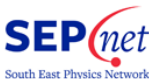


# Walking Technicolor in light of $Z'$ searches at the LHC

**Azaria Coupe**

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# Motivation for Technicolor

- Standard Model has many issues; hierarchy problem, no Dark Matter candidate, etc.
- Higgs discovery at LHC leaves many open questions - Which Higgs? Fundamental or Composite? Higgs mechanism realised?
- **Walking Technicolor** (WTC) offers dynamical alternative to spontaneous EWSB
- WTC also addresses hierarchy problem and has a consistent Higgs boson-like *composite* particle

# Standard Model vs Technicolor

## SM

- Simple, concise lagrangian
- No FCNC issues or tension with EW precision data
- Established and well tested model, agrees with current observation
- Fine-tuning and naturalness problem in 1-loop Higgs mass corrections
- No example of fundamental scalar

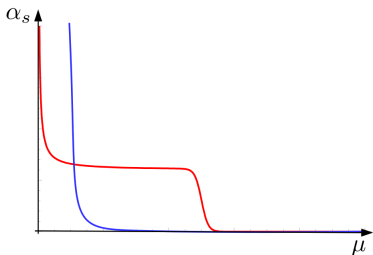
## TC

- Complicated eff. lagrangian
- Constraints from FCNC require *walking*, possible EW precision data tension
- TC/Higgs interactions mediated by unknown ETC sector, no viable ETC model
- No fine-tuning,  $\Lambda_{TC} \sim 1\text{TeV}$  dynamically generated
- DSB seen in nature e.g. QCD, superconductivity

## Why 'Walking' Technicolor?

To give mass to SM fermions, need new gauge bosons at *Extended Technicolor* scale  $\Lambda_{ETC}$ .

Chiral condensate  $\langle\psi\bar{\psi}\rangle$  evaluated at TC scale, but runs to ETC scale.



- **Running** no light scalar mode (Higgs)
- **Walking** motivates light Higgs from natural energy scale  $\Lambda_{TC}$
- **Walking** enhances  $\langle\psi\bar{\psi}\rangle$ , suppressing FCNC's
- **Running** gives too large  $S$ , ruled out by EWPD
- **Walking** reduced  $S$ , motivated by EWPD

# Particle Spectrum of NMWT

NMWT has simplest global (chiral) symmetry,

$$SU(2)_L \otimes SU(2)_R \otimes U(1)_Y.$$

with chiral symmetry breaking pattern

$$2_L \otimes 2_R \otimes 1_Y \rightarrow 3_{V/A} + 1_V.$$

Two new neutral resonances analogous to  $\rho$  and  $a$  mesons in QCD.

Gauge sector particle spectrum is then:

- SM gauge bosons  $\gamma, Z, W^\pm$
- Composite Higgs as lightest scalar mode, analogous to  $\sigma$  meson in QCD
- New vector and axial triplets, physical particles are  $Z', W'^\pm$  and  $Z'', W''^\pm$

# Setup of NMWT

NMWT is encoded into the low energy effective Lagrangian

$$\begin{aligned}
 \mathcal{L}_{boson} = & -\frac{1}{2}\text{Tr}[\tilde{W}_{\mu\nu}\tilde{W}^{\mu\nu}] - \frac{1}{4}\tilde{B}_{\mu\nu}\tilde{B}^{\mu\nu} - \frac{1}{2}\text{Tr}[F_{L\mu\nu}F_L^{\mu\nu} + F_{R\mu\nu}F_R^{\mu\nu}] \\
 & + m^2\text{Tr}[C_{L\mu}^2 + C_{R\mu}^2] + \frac{1}{2}\text{Tr}[D_\mu M D^\mu M^\dagger] - \tilde{g}^2 r_2 \text{Tr}[C_{L\mu} M C_{R\mu}^\dagger M^\dagger] \\
 & - \frac{i\tilde{g}r_3}{4}\text{Tr}[C_{L\mu}(M D^\mu M^\dagger - D^\mu M M^\dagger) + C_{R\mu}(M^\dagger D^\mu M - D^\mu M^\dagger M)] \\
 & + \frac{\tilde{g}^2 s}{4}\text{Tr}[C_{L\mu}^2 + C_{R\mu}^2]\text{Tr}[M M^\dagger] + \frac{\mu^2}{2}\text{Tr}[M M^\dagger] - \frac{\lambda}{4}\text{Tr}[M M^\dagger]^2
 \end{aligned}$$

