

Quintessential inflation: origin and tests

Javier Rubio

based on on D. Bettoni, G. Domènech and J.Rubio, JCAP 1902 (2019) 034 (arXiv:1810.11117)



UNIVERSITY OF HELSINKI



HELSINKI INSTITUTE OF PHYSICS

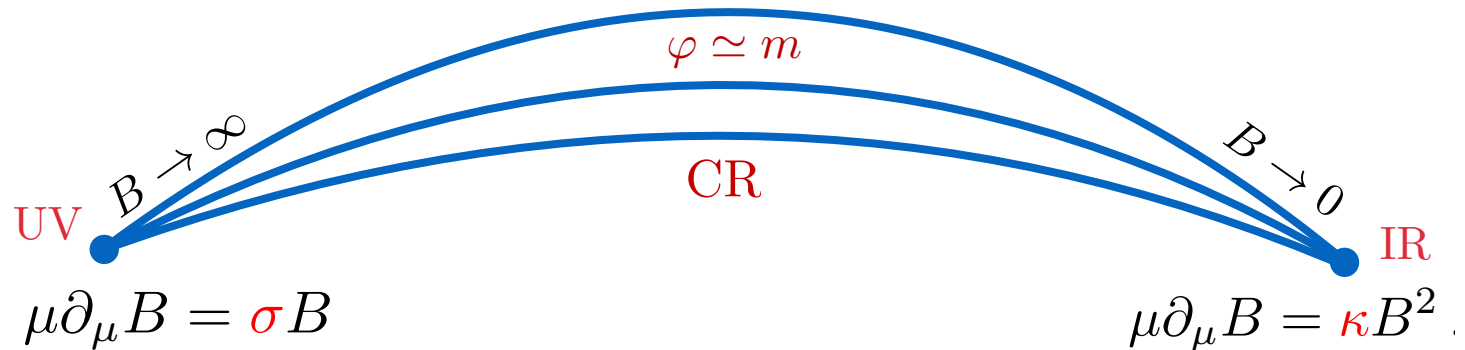
1st message: Origin

Inflation and dark energy may be the consequence of the emergence scale symmetry at non-trivial fixed points

Inflation/DE from scale symmetry

All dimensionless couplings and masses in the theory are allowed to depend on the expectation value of a scalar field χ

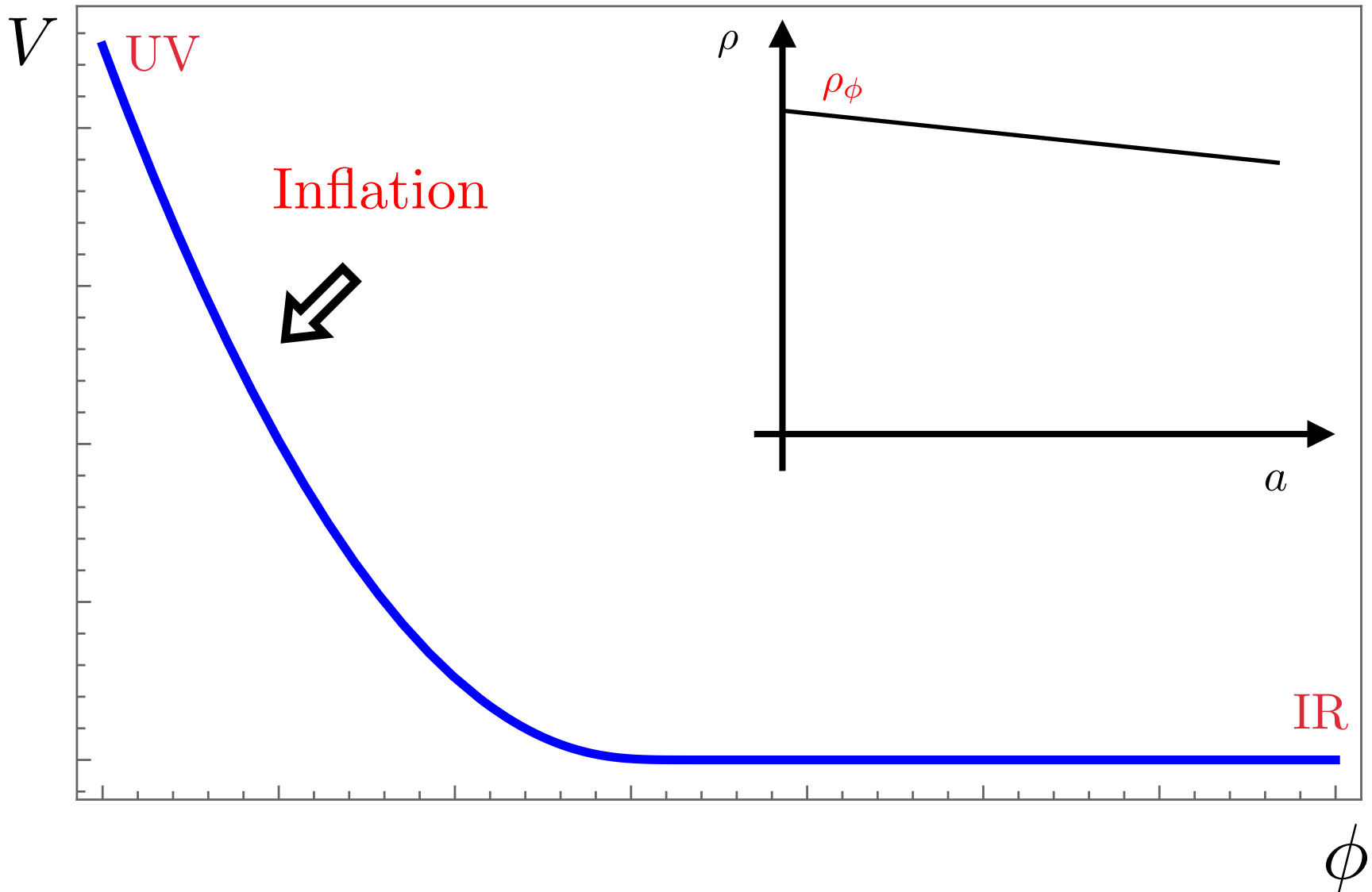
$$\frac{\mathcal{L}}{\sqrt{-g}} = \frac{\varphi^2}{2} R - \frac{B(\varphi/\mu) - 6}{2} (\partial\varphi)^2 - \mu^2 \varphi^2$$



