

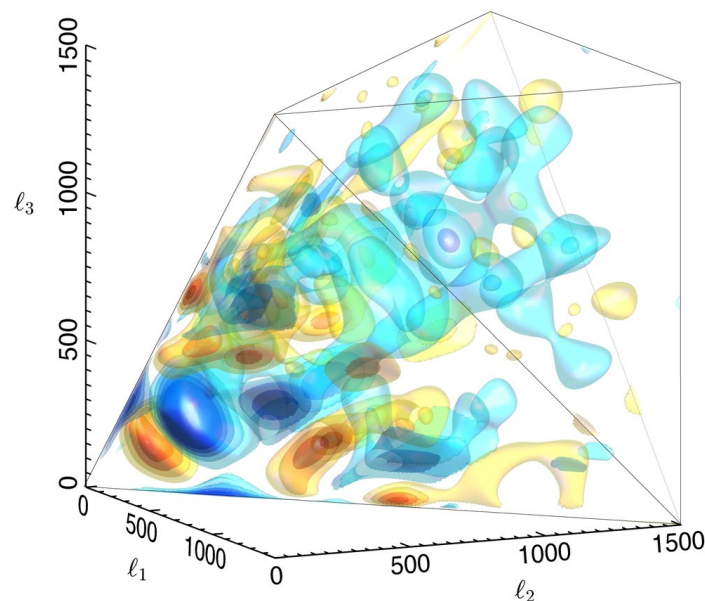
SUSY 2014



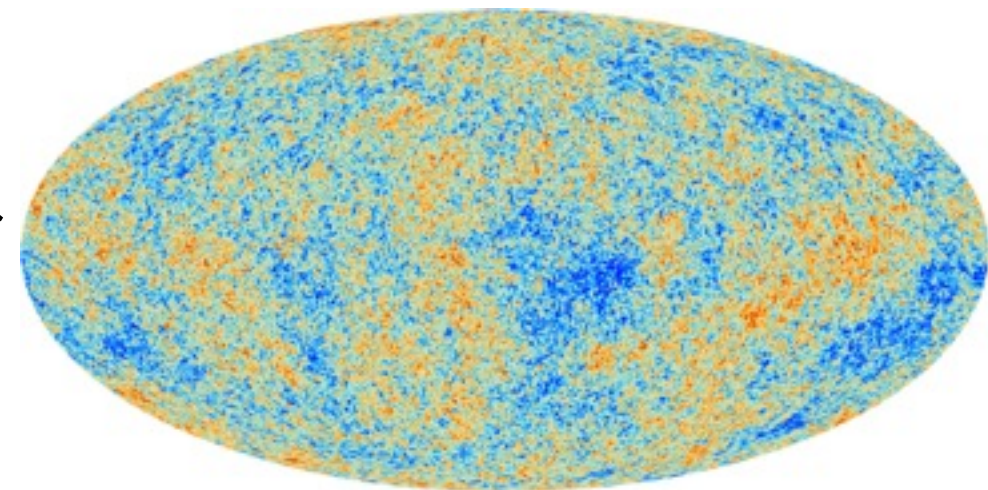
Planck Results for the CMB

Paul Shellard

Centre for Theoretical Cosmology,
DAMTP, University of Cambridge
(on behalf of the Planck collaboration)



University of Manchester
22nd July 2014



Acknowledgements



planck



DTU Space
National Space Institute



HFI PLANCK



Science & Technology
Facilities Council



National Research Council of Italy



Deutsches Zentrum
für Luft- und Raumfahrt e.V.



UK SPACE
AGENCY



UNIVERSITY OF
CAMBRIDGE



IN2P3
Les deux infinis



Imperial College
London



NEEL
Institut



ISDC

JPL



Observatoire
de Paris

LERMA



MilliLab



UCSB



US
University of Science



esa



UNIVERSITÉ
DE GENÈVE

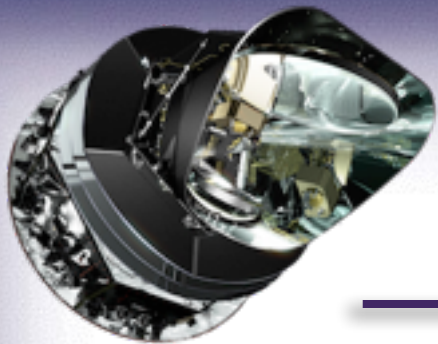


UNIVERSITY OF
TORONTO



UNIVERSITÉ DE
PARIS-SUD XI

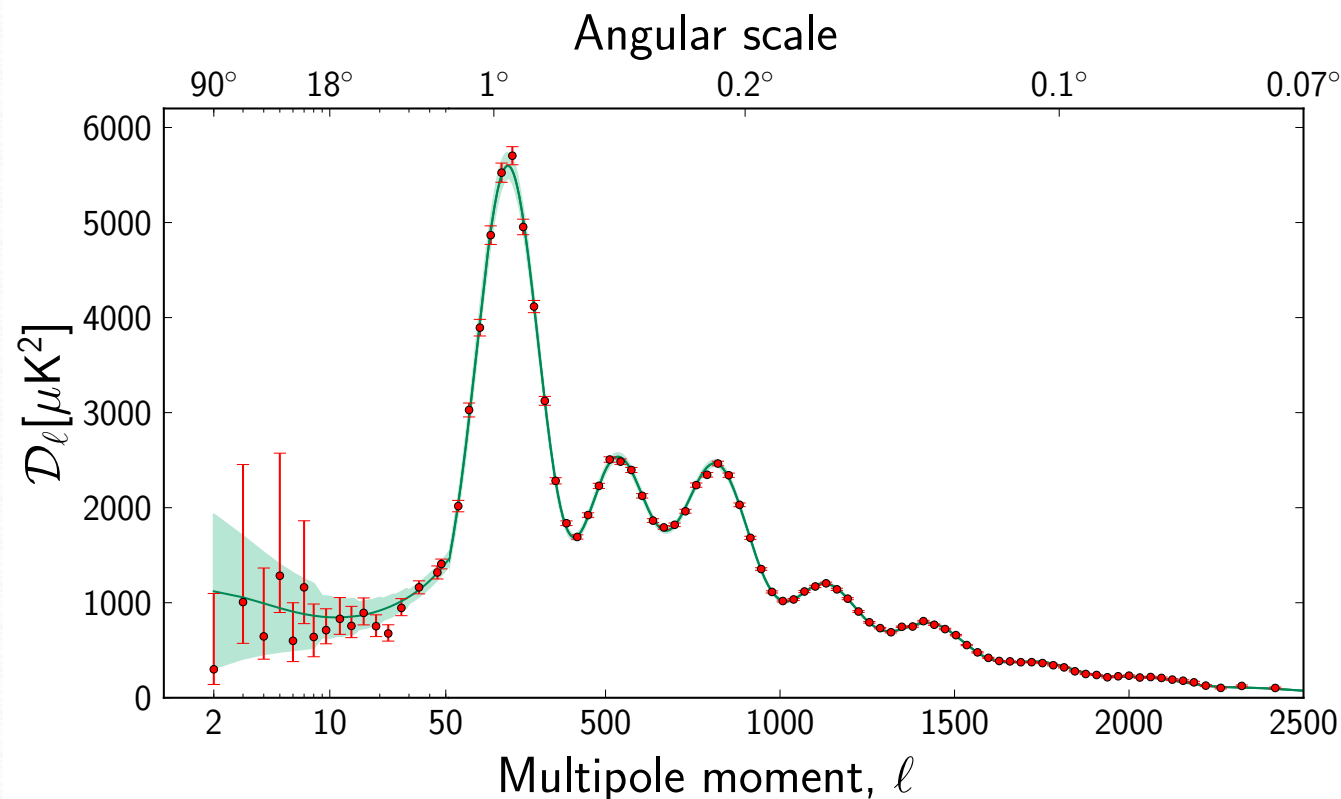




Planck Satellite



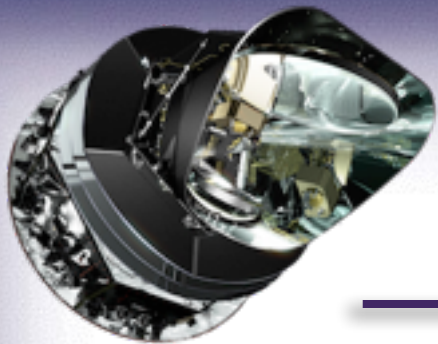
Excellent match between theory and observation



Precision estimates of cosmological parameters

- Hubble constant** $H_0 = 67.3 \pm 1.2 \text{ (km/s)/Mpc}$
- Universe age** $t_0 = 13.798 \pm 0.037 \text{ billion years}$
- Dark energy** $\Omega_\Delta = 0.683 \pm 0.009$ 68.3%
- Dark matter** $\Omega_M = 0.227 \pm 0.013$ 26.8%
- Ordinary matter** $\Omega_B = 0.0456 \pm 0.0014$ 4.9%
- Radiation CMB** $\Omega_R = 0.0000431$ 0.004%

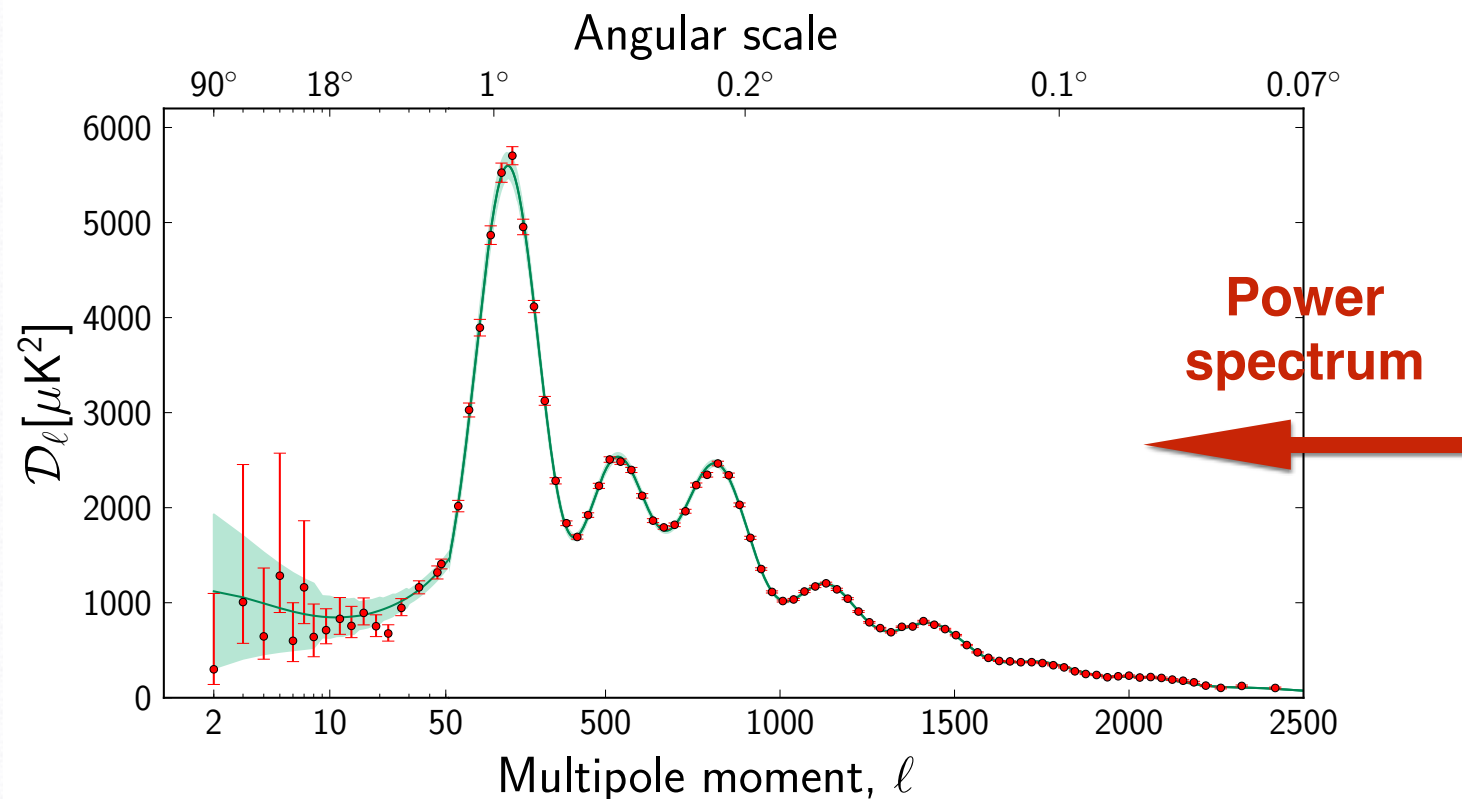
Planck CMB results: 21st March 2013



Planck Satellite



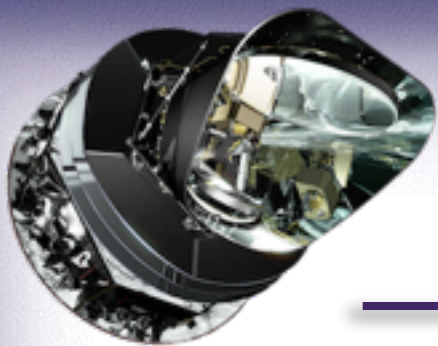
Excellent match between theory and observation



Precision estimates of cosmological parameters

- Hubble constant** $H_0 = 67.3 \pm 1.2$ (km/s)/Mpc
- Universe age** $t_0 = 13.798 \pm 0.037$ billion years
- Dark energy** $\Omega_\Delta = 0.683 \pm 0.009$ 68.3%
- Dark matter** $\Omega_M = 0.227 \pm 0.013$ 26.8%
- Ordinary matter** $\Omega_B = 0.0456 \pm 0.0014$ 4.9%
- Radiation CMB** $\Omega_R = 0.0000431$ 0.004%

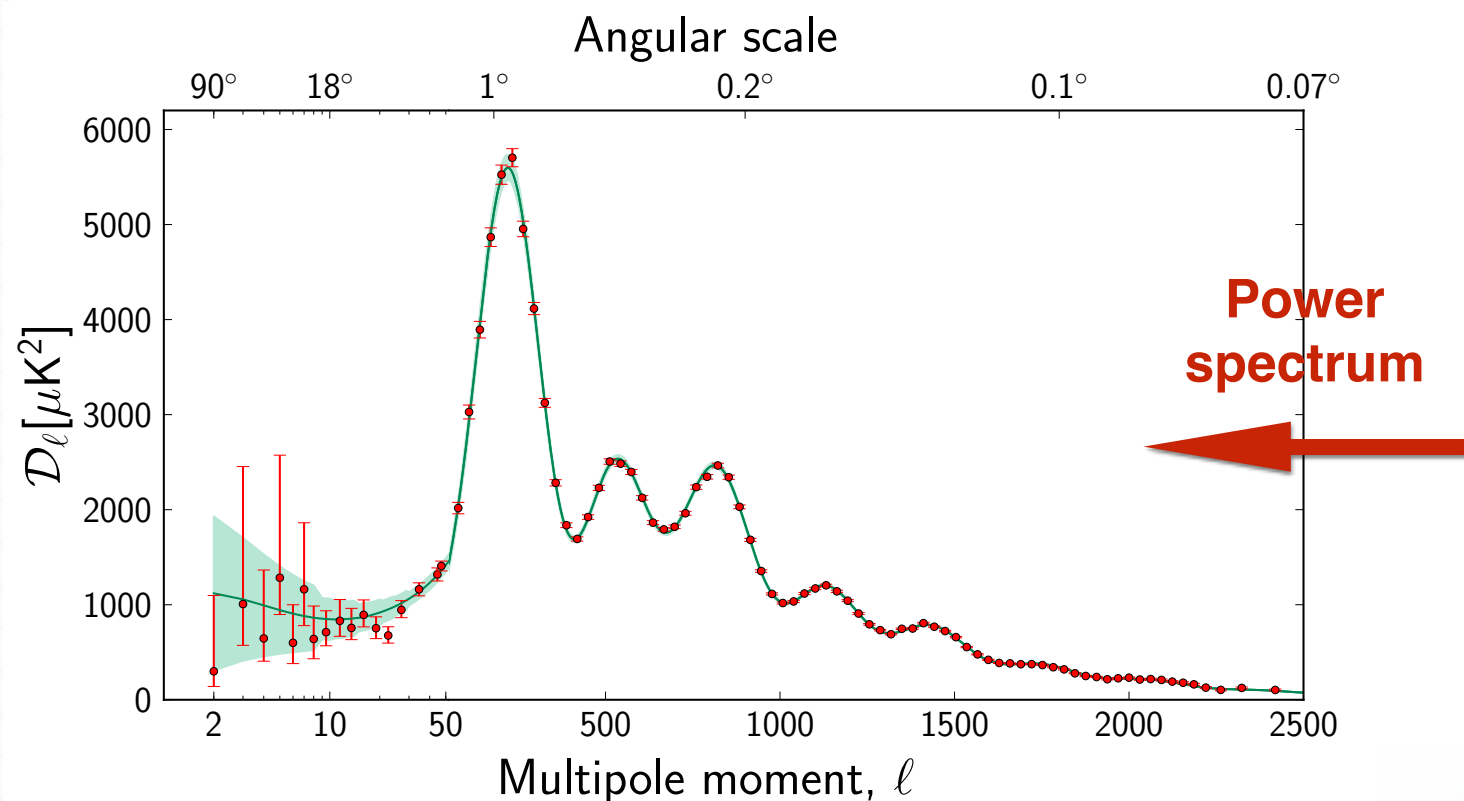
Planck CMB results: 21st March 2013



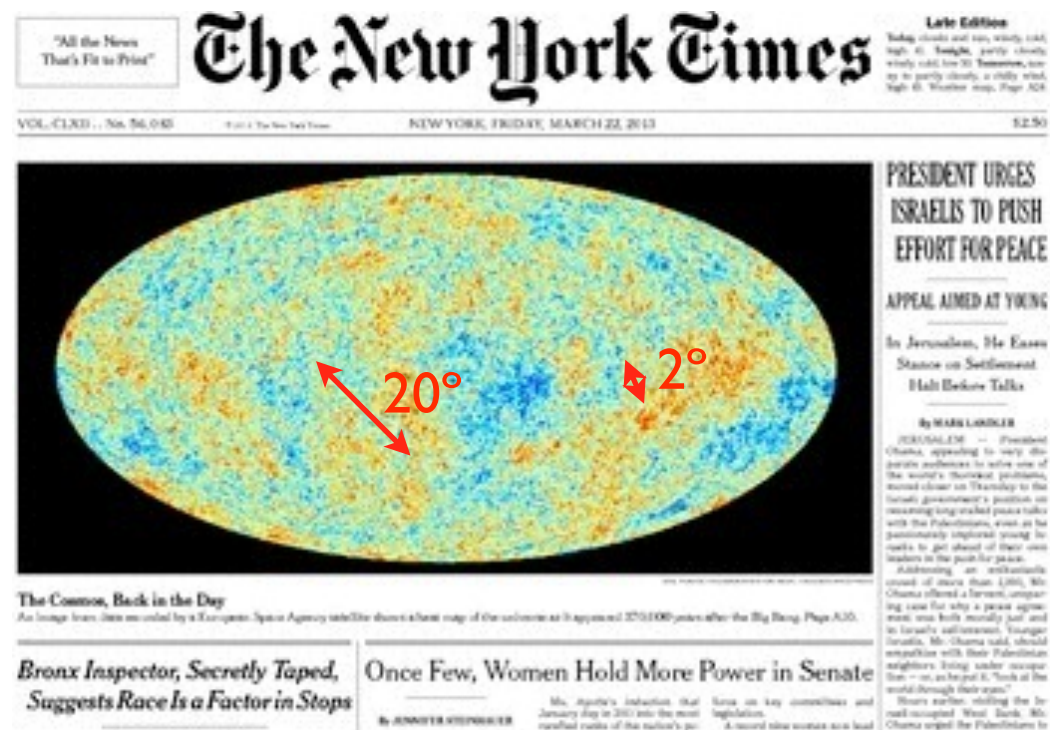
Planck Satellite



Excellent match between theory and observation

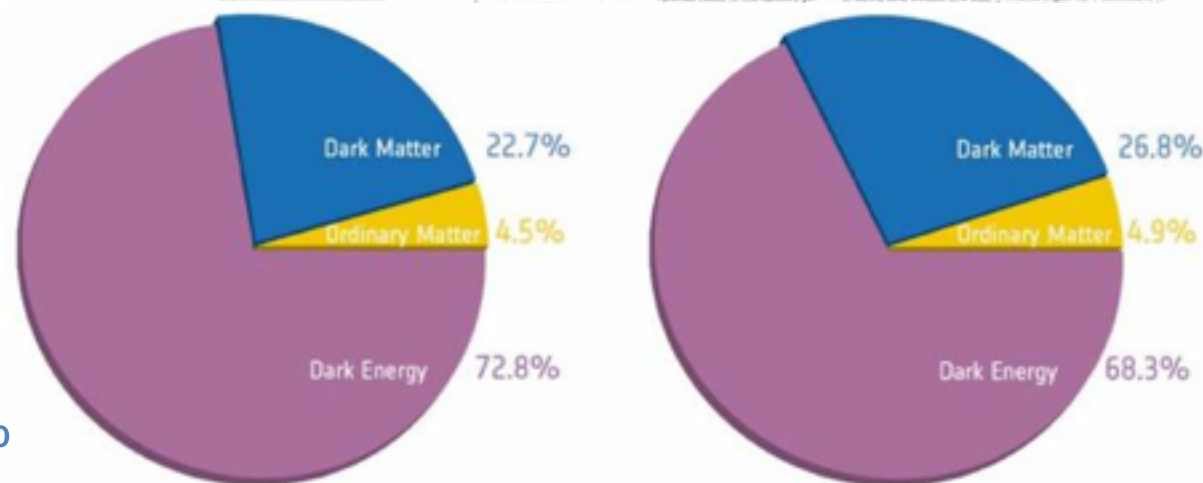


Planck CMB results: 21st March 2013



Precision estimates of cosmological parameters

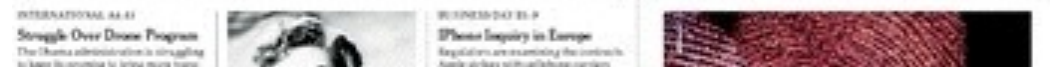
Hubble constant	$H_0 = 67.3 \pm 1.2$ (km/s)/Mpc	
Universe age	$t_0 = 13.798 \pm 0.037$ billion years	
Dark energy	$\Omega_{\Delta} = 0.683 \pm 0.009$	68.3%
Dark matter	$\Omega_M = 0.227 \pm 0.013$	26.8%
Ordinary matter	$\Omega_B = 0.0456 \pm 0.0014$	4.9%
Radiation CMB	$\Omega_R = 0.0000431$	0.004%



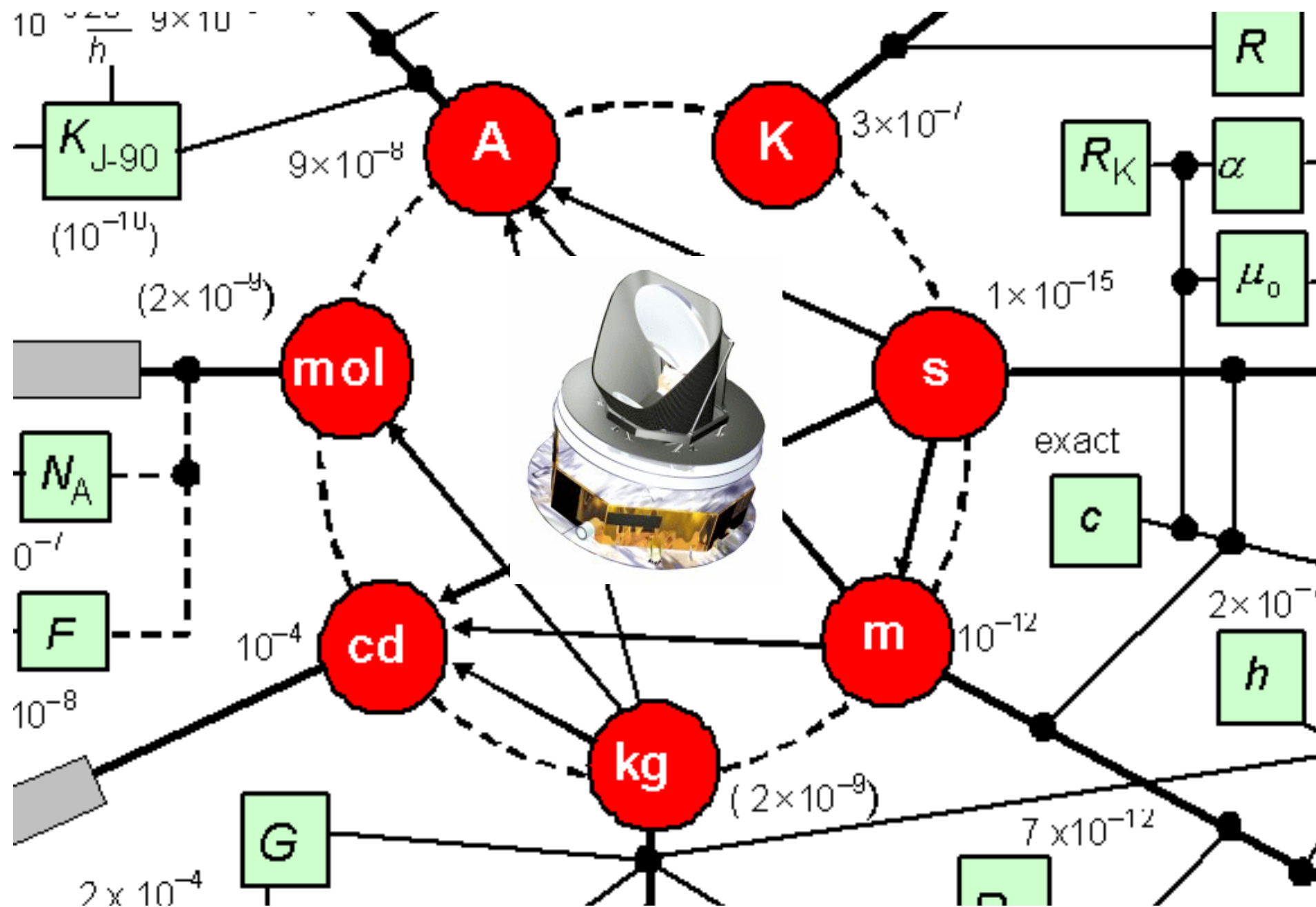
Before Planck

After Planck

...of accuracy to become the nation's fourth-largest intelligence firm...
 ...been a premier engine in providing...
 ...ing, correspondence never be published or quoted from a book...
 ...of 'Wife Carter' an anthology of 108 of the roughly 1,000 letters that turned out to have survived, scattered in some 15 archives.
 ...The scholars it's a major literary event, a chance at last to flesh out the understanding of a literary...
 ...Continued on Page A1

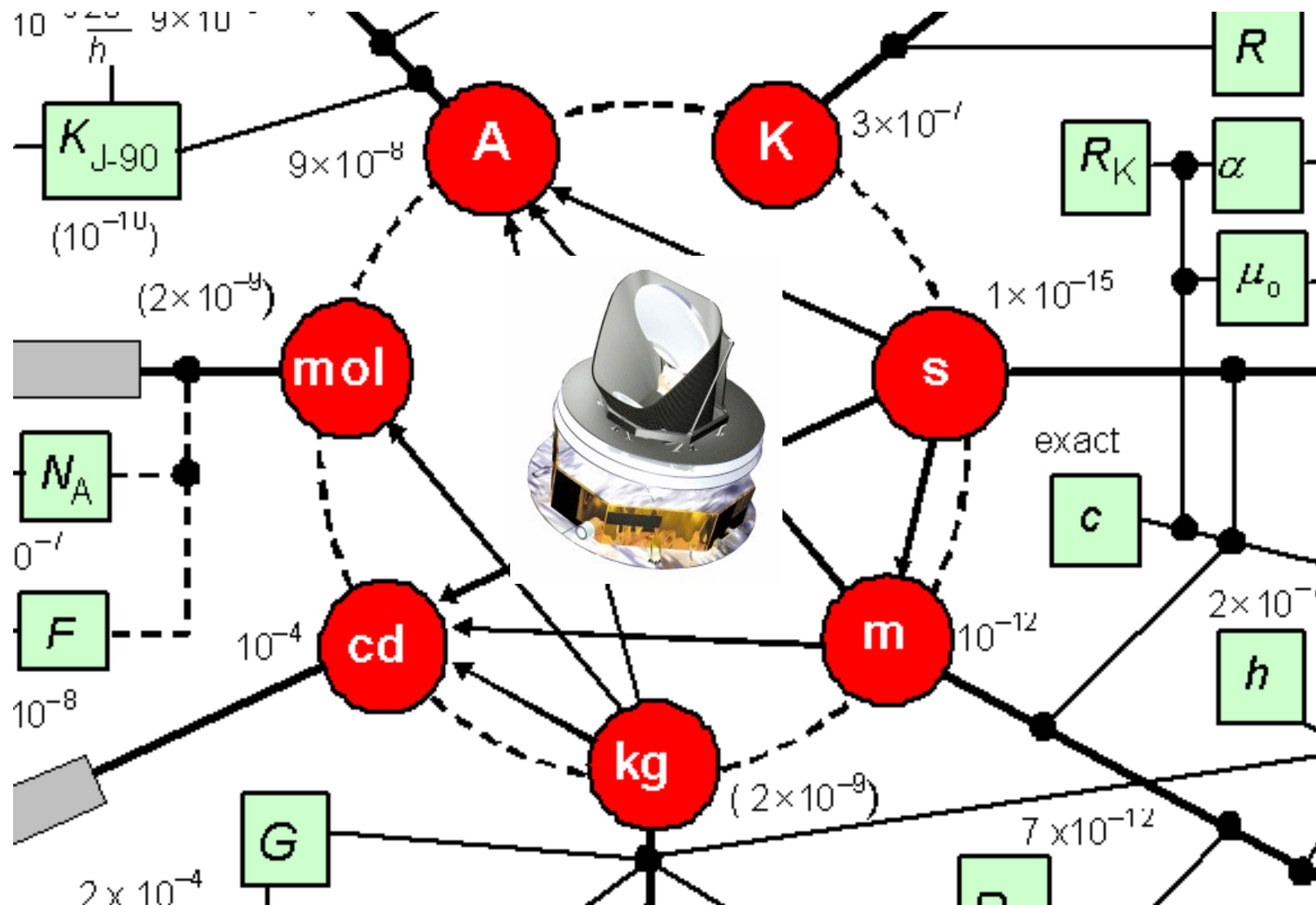


Planck Satellite results



Planck Satellite results

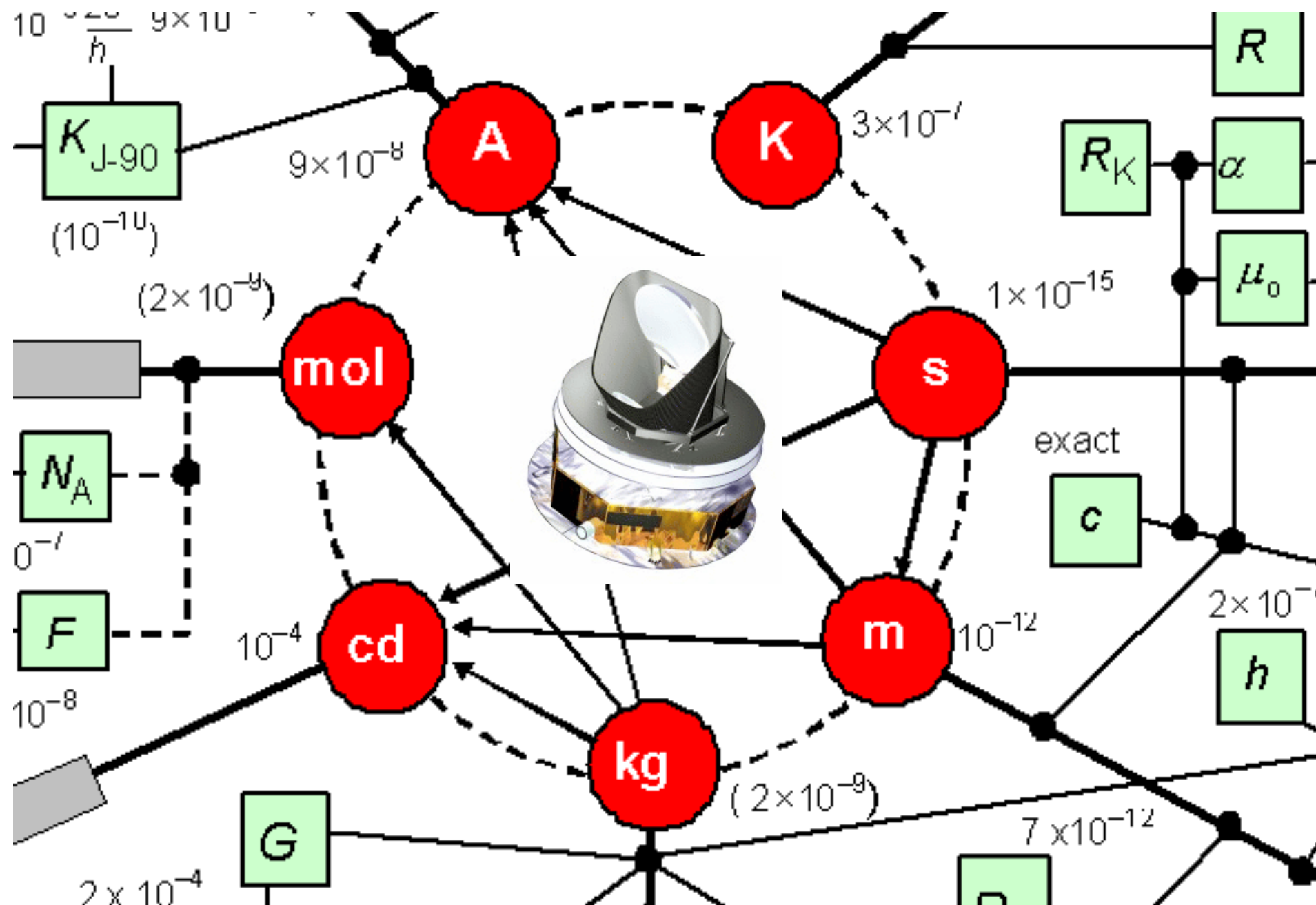
Planck is not just a standards laboratory getting the next decimal point on cosmological parameters like H_0 etc



