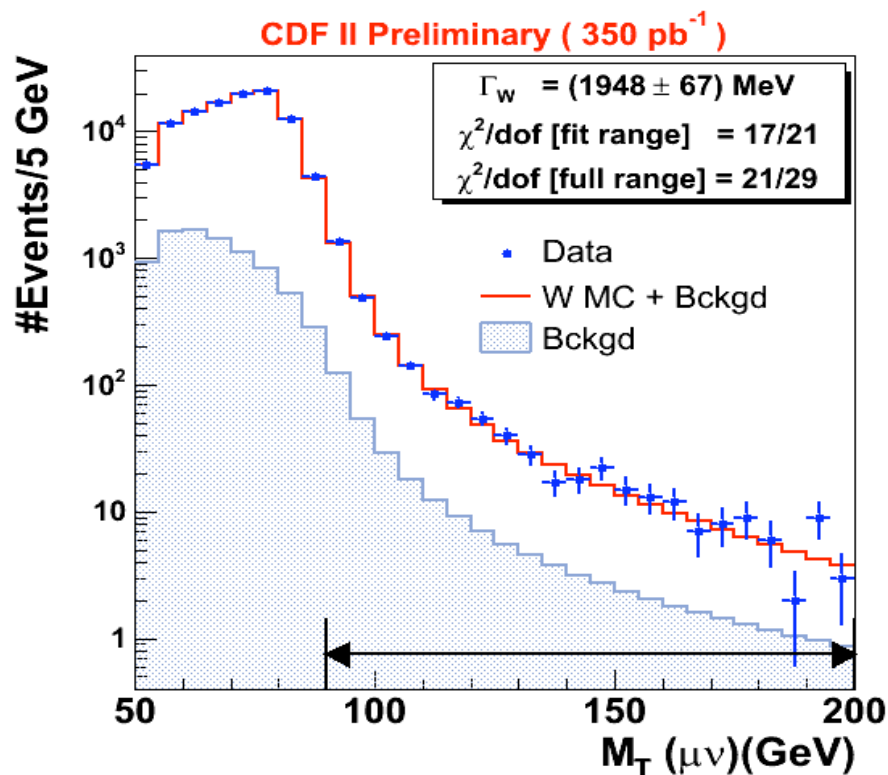


- $p_T^\nu$  inferred from  $E_T^{\text{miss}}$
- $\mathbf{U} = (U_x, U_y) = \sum_{\text{towers}} E \sin\theta (\cos\phi, \sin\phi)$   
vector sum over calorimeter towers  
Excluding those surrounding lepton
- $\mathbf{p}_T^\nu = \mathbf{E}_T^{\text{miss}} = -(\mathbf{U} + \mathbf{p}_T^{\text{lep}})$
- $\mathbf{U}$  mostly comes from gluon radiation from incoming quarks (also Underlying Event (UE), photons from bremsstrahlung).



- Accurate predictions of  $\mathbf{U}$  (QCD radiation, UE, hadronisation and detector response to hadrons) is difficult (and slow) from first principles.
- Devise an ad-hoc parameterised model of the recoil in terms of the boson  $p_T$ , tuned to the recoil in  $Z \rightarrow \ell\ell$  events (where the  $Z$   $p_T$  can be reconstructed).