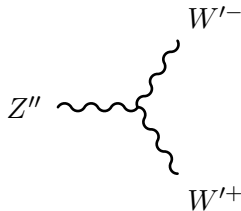
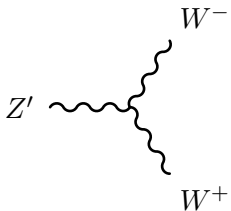
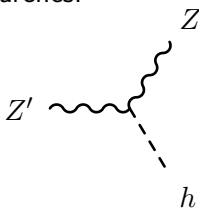
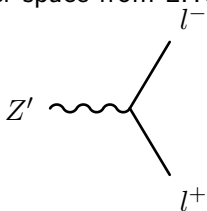
L/R fields are combination of TC and SM fields,

$$C_{L\mu} \equiv A_{L\mu} - \frac{g}{\tilde{g}}\tilde{W}_\mu, \quad C_{R\mu} \equiv A_{R\mu} - \frac{g'}{\tilde{g}}\tilde{B}_\mu,$$

**Note: Coupling between TC and EW sector is  $1/\tilde{g}$**

# Important Interactions of $Z'$ , $Z''$

Sample of  $Z'/Z''$  decay modes, potential to constrain NMWT parameter space from LHC/collider searches.



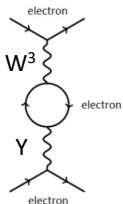
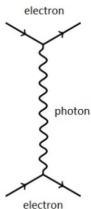
# NMWT Parameter Space

Connect effective  $\mathcal{L}$  to underlying theory using vector/axial-vector masses and decay constants

$$M_V^2 = m^2 + \frac{\tilde{g}^2(s - r_2)v^2}{4}, \quad M_A^2 = m^2 + \frac{\tilde{g}^2(s + r_2)v^2}{4},$$

and Weinberg Sum Rules (WSR)

$$S = 4\pi \left[ \frac{F_V^2}{M_V^2} - \frac{F_A^2}{M_A^2} \right].$$



NMWT defined by 4-D parameter space

$$\boxed{M_A, \quad \tilde{g}, \quad S, \quad s.}$$



# Model Implementation

## *LanHEP*

$$\mathcal{L}_{kin} = -\frac{1}{2}\text{Tr}[\tilde{W}_{\mu\nu}\tilde{W}^{\mu\nu}] - \frac{1}{4}\tilde{B}_{\mu\nu}\tilde{B}^{\mu\nu} - \frac{1}{2}\text{Tr}[F_{L\mu\nu}F_L^{\mu\nu} + F_{R\mu\nu}F_R^{\mu\nu}]$$

```

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% Gauge and Vector Kinetic plus Self Interaction Terms %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
lterm -F**2/4 where F = deriv^mu*B1^nu-deriv^nu*B1^mu.
lterm -F**2/4 where F = deriv^mu*WW1^nu^a-deriv^nu*WW1^mu^a -g2*eps^a^b^c*WW1^mu^b*WW1^nu^c.
lterm -F**2/4 where F = deriv^mu*AL1^nu^a-deriv^nu*AL1^mu^a -g0*eps^a^b^c*AL1^mu^b*AL1^nu^c.
lterm -F**2/4 where F = deriv^mu*AR1^nu^a-deriv^nu*AR1^mu^a -g0*eps^a^b^c*AR1^mu^b*AR1^nu^c.

```

# Model Implementation

## LanHEP

$$\mathcal{L}_{kin} = -\frac{1}{2}\text{Tr}[\tilde{W}_{\mu\nu}\tilde{W}^{\mu\nu}] - \frac{1}{4}\tilde{B}_{\mu\nu}\tilde{B}^{\mu\nu} - \frac{1}{2}\text{Tr}[F_{L\mu\nu}F_L^{\mu\nu} + F_{R\mu\nu}F_R^{\mu\nu}]$$

%% Gauge and Vector Kinetic plus Self Interaction Terms %%

lterm -F\*\*2/4 where F = deriv^mu\*B1^nu-deriv^nu\*B1^mu.