Planck Satellite results

Planck is not just a standards laboratory getting the next decimal point on cosmological parameters like H_0 etc

Even incremental advances can cross thresholds yielding new physics

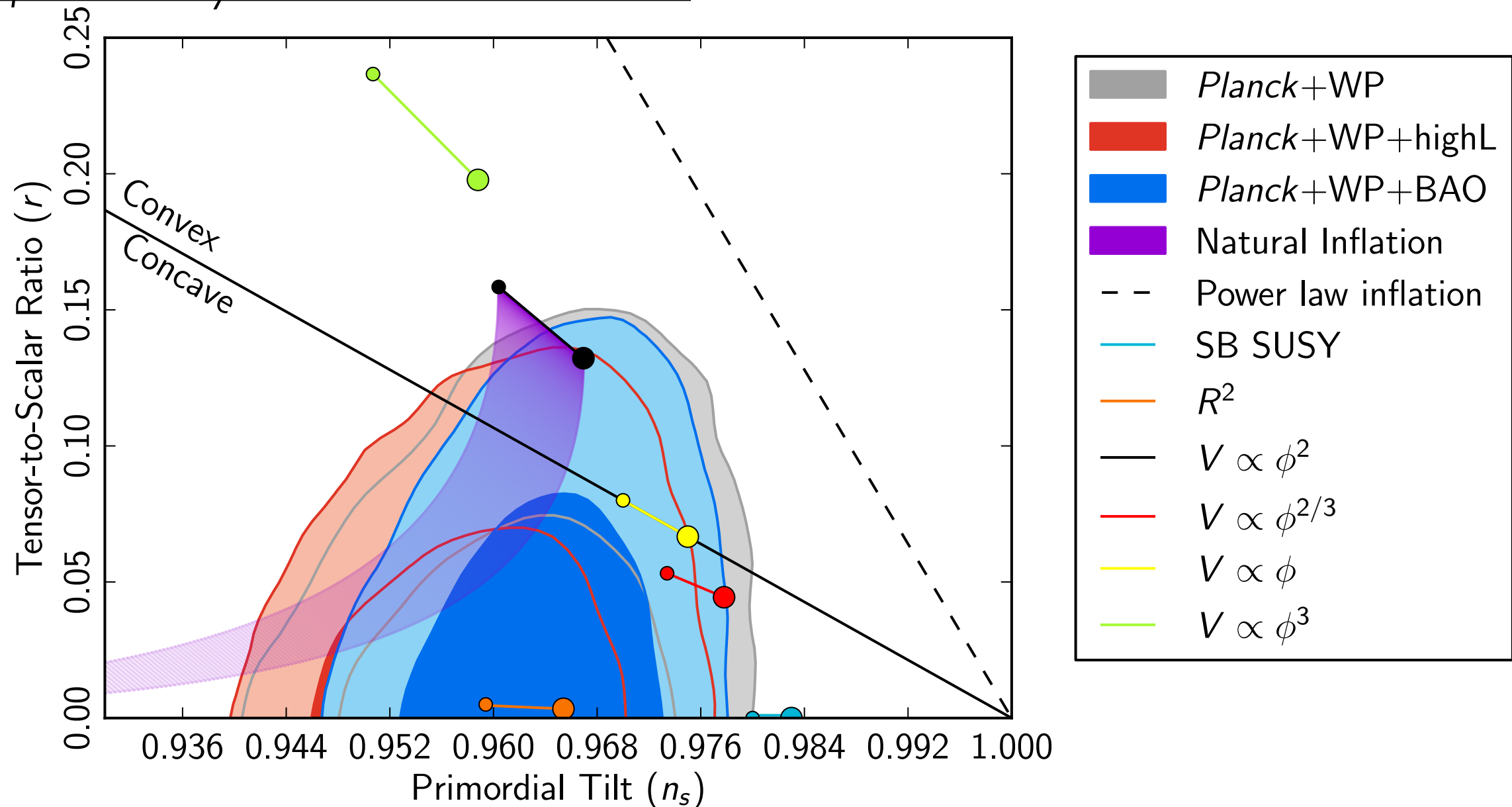


Planck Satellite results

Planck is not just a standards laboratory getting the next decimal point on cosmological parameters like H_0 etc

Even incremental advances can cross thresholds yielding new physics

Inflationary model constraints:



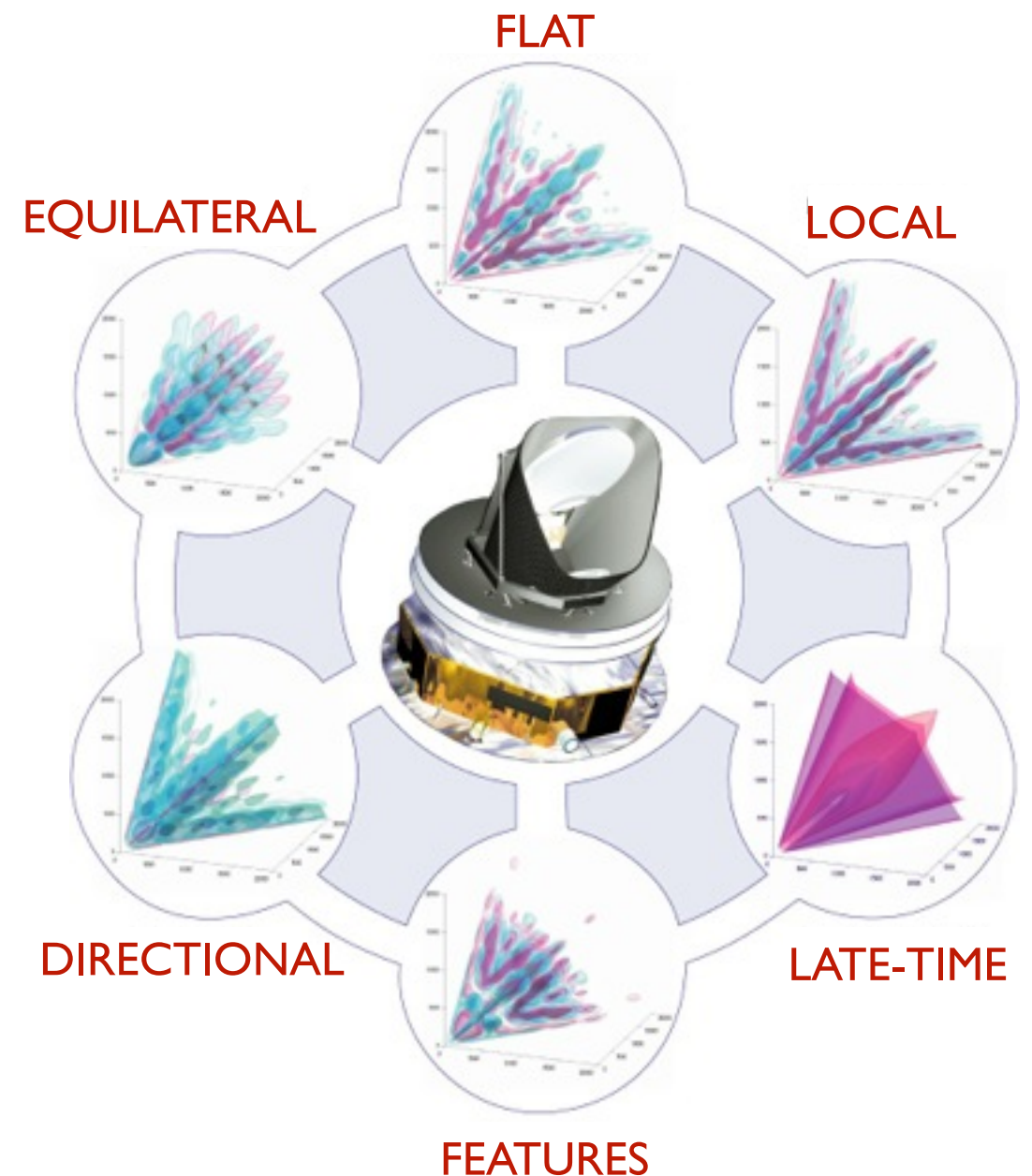
Planck Satellite results

Planck is not just a standards laboratory getting the next decimal point on cosmological parameters like H_0 etc

Even incremental advances can cross thresholds yielding new physics

Planck also crossed qualitative thresholds opening new windows:

- Gravitational lensing detected at very high significance
- Non-Gaussianity 3D bispectrum
 - constraints on scale-invt models
 - investigations of features etc.
- SZ clusters and cos. parameters
- Astrophysical insights (CIB etc)



Planck Satellite results

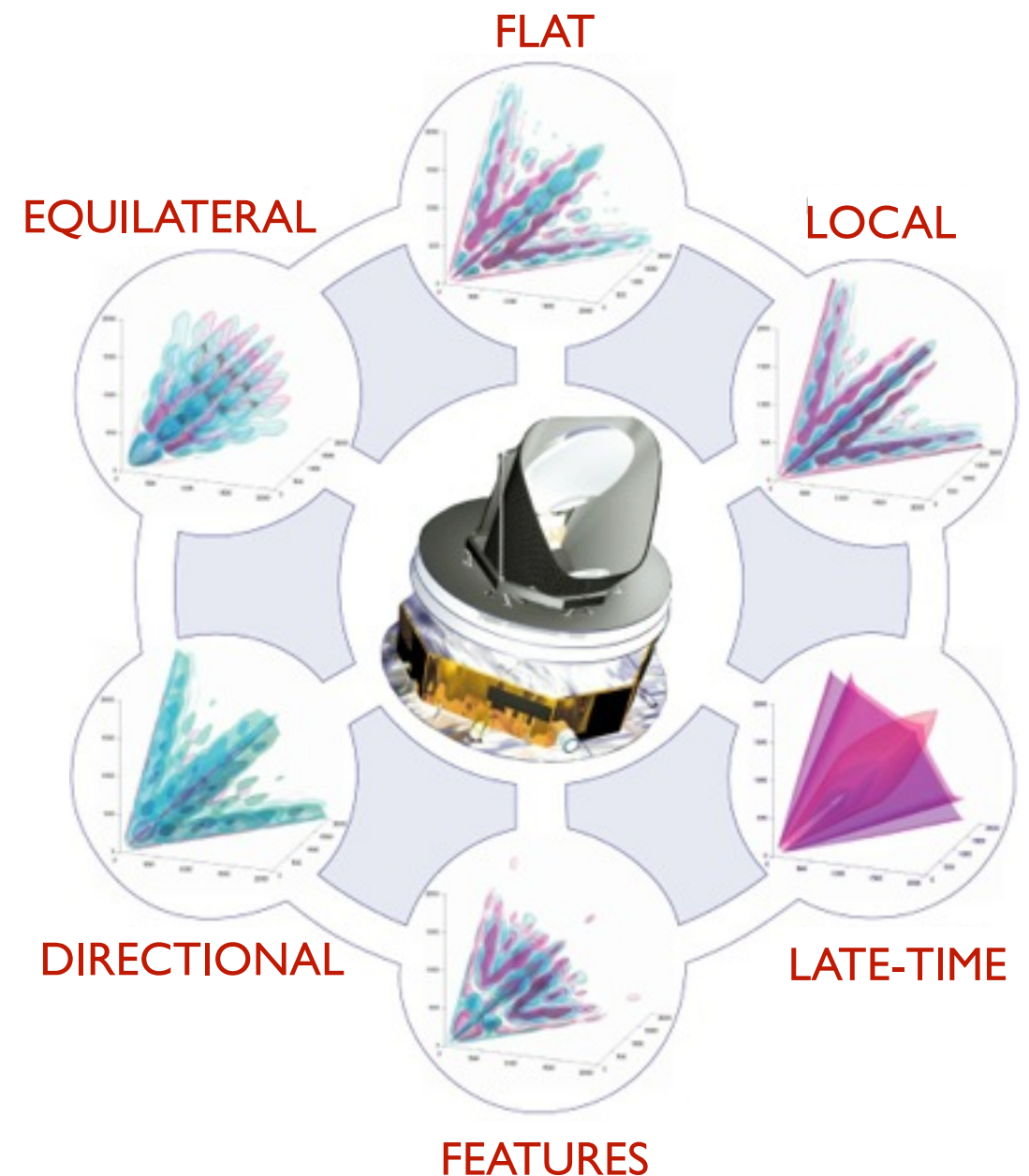
Planck is not just a standards laboratory getting the next decimal point on cosmological parameters like H_0 etc

Even incremental advances can cross thresholds yielding new physics

Planck also crossed qualitative thresholds opening new windows:

- Gravitational lensing detected at very high significance
- Non-Gaussianity 3D bispectrum
 - constraints on scale-invt models
 - investigations of features etc.
- SZ clusters and cos. parameters
- Astrophysical insights (CIB etc)

New polarization data with Second Release in October/November 2014



Discovery of Gravitational Waves?

U.S. INTERNATIONAL 中文网

The New York Times

Monday, March 17, 2014 | Today's Paper | Personalize Your Weather |  

WORLD U.S. NEW YORK BUSINESS OPINION SPORTS SCIENCE ARTS FASHION & STYLE VIDEO

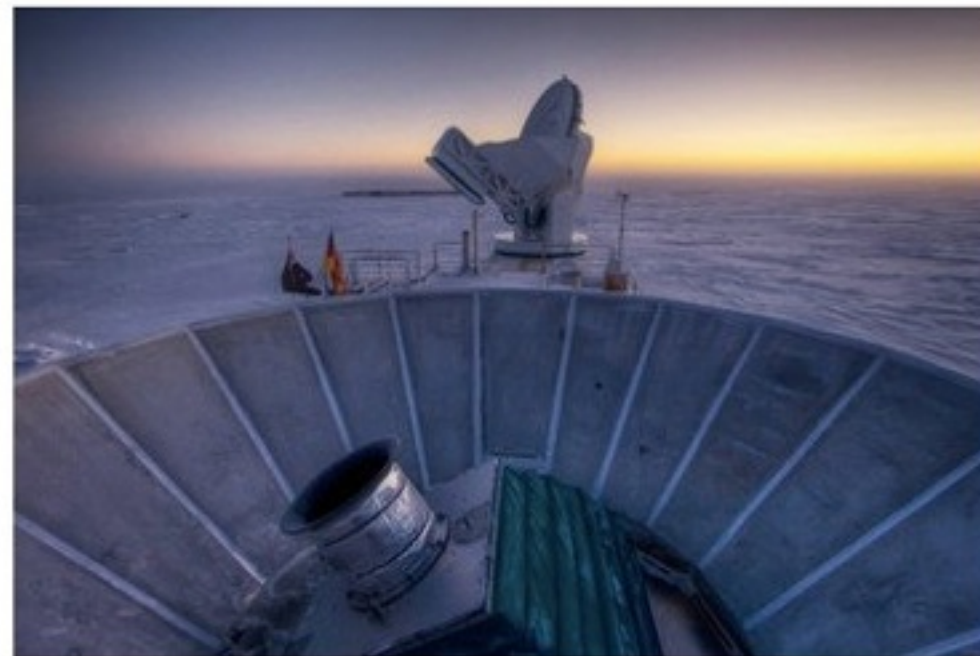
All Sections

West Steps Up Sanctions on Russia After Crimea Vote

By PETER BAKER 11:14 AM ET
"We're making it clear there are consequences for these actions," President Obama said in announcing sanctions on those deemed to be responsible for the seizing of Crimea.

Crimean Lawmakers Move Swiftly to Split From Ukraine

By DAVID M. HERSZENHORN and ALAN COWELL 9:17 AM ET
The Crimean Parliament declared its independence from Ukraine and formally asked to join Russia, and while Moscow embraced the result of Sunday's vote, the Kremlin has not declared its intent to annex Crimea.



Steffen Richter/Associated Press

Ripples in Space-Time Support Big Bang

By DENNIS OVERBYE 10:46 AM ET
Astronomers found gravitational waves that buttress the theory of a universe wrenched violently apart around its inception. Above, the telescope used to detect the waves.

West's Drought and Growth Intensify Water Conflict

By MICHAEL WINES
The explosive growth of cities is raising the stakes for farmers and industry amid a series of fierce legal and political battles over water.

110 Comments



The Opinion Pages

OP-ED CONTRIBUTOR

The Story of Bridie and Mo

By ROSEMARY MAHONEY

Two red-haired girls on the Dublin docks, at the end of an Irish boom.

• Editorial: The Flute, the Flute Is Calling

MORE IN OPINION

• Op-Ed: The Ugandan Tabloid That Stole Our Pride

• Bittner: Is Crimea the Next Yugoslavia?

THE GREAT DIVIDE

On the Wrong Side of Globalization

By JOSEPH E. STIGLITZ

Trade agreements like the Trans-Pacific Partnership would make our problems worse.

• Editorial: A Hard Turn for De Blasio | Charter Schools

• Krugman: That Old-Time Whistle

• Taking Note: Metro-North Review



MARKETS »

At 1:05 PM ET

S.&P. 500	Dow	Nasdaq
1,859.38	16,247.12	4,292.29
+18.25	+181.45	+46.89
+0.99%	+1.13%	+1.10%

Get Quotes | My Portfolios »

MEDIA »

Marlo Thomas Carves a Niche on Internet TV

"Mondays With

A New Model for Music: Big Bands, Big Brands

At the South by Southwest

Discovery of Gravitational Waves?

BICEP2 results: World media - 18th March 2014

U.S. INTERNATIONAL 中文网

The New York Times

Monday, March 17, 2014 | Today's Paper | Personalize Your Weather | f |

WORLD U.S. NEW YORK BUSINESS OPINION SPORTS SCIENCE ARTS FASHION & STYLE VIDEO

West Steps Up Sanctions on Russia After Crimea Vote

By PETER BAKER 11:14 AM ET
"We're making it clear there are consequences for these actions," President Obama said in announcing sanctions on those deemed to be responsible for the seizing of Crimea.

Crimean Lawmakers Move Swiftly to Split From Ukraine

By DAVID M. HERSZENHORN and ALAN COWELL 9:17 AM ET
The Crimean Parliament declared its independence from



Steffen Richter/Associated Press

Ripples in Space-Time Support Big Bang

By DENNIS OVERBYE 10:46 AM ET
Astronomers found gravitational waves that buttress the theory of a universe wrenched violently apart around its inception. Above, the telescope used to detect the waves.

West's Drought and Growth Intensify Water Conflict

The Opinion |

OP-ED CONTRIBUTOR
The Story of Bridie and Mo
By ROSEMARY MAHONEY
Two red-haired girls on the Dublin docks, at the end of an Irish boom.

- Editorial: The Flute, the Flute Is Calling

MORE IN OPINION

- Op-Ed: The Ugandan Tabloid That Stole Our Pride
- Bittner: Is Crimea the Next Yugoslavia?

MARKETS » At 1:05 PM ET

S.&P. 500	Dow	Nasdaq
1,859.38	16,247.12	4,292.29
+18.25	+181.45	+46.89
+0.99%	+1.13%	+1.10%

Get Quotes | My Portfolios »

theguardian

News | Sport | Comment | Culture | Business | Money | Life & style |

News > Science > Physics

Primordial gravitational wave discovery heralds 'whole new era' in physics

Gravitational waves could help unite general relativity and quantum mechanics to reveal a 'theory of everything'

Stuart Clark

The Guardian, Monday 17 March 2014 18.08 GMT

Jump to comments (1675)



Scientists detected telltale signs of gravitational waves using the Bicep2 telescope (far left) at the south pole. Photograph: Keith Vanderlinde/NSF



PM pitches to families with childcare cash

Cameron and Clegg offer up to £2,000 per child to support working parents



SCIENTIFIC AMERICAN™

Sign In | Register |

Search: Science@ScientificAmerican.com

Subscribe News & Features Topics Blogs Videos & Podcasts Education

Space » News 43 | Email | Print

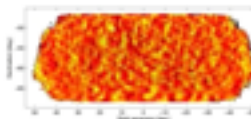
This article is from the In-Depth Report Cosmic Inflation and Big Bang Ripples

Gravitational Waves from Big Bang Detected

A curved signature in the cosmic microwave background light provides proof of inflation and spacetime ripples

Mar 17, 2014 | By Clara Moskowitz

Physicists have found a long-predicted twist in light from the big bang that represents the first image of ripples in the universe called gravitational waves, researchers announced today. The finding is direct proof of the theory of inflation, the idea that the universe expanded extremely quickly in the first fraction of a nanosecond after it was born. What's more, the signal is coming through much more strongly than expected, ruling out a large class of inflation models

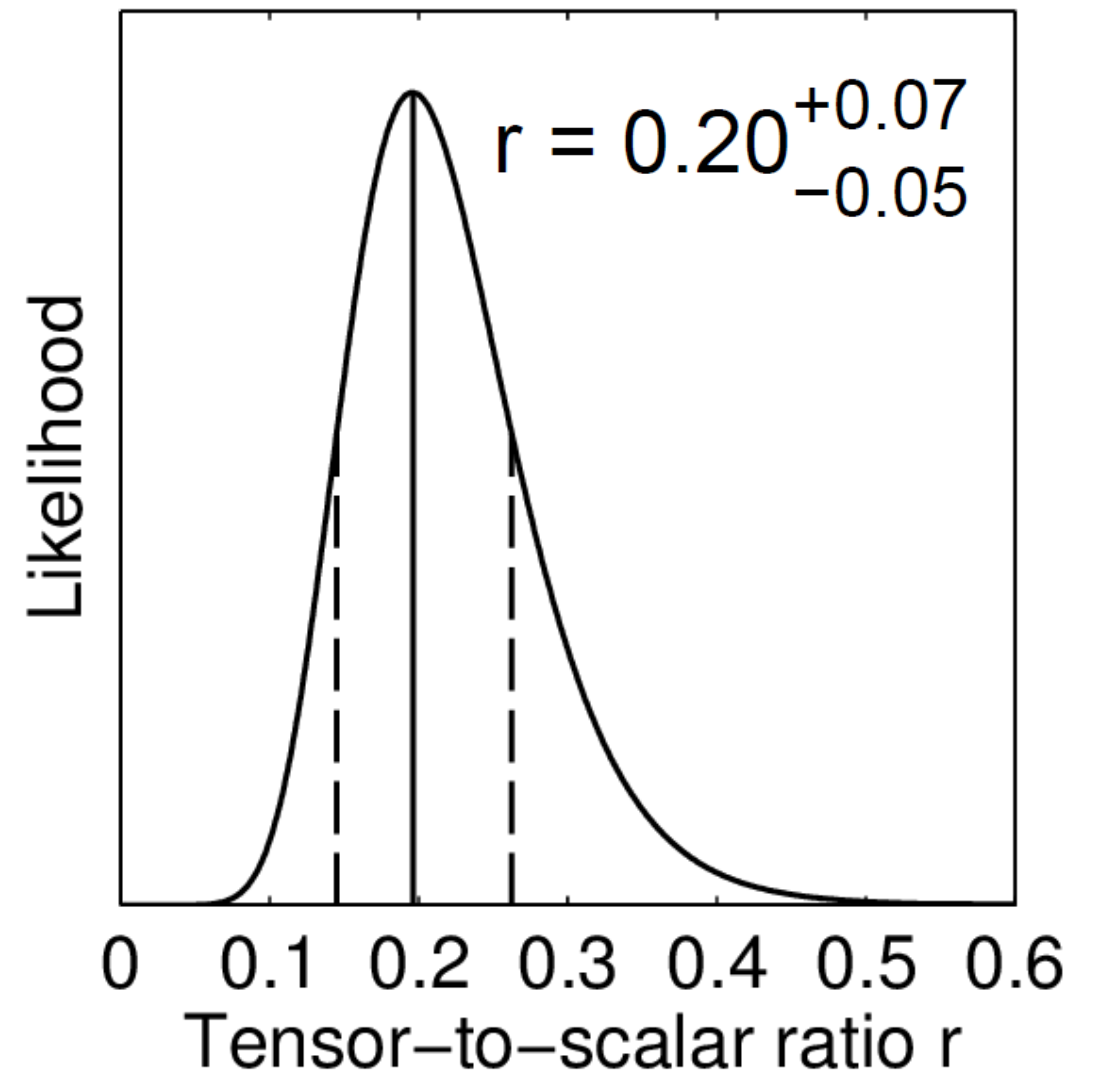
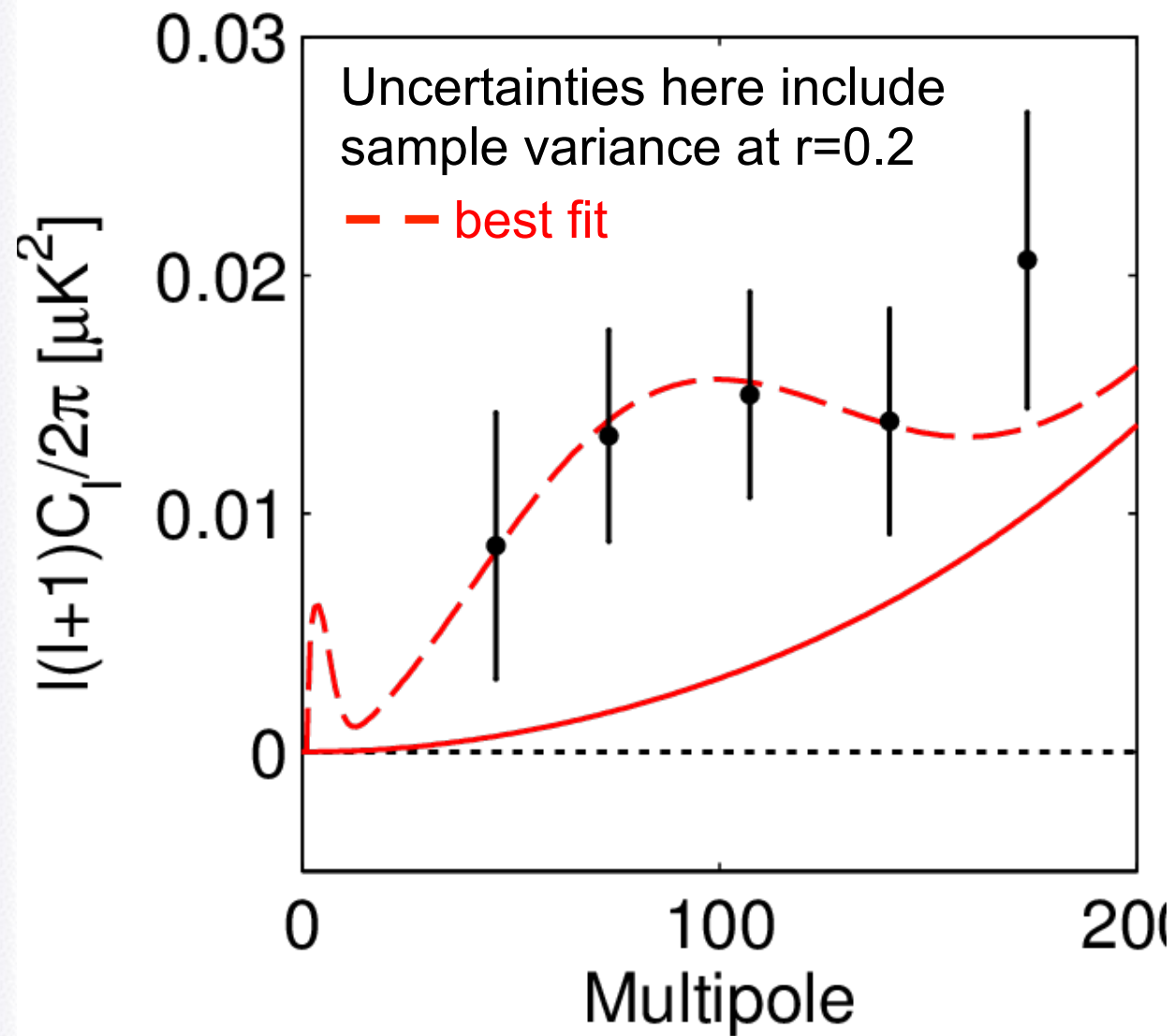


Proof of gravitational waves created by cosmic inflation is shown here in this image of the cosmic microwave background radiation collected by the BICEP2 experiment at the South Pole. The proof comes in the form of a signature called B-mode polarization, a curling of the orientation, or polarization, of the light, denoted by the black lines

BICEP2 Results

B-mode power spectrum shows large “excess” with best-fit tensor model $r = 0.2$

Likelihood comparing with noise + concordance model simulations - 7σ deviation

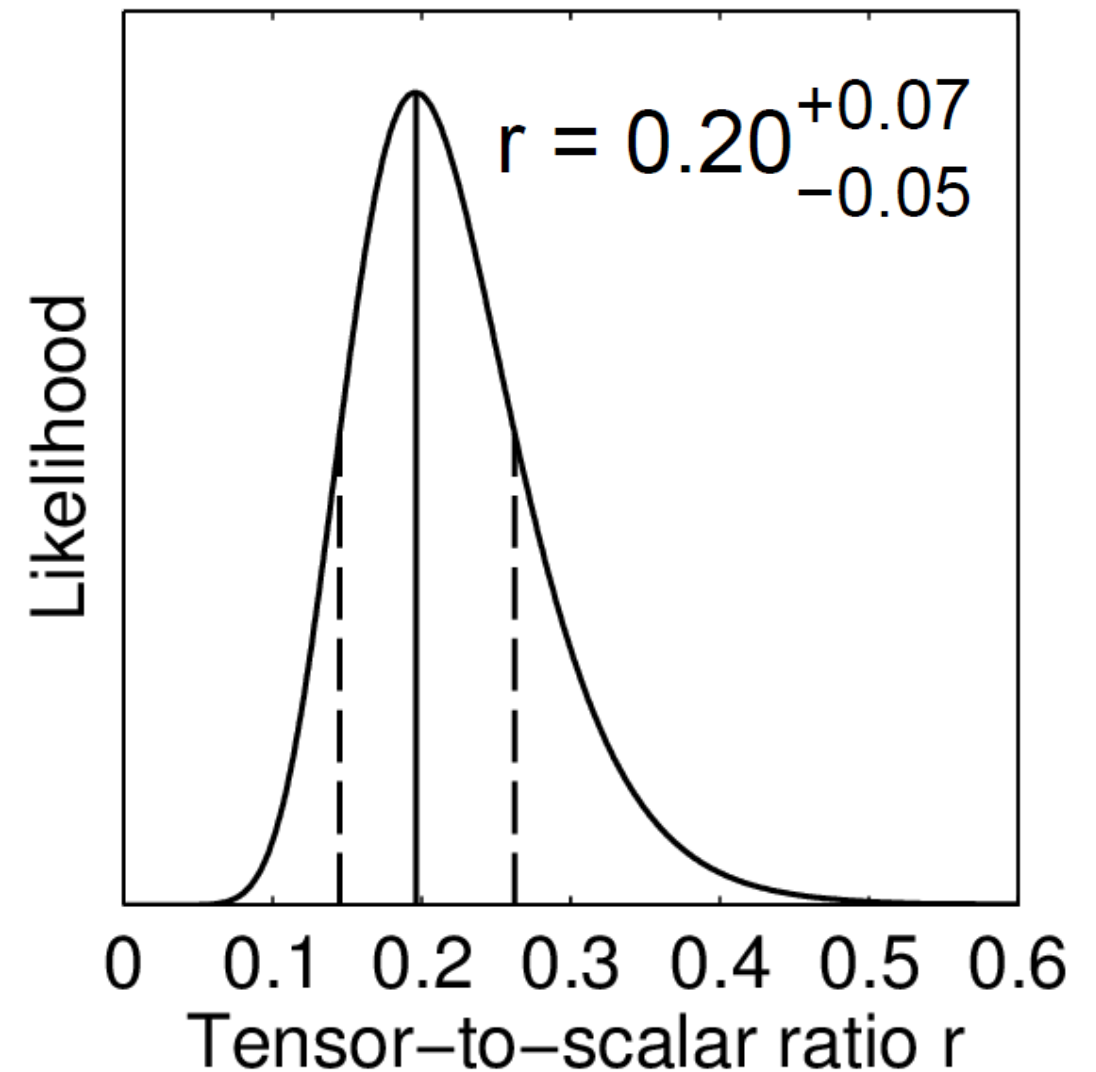
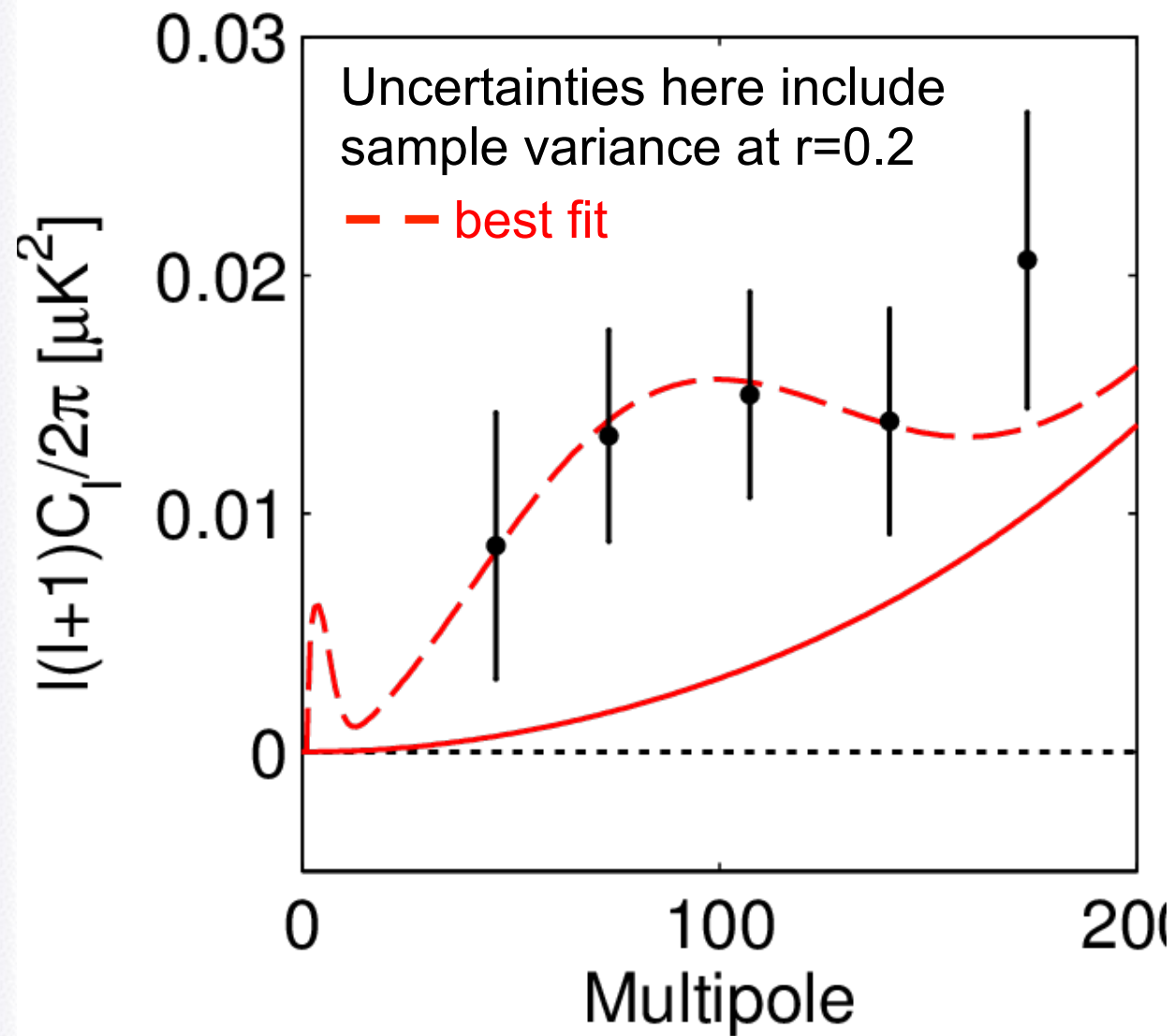


Latest: BICEP2 team strongly maintains a tensor signal dominant ...
- subtracting dust yields $r = 0.15 - 0.19$.