# W width: results



$$\Gamma_W = 2032 \pm 71 \text{ (stat + syst) MeV}$$

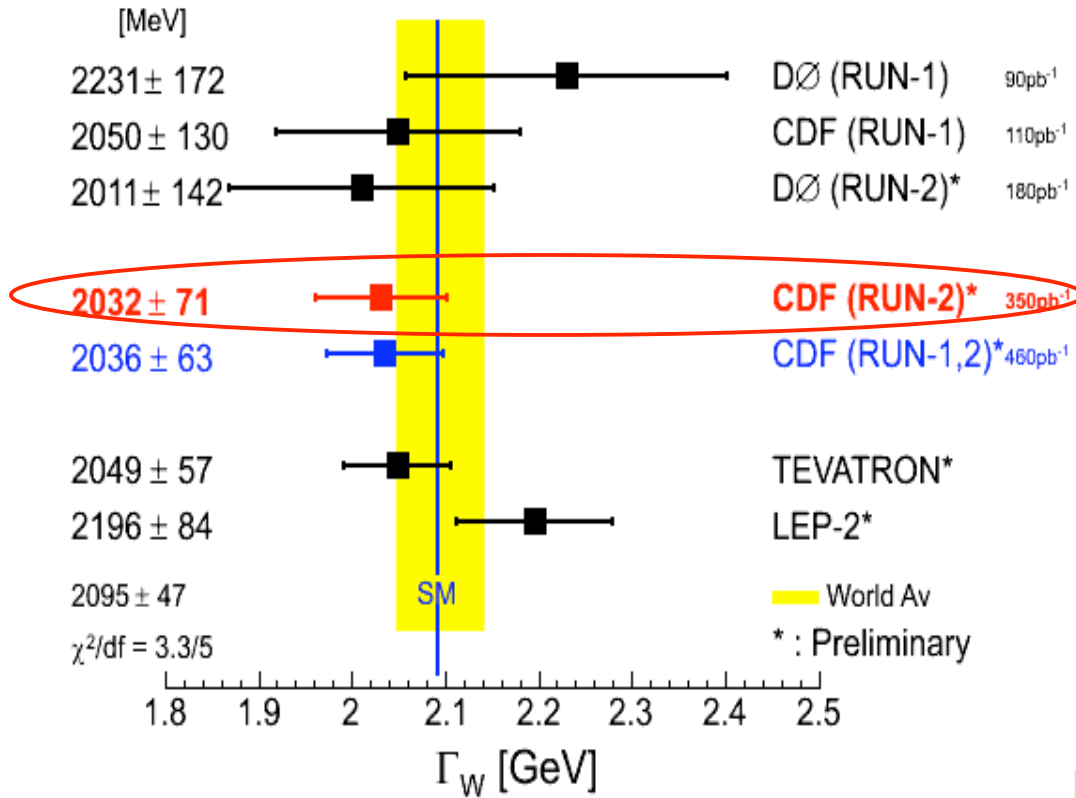
# W width: systematic uncertainties

CDF Run II Preliminary (350 pb<sup>-1</sup>)

	$\Delta\Gamma_W$ [MeV]		
	Electrons	Muons	Common
Lepton Scale	21	17	12
Lepton Resolution	31	26	0
Simulation	13	0	0
Recoil	54	49	0
Lepton ID	10	7	0
Backgrounds	32	33	0
$p_T(W)$	7	7	7
PDF	16	17	16
QED	8	1	1
W mass	9	9	9
Total systematic	78	70	23
Statistical	60	67	0
Total	98	97	23

# W width: world average

World's most precise single measurement!



Central value decreases by 44 MeV:

**2139 → 2095 MeV**

Uncertainty reduced by 22%:

**60 → 47 MeV**

# Indirect Width Measurement

$$R_{\text{exp}} = \frac{\sigma \cdot \text{BR} (W \rightarrow l\nu)}{\sigma \cdot \text{BR} (Z \rightarrow ll)}$$

Diagram illustrating the components of the indirect width measurement ratio  $R$ :

$$R = \left( \frac{\sigma_W}{\sigma_Z} \right) \times \left( \frac{\Gamma(W \rightarrow l\nu)}{\Gamma(W)} \right) \times \left( \frac{\Gamma(Z)}{\Gamma(Z \rightarrow ll)} \right)$$

The diagram shows three terms in the product:

- Left term:**  $\frac{\sigma_W}{\sigma_Z}$ , labeled "NNLO Calculation" with a blue arrow pointing to it.
- Middle term:**  $\frac{\Gamma(W \rightarrow l\nu)}{\Gamma(W)}$ , labeled "SM Calculation" with a green oval around it.
- Right term:**  $\frac{\Gamma(Z)}{\Gamma(Z \rightarrow ll)}$ , labeled "Precision LEP Measurements" with a blue arrow pointing to it.

CDF Run II **INDIRECT** width (72 pb<sup>-1</sup>):

**2092 ± 42 MeV**

**PRL 94, 091803**

CDF Run II **DIRECT** width (350 pb<sup>-1</sup>):