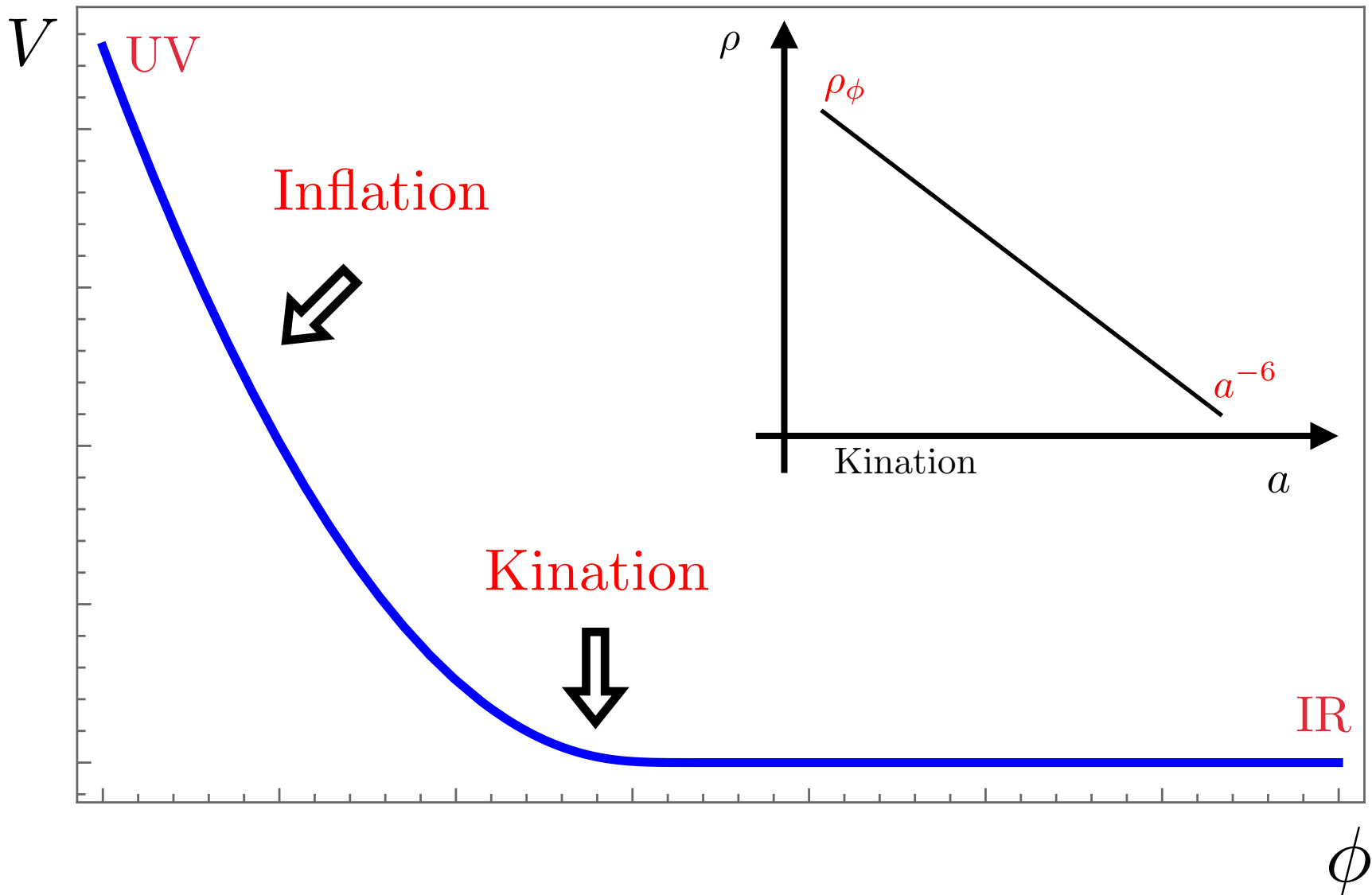
μ has no intrinsic meaning and can be used to set the mass/time scales