BICEP2 Results

B-mode power spectrum shows large “excess” with best-fit tensor model $r = 0.2$

Likelihood comparing with noise + concordance model simulations - 7σ deviation



Latest: BICEP2 team strongly maintains a tensor signal dominant ...
- subtracting dust yields $r = 0.15 - 0.19$.

But are they right?

BICEP2 & UV Completion

BICEP2 $r = 0.16$ presents special challenges for inflation model-building

The tensor-to-scalar ratio

$$r = \frac{\mathcal{P}_h(k)}{\mathcal{P}_\zeta(k)} = \frac{H^2}{M_{\text{Pl}}^2} \bigg/ \frac{H^4}{\dot{\phi}^2},$$

evaluated for $k_{\text{ls}}/100 < k < k_{\text{ls}}$ where $k_{\text{ls}}^{-1} \approx 14000$ Mpc is the distance to last-scattering surface.

With $r = 0.16$, yields energy density & Hubble param. (during inflation)

$$\rho^{1/4} = 1.5 \times 10^{16} \text{ GeV} \quad \text{and} \quad H = 1.0 \times 10^{14} \text{ GeV}$$

where we have used $\mathcal{P}_\zeta(k_0)^{1/2} = 4.69 \pm 0.02$ with $k_0^{-1} = 20$ Mpc

Lyth relation for number of e-foldings:

$$\mathcal{N} = \int \frac{da}{a} = \int H dt = \int \frac{H M_{\text{Pl}}}{\dot{\phi}} \frac{d\phi}{M_{\text{Pl}}} = \sqrt{\frac{8}{r}} \frac{\Delta\phi}{M_{\text{Pl}}}$$

So typically with $N \sim 60$ we have super-Planckian excursions

$$\Delta\phi > M_{\text{Pl}} \quad \text{for} \quad r > 0.01$$

BICEP2 & UV Completion

BICEP2 $r = 0.16$ presents special challenges for inflation model-building

The tensor-to-scalar ratio

$$r = \frac{\mathcal{P}_h(k)}{\mathcal{P}_\zeta(k)} = \frac{H^2}{M_{\text{Pl}}^2} \bigg/ \frac{H^4}{\dot{\phi}^2},$$

evaluated for $k_{\text{ls}}/100 < k < k_{\text{ls}}$ where $k_{\text{ls}}^{-1} \approx 14000$ Mpc is the distance to last-scattering surface.

With $r = 0.16$, yields energy density & Hubble param. (during inflation)

$$\rho^{1/4} = 1.5 \times 10^{16} \text{ GeV} \quad \text{and} \quad H = 1.0 \times 10^{14} \text{ GeV}$$

where we have used $\mathcal{P}_\zeta(k_0)^{1/2} = 4.69 \pm 0.02$ with $k_0^{-1} = 20$ Mpc

Lyth relation for number of e-foldings:

$$\mathcal{N} = \int \frac{da}{a} = \int H dt = \int \frac{H M_{\text{Pl}}}{\dot{\phi}} \frac{d\phi}{M_{\text{Pl}}} = \sqrt{\frac{8}{r}} \frac{\Delta\phi}{M_{\text{Pl}}}$$

So typically with $N \sim 60$ we have super-Planckian excursions

$$\Delta\phi > M_{\text{Pl}} \quad \text{for} \quad r > 0.01$$

BICEP2 & UV Completion

BICEP2 $r = 0.16$ presents special challenges for inflation model-building

The tensor-to-scalar ratio

$$r = \frac{\mathcal{P}_h(k)}{\mathcal{P}_\zeta(k)} = \frac{H^2}{M_{\text{Pl}}^2} \bigg/ \frac{H^4}{\dot{\phi}^2},$$

evaluated for $k_{\text{ls}}/100 < k < k_{\text{ls}}$ where $k_{\text{ls}}^{-1} \approx 14000 \text{ Mpc}$ is the distance to last-scattering surface.

With $r = 0.16$, yields energy density & Hubble param. (during inflation)

$$\rho^{1/4} = 1.5 \times 10^{16} \text{ GeV} \quad \text{and} \quad H = 1.0 \times 10^{14} \text{ GeV}$$

where we have used $\mathcal{P}_\zeta(k_0)^{1/2} = 4.69 \pm 0.02$ with $k_0^{-1} = 20 \text{ Mpc}$

Lyth relation for number of e-foldings:

$$\mathcal{N} = \int \frac{da}{a} = \int H dt = \int \frac{H M_{\text{Pl}}}{\dot{\phi}} \frac{d\phi}{M_{\text{Pl}}} = \sqrt{\frac{8}{r}} \frac{\Delta\phi}{M_{\text{Pl}}}$$

So typically with $N \sim 60$ we have super-Planckian excursions

$$\Delta\phi > M_{\text{Pl}} \quad \text{for} \quad r > 0.01$$

Post-BICEP2 model-building?

Super-Planckian excursions $\Delta\phi > M_{\text{Pl}}$ for $r > 0.01$ implies

$$V(\phi) = V_0 + \sum_n c_n \frac{(\phi - \phi_0)^n}{M_{\text{Pl}}^n}$$

lots of sensitivity to Planck-suppressed operators ...

Need UV complete theory with e.g. shift symmetry $\phi \rightarrow \phi + \text{const.}$

String theory is a well-motivated candidate for quantum gravity ...

Recent proposal examples (with large r):

- Axion monodromy with symmetric large field range and large r

$$V(\phi) \approx \mu^2 \phi + \Lambda^4 \cos\left(\frac{\phi}{f} + \gamma\right) \quad \text{E.g. McAllister, Silverstein, Westphal; Flauger et al.}$$

yielding oscillatory (non-Gaussian) signatures.

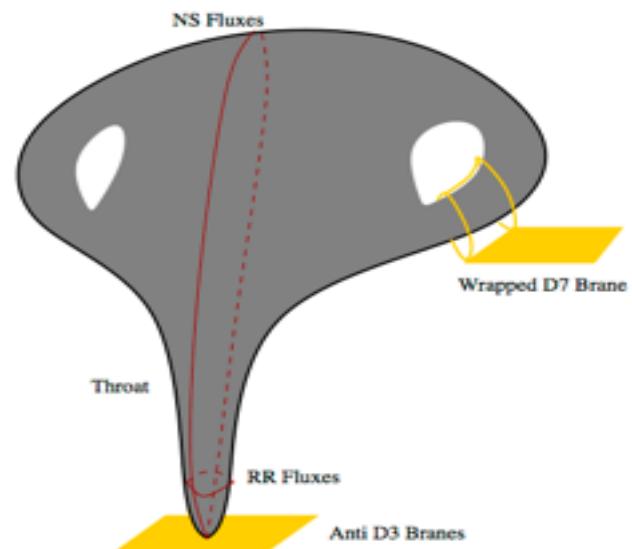
- Quasi-single Field Inflation - shift symmetry only protects one field with others having masses near $m \sim H$ (curvature significant) again yielding NG signatures; also higher spin particles with mass

E.g. Chen & Wang; Arkani-Hamed & Maldacena (in prep.)

- Chaotic inflation in supergravity *Kallosch, Linde & Westphal* • Higgs inf. etc

- See Ed Copeland's SUSY 2014 talk

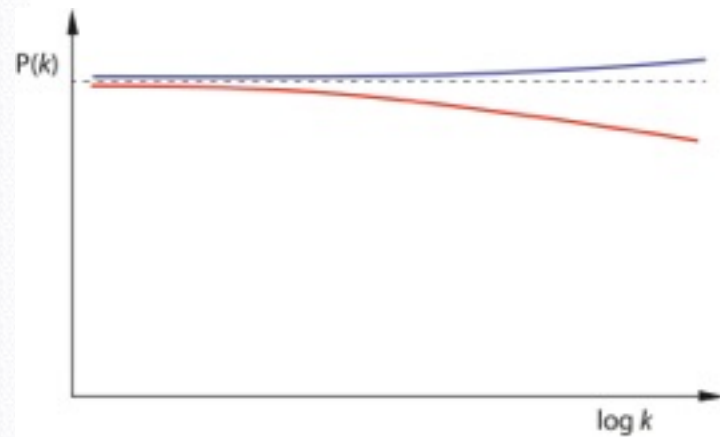
Confrontation of theory & observation



*Fundamental Theory
(Inflationary Model)*

Confrontation of theory & observation

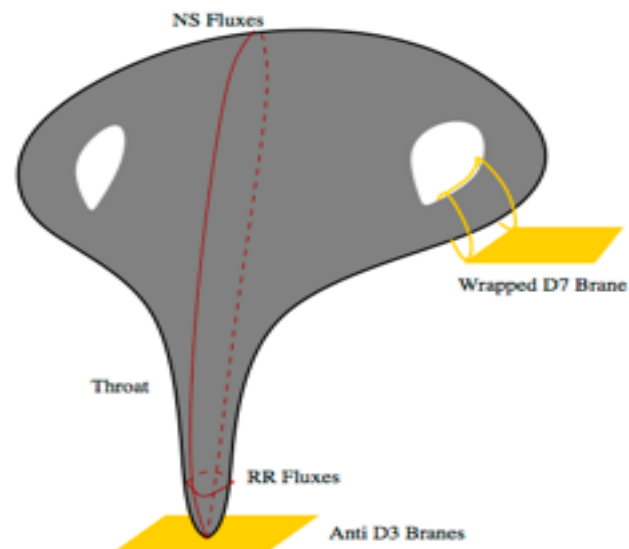
Primordial power spectrum



EUREKA



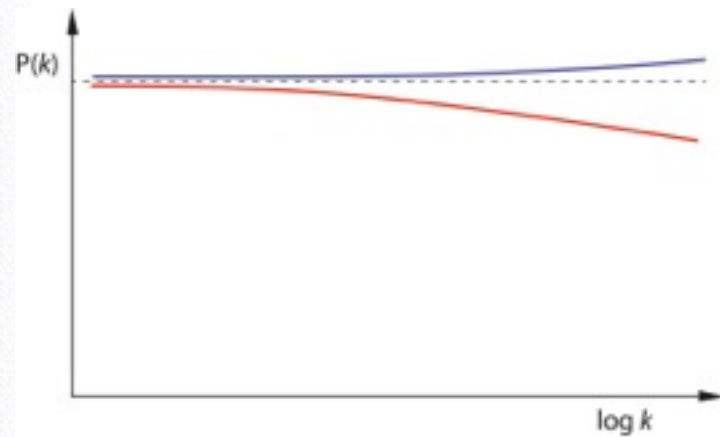
*Modelling inflation and
early universe transitions*



*Fundamental Theory
(Inflationary Model)*

Confrontation of theory & observation

Primordial power spectrum

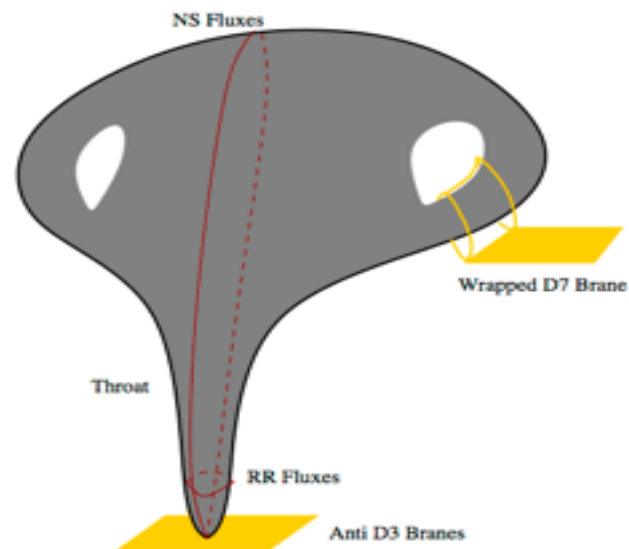


ENLIGHTEN

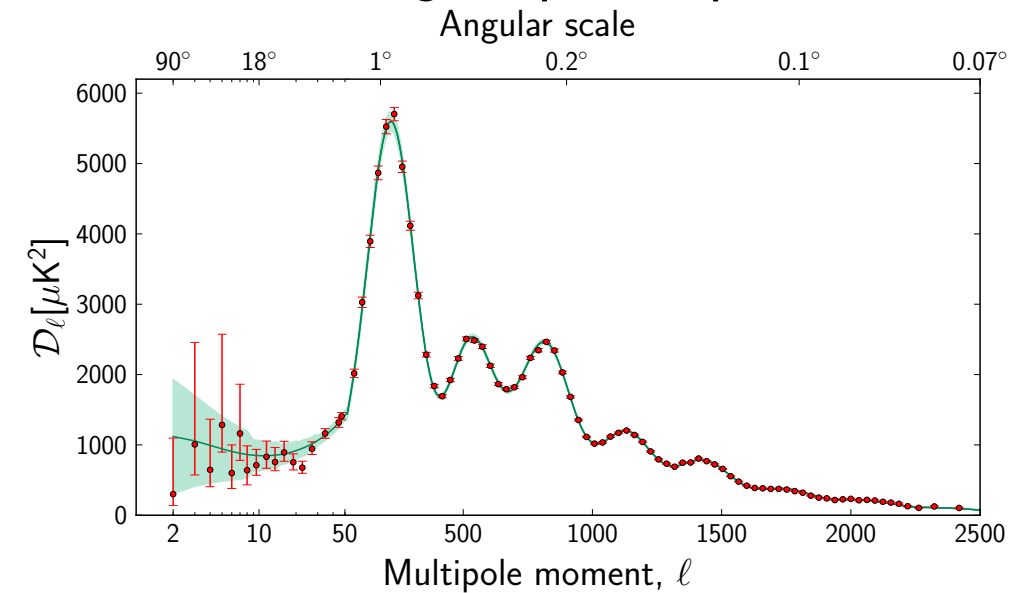
Plasma physics of the standard cosmology
e.g. CAMB / CLASS

EUREKA

Modelling inflation and early universe transitions



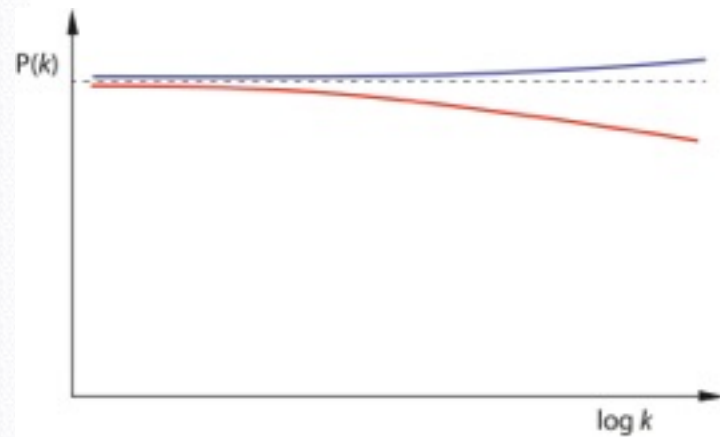
CMB angular power spectrum



Fundamental Theory
(Inflationary Model)

Confrontation of theory & observation

Primordial power spectrum

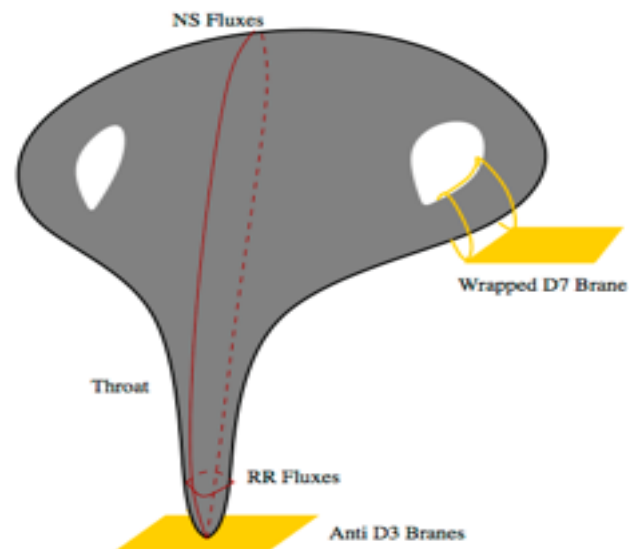


ENLIGHTEN

Plasma physics of the standard cosmology
e.g. CAMB / CLASS

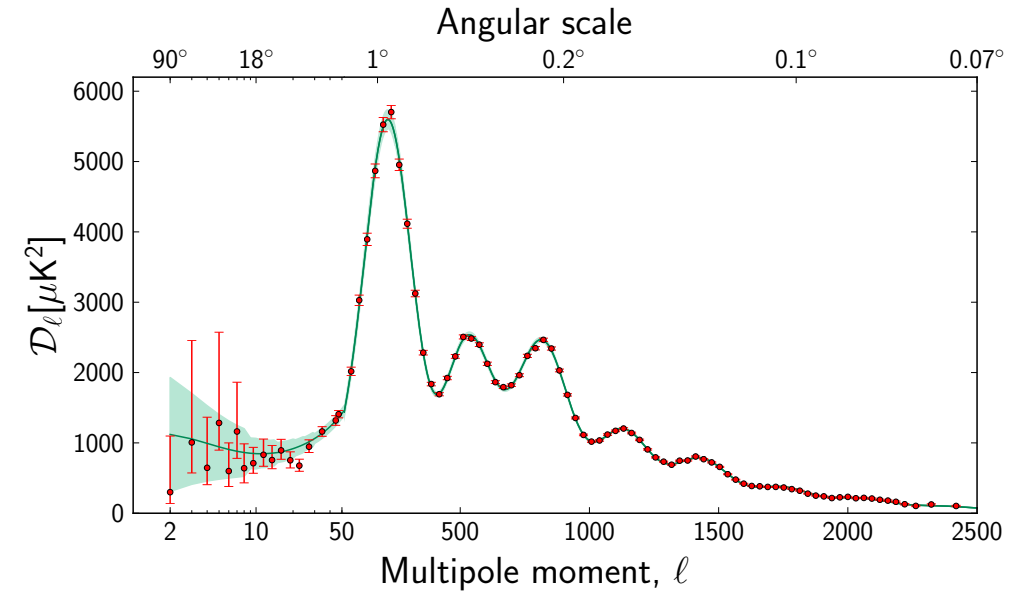
EUREKA

Modelling inflation and early universe transitions



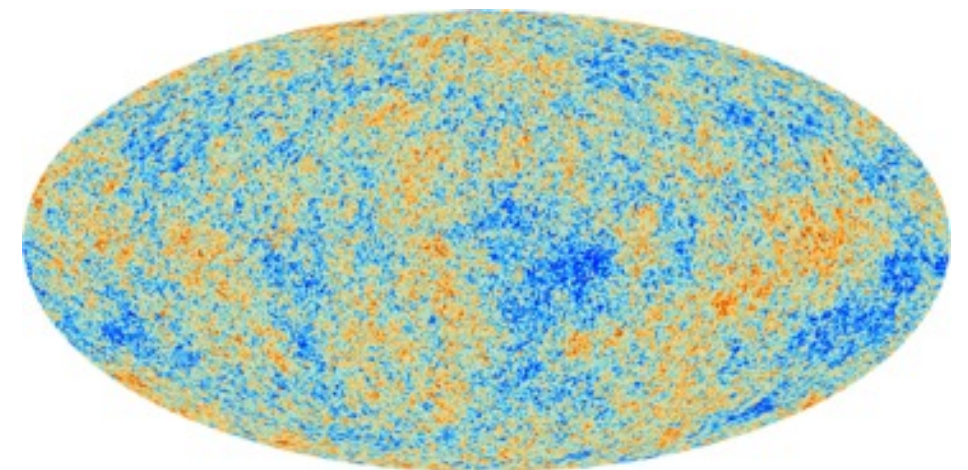
Fundamental Theory
(Inflationary Model)

CMB angular power spectrum



EXPOSE

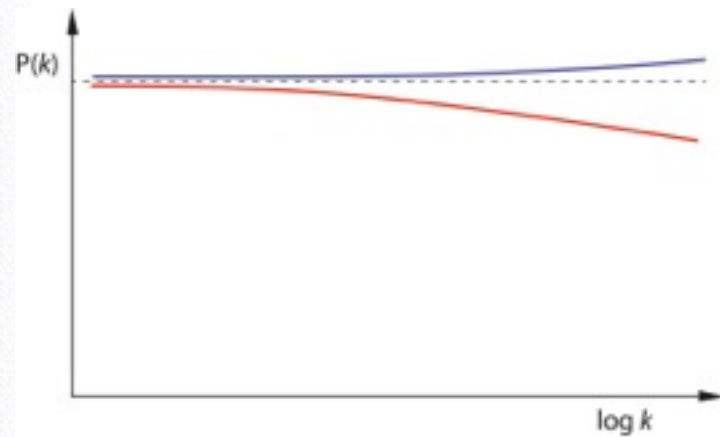
Estimating signal power on different angular scales



Observational data
(Planck CMB Maps)

Confrontation of theory & observation

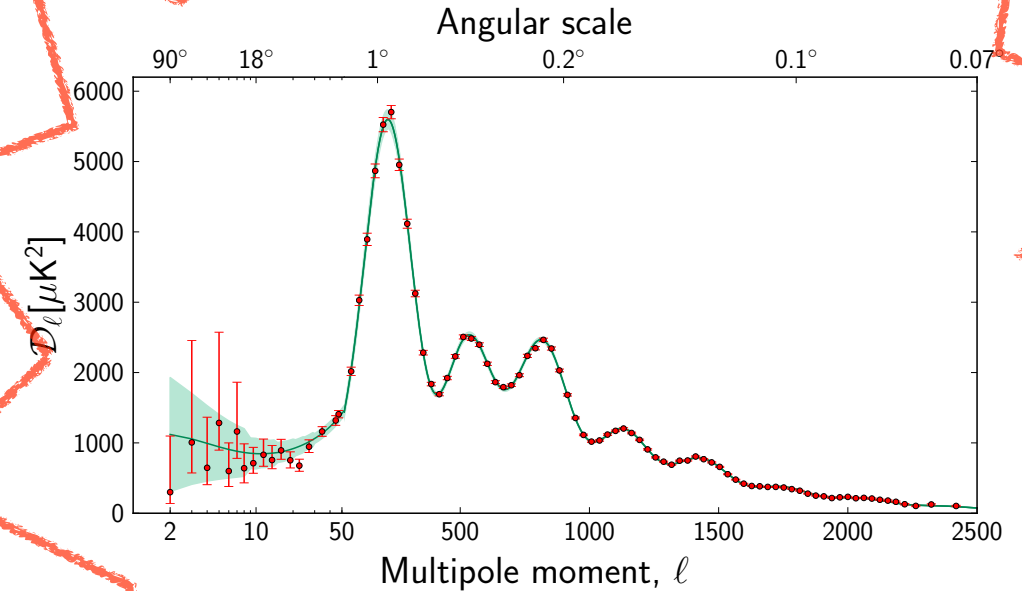
Primordial power spectrum



ENLIGHTEN

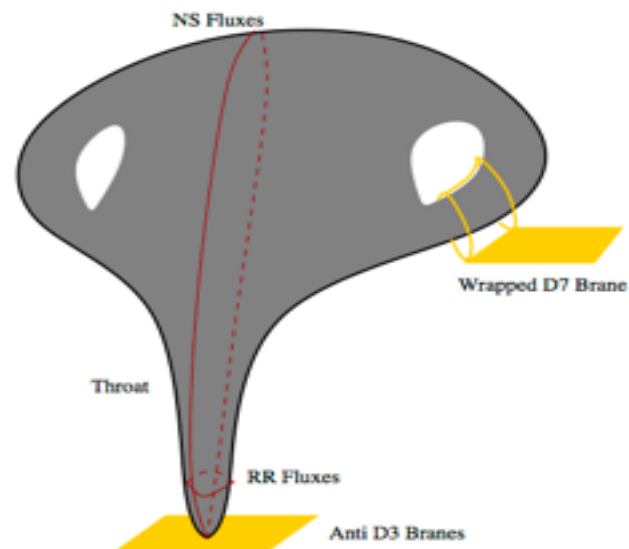
Plasma physics of the standard cosmology
e.g. CAMB / CLASS

CMB angular power spectrum



EUREKA

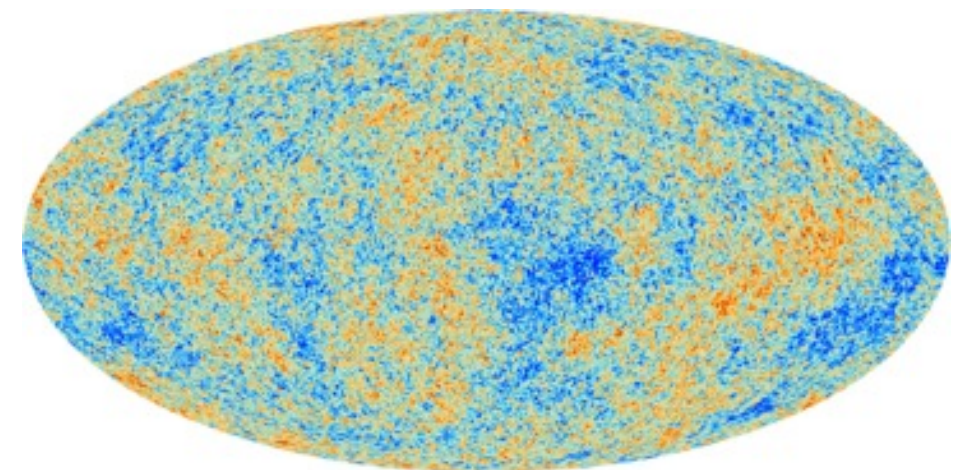
Modelling inflation and early universe transitions



Fundamental Theory
(Inflationary Model)

EXPOSE

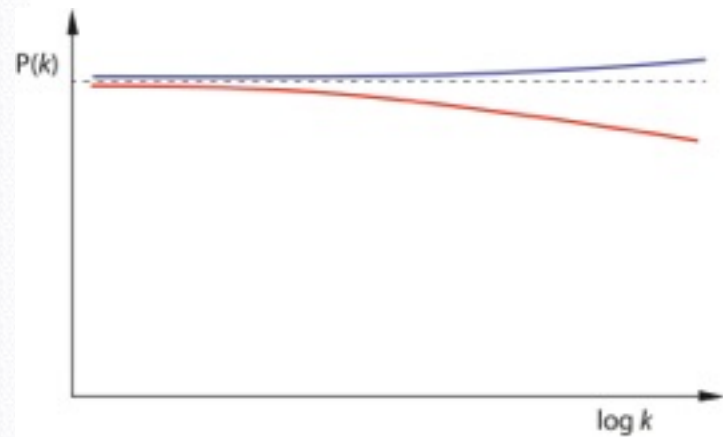
Estimating signal power on different angular scales



Observational data
(Planck CMB Maps)

Confrontation of theory & observation

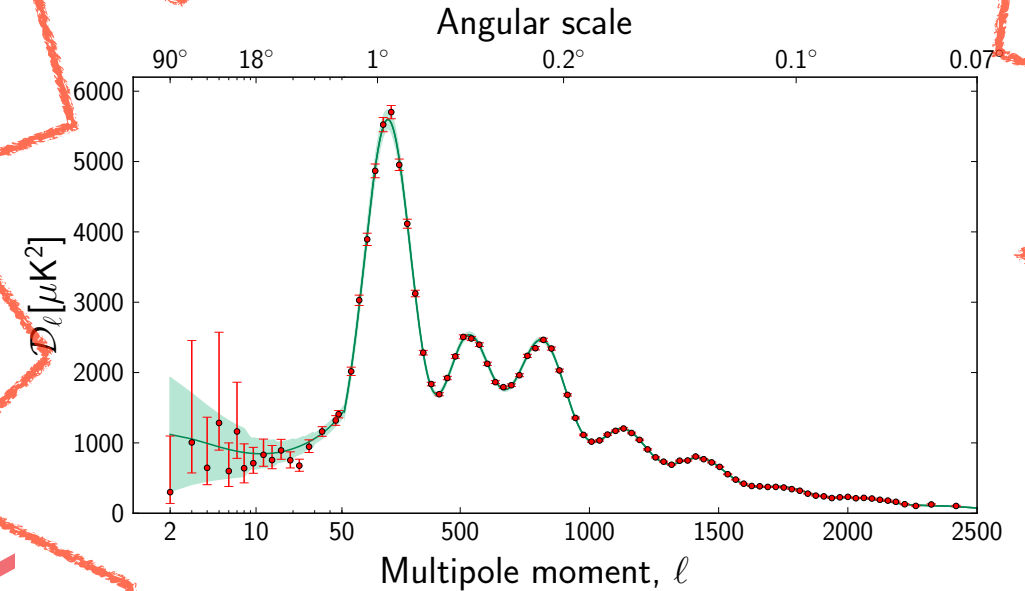
Primordial power spectrum



ENLIGHTEN

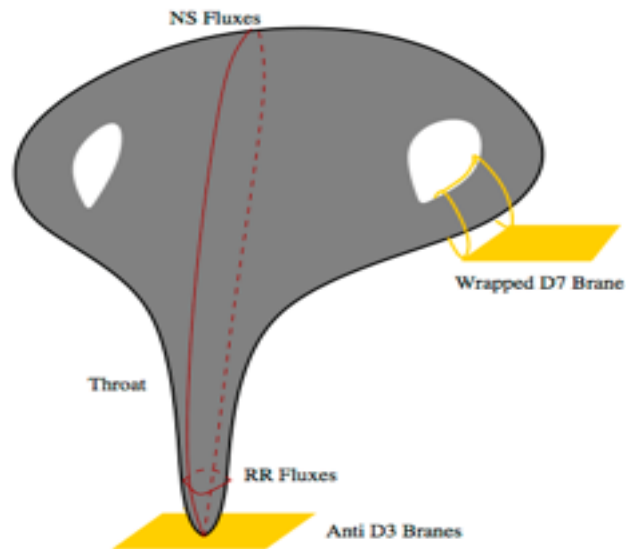
Plasma physics of the standard cosmology
e.g. CAMB / CLASS