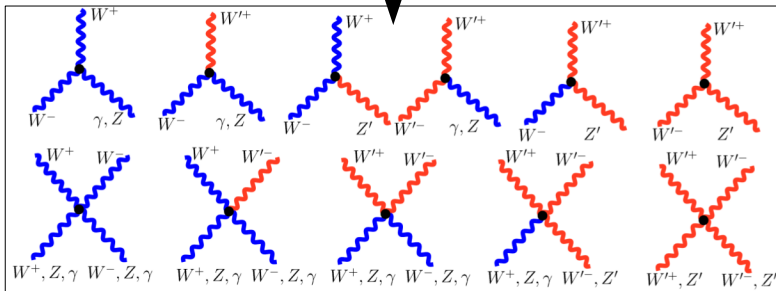
lterm -F\*\*2/4 where F = deriv^mu\*WW1^nu^a-deriv^nu\*WW1^mu^a -g2\*eps^a^b^c\*WW1^mu^b\*WW1^nu^c.

lterm -F\*\*2/4 where F = deriv^mu\*AL1^nu^a-deriv^nu\*AL1^mu^a -g0\*eps^a^b^c\*AL1^mu^b\*AL1^nu^c.

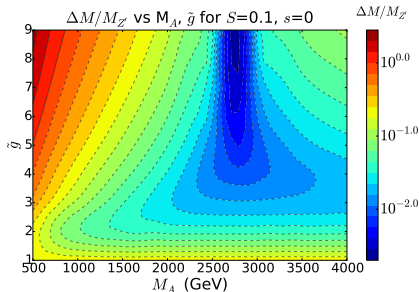
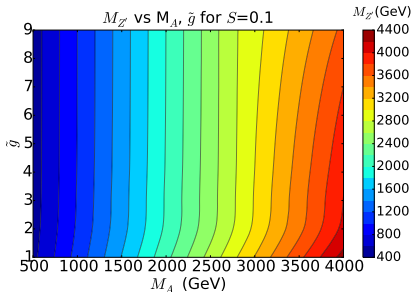
lterm -F\*\*2/4 where F = deriv^mu\*AR1^nu^a-deriv^nu\*AR1^mu^a -g0\*eps^a^b^c\*AR1^mu^b\*AR1^nu^c.

## CalcHEP

*lhep nmwt\_feyn\_excluderg.mdl*



# Mass Spectrum

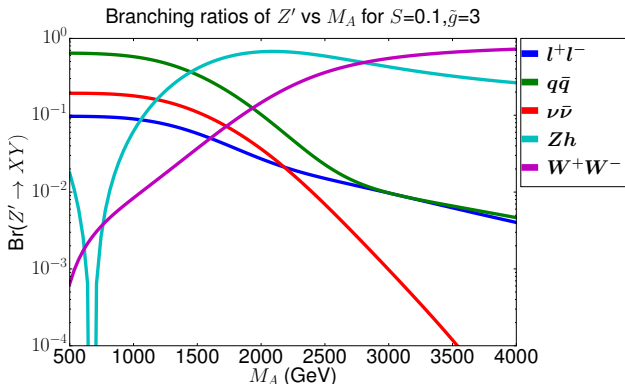


$Z'$  ( $Z''$ ) switches to mostly vector(axial-vector) resonance at the mass inversion

$$M_{inv}^2 = \left( 1 + \frac{g_1^2 + g_2^2}{\tilde{g}^2} \right) \frac{4\pi}{S} F_\pi^2. \quad (1)$$

# $Z'$ Branching Ratios: $\tilde{g} = 3$

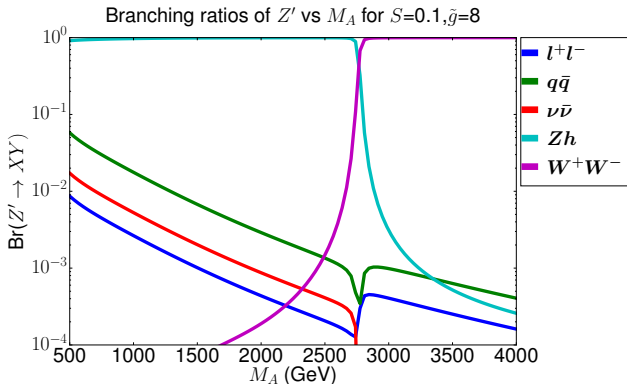
$Z'$  Branching fractions for all all channels in large coupling regime



At low  $M_A$  dilepton/quark branching is SM-like, at high  $M_A$  di-boson channel dominant.