$$\mu^{-1} = 10^{10} \text{ yr} = 1.2 \times 10^{60} M_P^{-1}$$

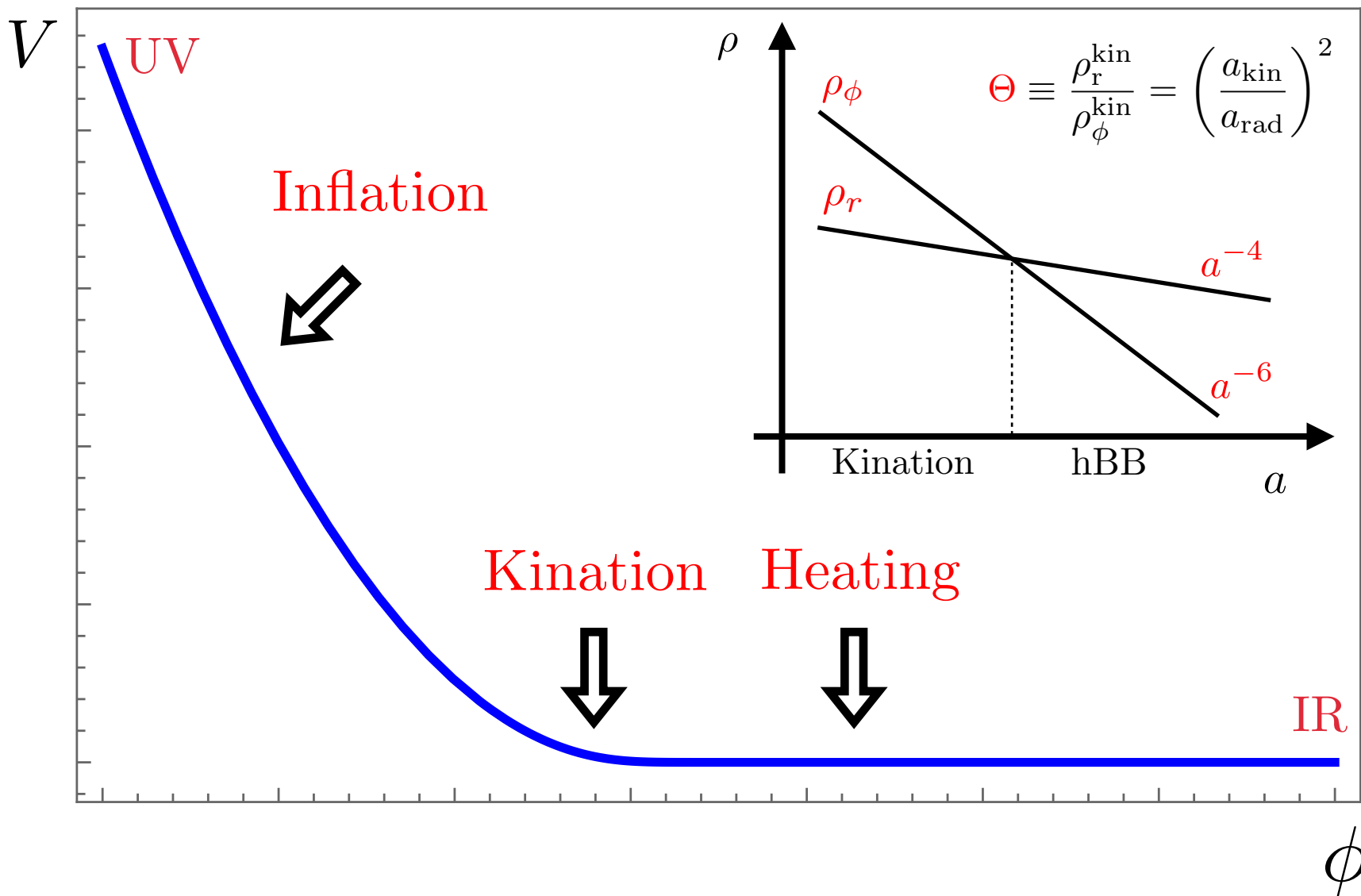
Quintessential inflation



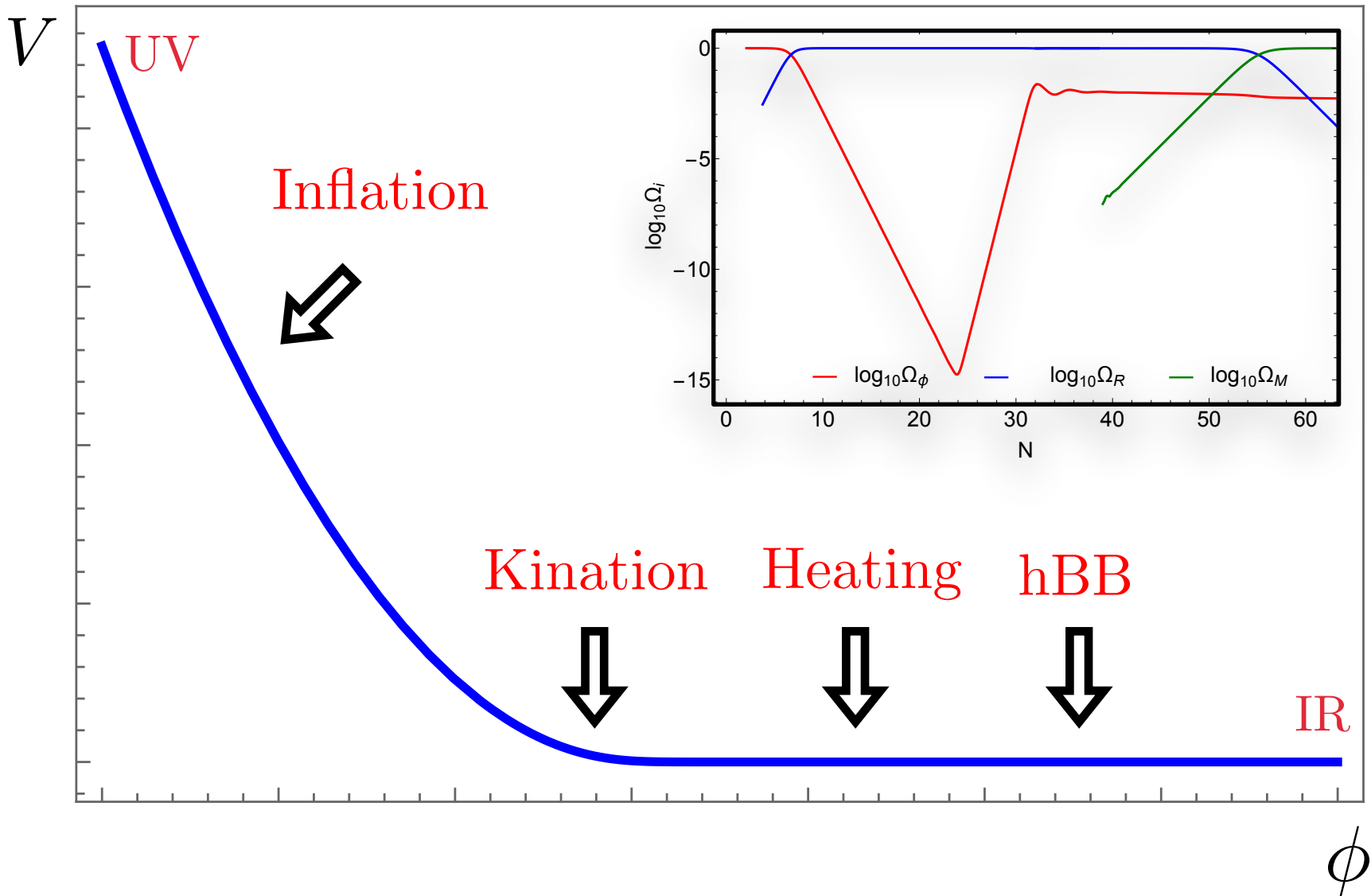
Entering the crossover



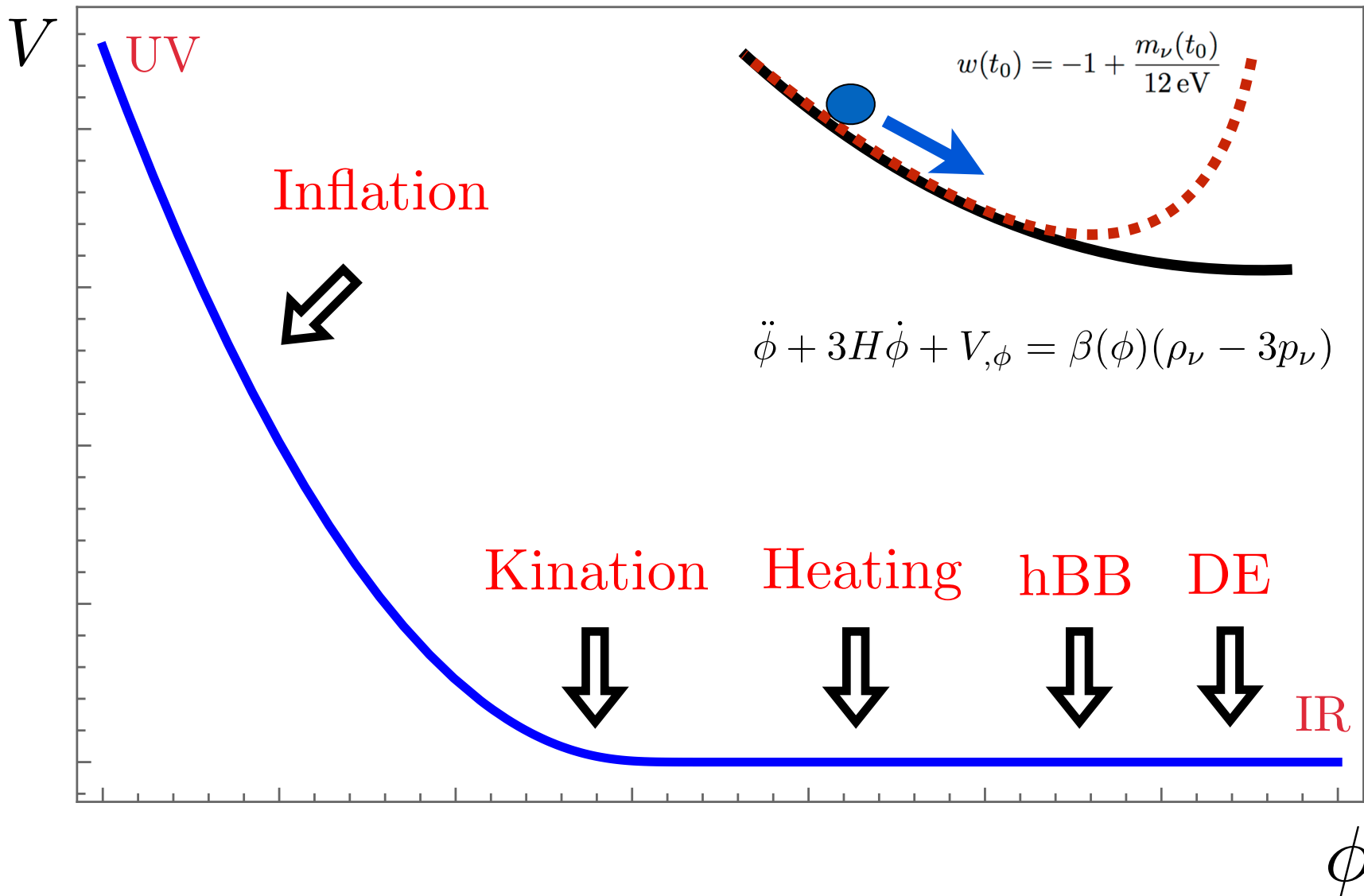