CMB angular power spectrum



EUREKA

Modelling inflation and early universe transitions

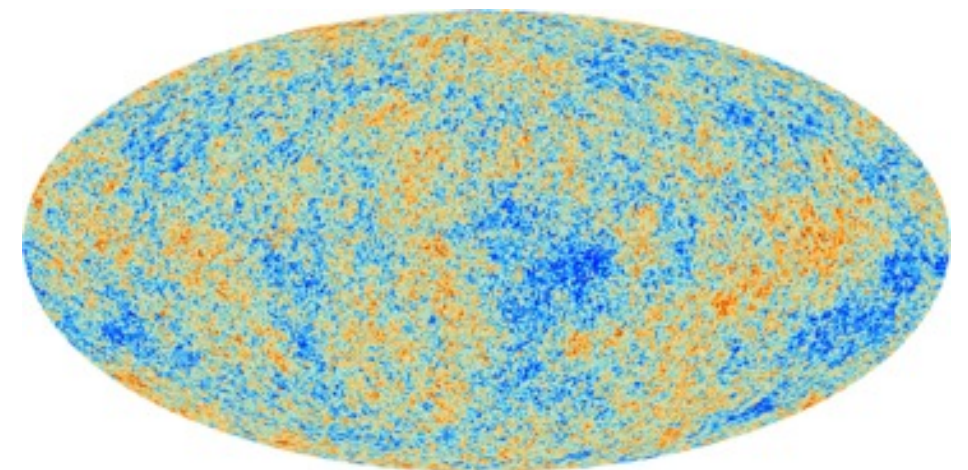


Fundamental Theory
(Inflationary Model)

New insights
or constraints

EXPOSE

Estimating signal power
on different angular scales



Observational data
(Planck CMB Maps)

Inflationary Innovation Problem

5-dimensional assisted inflation	extended open inflation	late-time mild inflation	pre-
anisotropic brane inflation	extended warm inflation	low-scale inflation	prim
anomaly-induced inflation	extra dimensional inflation	low-scale supergravity inflation	prim
assisted inflation	F-term inflation	M-theory inflation	quas
assisted chaotic inflation	F-term hybrid inflation	mass inflation	quir
boundary inflation	false vacuum inflation	massive chaotic inflation	R-inv
brane inflation	false vacuum chaotic inflation	moduli inflation	rapid
brane-assisted inflation	fast-roll inflation	multi-scalar inflation	runn
brane gas inflation	first order inflation	multiple inflation	scal
brane-antibrane inflation	gauged inflation	multiple-field slow-roll inflation	scal
braneworld inflation	generalised inflation	multiple-stage inflation	Seib
Brans-Dicke chaotic inflation	generalized assisted inflation	natural inflation	sing
Brans-Dicke inflation	generalized slow-roll inflation	natural Chaotic inflation	spin
bulky brane inflation	gravity driven inflation	natural double inflation	stab
chaotic hybrid inflation	Hagedorn inflation	natural supergravity inflation	stea
chaotic inflation	higher-curvature inflation	new inflation	stee
chaotic new inflation	hybrid inflation	next-to-minimal supersymmetric hybrid inflation	stoc
D-brane inflation	hyperextended inflation	non-commutative inflation	strin
D-term inflation	induced gravity inflation	non-slow-roll inflation	succ
dilaton-driven inflation	induced gravity open inflation	nonminimal chaotic inflation	supe
dilaton-driven brane inflation	intermediate inflation	old inflation	supe
double inflation	inverted hybrid inflation	open hybrid inflation	supe
double D-term inflation	isocurvature inflation	open inflation	supe
dual inflation	K inflation	oscillating inflation	supe
dynamical inflation	kinetic inflation	polynomial chaotic inflation	supe
dynamical SUSY inflation	lambda inflation		

Inflationary Innovation Problem

extra dimensional inflation
F-term inflation
F-term hybrid inflation
false vacuum inflation
false vacuum chaotic inflation
fast-roll inflation
first order inflation
gauged inflation
generalised inflation
generalized assisted inflation
generalized slow-roll inflation
gravity driven inflation
Hagedorn inflation
higher-curvature inflation
hybrid inflation
hyperextended inflation
induced gravity inflation
induced gravity open inflation
intermediate inflation
inverted hybrid inflation
isocurvature inflation
K inflation
kinetic inflation
lambda inflation
large field inflation
late D-term inflation

low-scale supergravity inflation
M-theory inflation
mass inflation
massive chaotic inflation
moduli inflation
multi-scalar inflation
multiple inflation
multiple-field slow-roll inflation
multiple-stage inflation
natural inflation
natural Chaotic inflation
natural double inflation
natural supergravity inflation
new inflation
next-to-minimal supersymmetric
 hybrid inflation
non-commutative inflation
non-slow-roll inflation
nonminimal chaotic inflation
old inflation
open hybrid inflation
open inflation
oscillating inflation
polynomial chaotic inflation
polynomial hybrid inflation
power-law inflation

primordial inflation
quasi-open inflation
quintessential inflation
R-invariant topological inflation
rapid asymmetric inflation
running inflation
scalar-tensor gravity inflation
scalar-tensor stochastic inflation
Seiberg-Witten inflation
single-bubble open inflation
spinodal inflation
stable starobinsky-type inflation
steady-state eternal inflation
steep inflation
stochastic inflation
string-forming open inflation
successful D-term inflation
supergravity inflation
supernatural inflation
superstring inflation
supersymmetric hybrid inflation
supersymmetric inflation
supersymmetric topological inflation
supersymmetric new inflation
synergistic warm inflation
TeV-scale hybrid inflation

Inflationary Innovation Problem

extra dimensional inflation
F-term inflation
F-term hybrid inflation
false vacuum inflation
false vacuum chaotic inflation
fast-roll inflation
first order inflation
gauged inflation
generalised inflation
generalized assisted inflation
generalized slow-roll
gravity driven inflation
Hagedorn inflation
higher-curvature inflation
hybrid inflation
hyperextended inflation
induced gravity inflation
induced gravity open inflation
intermediate inflation
inverted hybrid inflation
isocurvature inflation
K inflation
kinetic inflation
lambda inflation
large field inflation
late D-term inflation



low-scale supergravity inflation
M-theory inflation
mass inflation
massive chaotic inflation
moduli inflation
multi-scalar inflation
multiple inflation
multiple-field slow-roll inflation
multiple-stage inflation
natural inflation
natural Chaotic inflation
natural double inflation
natural supergravity inflation
new inflation
next-to-minimal supersymmetric
hybrid inflation
non-commutative inflation
non-slow-roll inflation
nonminimal chaotic inflation
old inflation
open hybrid inflation
open inflation
oscillating inflation
polynomial chaotic inflation
polynomial hybrid inflation
power-law inflation

primordial inflation
quasi-open inflation
quintessential inflation
R-invariant topological inflation
rapid asymmetric inflation
running inflation
scalar-tensor gravity inflation
scalar-tensor stochastic inflation
Seiberg-Witten inflation
single-bubble open inflation
spinodal inflation
stable starobinsky-type inflation
steady-state eternal inflation
steep inflation
stochastic inflation
string-forming open inflation
successful D-term inflation
supergravity inflation
supernatural inflation
superstring inflation
supersymmetric hybrid inflation
supersymmetric inflation
supersymmetric topological inflation
supersymmetric new inflation
synergistic warm inflation
TeV-scale hybrid inflation

Inflationary Innovation Problem

extra dimensional inflation
F-term inflation
F-term hybrid inflation
false vacuum inflation
false vacuum chaotic inflation
fast-roll inflation
first order inflation
gauged inflation
generalised inflation
generalized assisted inflation
generalized slow-roll
gravity driven inflation
Hagedorn inflation
higher-curvature inflation
hybrid inflation
hyperextended inflation
induced gravity inflation
induced gravity open inflation
intermediate inflation
inverted hybrid inflation
isocurvature inflation
K inflation
kinetic inflation
lambda inflation
large field inflation
late D-term inflation

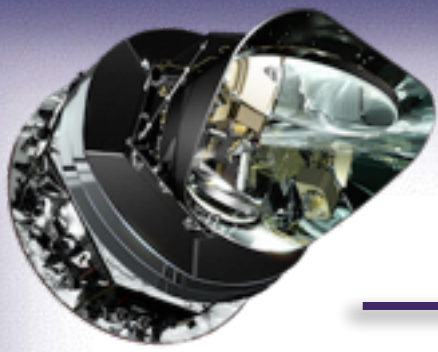


low-scale supergravity inflation
M-theory inflation
mass inflation
massive chaotic inflation
moduli inflation
multi-scalar inflation
multiple inflation
multiple-field slow-roll
multiple-stage inflation
natural inflation
natural Chaotic inflation
natural double inflation
natural supergravity inflation
new inflation
next-to-minimal supergravity hybrid inflation
non-commutative inflation
non-slow-roll inflation
nonminimal chaotic inflation
old inflation
open hybrid inflation
open inflation
oscillating inflation
polynomial chaotic inflation
polynomial hybrid inflation
power-law inflation

primordial inflation
quasi-open inflation
quintessential inflation
R-invariant topological inflation
rapid asymmetric inflation
running inflation
scalar-tensor gravity inflation



supernatural inflation
superstring inflation
supersymmetric hybrid inflation
supersymmetric inflation
supersymmetric topological inflation
supersymmetric new inflation
synergistic warm inflation
TeV-scale hybrid inflation

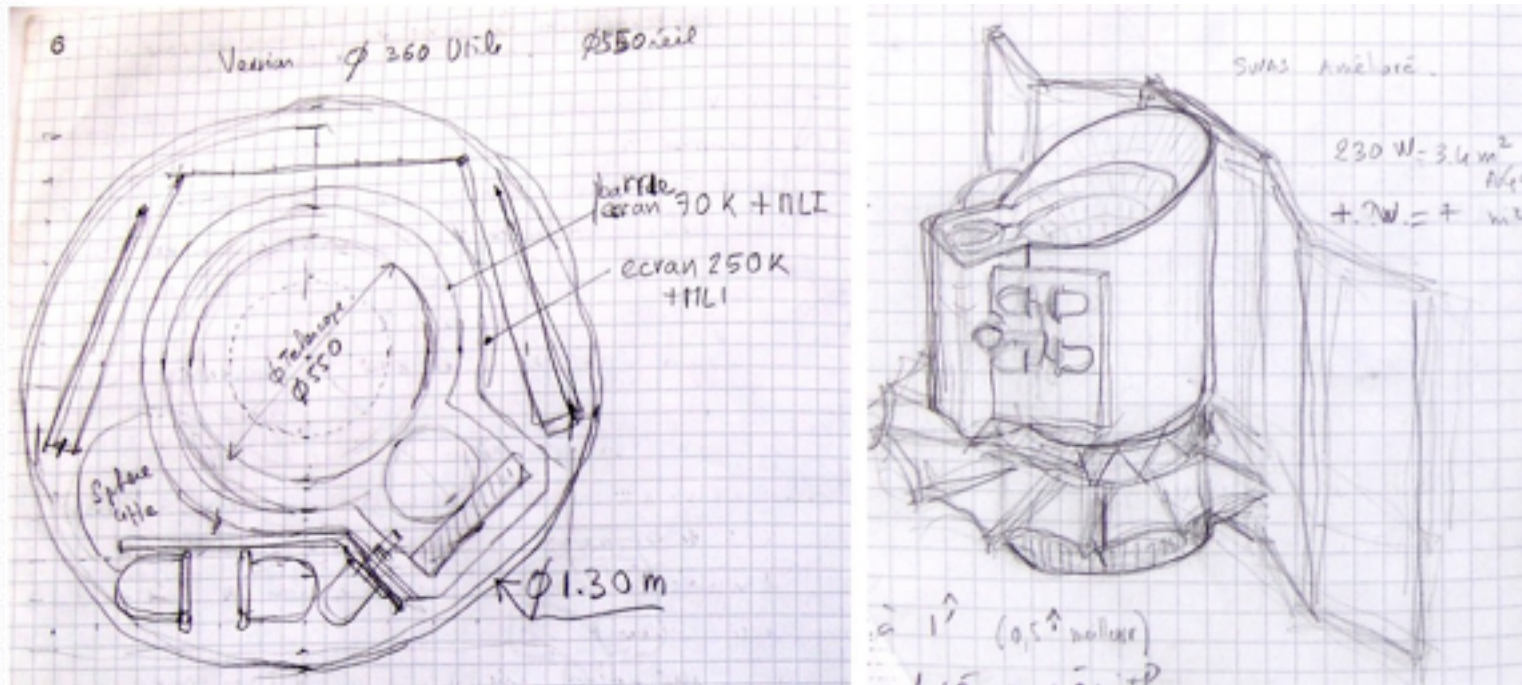


Origins of Planck



First proposed in 1993 as two satellites COBRAS & SAMBA

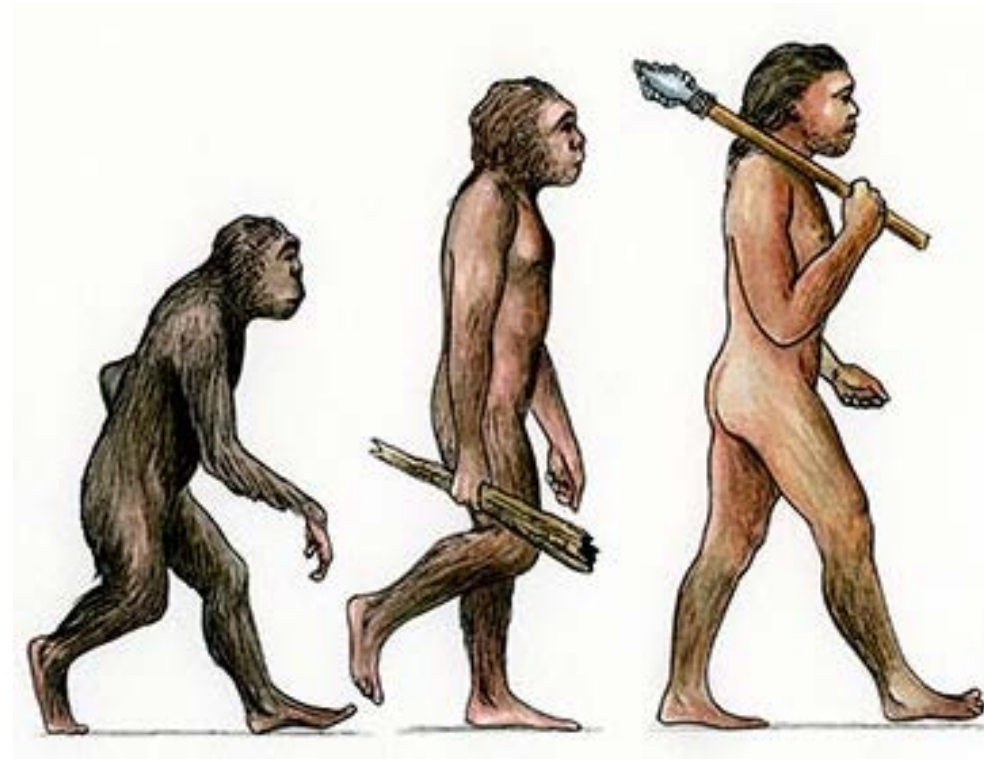
Conceptual drawings (©Jean-Michelle Lamarre, Observatoire de Paris)



COBE

WMAP

PLANCK



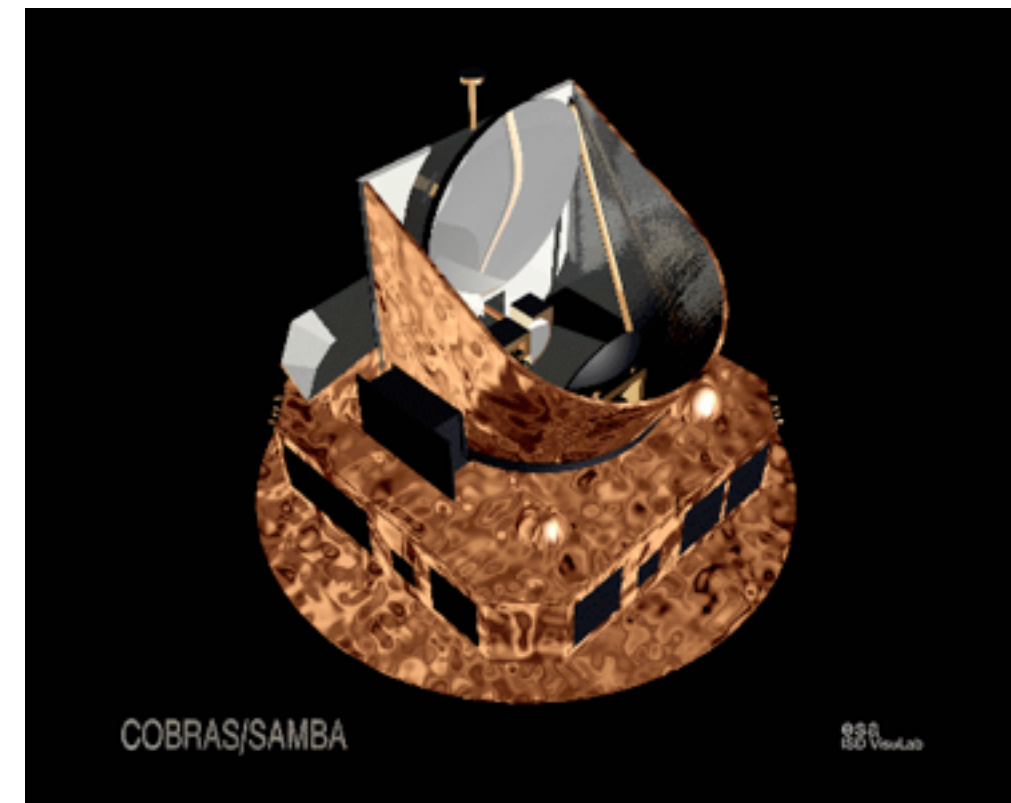
Selected as COBRAS/SAMBA in 1996 in ESA Horizons
- became Planck (launch planned for 2003 with Herschel):

Low Frequency Instrument - HEMT radio arrays @ 100K

High Frequency Instrument - Bolometer arrays @ 0.1 K

In 2000, tender won by Alcatel (now Thales Alenia Space)

Various hiccups and delays (e.g. 100GHz LFI channel)

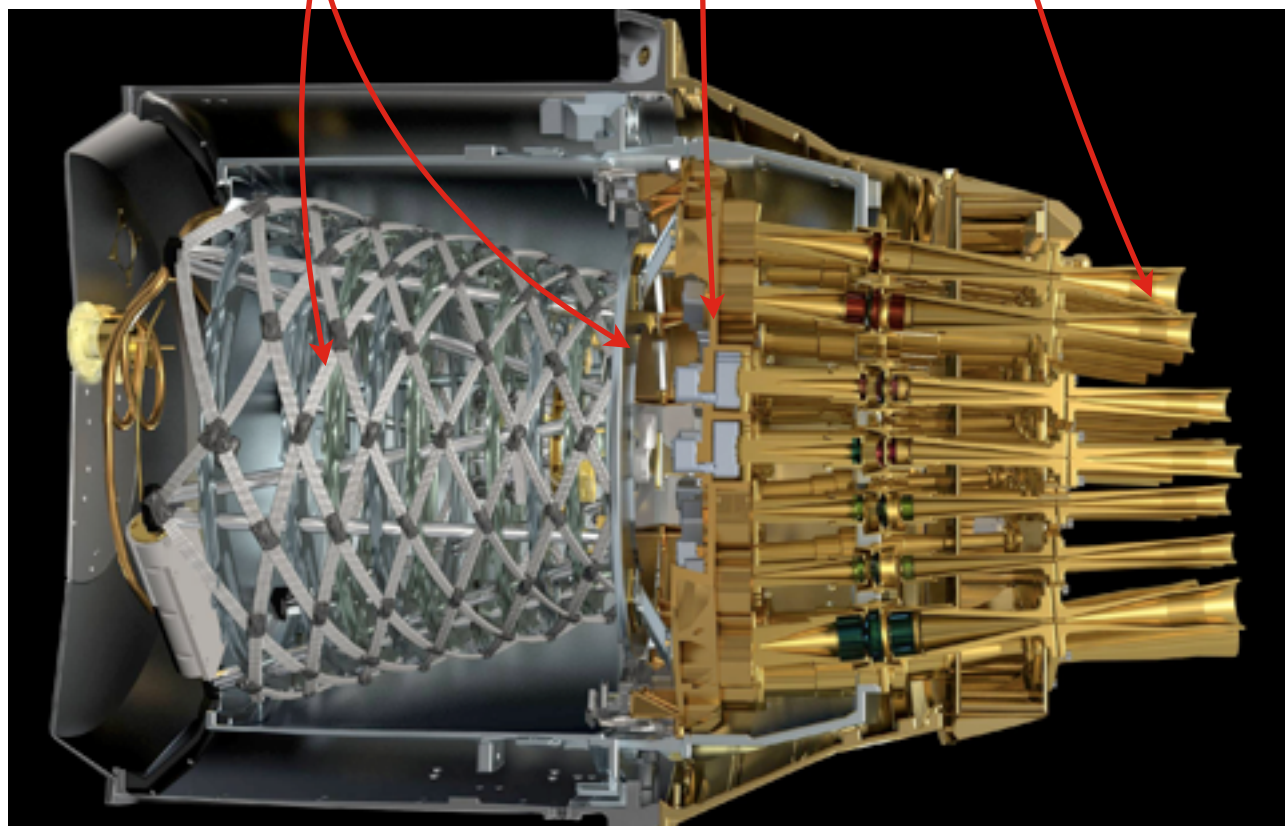


HFI experiment

The Planck High Frequency Instrument (HFI) detects photons using bolometers in 6 freq. bands

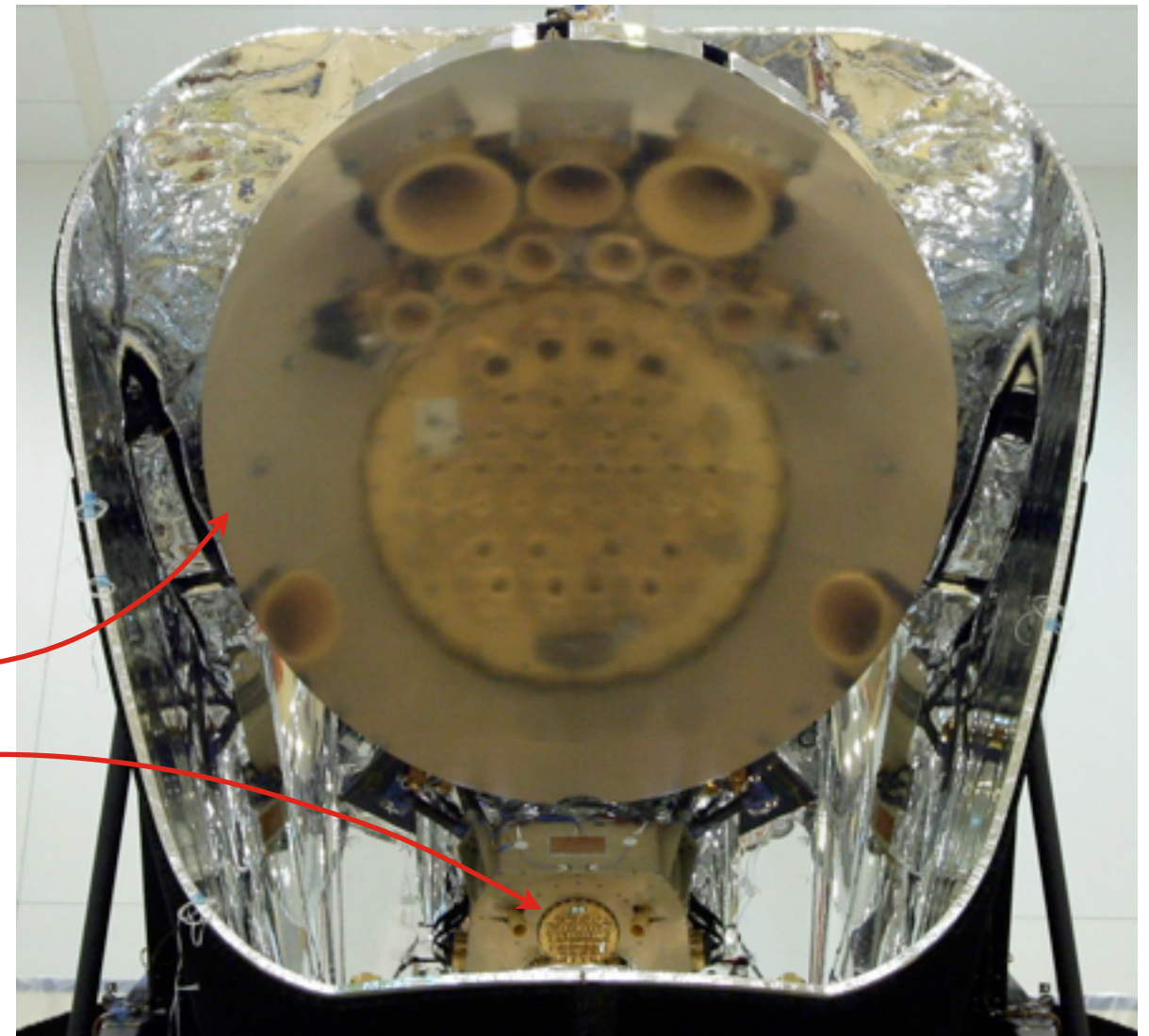
- 48 bolometers (thermal detectors) absorptive elements, radiation raises their temp measured by thermistor (32 pol. sensitive detectors, 4 freq.)
- A chain of coolers, culminating in dilution coolers maintains a temperature of 0.1 K