# $Z'$ Branching Ratios: $\tilde{g} = 8$

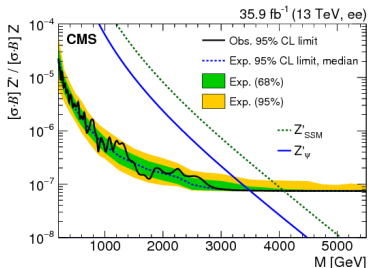
$Z'$  Branching fractions for all all channels in small coupling regime



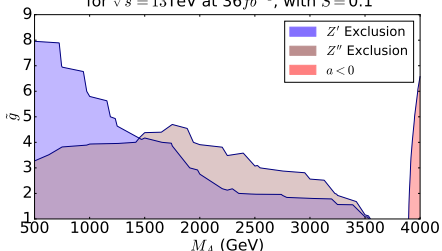
Dilepton channel suppressed at all  $M_A$  due to high  $\tilde{g}$ ,  $Zh$  dominant when  $M_A < M_{inv}$ ,  $W^+W^-$  dominant when  $M_A > M_{inv}$ .

# CMS Drell-Yan dilepton limit on NMWT

We calculate  $\sigma^{NNLO}(pp \rightarrow Z'/Z'' \rightarrow l^+l^+)$  by applying NNLO K-factors to LO  $\sigma_{theory}$  from CalcHEP.



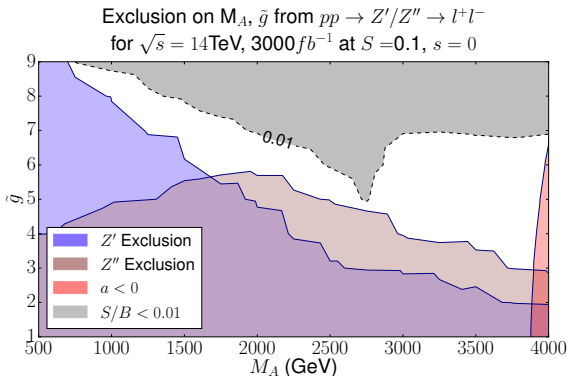
Exclusion on  $M_A, \tilde{g}$  from  $pp \rightarrow Z'/Z'' \rightarrow l^+l^-$   
for  $\sqrt{s} = 13\text{TeV}$  at  $36\text{fb}^{-1}$ , with  $S = 0.1$



Exclusion region defined by region where  $\sigma_{theory}^{NNLO} > \sigma^{exp}$ ,  $Z'$  and  $Z''$  exclude complementary regions of the NMWT parameter space.

# Outlook for WTC at HLLHC: $\sqrt{s} = 14\text{TeV}$ , $3000\text{fb}^{-1}$

Projected limits on WTC from dilepton channel at the proposed end-point of HLLHC



Dilepton channel limited by  $S/B$  ratio, need to extend search to complementary channels.

# Conclusions and Outlook

Potential to **disprove** or **discover** Technicolor

- Made first steps by exploring scope of limits from DY dilepton channel
- Working with Holography group to predict the full spectrum of viable WTC models (see Nick Evan's talk)

In progress

- Combining exclusions from complimentary  $VV$  and  $Vh$  channels for  $Z'/Z''$
- Exclusions from *charged* vector mesons ( $W'/W''$ ) from  $VV/Vh$  channels



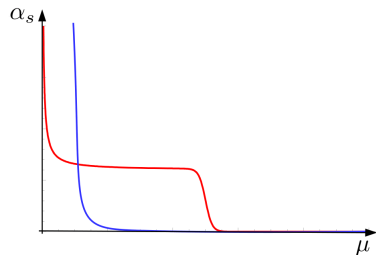
**Thank you!**

## Why 'Walking' Technicolor?

To give mass to SM fermions, need new gauge bosons at *Extended Technicolor* scale  $\Lambda_{ETC}$ .