**2032 ± 71 MeV**

**preliminary**

# Summary

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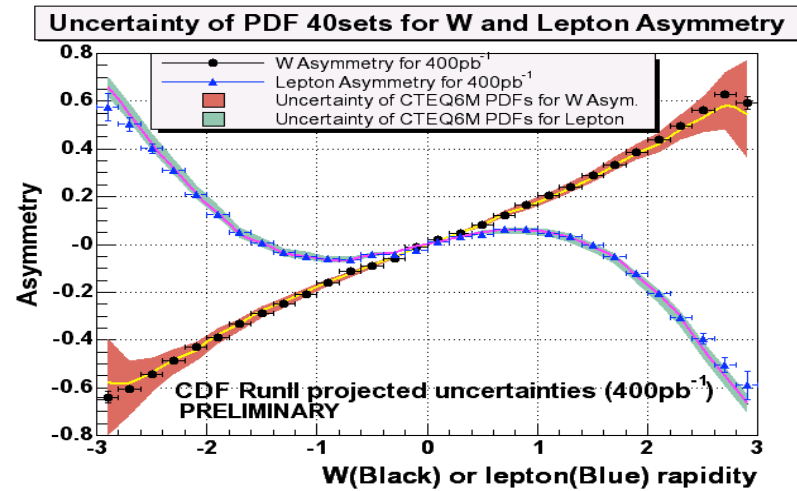
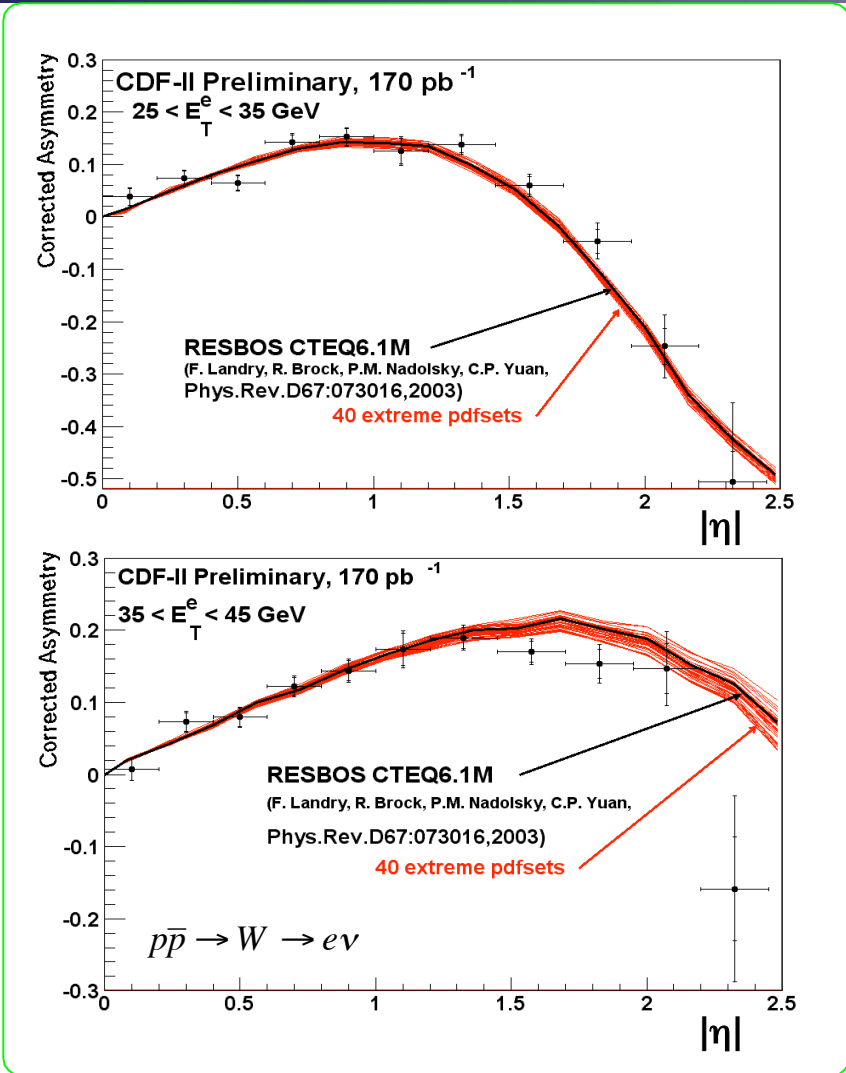
- $W$  charge asymmetry measurement - will help constrain PDFs (due to be updated this summer).
- $W$  width measurement (**world's most precise measurement!**) - consistent with the Standard Model prediction and indirect measurement.