Heating the Universe



The hot Big Bang era



Approaching the IR



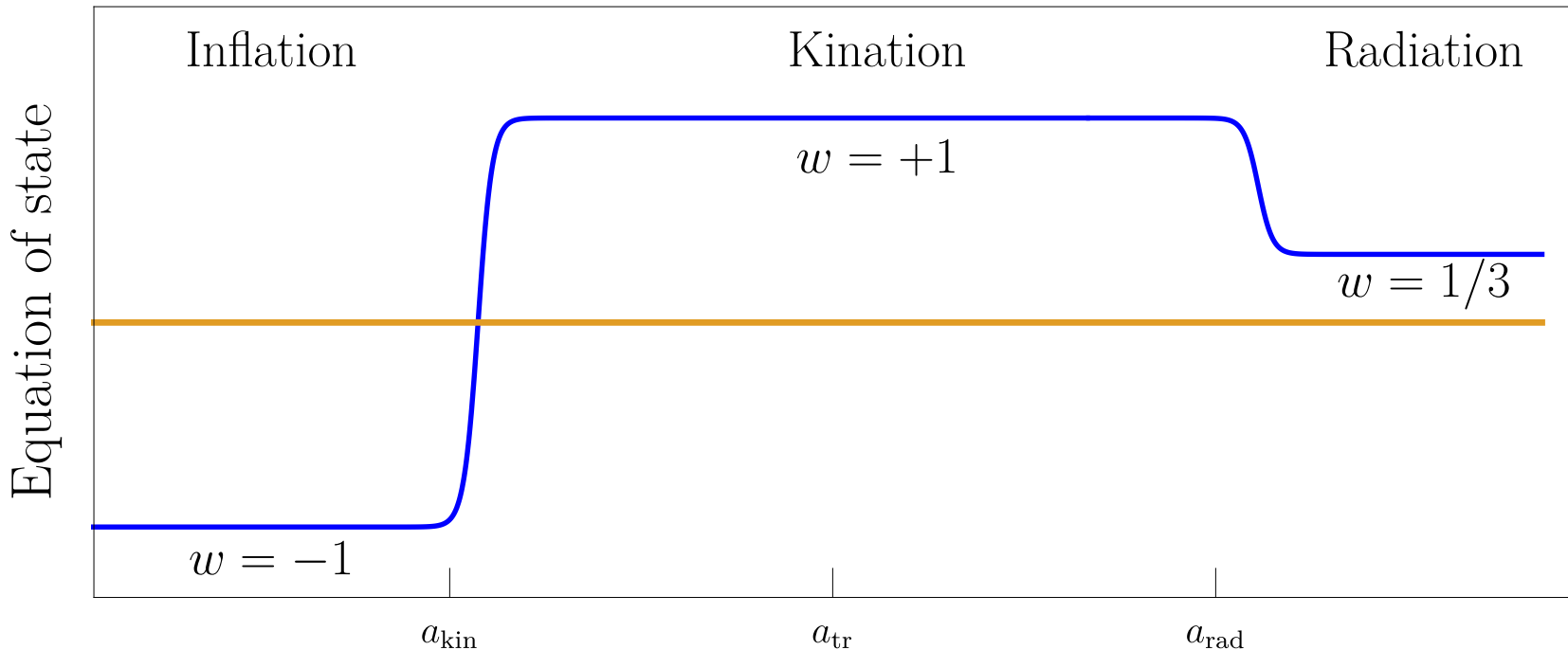
2nd message: Tests

The end of inflation can trigger the spontaneous symmetry breaking of internal symmetries