$\langle\psi\bar{\psi}\rangle$  evaluated at TC scale, but runs to ETC scale

$$\langle\psi\bar{\psi}\rangle_{ETC} = \langle\psi\bar{\psi}\rangle_{TC} \exp \int_{\Lambda_{TC}}^{\Lambda_{ETC}} \frac{d\mu}{\mu} \gamma(\mu), \quad (2)$$



If  $\alpha(\mu)$  running

$$\langle\psi\bar{\psi}\rangle_{ETC} = \langle\psi\bar{\psi}\rangle_{TC} \ln \left( \frac{\Lambda_{ETC}}{\Lambda_{TC}} \right)^\gamma$$

If  $\alpha(\mu)$  *walking*

$$\langle\psi\bar{\psi}\rangle_{ETC} = \langle\psi\bar{\psi}\rangle_{TC} \left( \frac{\Lambda_{ETC}}{\Lambda_{TC}} \right)^\gamma$$

# Weinberg Sum Rules

- Zeroth WSR

$$S = 4\pi \left[ \frac{F_V^2}{M_V^2} - \frac{F_A^2}{M_A^2} \right] \quad (3)$$

- First WSR

$$F_V^2 - F_A^2 = F_\pi^2 \quad (4)$$

- Second WSR

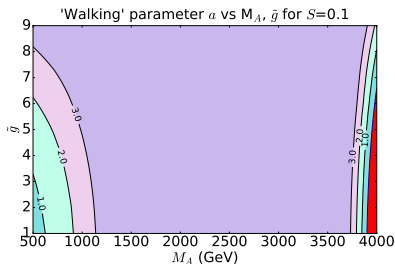
$$F_V^2 M_V^2 - F_A^2 M_A^2 = a \frac{8\pi^2}{d(R)} F_\pi^4 \quad (5)$$

# Theoretical constraints

We can constrain the parameter space by considering deviations from 2nd WSR

$$a \frac{8\pi^2}{d(R)} F_\pi^4 = F_V^2 M_V^2 - F_A^2 M_A^2, \quad (6)$$

Require  $a > 0$  for walking dynamics



# Particle Spectrum

Theory with simplest global symmetry is **NMWT**, which adds  $SU(2)_R$  group to **SM**. Global (chiral) symmetry is

$$SU(2)_L \times SU(2)_R \times U(1)_Y. \quad (7)$$

Chiral symmetry breaking pattern:

$$2_L \otimes 2_R \otimes 1_Y \rightarrow 3_{V/A} + 1_V, \quad (8)$$

We have **two gauge triplets** in TC sector under *hidden local symmetry* in the EFT. Physical particles are  $Z'$ ,  $W'^{\pm}$  and  $Z''$ ,  $W''^{\pm}$ .

# Gauge Mixing Matrix

Matrix of gauge field mixing can be set up directly from  $\mathcal{L}_{boson}$

$$\mathcal{M}_N^2 = \begin{pmatrix} \frac{g_1^2}{\tilde{g}^2} M_V^2 & 0 & \frac{g_1}{\sqrt{2}\tilde{g}} M_A^2 \chi & -\frac{g_1}{\sqrt{2}\tilde{g}} M_V^2 \\ 0 & \frac{g_2^2}{\tilde{g}^2} M_V^2 & -\frac{g_2}{\sqrt{2}\tilde{g}} M_A^2 \chi & -\frac{g_2}{\sqrt{2}\tilde{g}} M_V^2 \\ \frac{g_1}{\sqrt{2}\tilde{g}} M_A^2 \chi & -\frac{g_2}{\sqrt{2}\tilde{g}} M_A^2 \chi & M_A^2 & 0 \\ -\frac{g_1}{\sqrt{2}\tilde{g}} M_V^2 & -\frac{g_2}{\sqrt{2}\tilde{g}} M_V^2 & 0 & M_V^2 \end{pmatrix}. \quad (9)$$

# Analytic masses

We diagonalise  $\mathcal{M}_N^2$  perturbatively order by order in  $\tilde{g}^{-1}$ ,

$$\mathcal{N}^\dagger \mathcal{M}_N^2 \mathcal{N} = \mathcal{D}, \quad (10)$$

where diagonal elements of  $\mathcal{D}$  are square masses.

To 2nd order,

$$M_{Z'}^2 = M_A^2 \left( 1 + \frac{g_1^2 + g_2^2}{\tilde{g}^2} \chi^2 \right) \quad (11)$$

$$M_{Z''}^2 = M_A^2 \left( 1 + \frac{g_1^2 + g_2^2}{2\tilde{g}^2} \right) \left( \chi^2 + \frac{\tilde{g}^2 F_\pi^2}{2M_A^2} \right), \quad (12)$$