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# Back-up slides

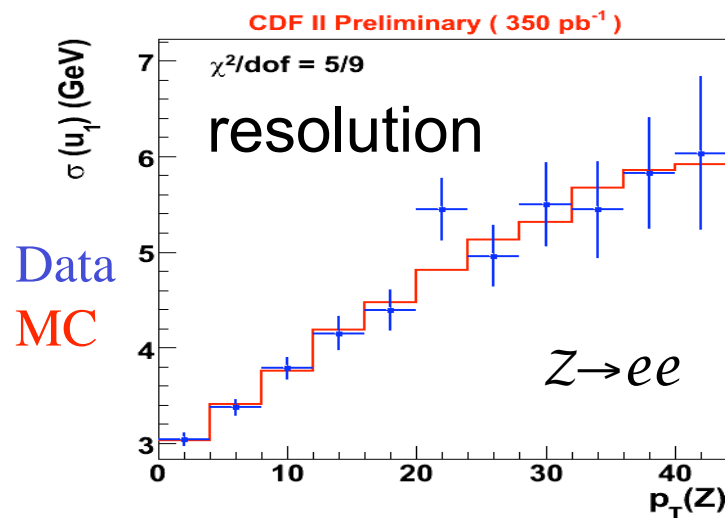
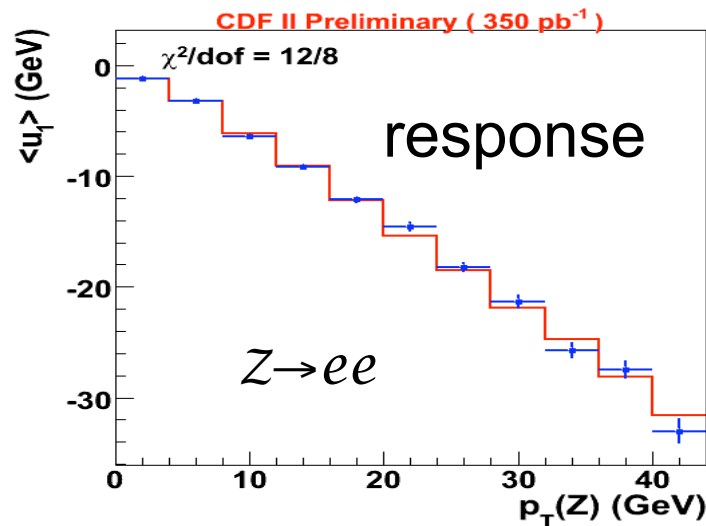
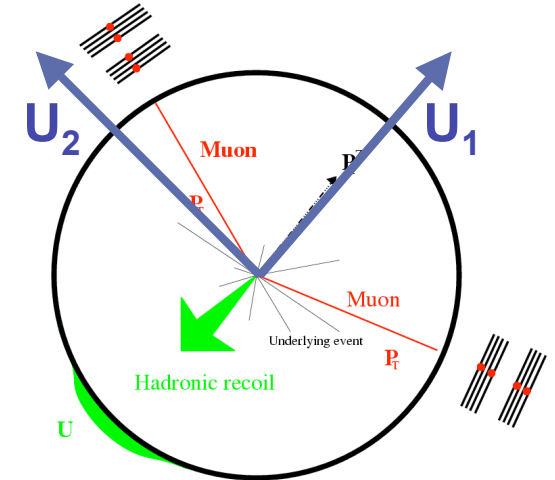


# e asymmetry



# Hadronic Recoil: U

- Accurate predictions of U is difficult (and slow) from first principles.
- U simulated with ad-hoc parameterised model, tuned on  $Z \rightarrow \ell\ell$  data.
- U split into components parallel ( $U_1$ ) and perpendicular ( $U_2$ ) to Z  $p_T$
- 7 parameter model describes the **response** and **resolution** in the  $U_1$  and  $U_2$  directions as a function of the Z  $p_T$ .
- Systematic comes from parameter uncertainties (limited Z stats).