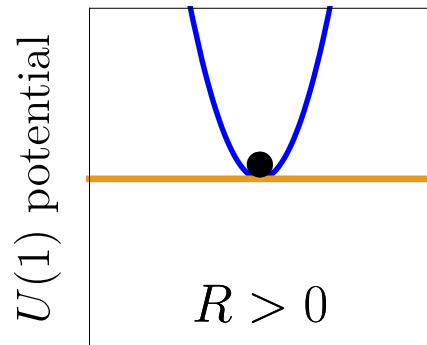
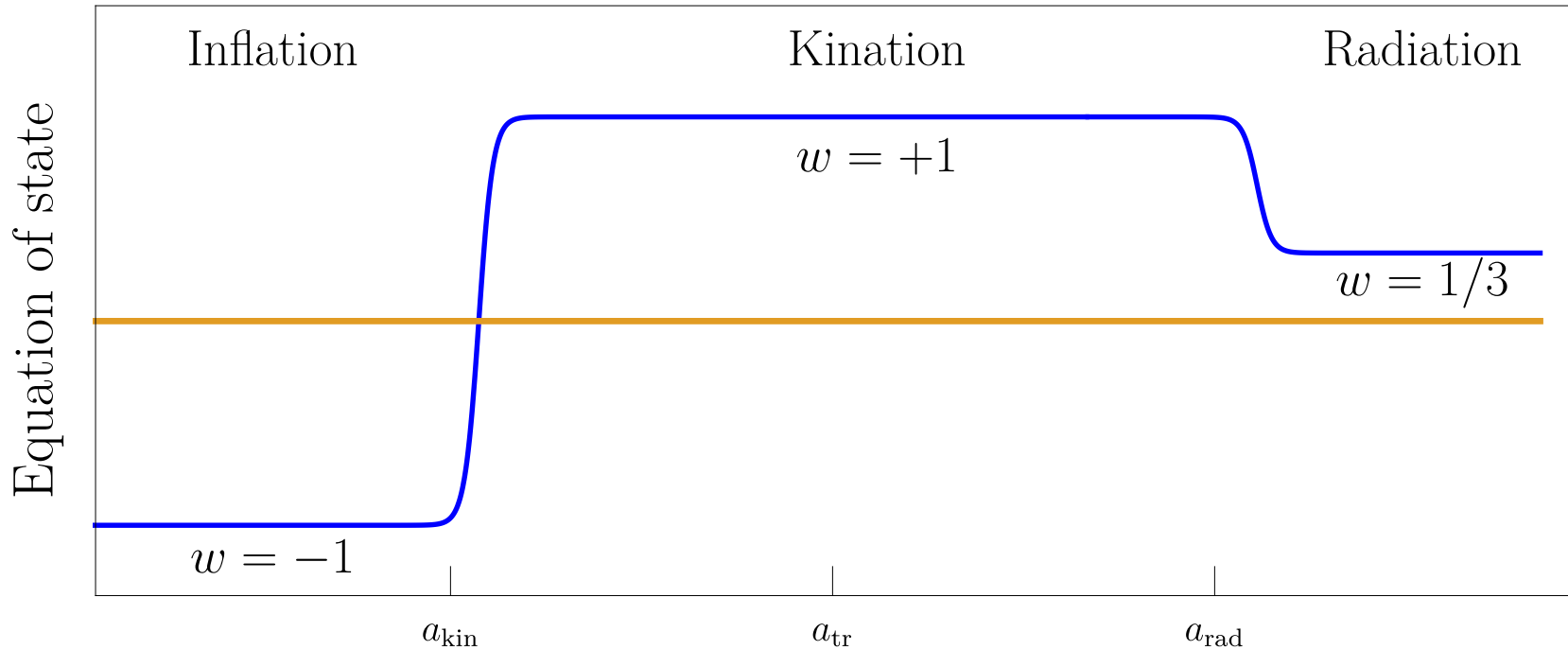
Non-minimally U(1) spectator

$$\frac{\mathcal{L}}{\sqrt{-g}} = -\partial_\mu \chi^\dagger \partial^\mu \chi - \xi R \chi^\dagger \chi - \lambda (\chi^\dagger \chi)^2$$

$$R = 3H^2(1 - 3w)$$



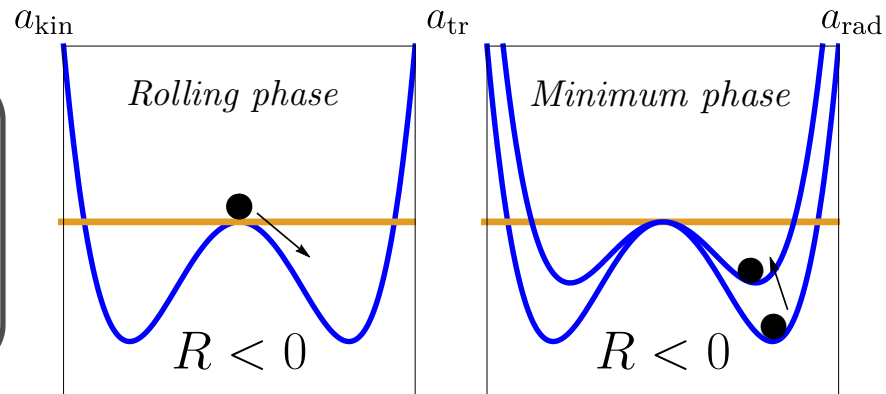
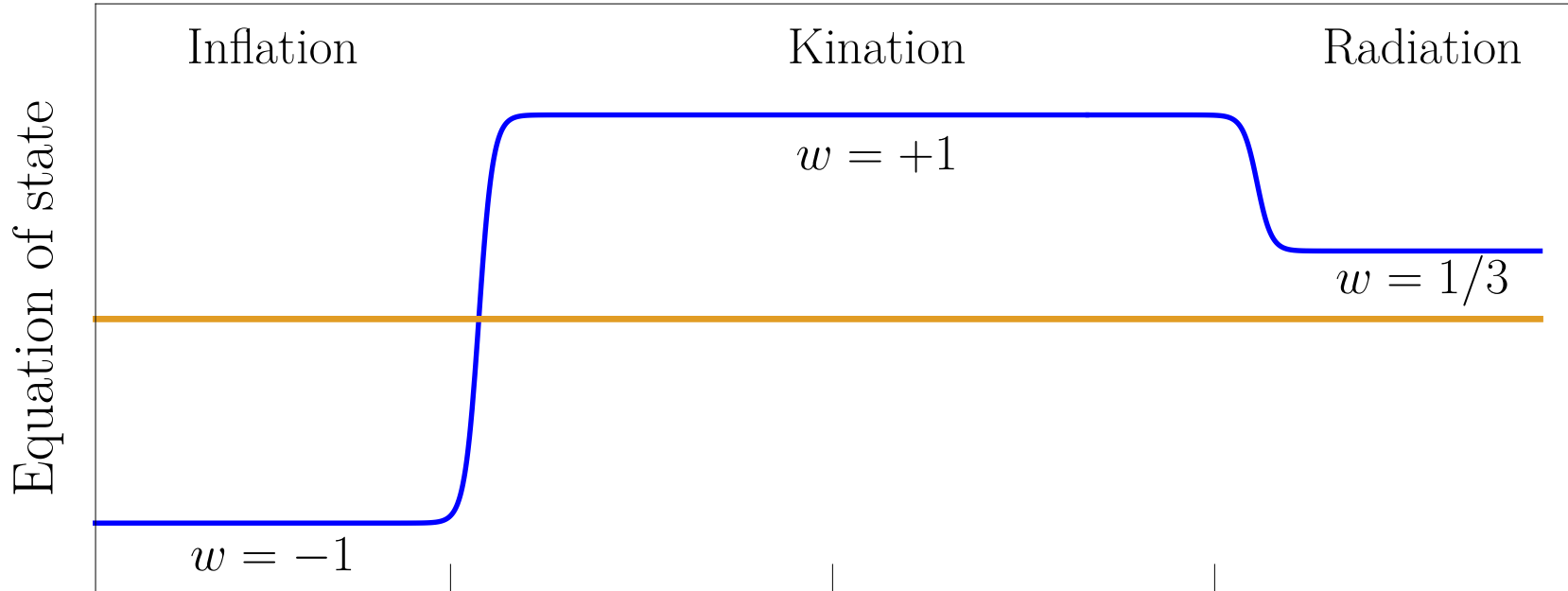
Spectator field dynamics