Cooling chain Bolometers Horns

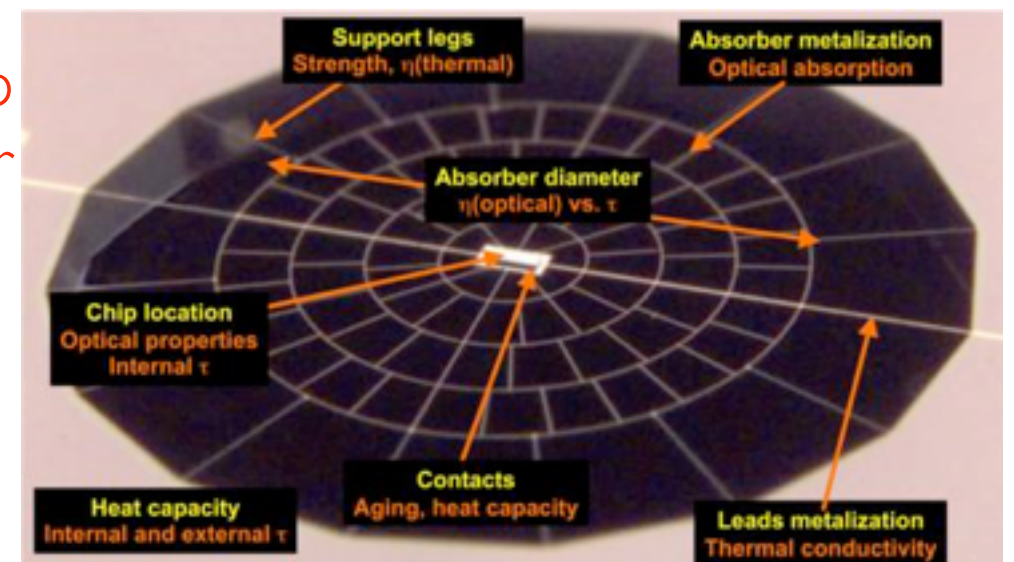


Mirror

HFI

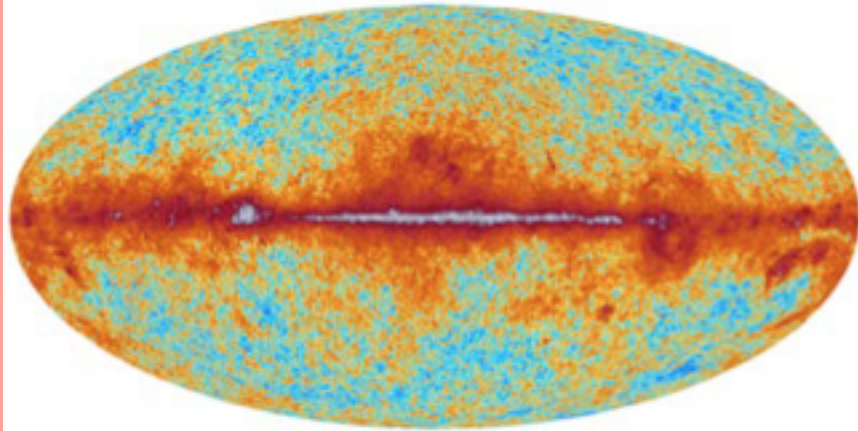


Spiderweb bolometer

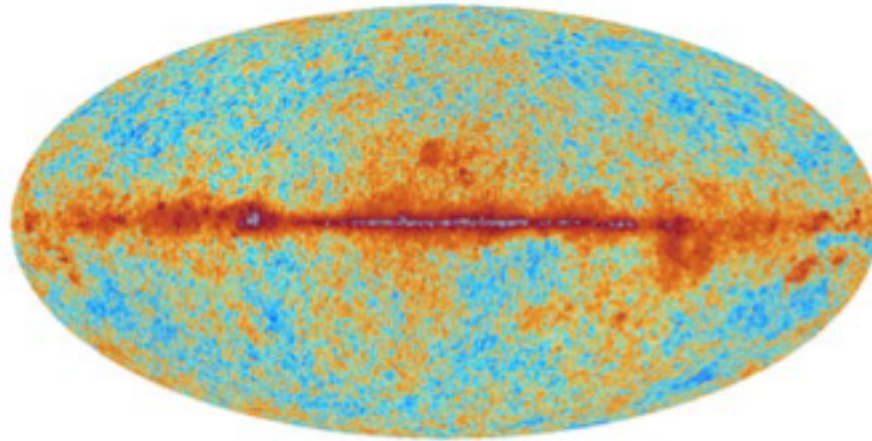


Planck frequency maps

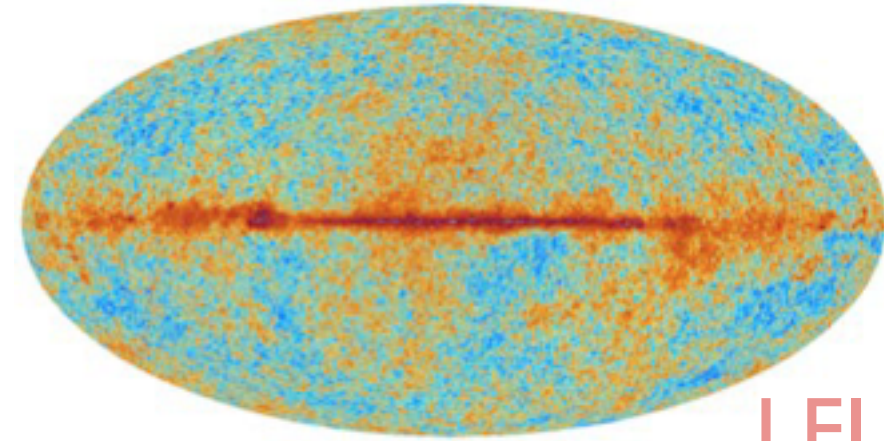
30 GHz



44 GHz

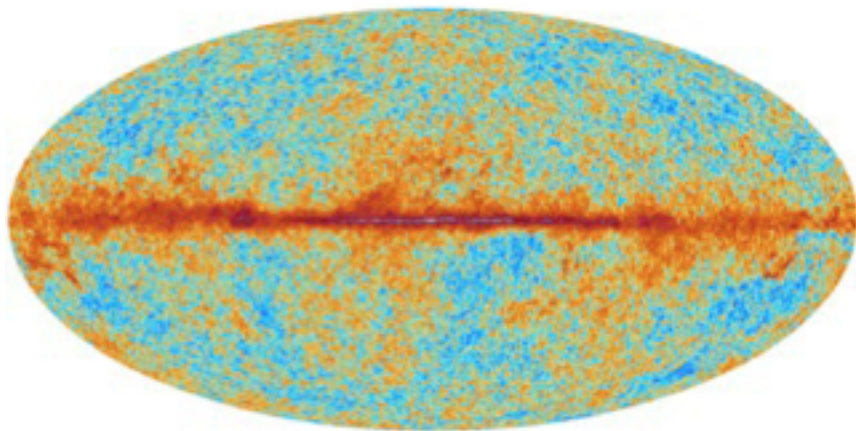


70 GHz

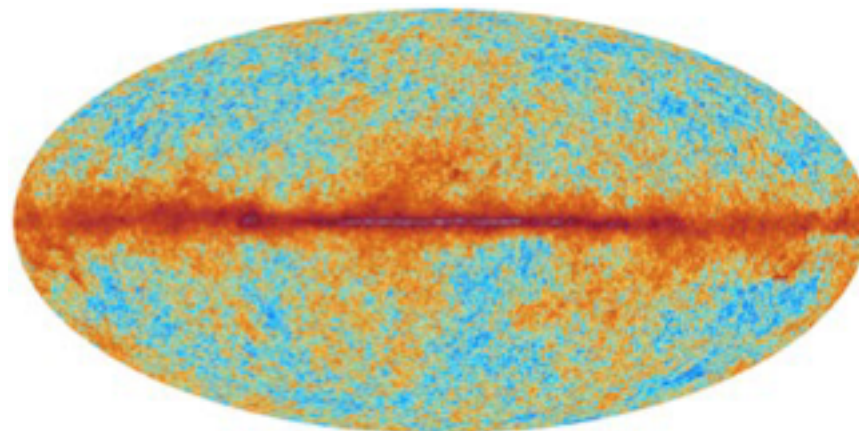


LFI

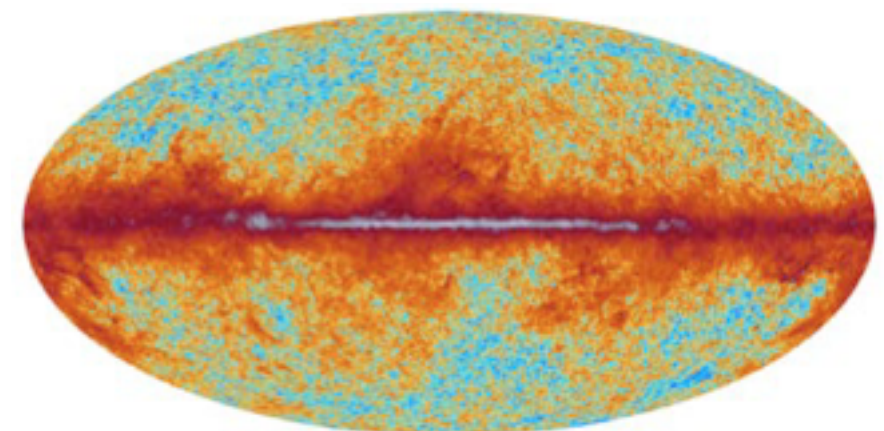
100 GHz



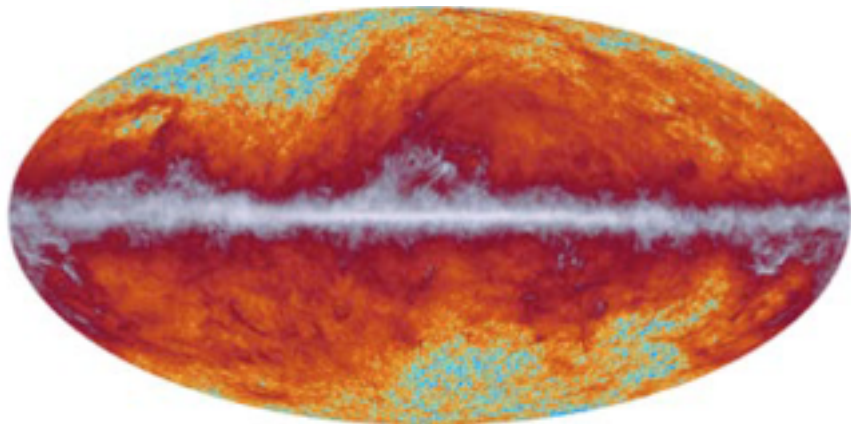
143 GHz



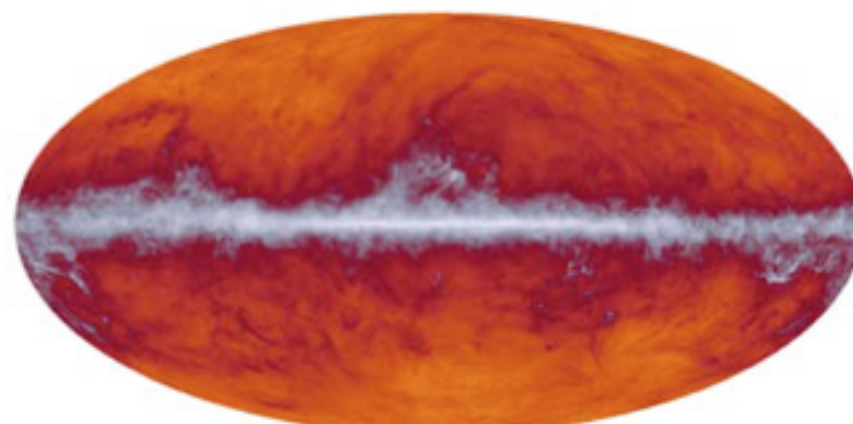
217 GHz



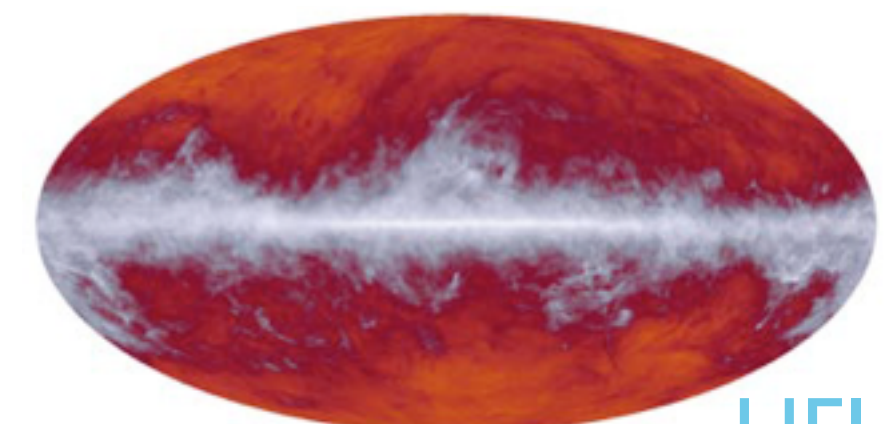
353 GHz



545 GHz

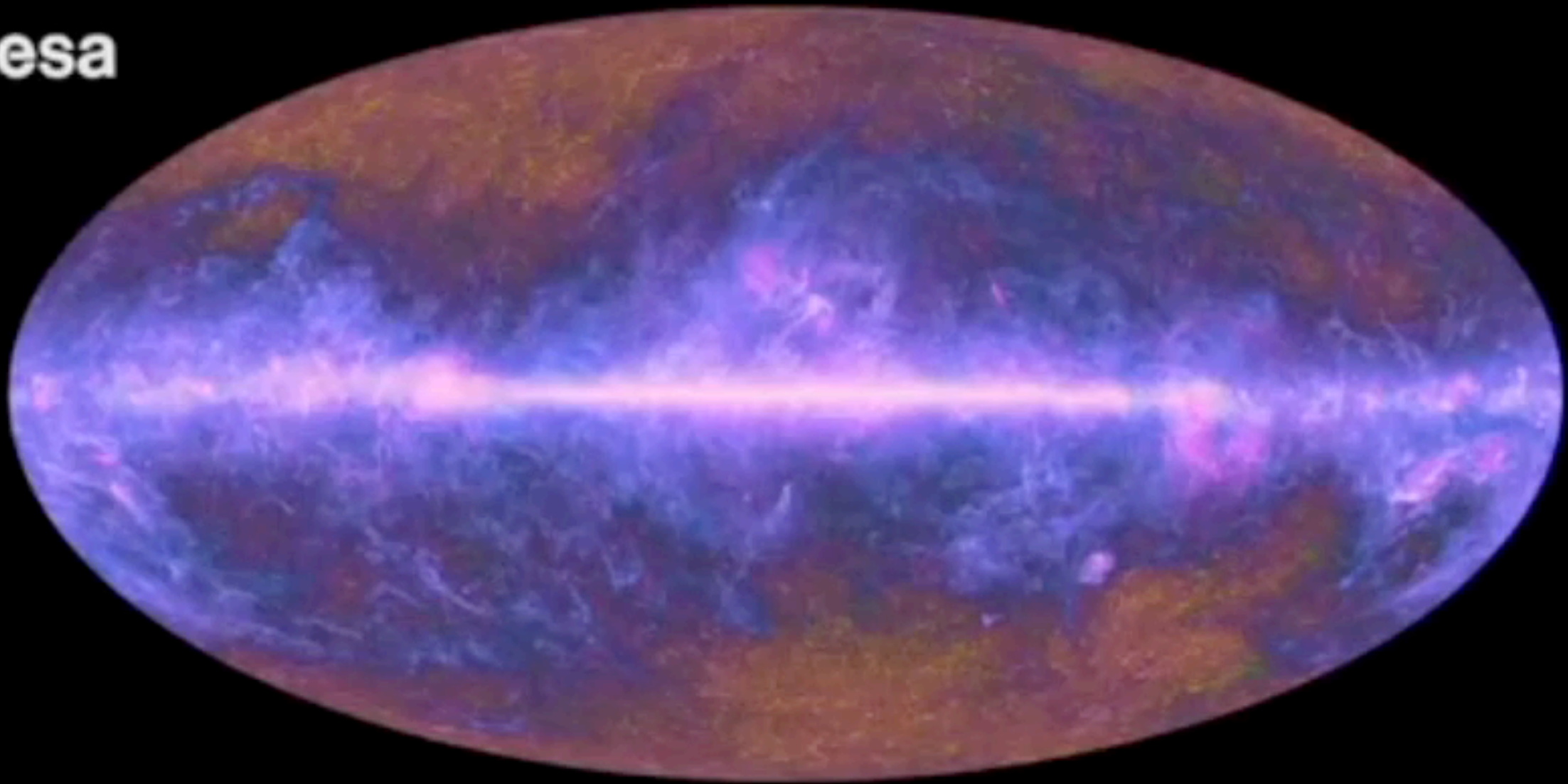


857 GHz



HFI

Cleaning foregrounds from the CMB



Individual
sources

+

Radio emission
from the Milky Way

+

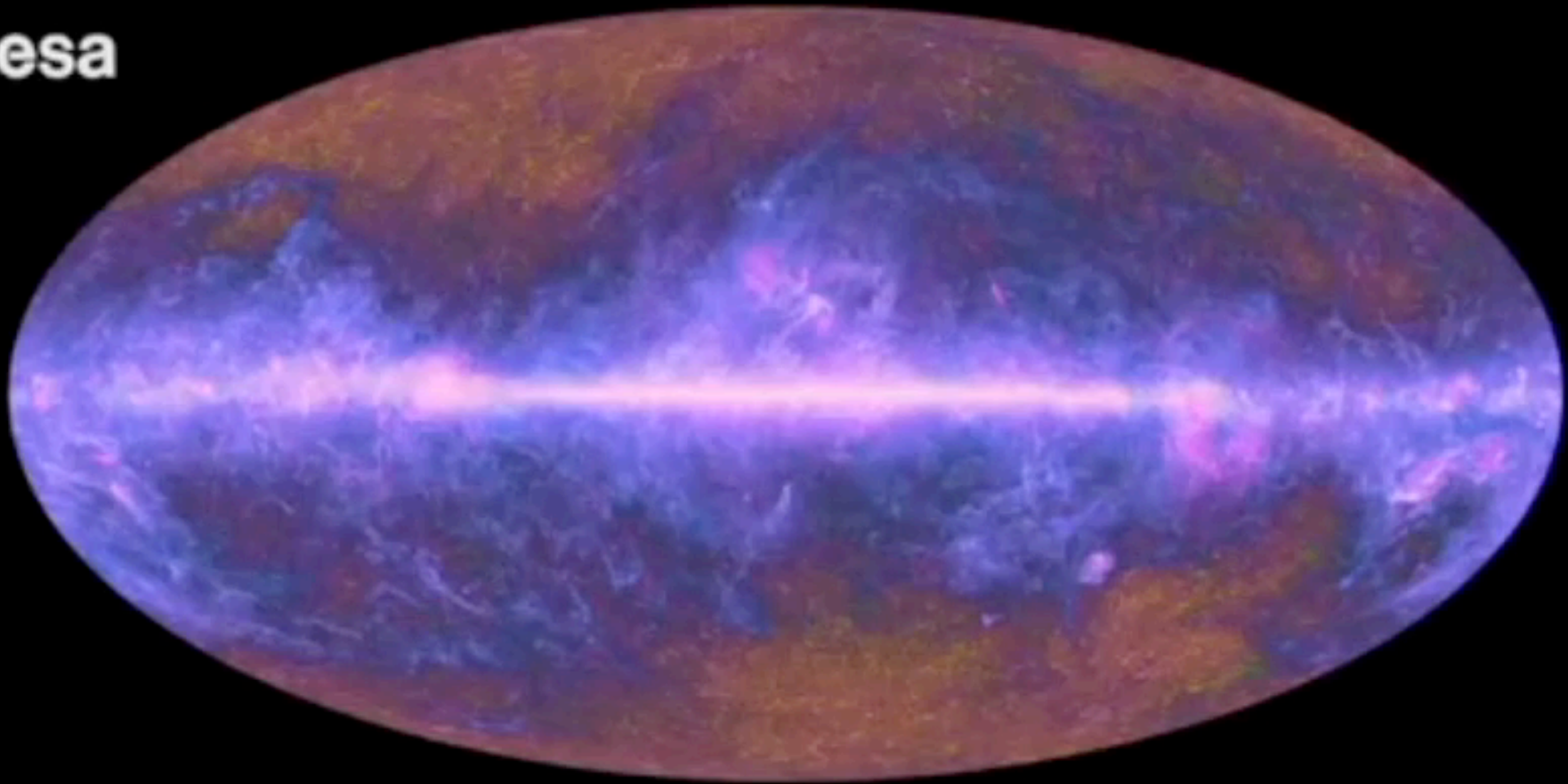
Dust emission
from the Milky Way

+

Cosmic Microwave
Background

All emissions at microwave & submillimetre wavelengths

Cleaning foregrounds from the CMB



Individual
sources

+

Radio emission
from the Milky Way

+

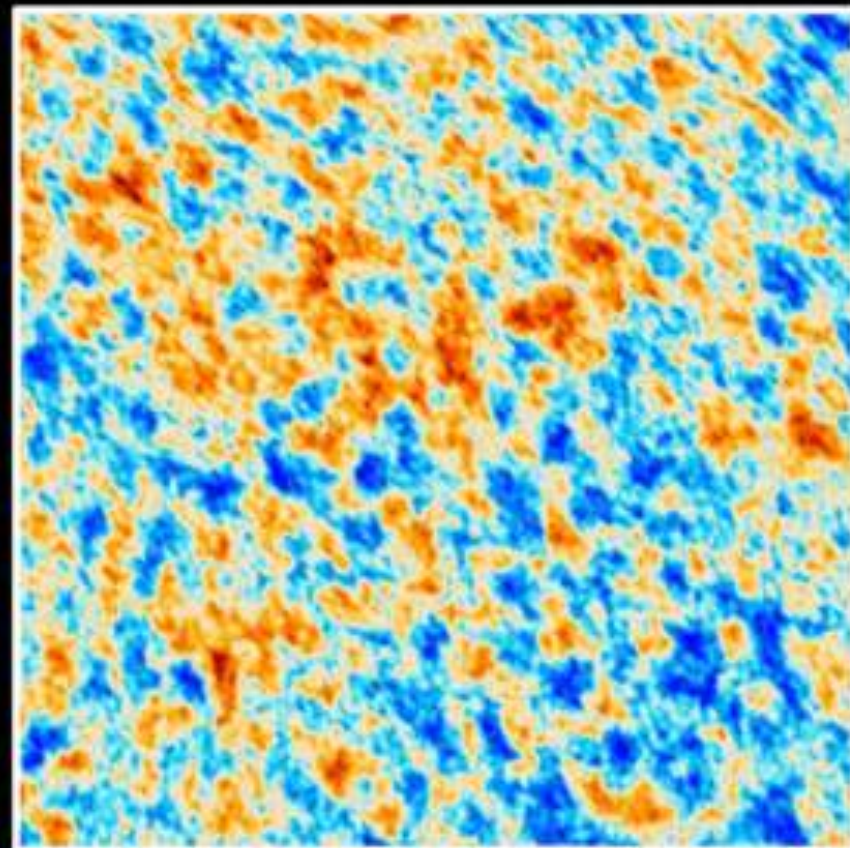
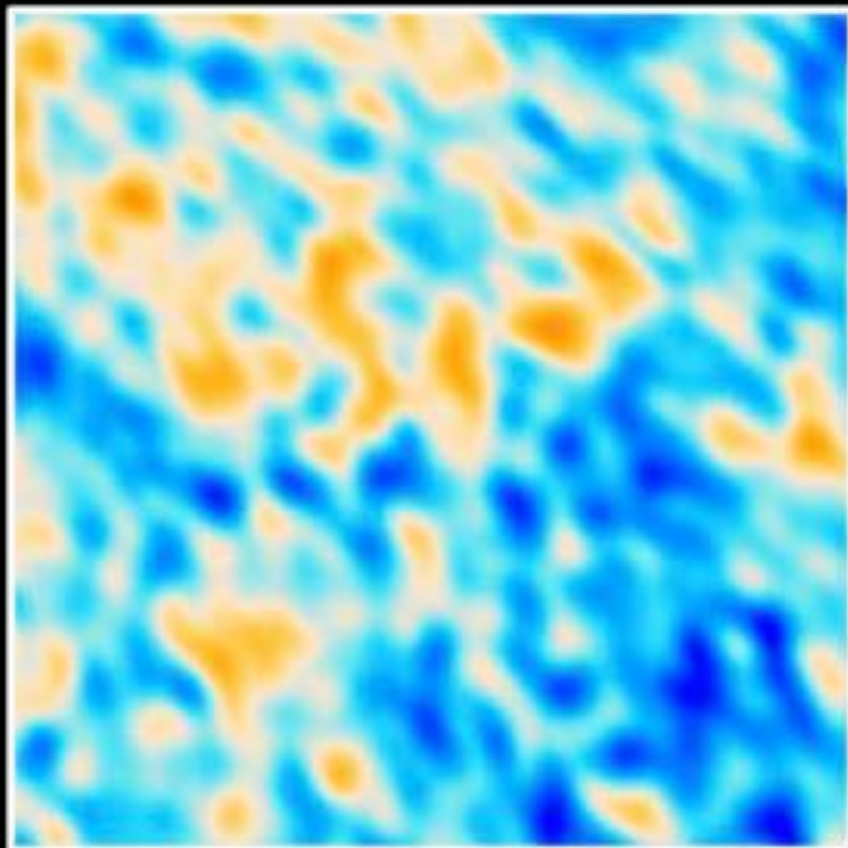
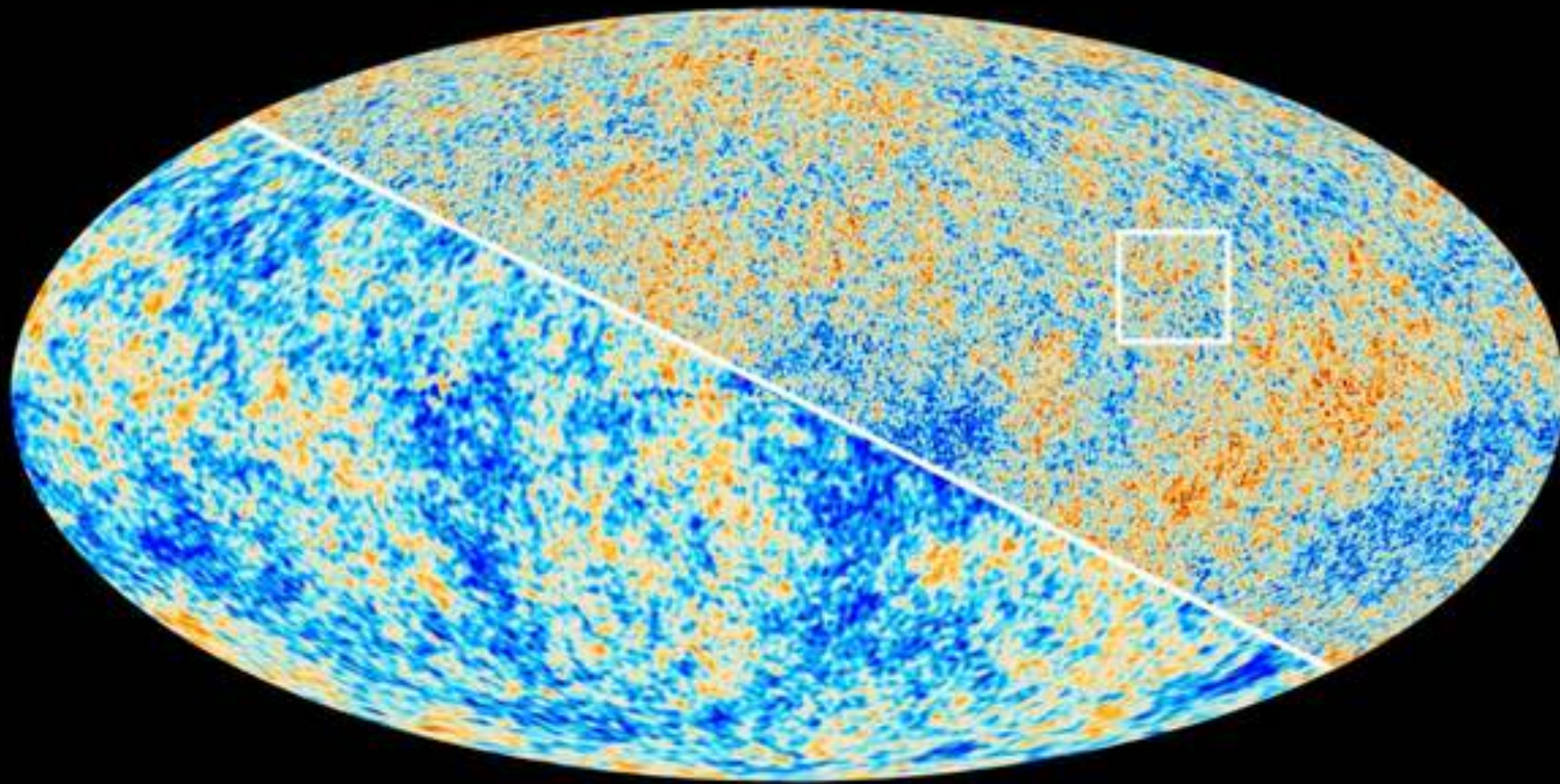
Dust emission
from the Milky Way

+

Cosmic Microwave
Background

All emissions at microwave & submillimetre wavelengths

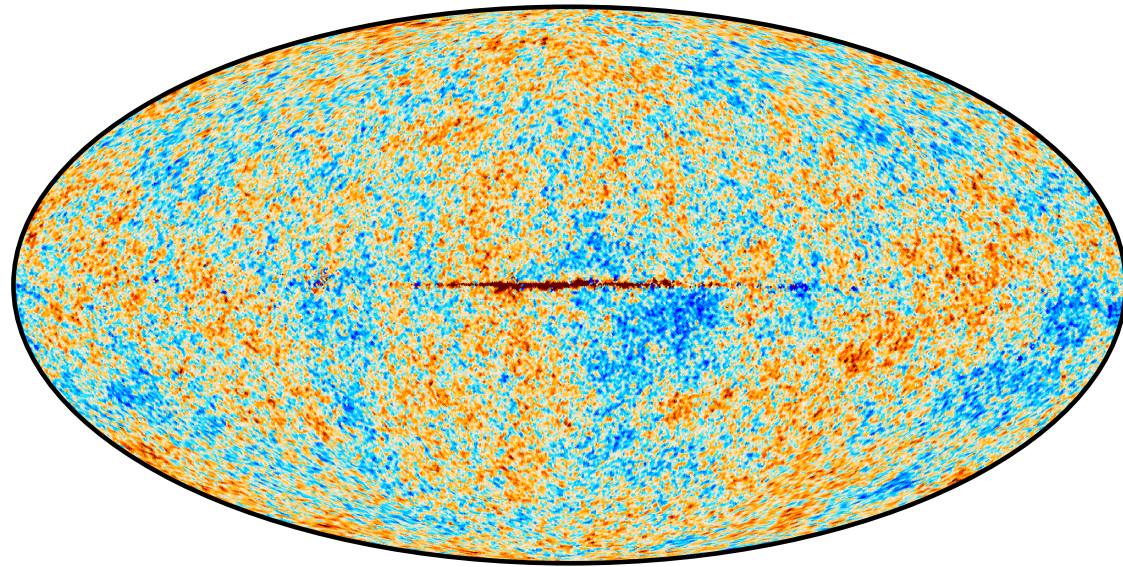
WMAP vs Planck



Foreground-cleaned CMB maps

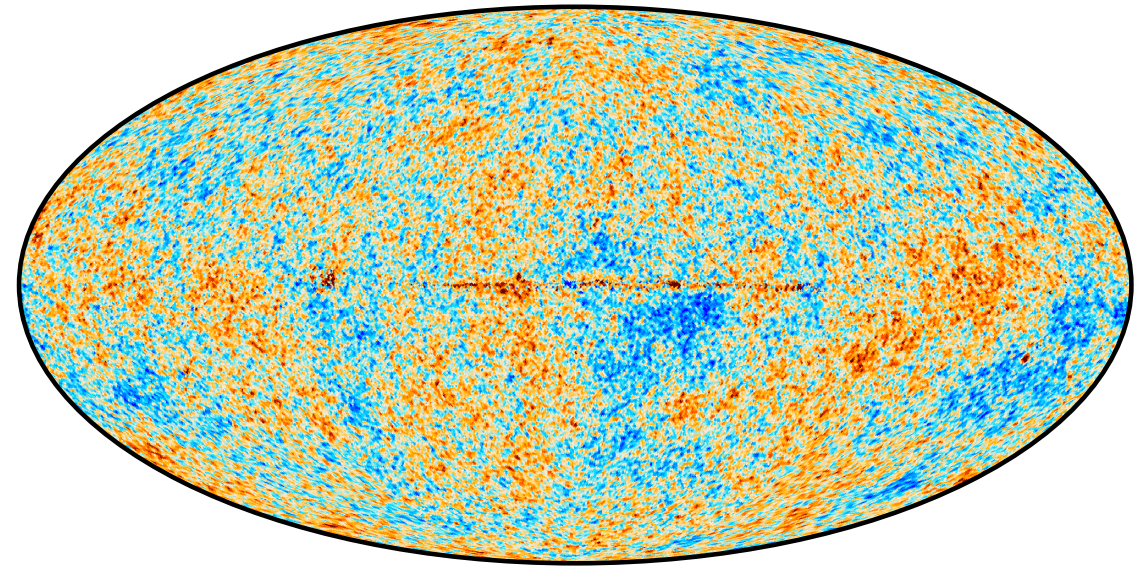
Commander-Ruler (C-R) - Pixel domain: fits parametrized model of CMB and foregrounds

C-R

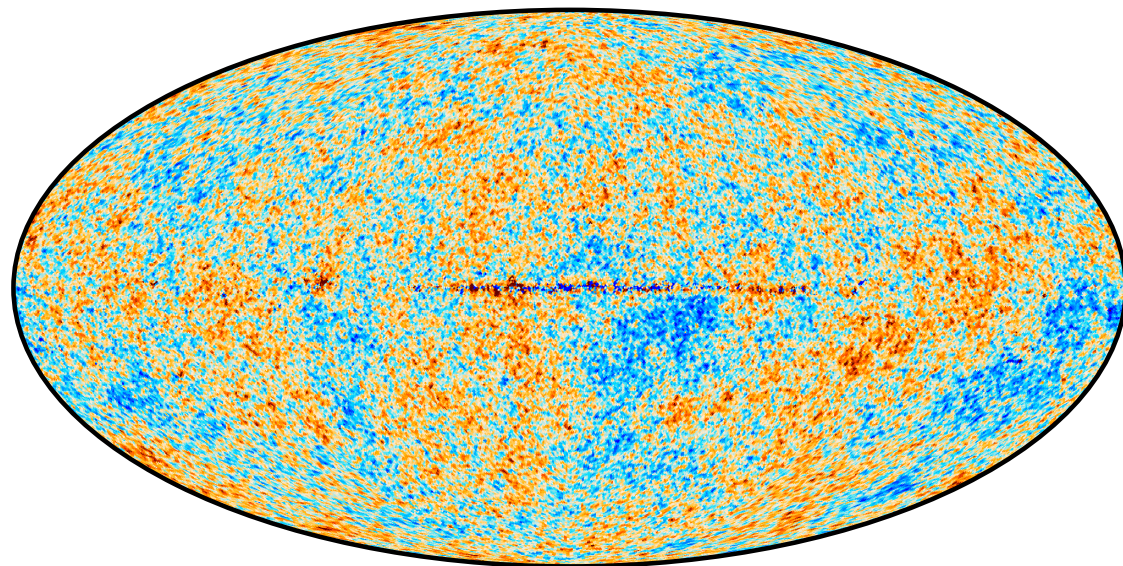


Internal linear combination (NILC) Needlet (wavelet) domain: minimizes variance of CMB signal

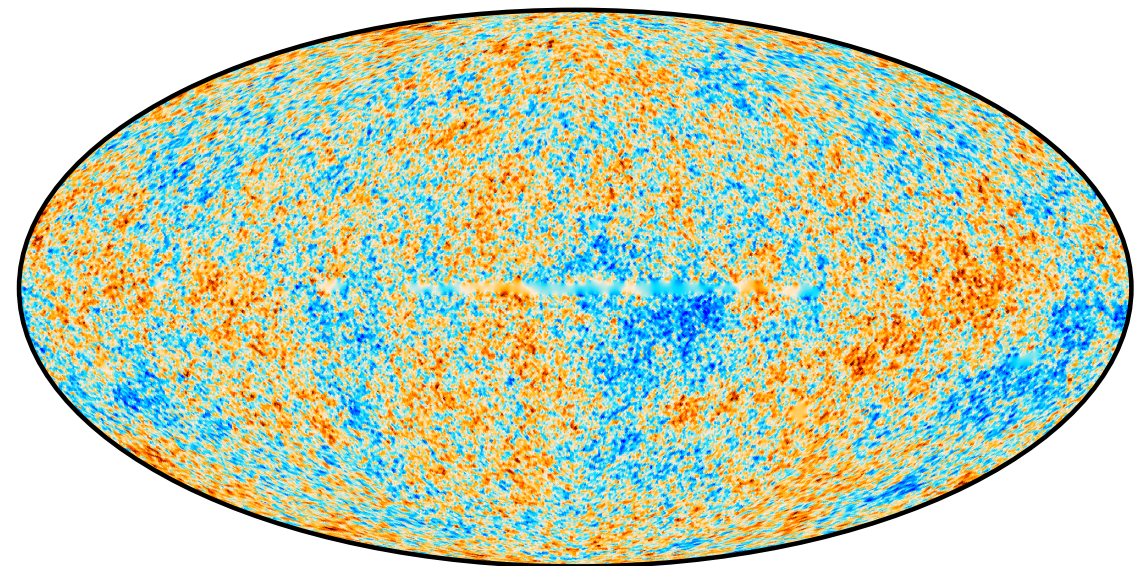
NILC



SEVEM



SMICA



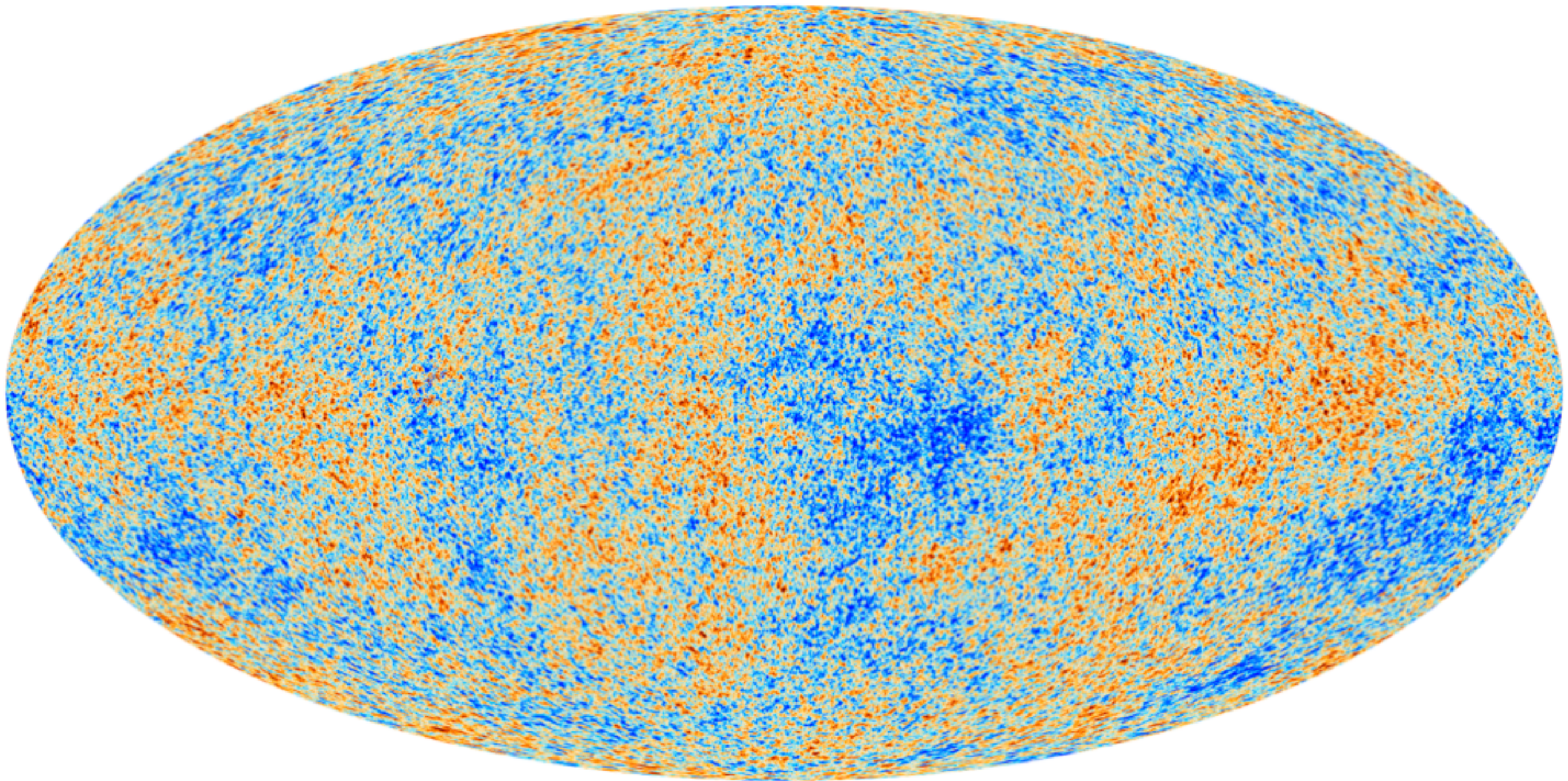
Template fitting (SEVEM) - Pixel domain: removes templates found by subtracting frequency channels