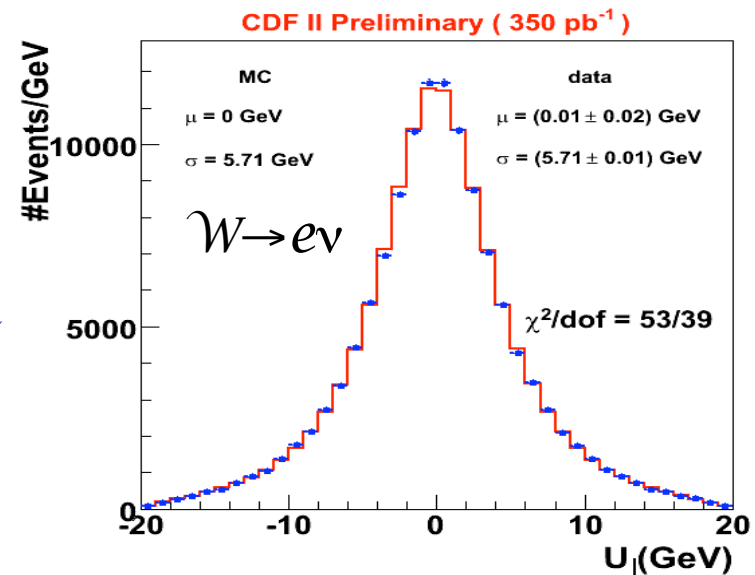
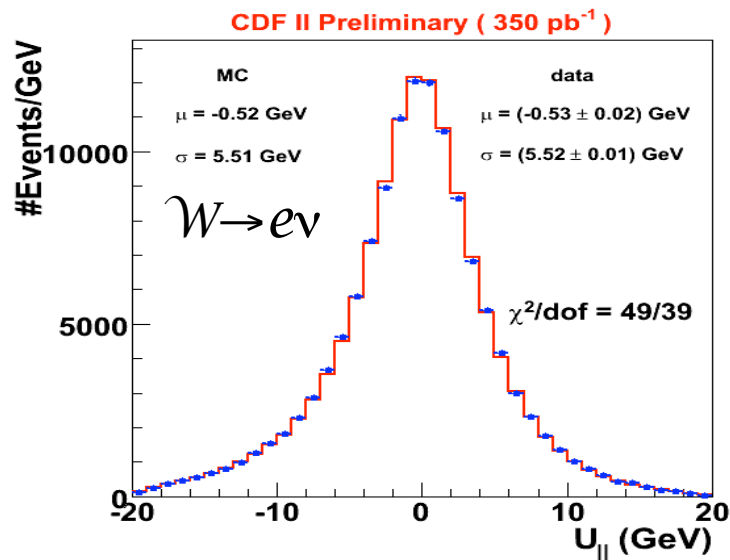
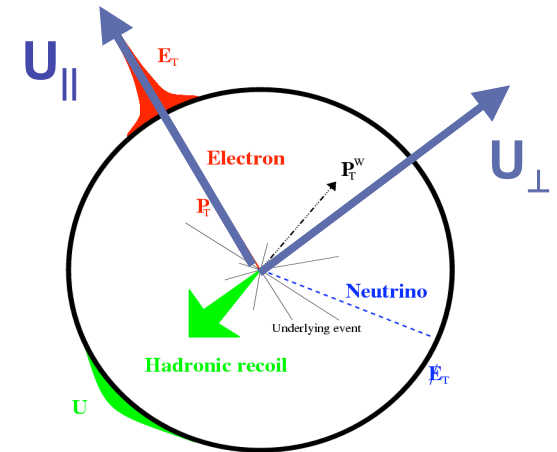


# Hadronic Recoil: $U$ ( $p_T^\nu$ )

$$\langle u_1 \rangle = (P_1 + P_2 p_T) * (1 - e^{(-P_3 * p_T)})$$

$$\sigma(u_1) = (P_4 + P_5 p_T) * M_1 \sum E_T^{M_2}$$

- $U$  split into components parallel ( $U_{\parallel}$ ) and perpendicular ( $U_{\perp}$ ) to charged lepton.
- Many distributions used to cross check the model in  $W \rightarrow l\nu$  data:



# Backgrounds

electron *and* muon channel:

$Z \rightarrow \ell\ell$

- One lepton lost
- $E_T^{\text{miss}}$  from missing lepton

**multijet**

- Jet fakes/contains a lepton
- $E_T^{\text{miss}}$  from misconstruction

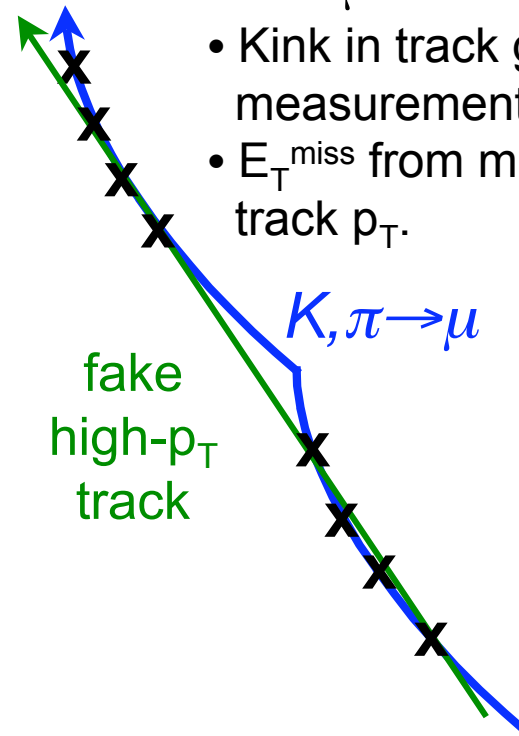
$W \rightarrow \tau\nu$

- $\tau$  decays to  $e/\mu$
- intrinsic  $E_T^{\text{miss}}$

muon channel only:

**Decay In-Flight**

- Kaon/pion decays “In-Flight” to a  $\mu$ .
- Kink in track gives high- $p_T$  measurement.
- $E_T^{\text{miss}}$  from mis-measured track  $p_T$ .



**Need the  $m_T$  distributions *and* the normalisations!**

# Backgrounds