ξ renders field heavy

No isocurvature perturbations

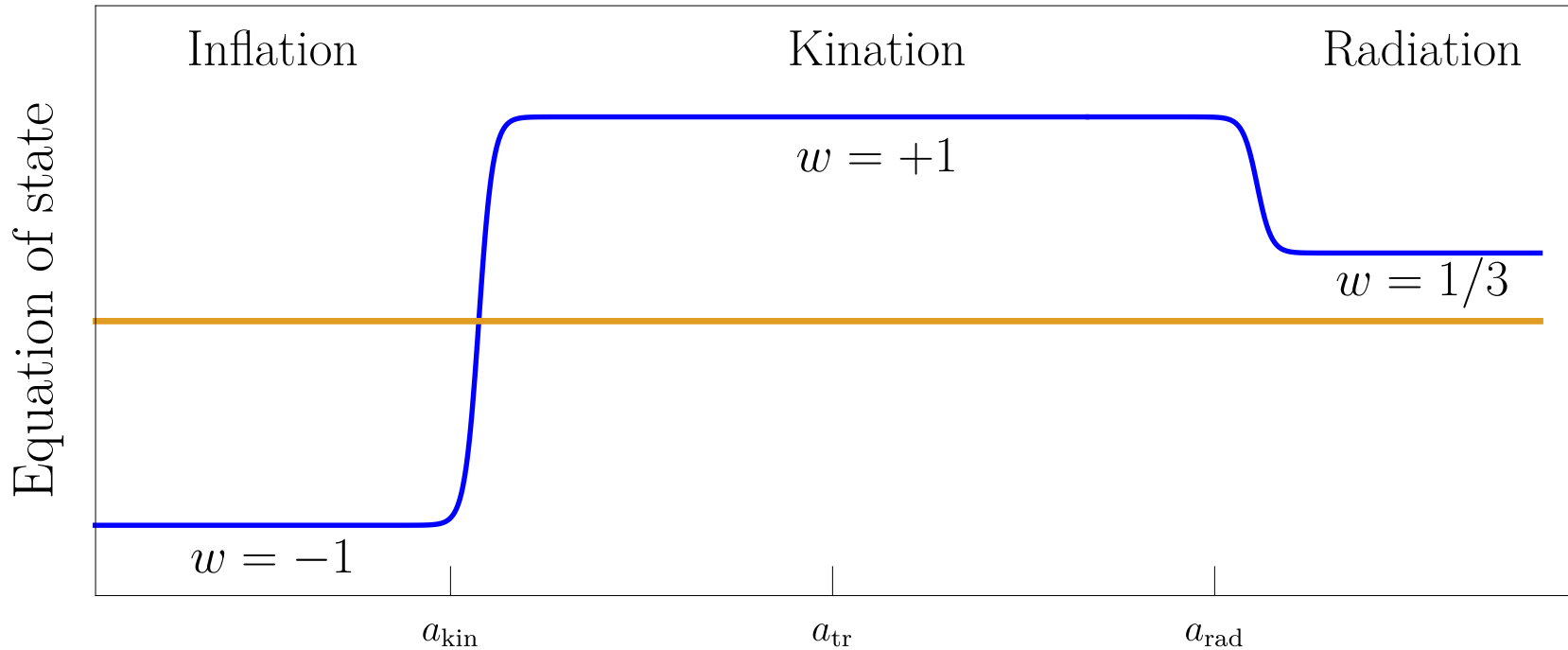
Spectator field dynamics



Induced SSB

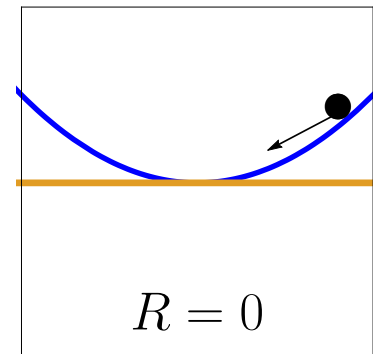
String formation

Spectator field dynamics

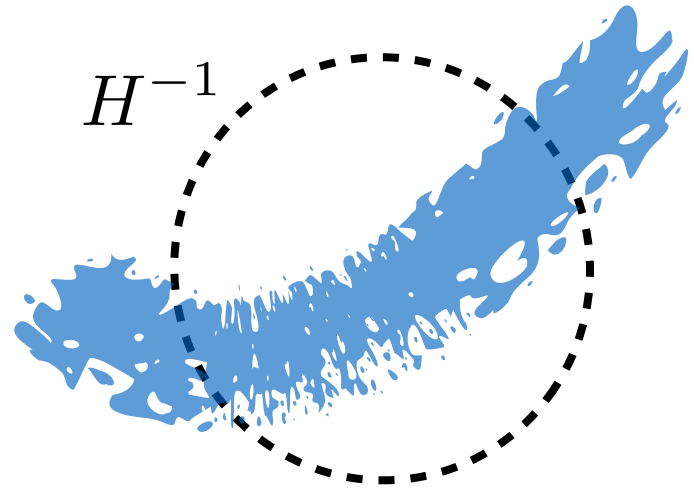
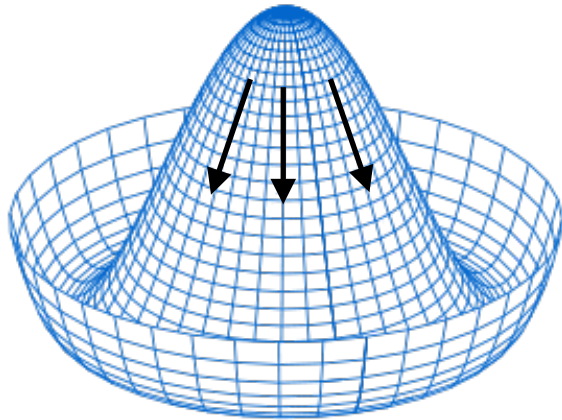


U(1) symmetry is restored

Strings decay



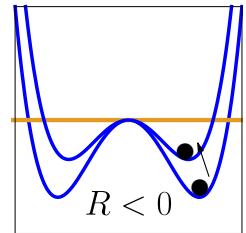
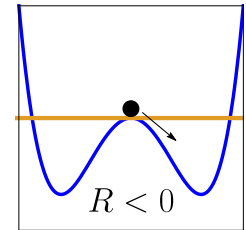
Cosmic strings' properties