Spectral matching (SMICA) Harmonic domain: fits model of foregrounds and solves for CMB

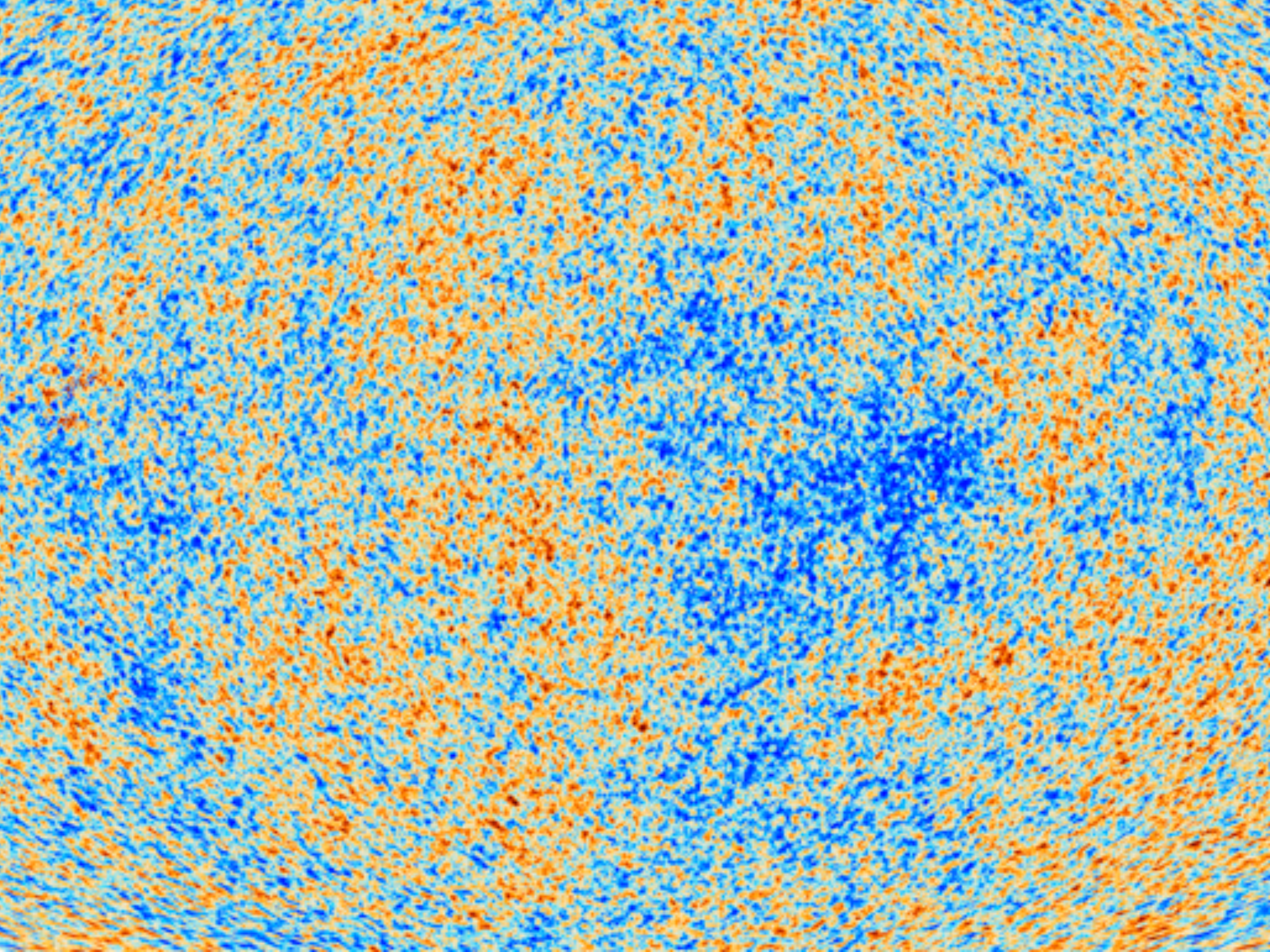
Planck SMICA CMB map

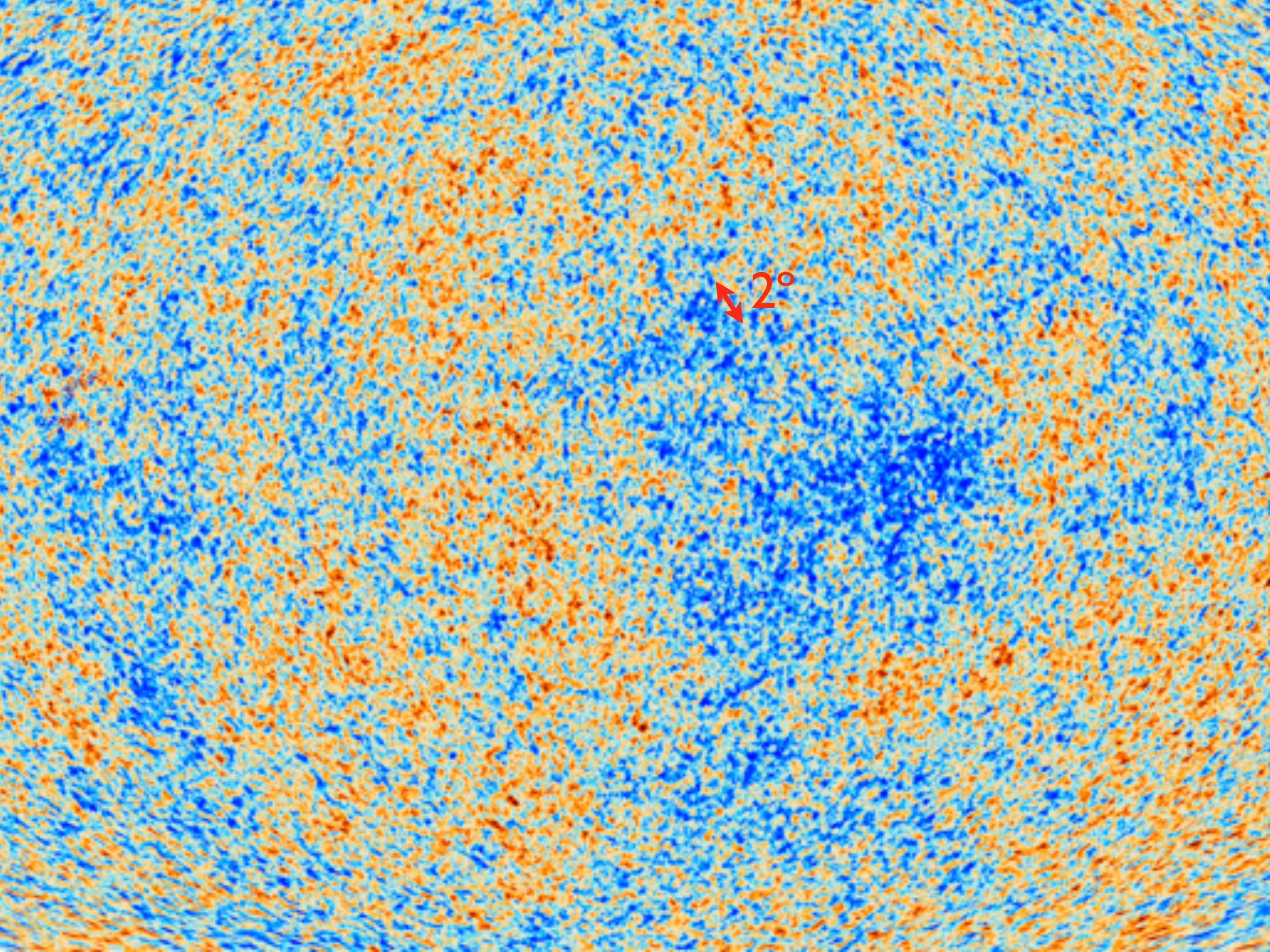
Leading method for high- l analysis - min. foreground residuals and preserves non-Gaussianity
- the 3% processing mask has been filled in with a constrained realization



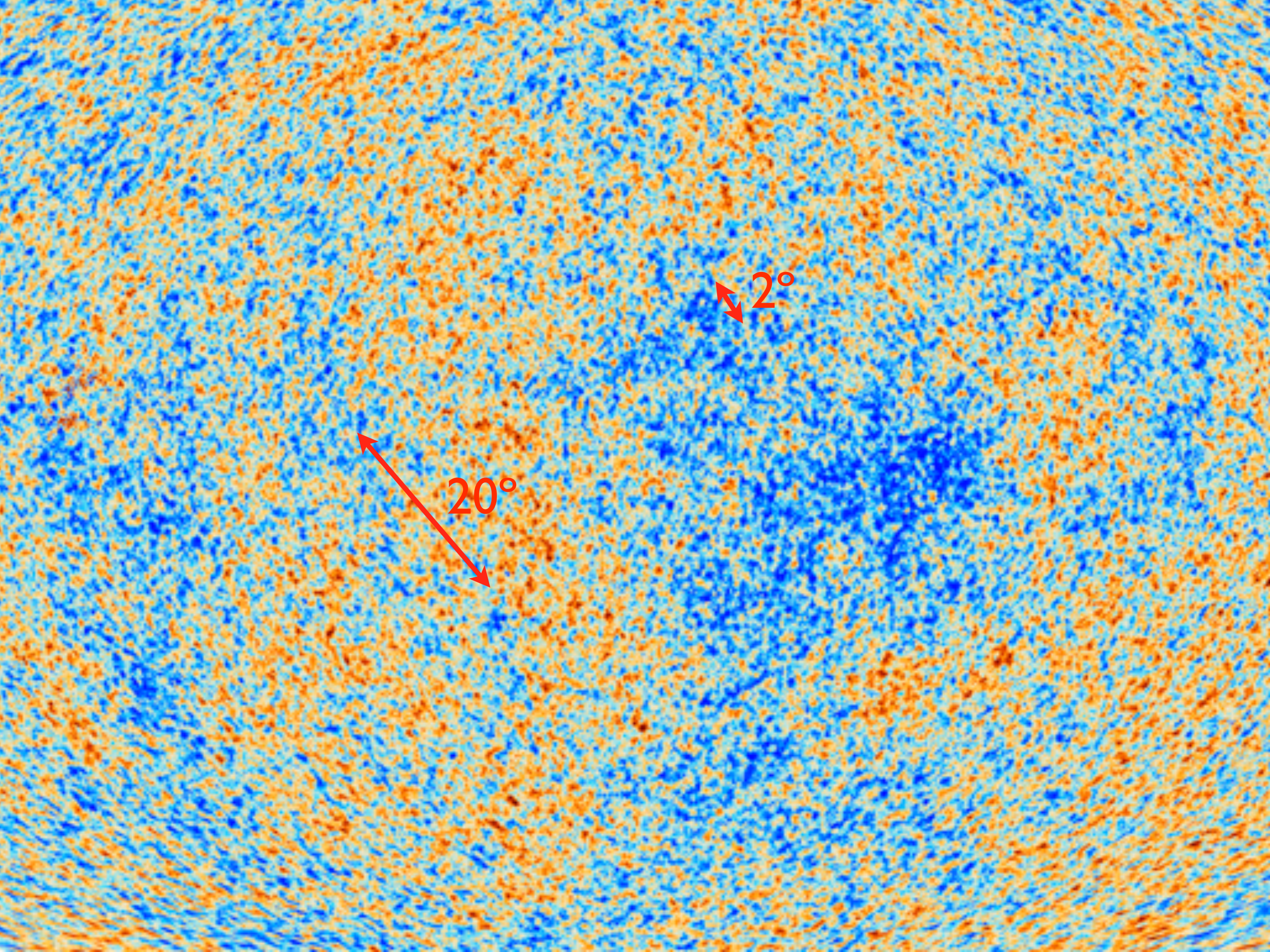
Key public data product from the Planck mission, refer to:

http://www.sciops.esa.int/index.php?project=planck&page=Planck_Legacy_Archive





↔ 2°



2°

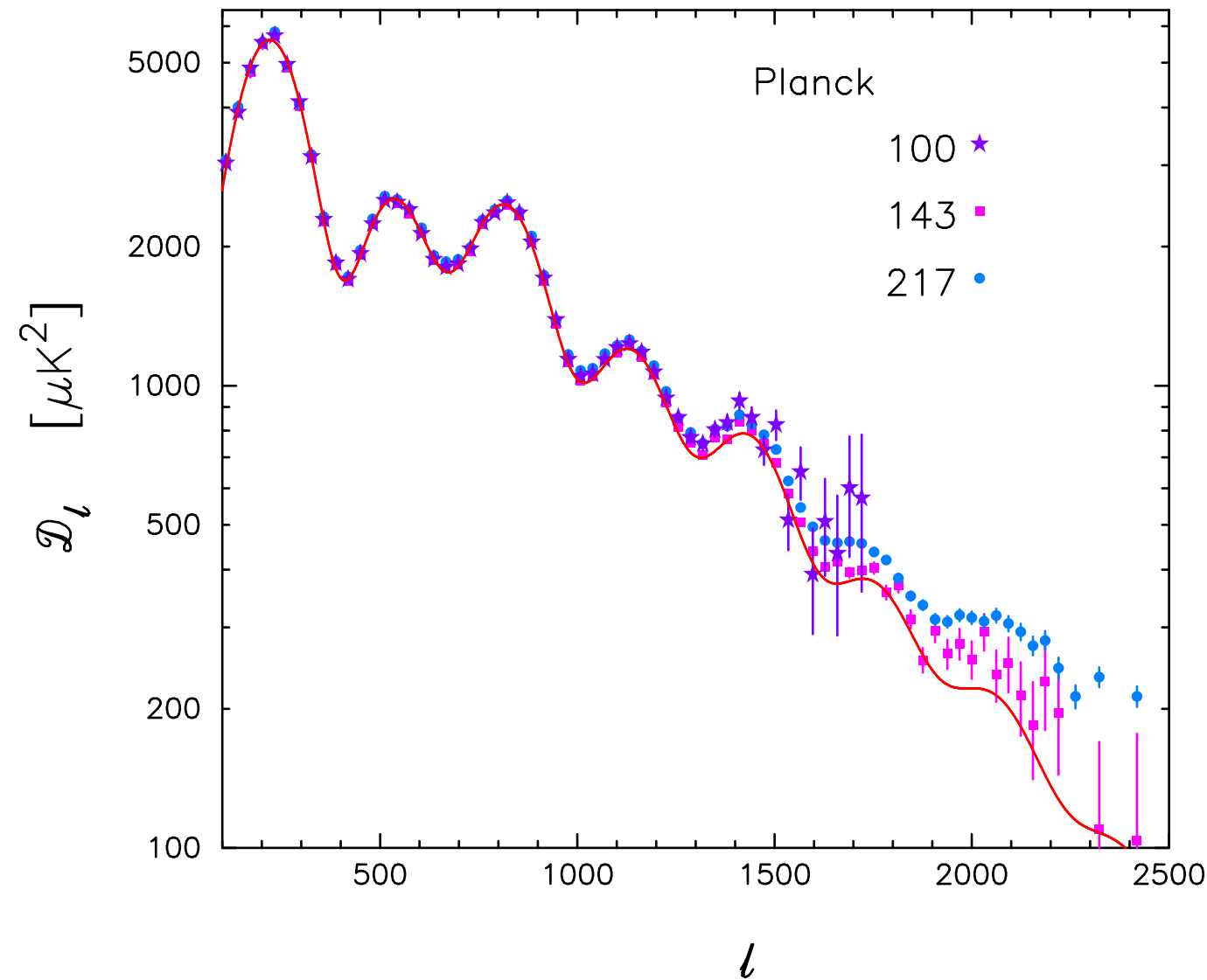
20°



Planck power spectrum

Conservative spectral analysis

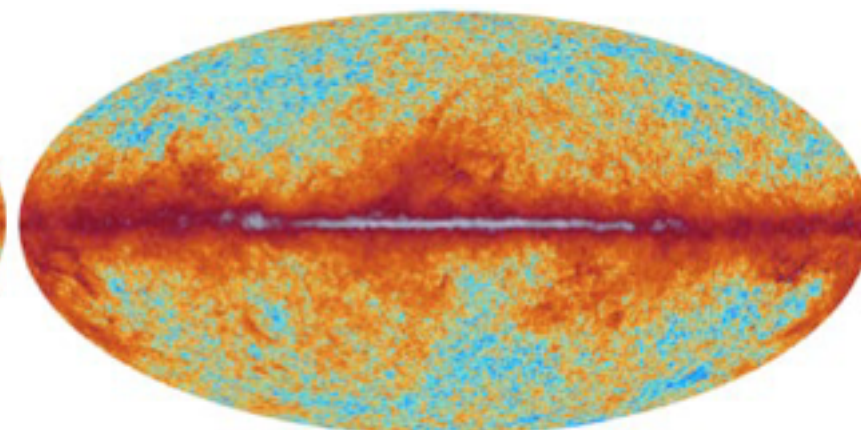
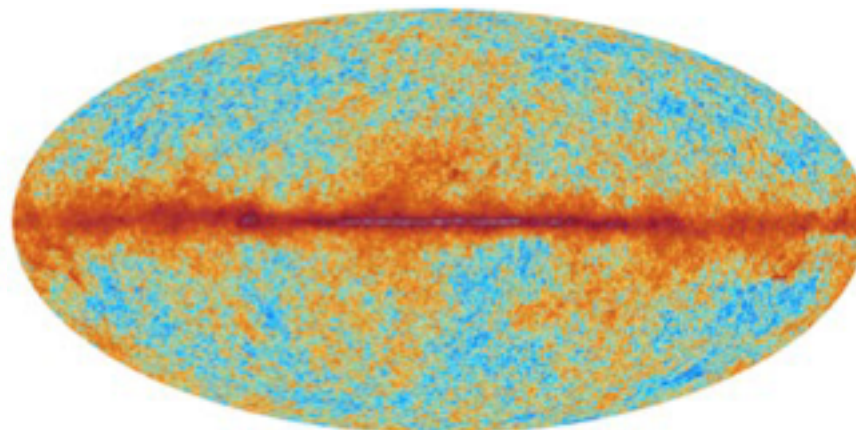
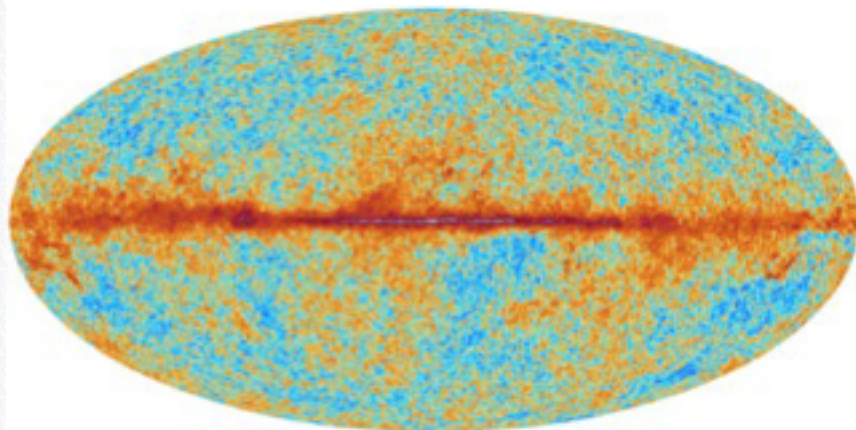
- Uses small portions of the sky with minimal foreground contamination
- Uses detector cross-spectra to remove uncorrelated noise from power
- Non-CMB spectra at small-scales are modeled with extra parameters (dust, SZ, CIB etc)
- CMB likelihoods published ...



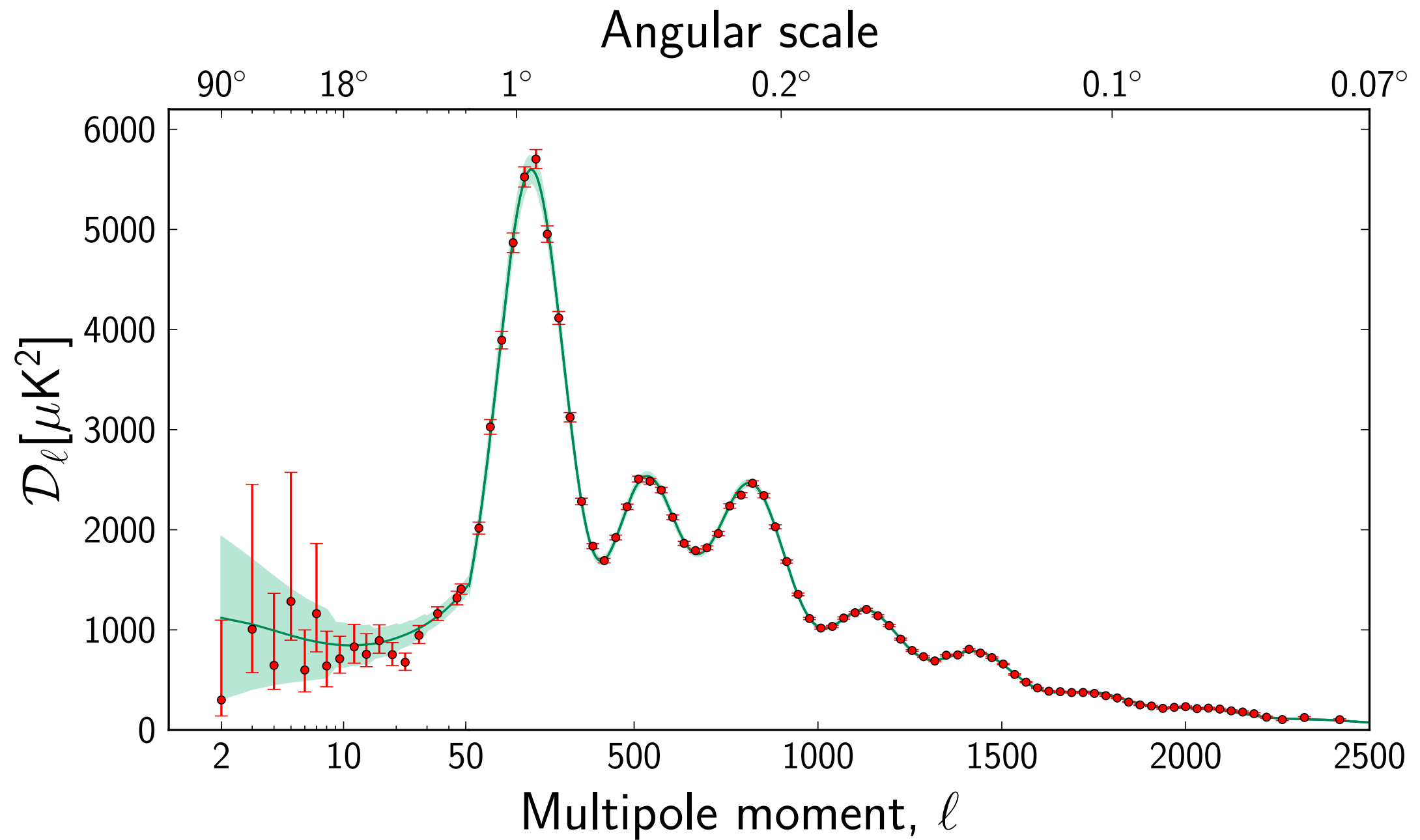
100 GHz (49%)

143 GHz (31%)

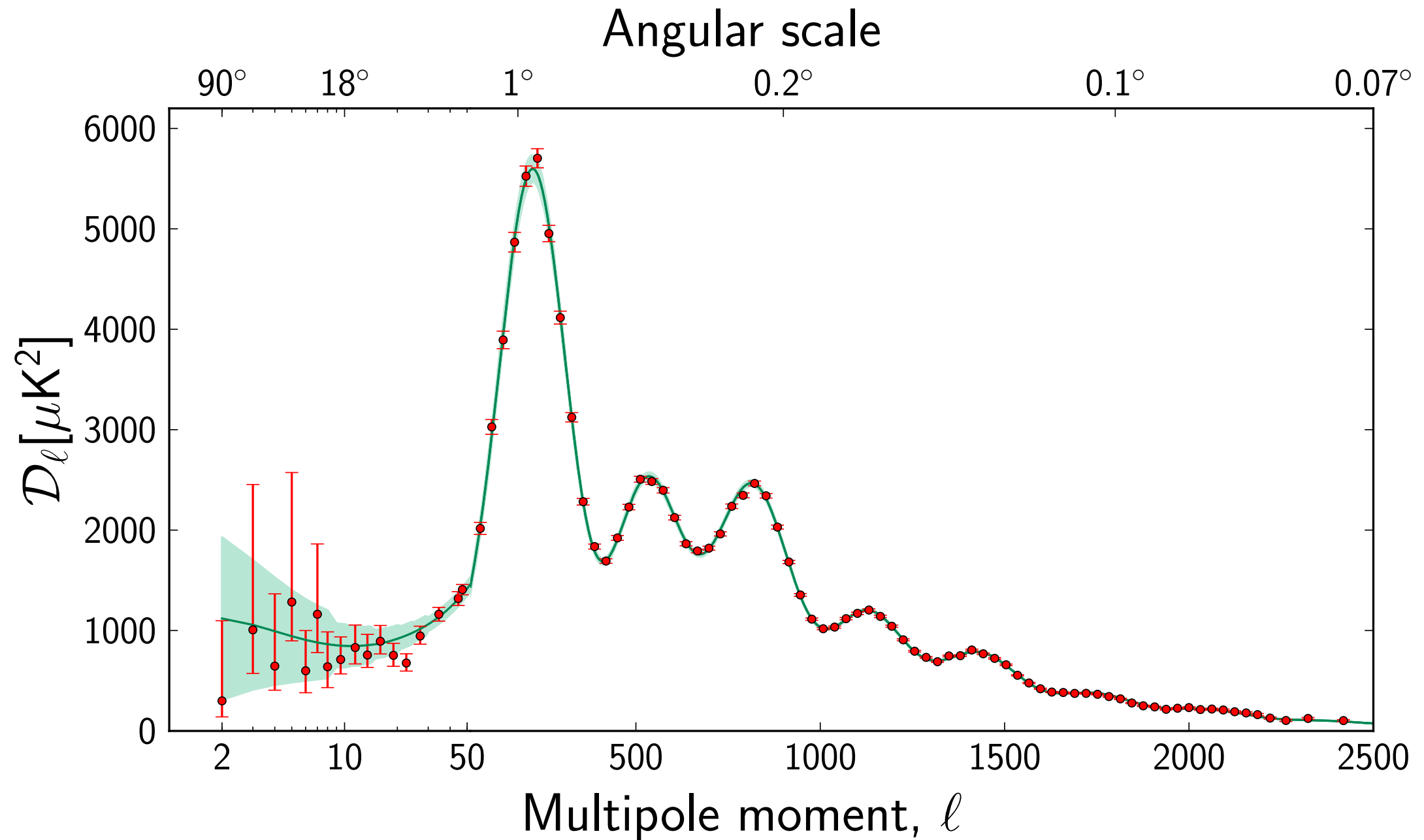
217 GHz (31%)



Planck CMB power spectrum



Planck CMB power spectrum



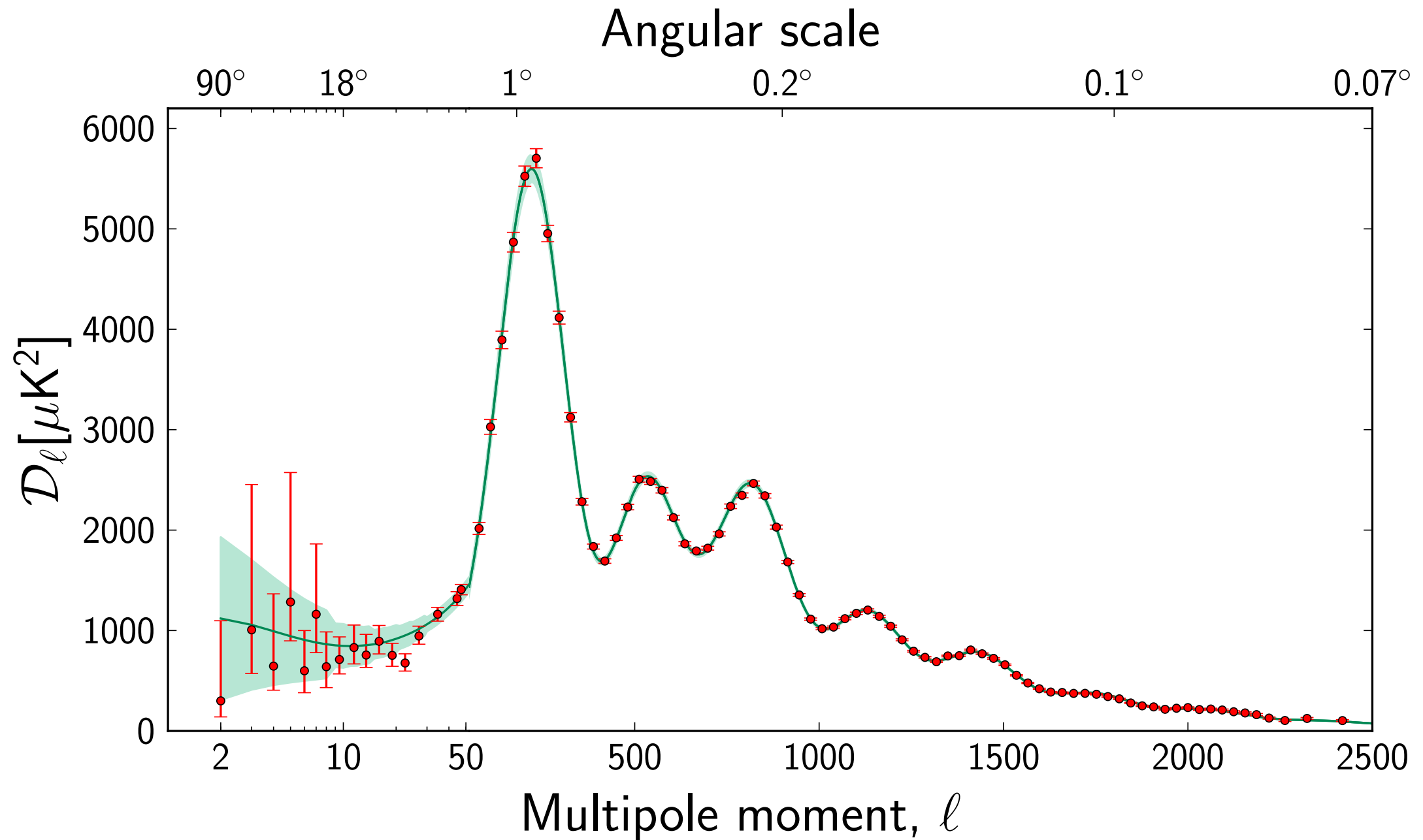
THE BIG QUESTIONS

Does standard Λ CDM still fit?

Does the inflationary paradigm work?

Which models are favoured?

Planck CMB power spectrum



THE BIG QUESTIONS

Does standard Λ CDM still fit?

Does the inflationary paradigm work?

Which models are favoured?

Is dark energy constant or is it dynamical?

What are neutrino masses?

Are there extra relativistic species?