- Fat
- Isolated
- Non-scaling
- Short-lived

$$\Omega_{\text{cs}} \sim \frac{|\chi(t)|^2}{M_{\text{P}}^2}$$

$$\left\{ \begin{array}{l} |\chi| \propto a^{\sqrt{6}\xi} \\ |\chi| \propto a^{-\frac{6}{n-2}} \end{array} \right.$$



Integrated spectrum

$$\Omega_{\text{GW}}(\tau, k) = \int_{\tau_i}^{\tau} d \log \tau' \frac{\Delta P_{\text{GW}}(\tau', k)}{\Delta \log \tau'} \left(\frac{a(\tau')}{a(\tau)} \right)^b$$

Instantaneous spectrum

$$\frac{\Delta P_{\text{GW}}(t, k)}{\Delta N} \simeq \begin{cases} P_{\text{peak}}(t) \left(\frac{k}{k_{\text{peak}}(t)} \right)^{\alpha} & \text{for } k \lesssim k_{\text{peak}} \\ P_{\text{peak}}(t) \left(\frac{k}{k_{\text{peak}}(t)} \right)^{-\bar{\alpha}} & \text{for } k > k_{\text{peak}} \end{cases}$$

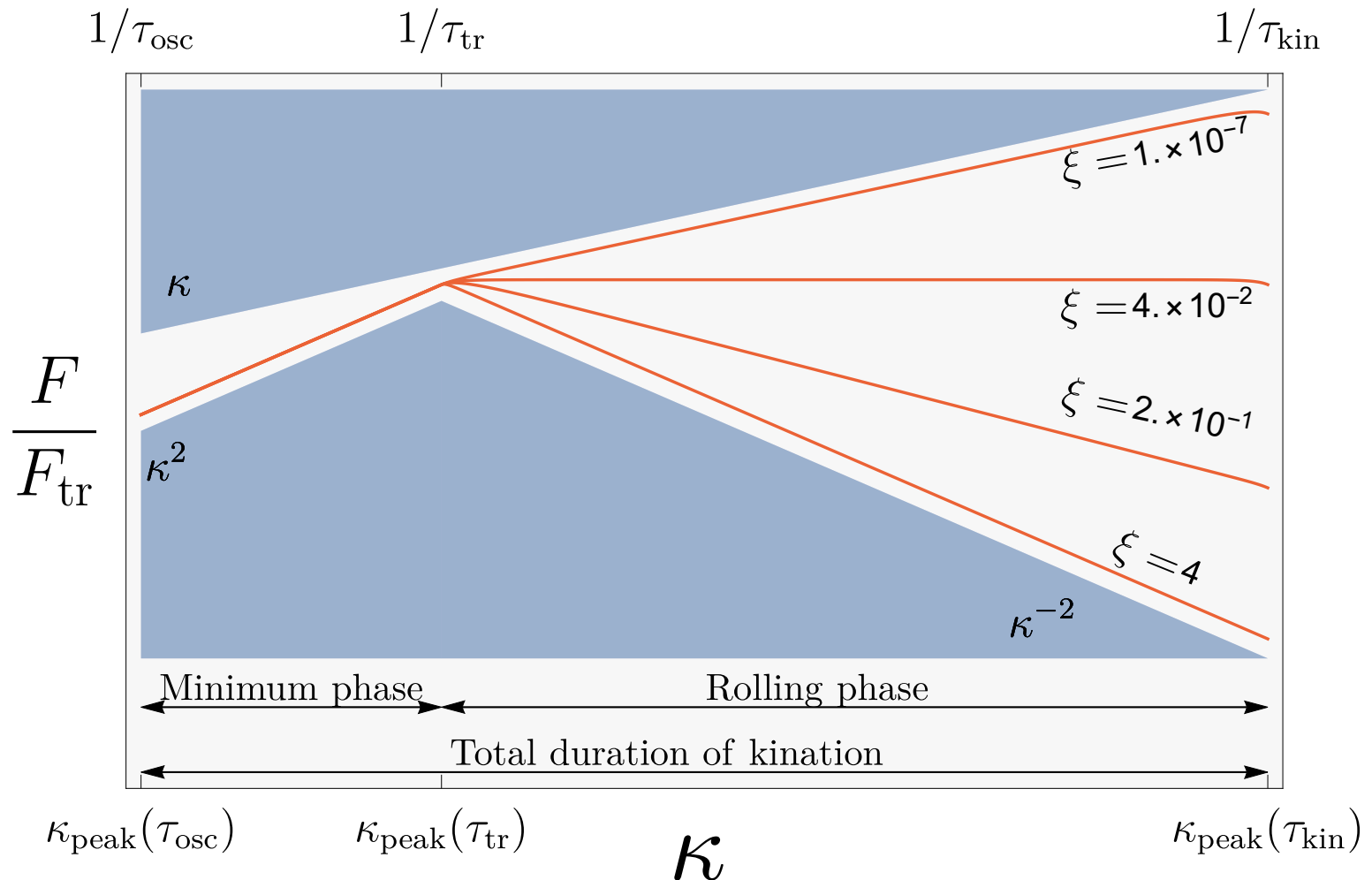
with $k_{\text{peak}}(t) \sim aH$ $P_{\text{peak}}(t) \sim \left(\frac{|\chi(t)|}{M_{\text{P}}} \right)^4$

Enhancement due to background evolution

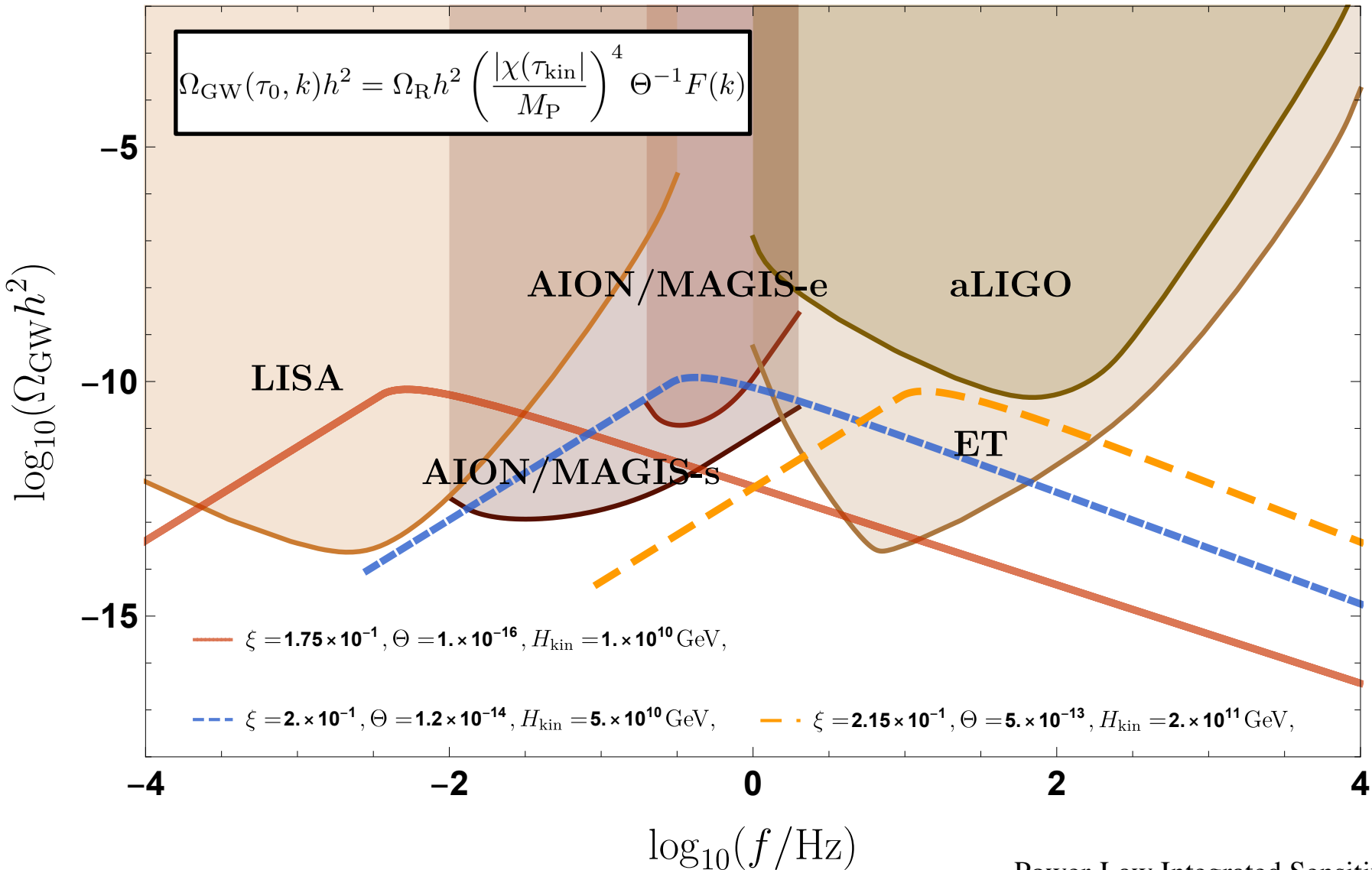
$$\rho_{\text{GW}} \sim a^{-4} \qquad \rho_{\phi} \sim a^{-6}$$

Parameter dependence

$$\Omega_{\text{GW}}(\tau_0, k)h^2 = \Omega_{\text{R}}h^2 \left(\frac{|\chi(\tau_{\text{kin}})|}{M_{\text{P}}} \right)^4 \Theta^{-1} F(k)$$

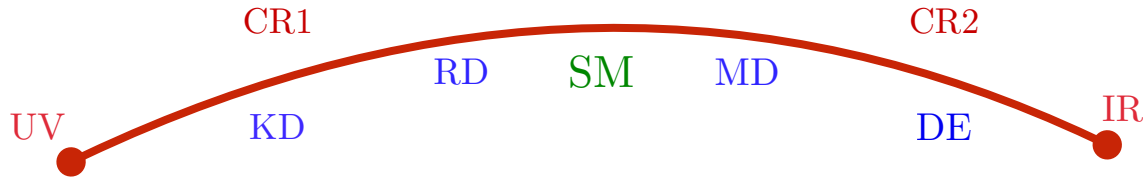


Detection prospects

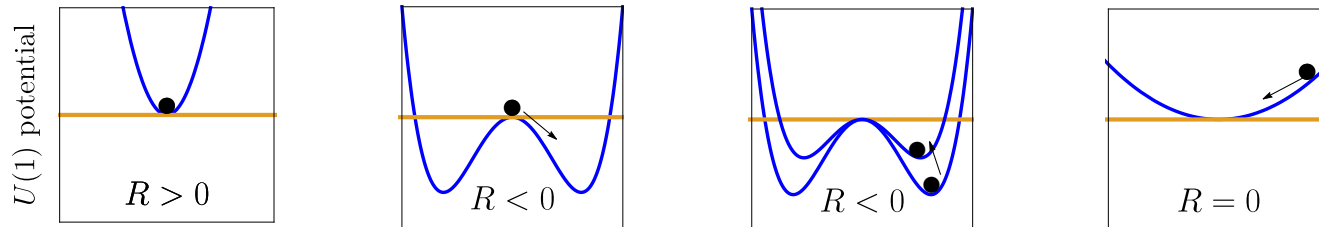


Conclusions

- Quintessential inflation from scale symmetry
 1. Simple description of all cosmological epochs
 2. Depletion of inflaton condensate does not need to be complete



- Quintessential inflation + non-minimally coupled spectator fields
 1. Formation of short-lived cosmic strings
 2. Potentially detectable GW background!
 3. Spectral amplitude related to inflationary scale and duration of heating
 4. Spectral tilts determined by non-minimal coupling



- Nature of U(1)? AD Baryogenesis!

See D. Bettoni, J. Rubio, *Phys.Lett. B784* (2018) 122-129 (arXiv:1805.02669)

- Easily generalizable to other groups and topological defects

Backup slides

Higher order operators

$$\frac{\mathcal{L}}{\sqrt{-g}} = -\partial_\mu \chi^\dagger \partial^\mu \chi - (m_\chi^2 + \xi R) \chi^\dagger \chi - \lambda \frac{(\chi^\dagger \chi)^{n/2}}{\Lambda^{n-4}}$$

$$\Omega_{\text{GW}}(\tau, k > k_{\text{tr}}) \propto \begin{cases} k^{1+\gamma} & \text{if } \xi < 3/8, \\ k^{-\bar{\alpha}} & \text{if } \xi > 3/8. \end{cases}$$

$$\Omega_{\text{GW}}(\tau, k < k_{\text{tr}}) \propto \begin{cases} k^{1+\gamma} & \text{if } n > 14, \\ k^\alpha & \text{if } n < 14. \end{cases}$$

Phase	α	$\bar{\alpha}$	β	γ	$\beta - \alpha$	$\bar{\alpha} + \beta$	tilt range
<i>Rolling</i>	2	~ 2	$1 - 2\sqrt{6\xi}$	$-2\sqrt{6\xi}$	$-1 - 2\sqrt{6\xi}$	$3 - 2\sqrt{6\xi}$	1 to -2
<i>Minimum</i>	2	~ 2	$\frac{10+n}{n-2}$	$\frac{12}{n-2}$	$\frac{14-n}{n-2}$	$3\frac{n+2}{n-2}$	1 to 2