Are there signatures of new physics?

Λ CDM cosmological parameters

Standard 6 parameter Λ CDM model fits the data well ...

Cosmological parameters from joint analysis
with Planck + WMAP-P + BAO (and priors)

• Baryon density	$\Omega_b h^2$	0.02207 ± 0.00027
• Cold dark matter	$\Omega_c h^2$	0.1198 ± 0.0026
• Dark energy	Ω_Λ	0.685 ± 0.017
• Hubble parameter	H_0	67.3 ± 1.2
• Age of the Universe	t_0	13.798 ± 0.037
• Sound horizon	$100\theta_*$	1.04148 ± 0.00062
• Matter fluctuation	σ_8	0.828 ± 0.012
• Spectral index	n_s	0.9585 ± 0.0070
• Optical depth	τ	0.091 ± 0.014
• Reionization redshift	z_{re}	11.1 ± 1.1

Λ CDM cosmological parameters

Standard 6 parameter Λ CDM model fits the data well ...

Cosmological parameters from joint analysis with Planck + WMAP-P + BAO (and priors)

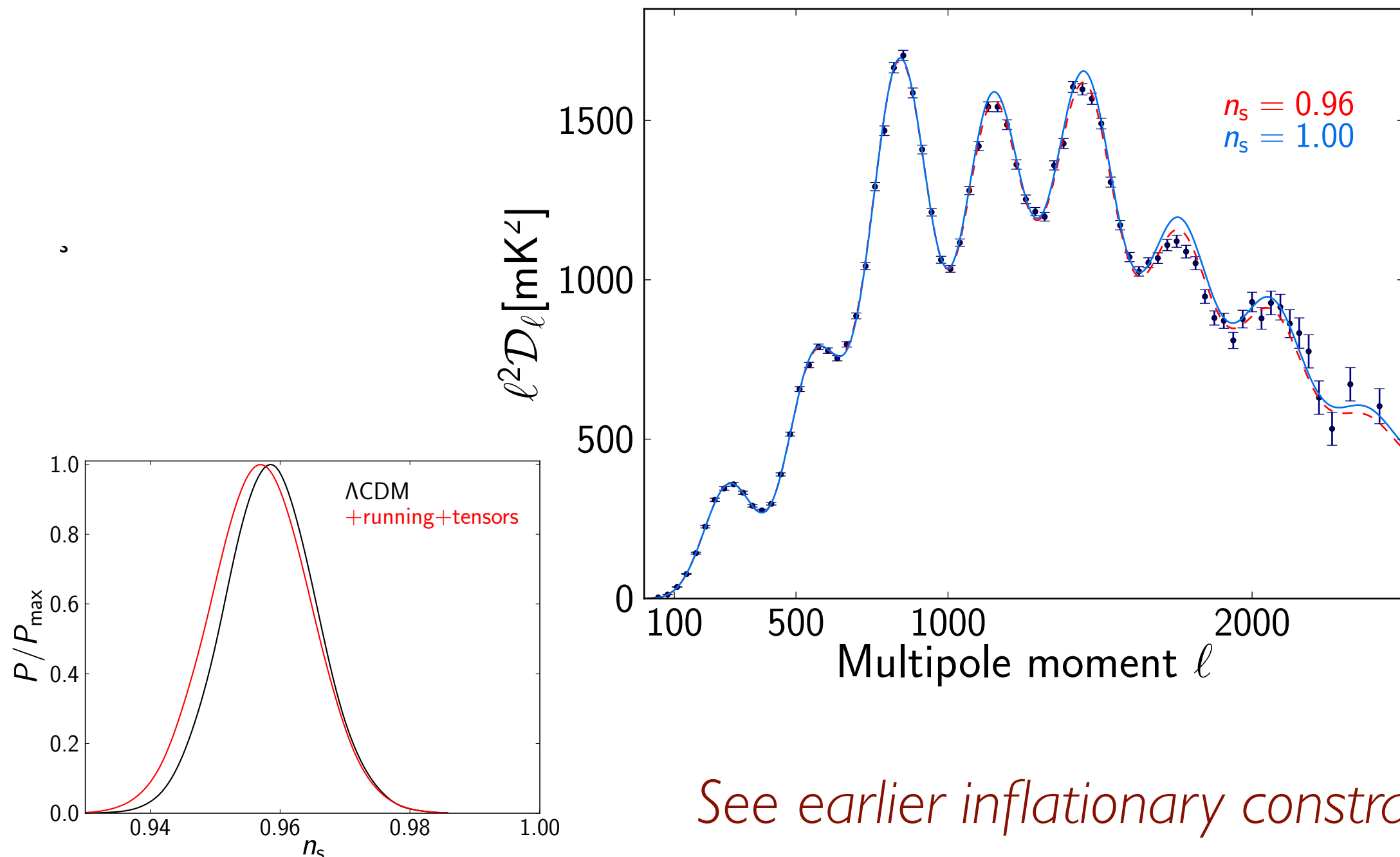
Notable shifts from WMAP9 results

• Baryon density	$\Omega_b h^2$	0.02207 ± 0.00027	2.4% down
• Cold dark matter	$\Omega_c h^2$	0.1198 ± 0.0026	5.4% up
• Dark energy	Ω_Λ	0.685 ± 0.017	6.5% down
• Hubble parameter	H_0	67.3 ± 1.2	3.9% smaller
• Age of the Universe	t_0	13.798 ± 0.037	0.4% older
• Sound horizon	$100\theta_*$	1.04148 ± 0.00062	.
• Matter fluctuation	σ_8	0.828 ± 0.012	.
• Spectral index	n_s	0.9585 ± 0.0070	.
• Optical depth	τ	0.091 ± 0.014	.
• Reionization redshift	z_{re}	11.1 ± 1.1	.

Implications for Inflation

Scalar spectral index $n < 1$

Scale-invariant HZ spectrum has insufficient power on small scales
(ruled out at 5σ) $n_s = 0.960 \pm 0.007$



See earlier inflationary constraints

Parameters from extended models

Planck offered no compelling evidence for additions to standard Λ CDM

- Curvature parameter Ω_k -0.0005 ± 0.0066
- Neutrino masses Σm_ν < 0.23 eV
- Spin degrees N_{eff} 3.30 ± 0.54
- Helium fraction Y_p 0.267 ± 0.040
- Running spectral index $dn_s/d\ln k$ -0.014 ± 0.017
- Tensor-scalar ratio $r_{0.002}$ < 0.11
- Equation of state w -1.13 ± 0.24

Parameters from extended models

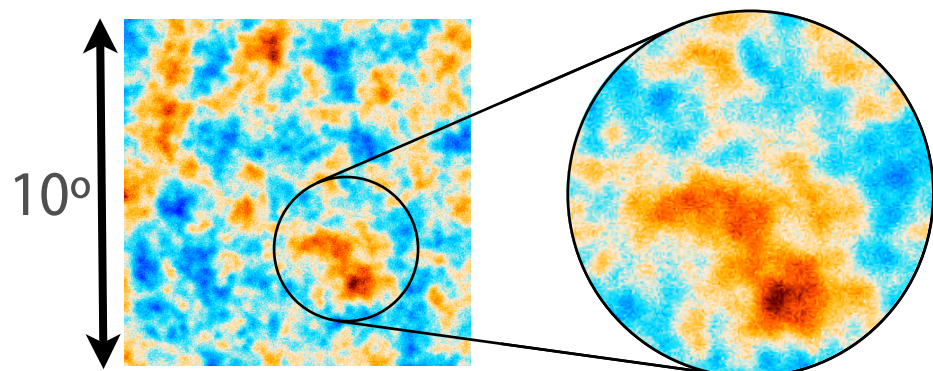
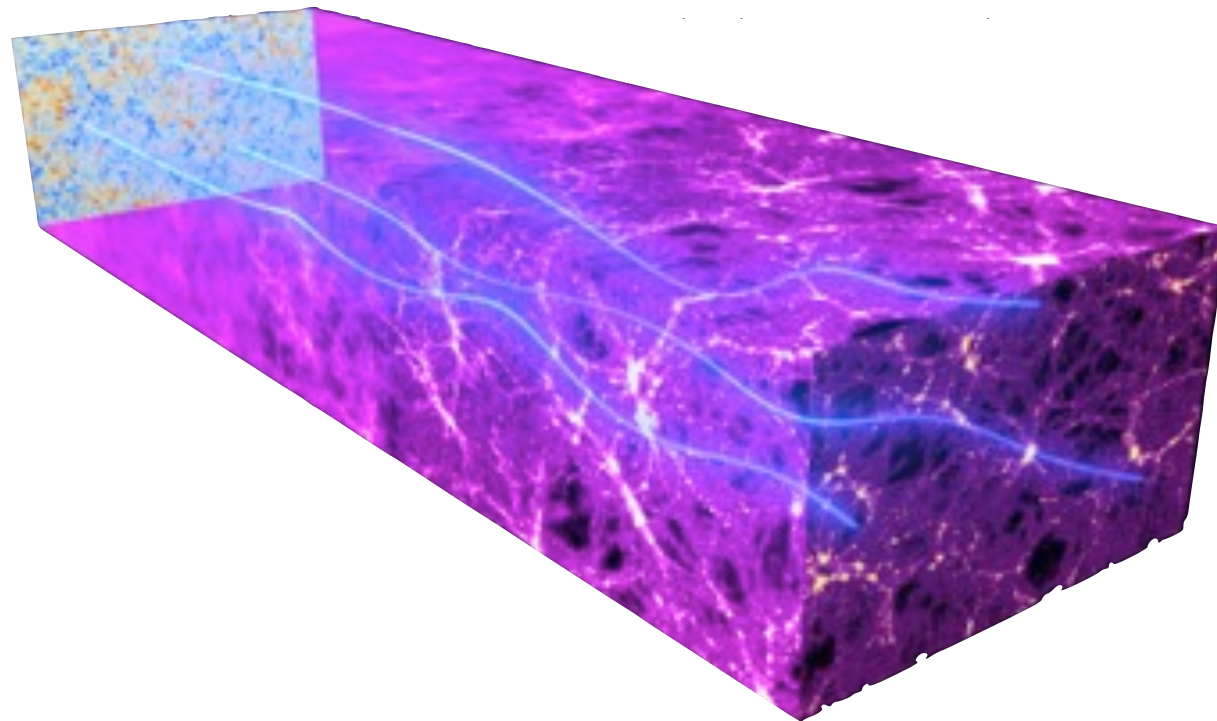
Planck offered no compelling evidence for additions to standard Λ CDM

- Curvature parameter Ω_k -0.0005 ± 0.0066
- Neutrino masses Σm_ν < 0.23 eV
- Spin degrees N_{eff} 3.30 ± 0.54
- Helium fraction Y_p 0.267 ± 0.040
- Running spectral index $dn_s/d\ln k$ -0.014 ± 0.017
- Tensor-scalar ratio $r_{0.002}$ < 0.11
- Equation of state w -1.13 ± 0.24

All changed with BICEP2 results, with consistency requiring e.g. (beyond r)

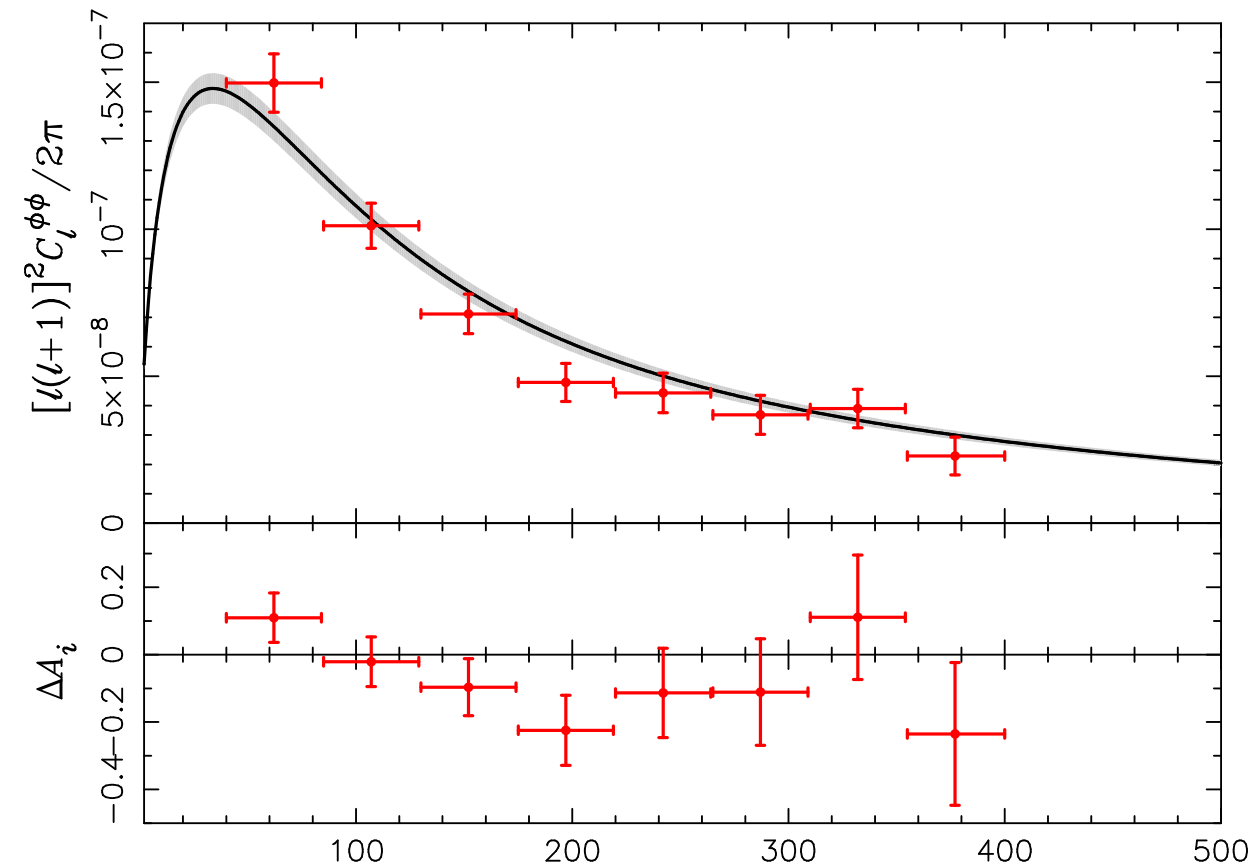
- Running spectral index
- Sterile neutrino species
- Tilt of tensor modes etc ...

Gravitational lensing

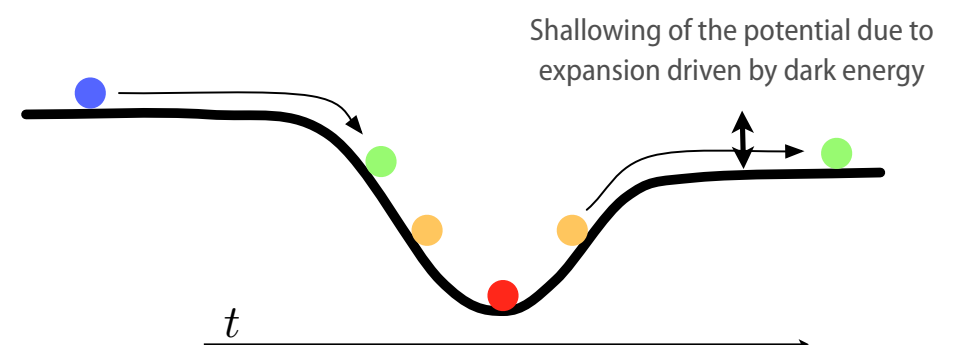


Unlensed

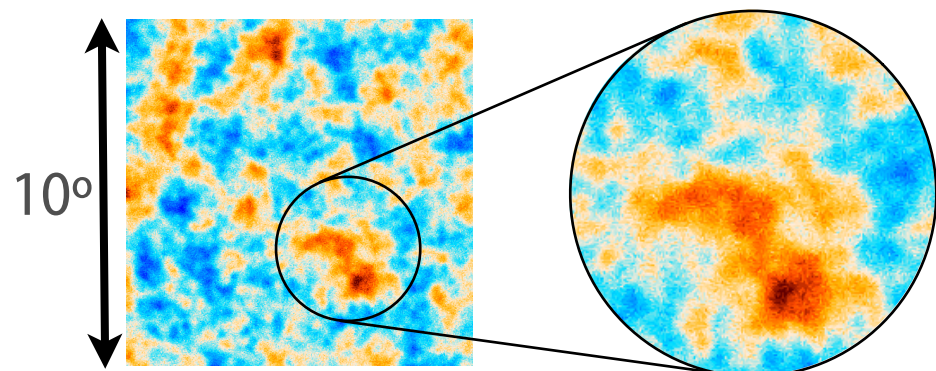
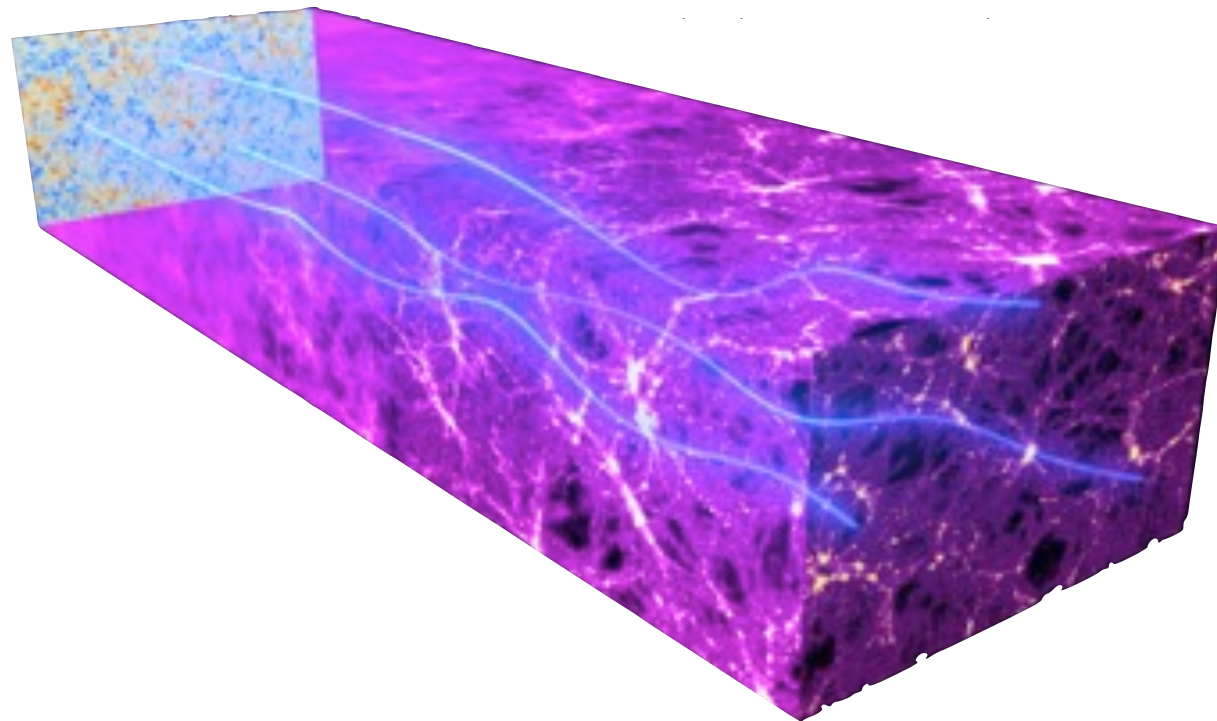
Gravitational lensing signal detected at high significance



Also ISW-lensing correlations detected at 2.5σ (see later)

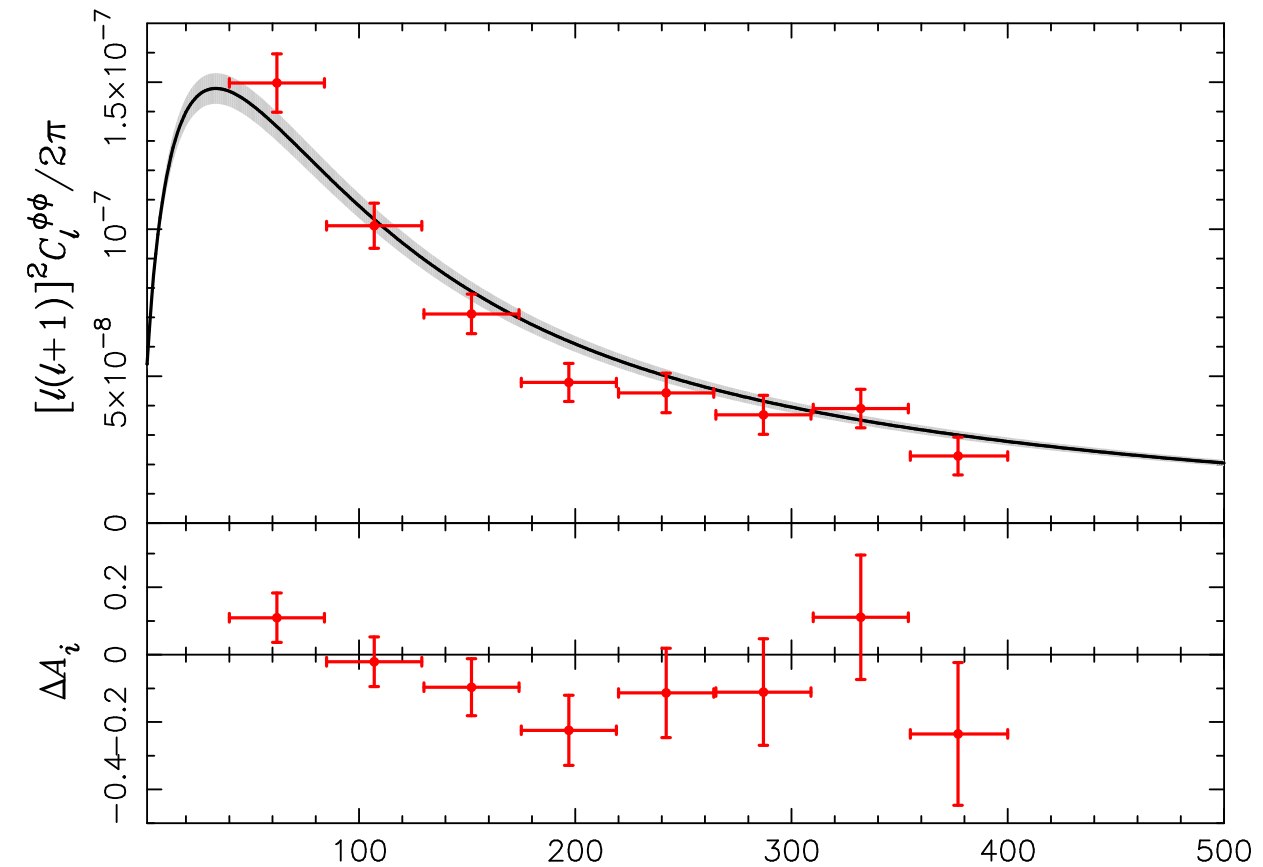


Gravitational lensing

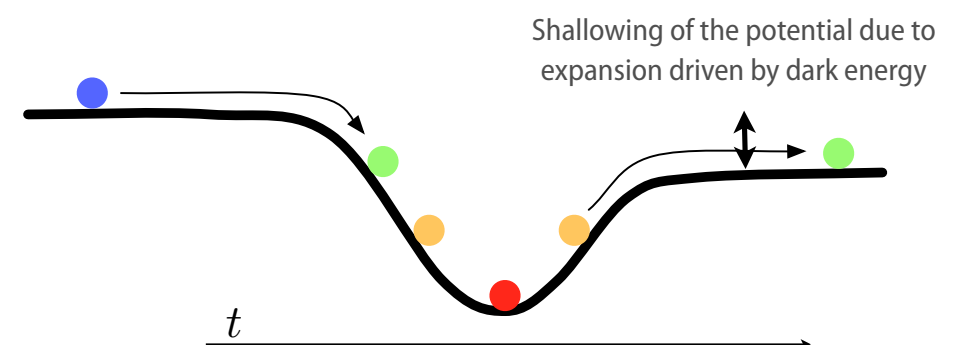


Lensed

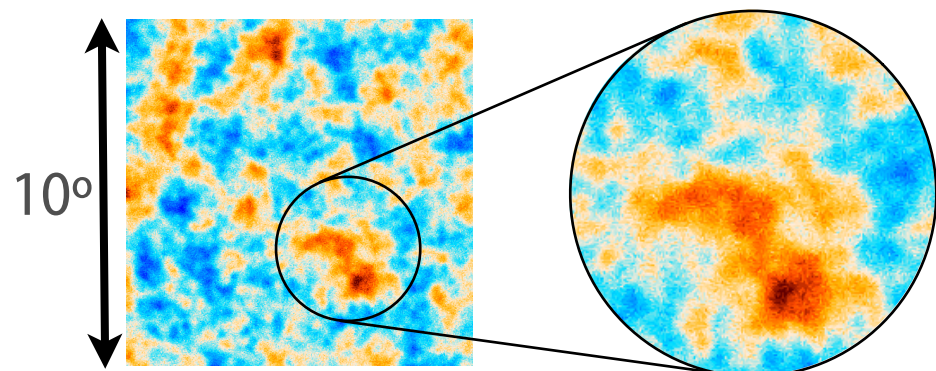
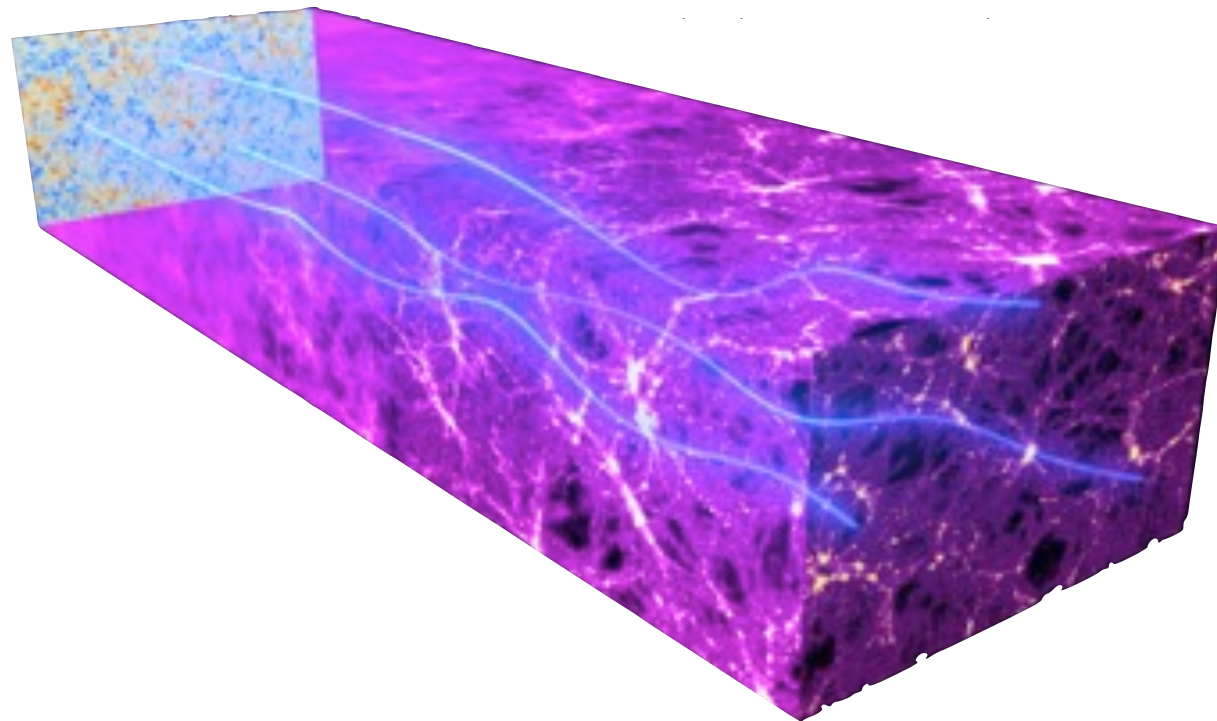
Gravitational lensing signal detected at high significance



Also ISW-lensing correlations detected at 2.5σ (see later)



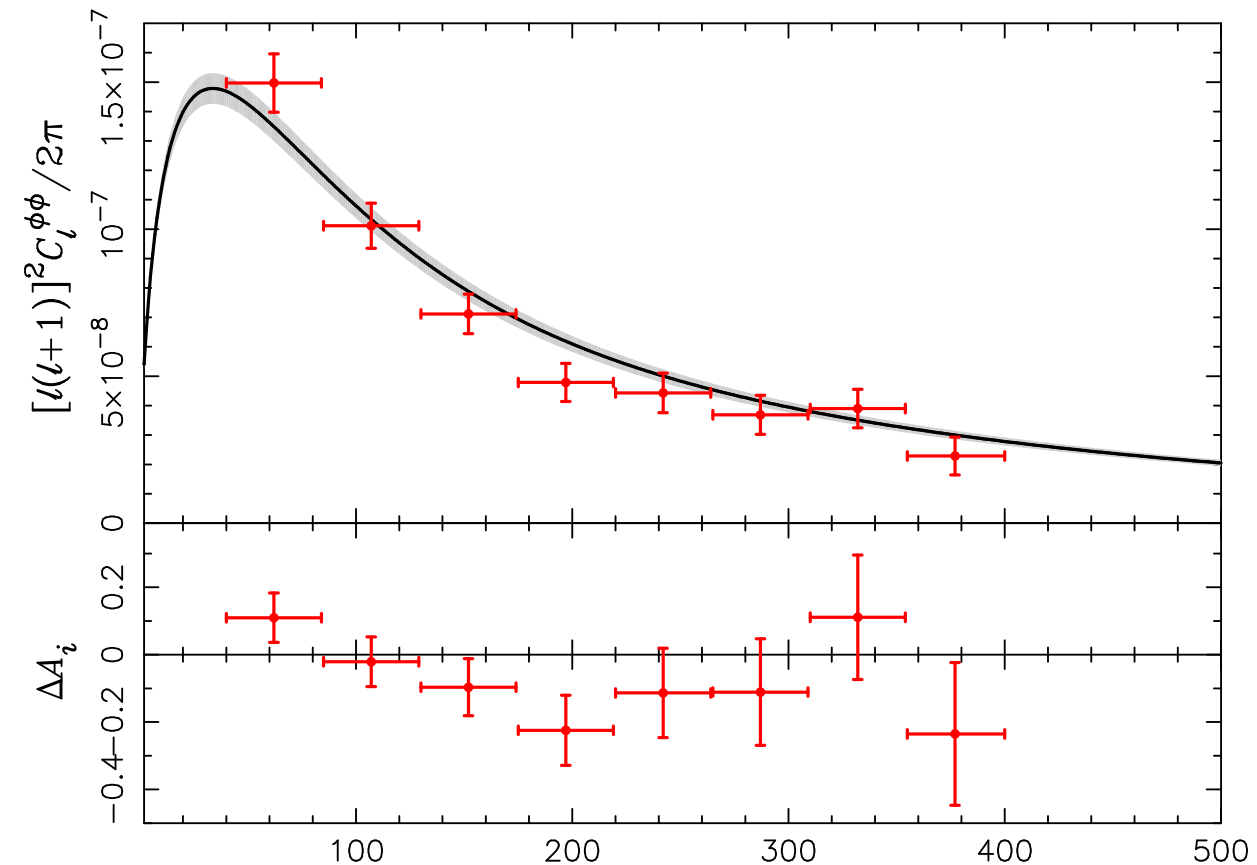
Gravitational lensing



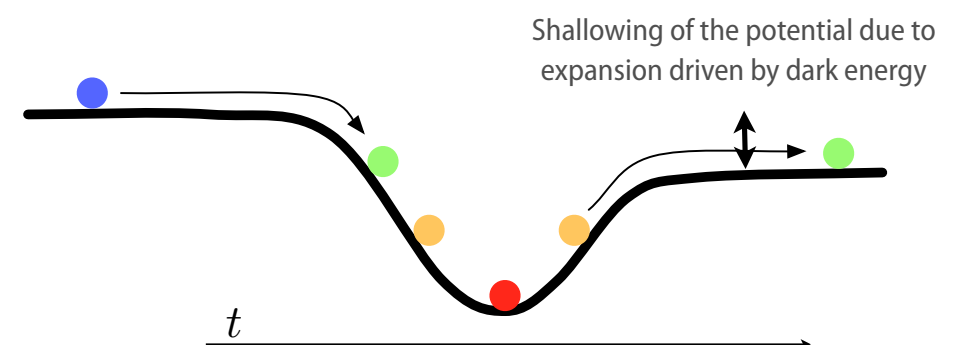
Lensed

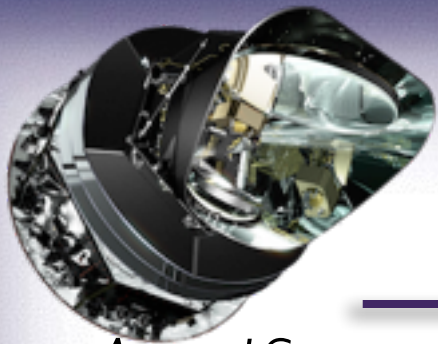
SZ cluster science: Also promising exploiting new Planck SZ clusters
Like lensing results remains in tension ...

Gravitational lensing signal detected at high significance



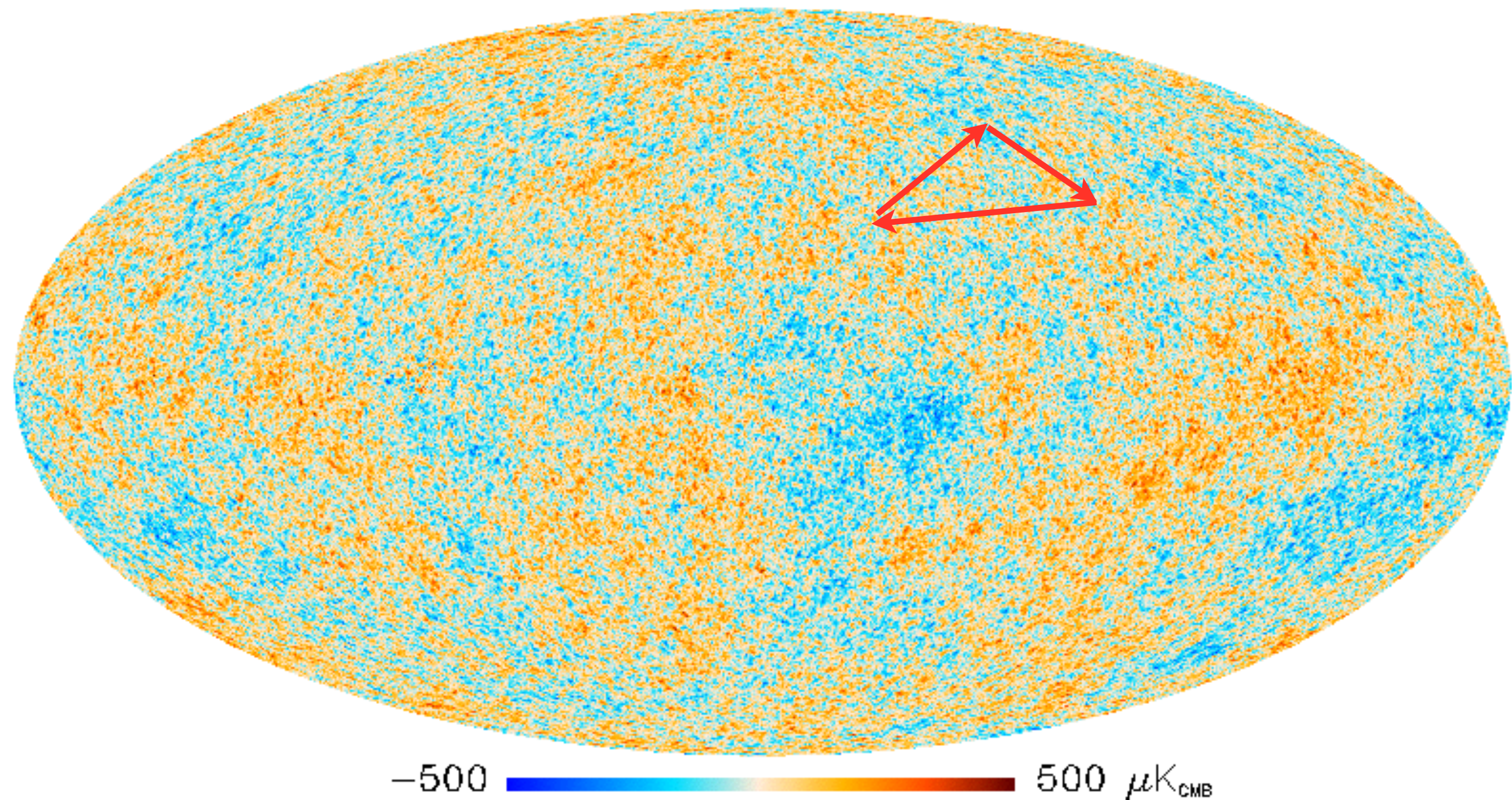
Also ISW-lensing correlations detected at 2.5σ (see later)





Non-Gaussianity

A self-consistent concordance model based on two-point correlator or C_l 's

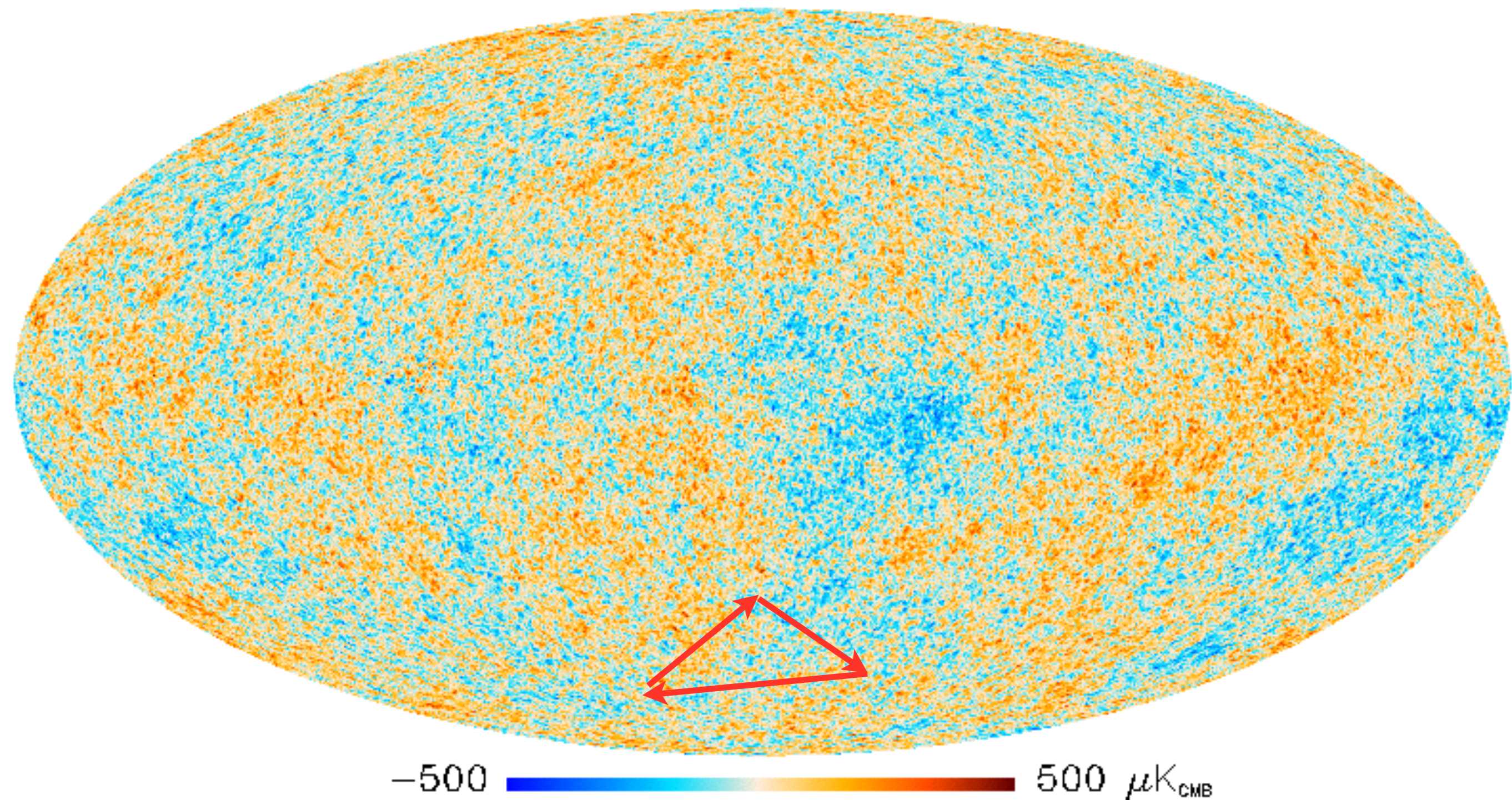


The CMB Bispectrum - 3pt correlator or “triangles in the sky”



Non-Gaussianity

A self-consistent concordance model based on two-point correlator or C_l 's



The CMB Bispectrum - 3pt correlator or “triangles in the sky”

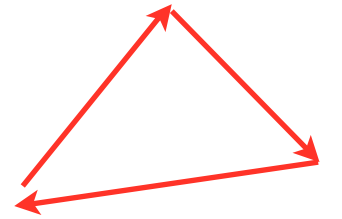
Tetrapyd - Bispectrum domain

Allowed multipoles l_1, l_2, l_3 for the CMB bispectrum live in the domain

Resolution: $l_1, l_2, l_3 \leq l_{\max}, \quad l_1, l_2, l_3 \in \mathbb{N},$

Triangle condition: $l_1 \leq l_2 + l_3$ for $l_1 \geq l_2, l_3,$ + cyclic perms.

Parity condition: $l_1 + l_2 + l_3 = 2n, \quad n \in \mathbb{N}.$



Reduced bispectrum $b_{l_1 l_2 l_3}$ from primordial bispectrum $B(k_1, k_2, k_3)$

$$b_{l_1 l_2 l_3} = \left(\frac{2}{\pi}\right)^3 \int x^2 dx \int dk_1 dk_2 dk_3 (k_1 k_2 k_3)^2 B(k_1, k_2, k_3) \Delta_{l_1}(k_1) \Delta_{l_2}(k_2) \Delta_{l_3}(k_3) j_{l_1}(xk_1) j_{l_2}(xk_2) j_{l_3}(xk_3)$$

Primordial bispectrum \rightarrow
Transfer functions \rightarrow

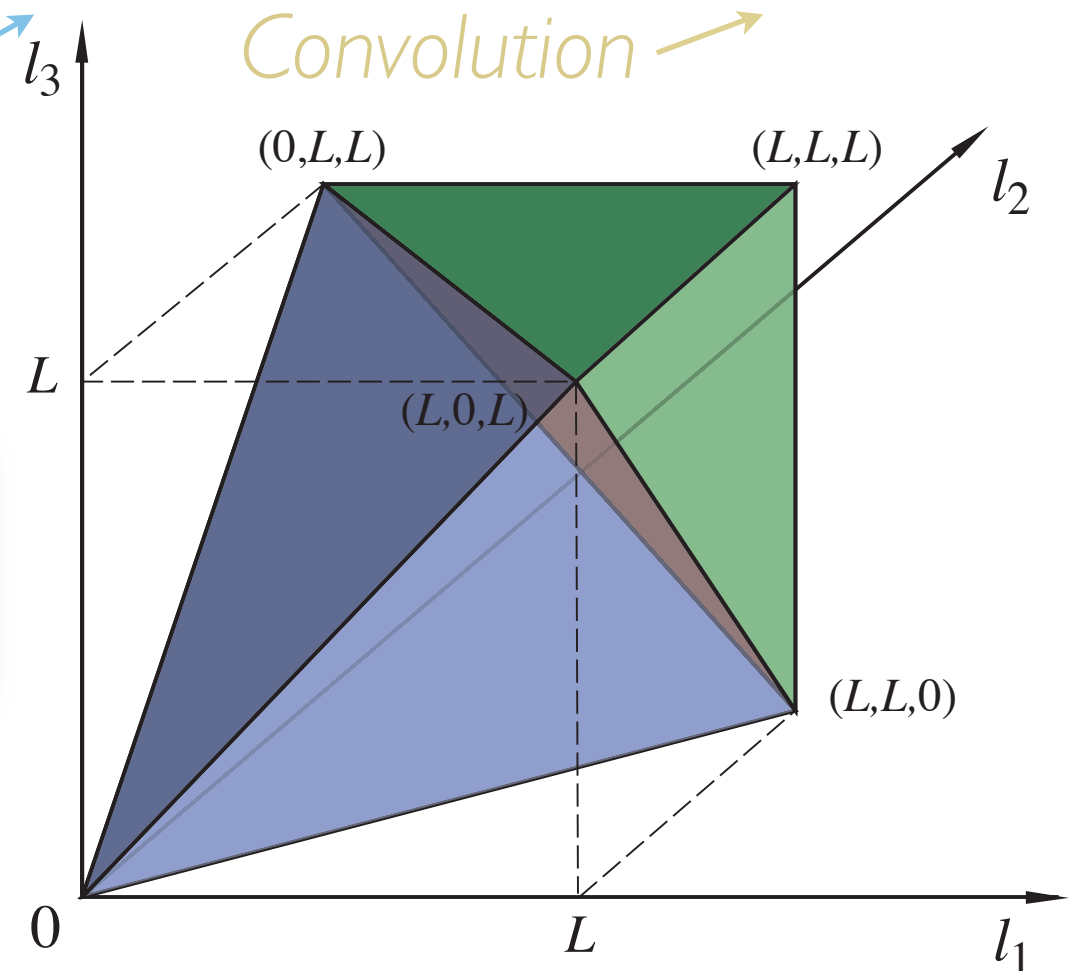
Convolution \rightarrow

Inner product:

Defined by estimator sum

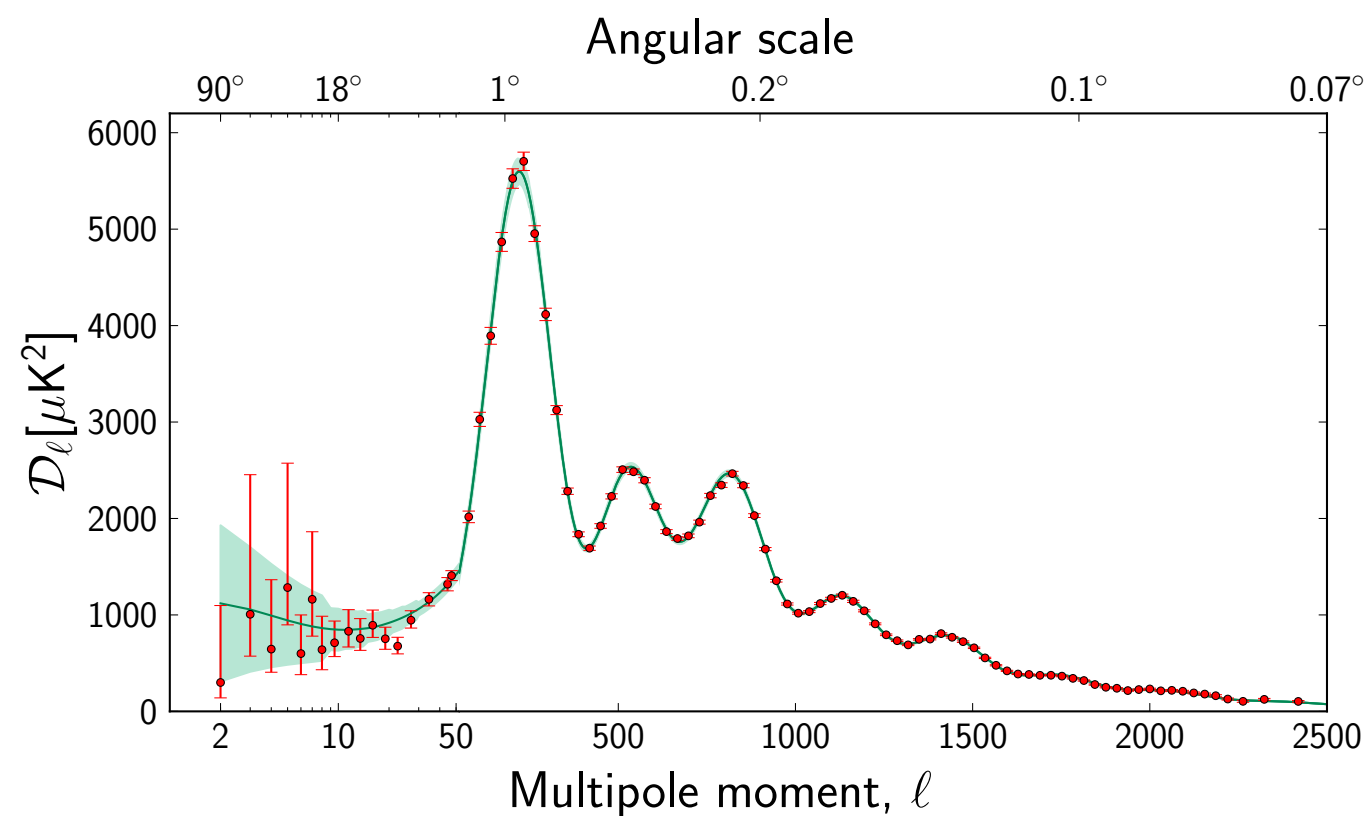
$$\langle b, b' \rangle \equiv \sum_{l_1, l_2, l_3 \in \mathcal{V}_{\mathcal{T}}} w_{l_1 l_2 l_3} b_{l_1 l_2 l_3} b'_{l_1 l_2 l_3}$$

with weight $w_{l_1 l_2 l_3} = h_{l_1 l_2 l_3}^2$

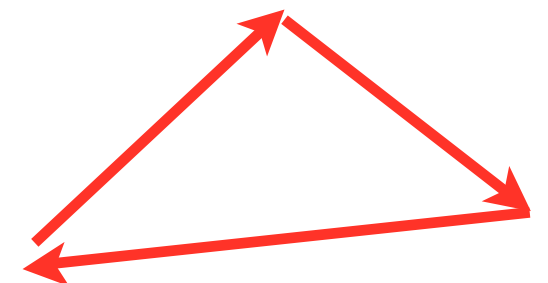
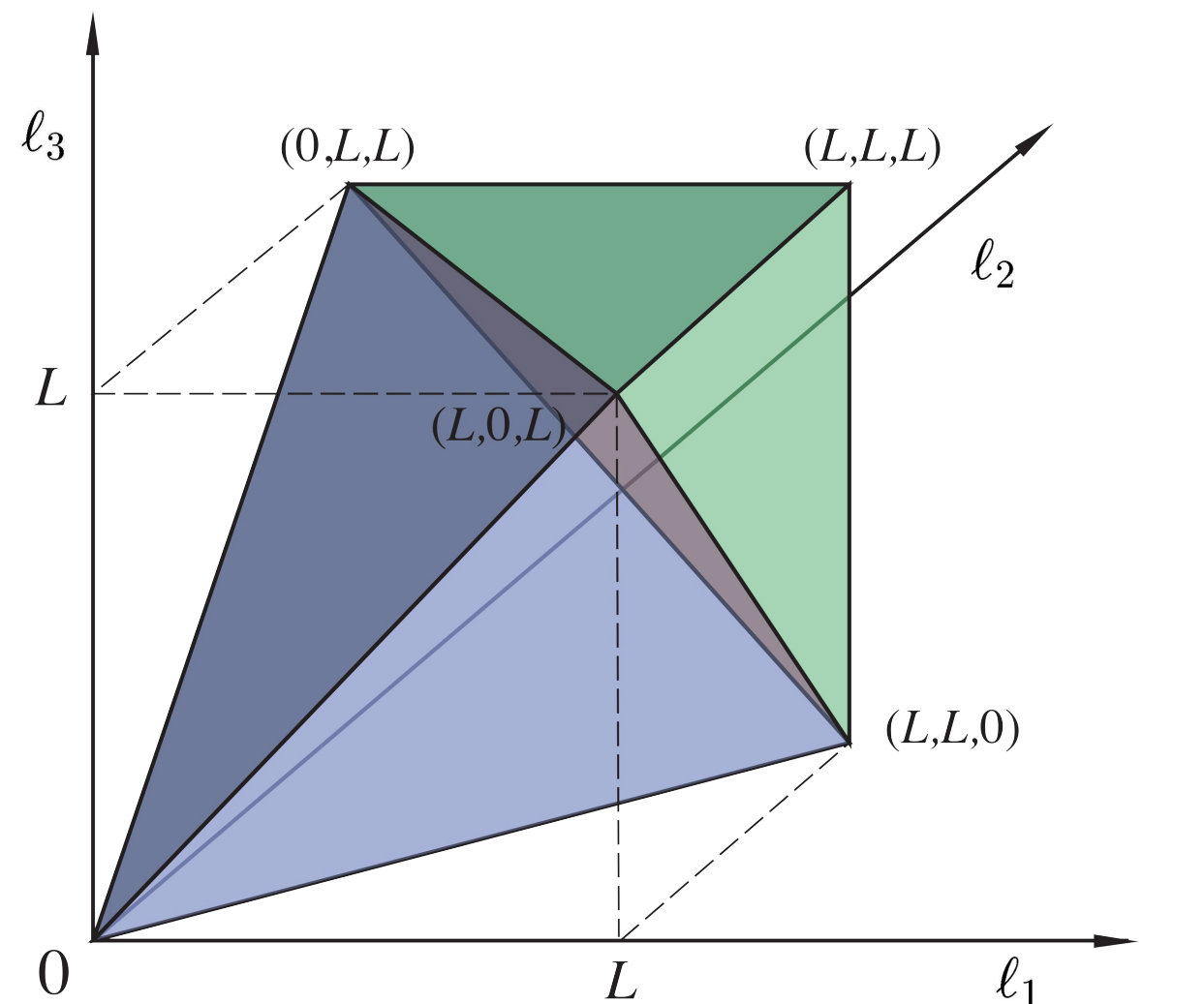


Inflation and the bispectrum

Hot plasma oscillations create patterns of acoustic peaks:

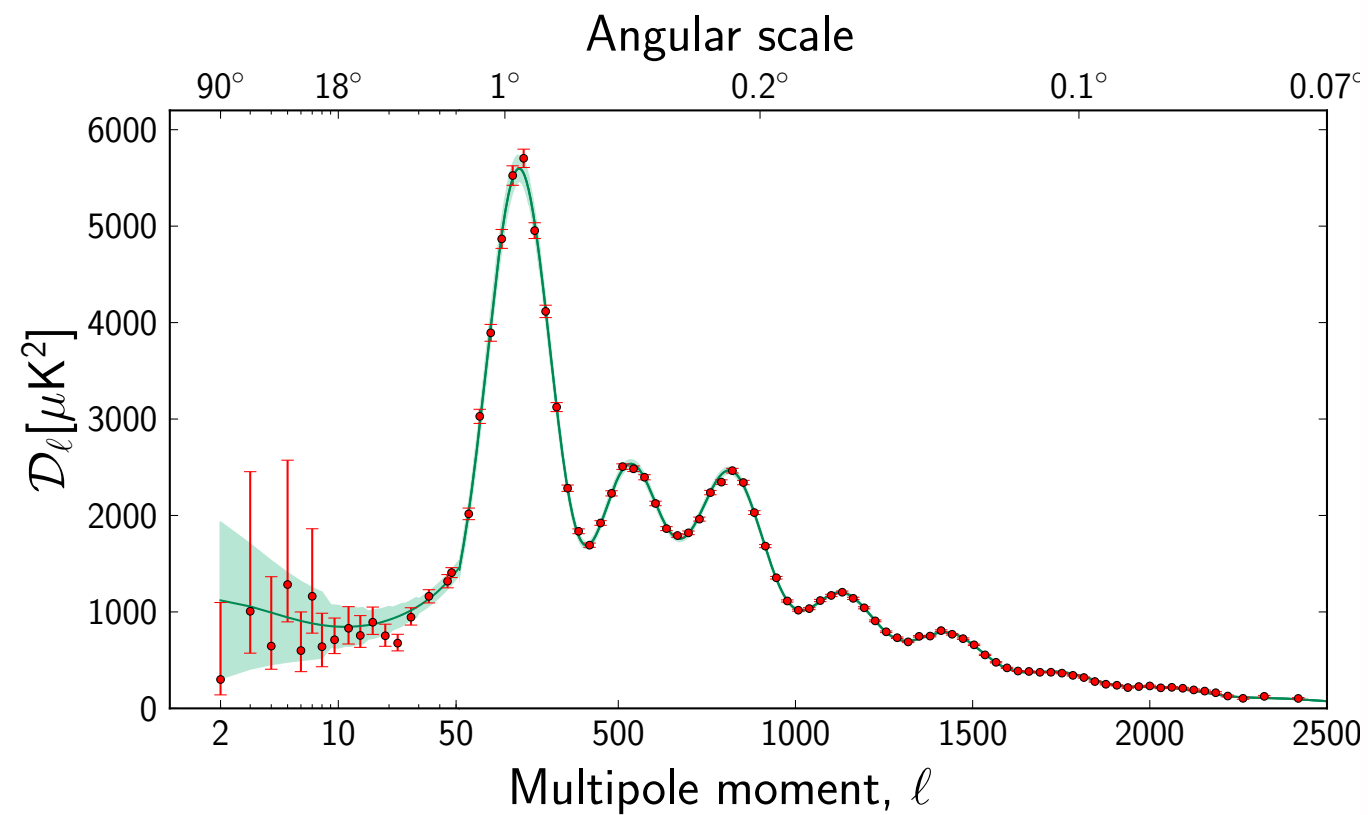


Power spectrum (2pt correlator)

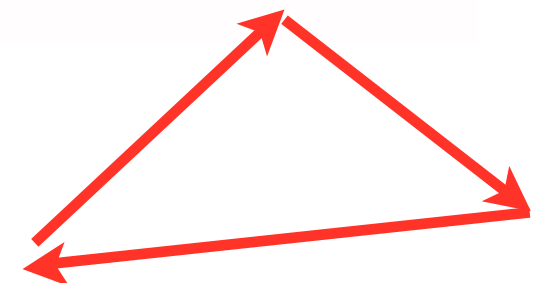
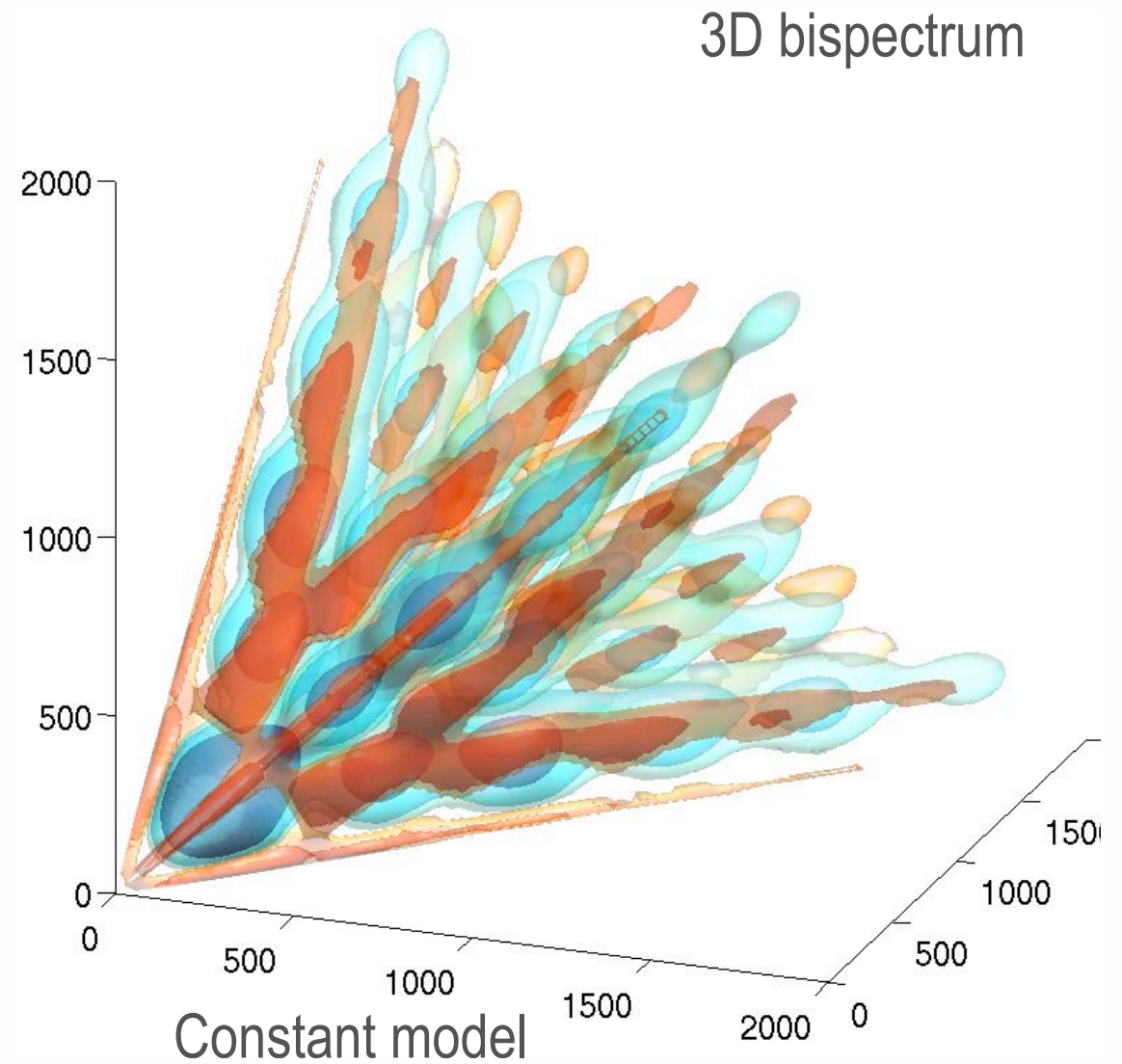


Inflation and the bispectrum

Hot plasma oscillations create patterns of acoustic peaks:

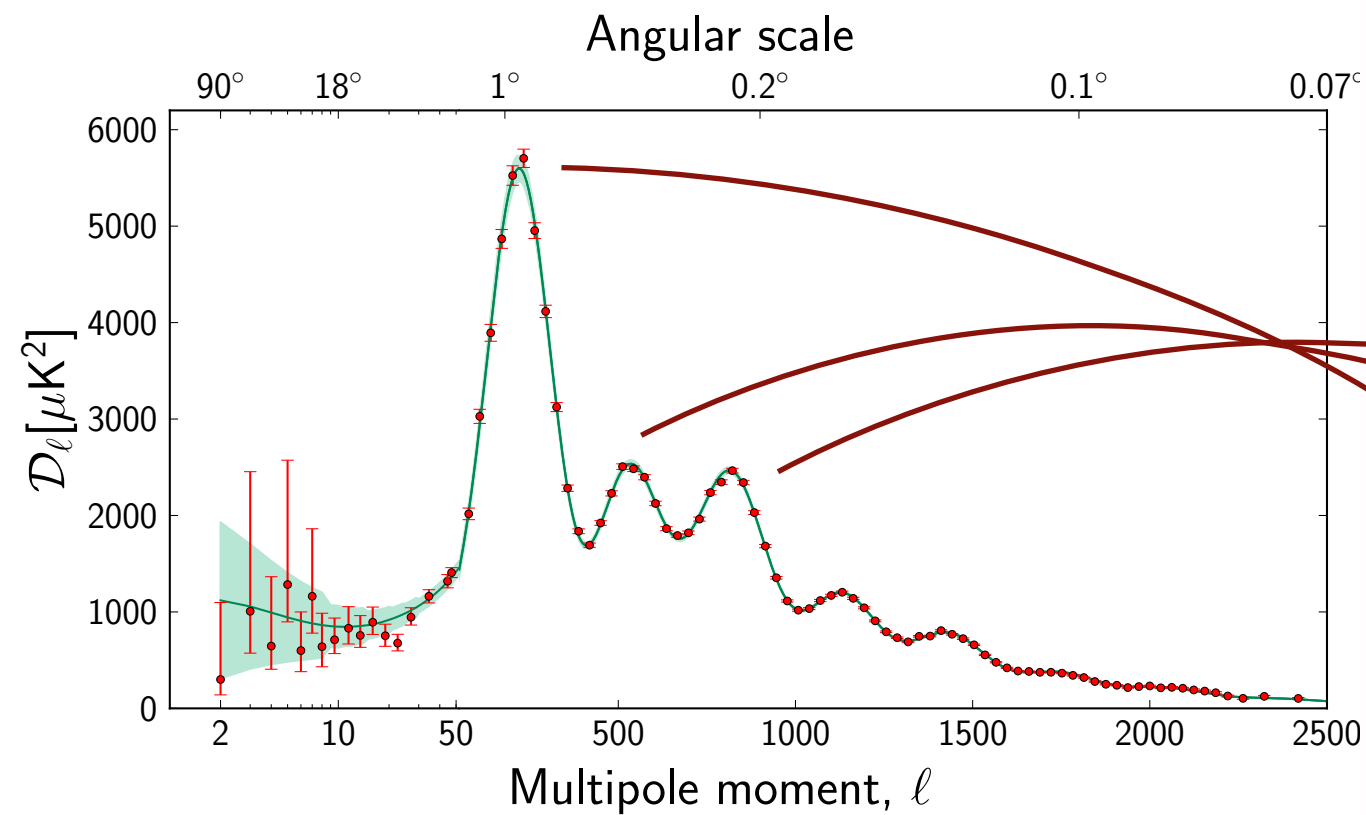


Power spectrum (2pt correlator)

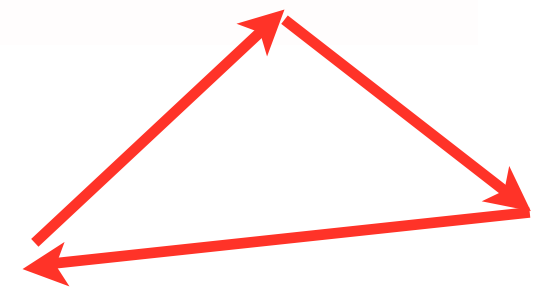
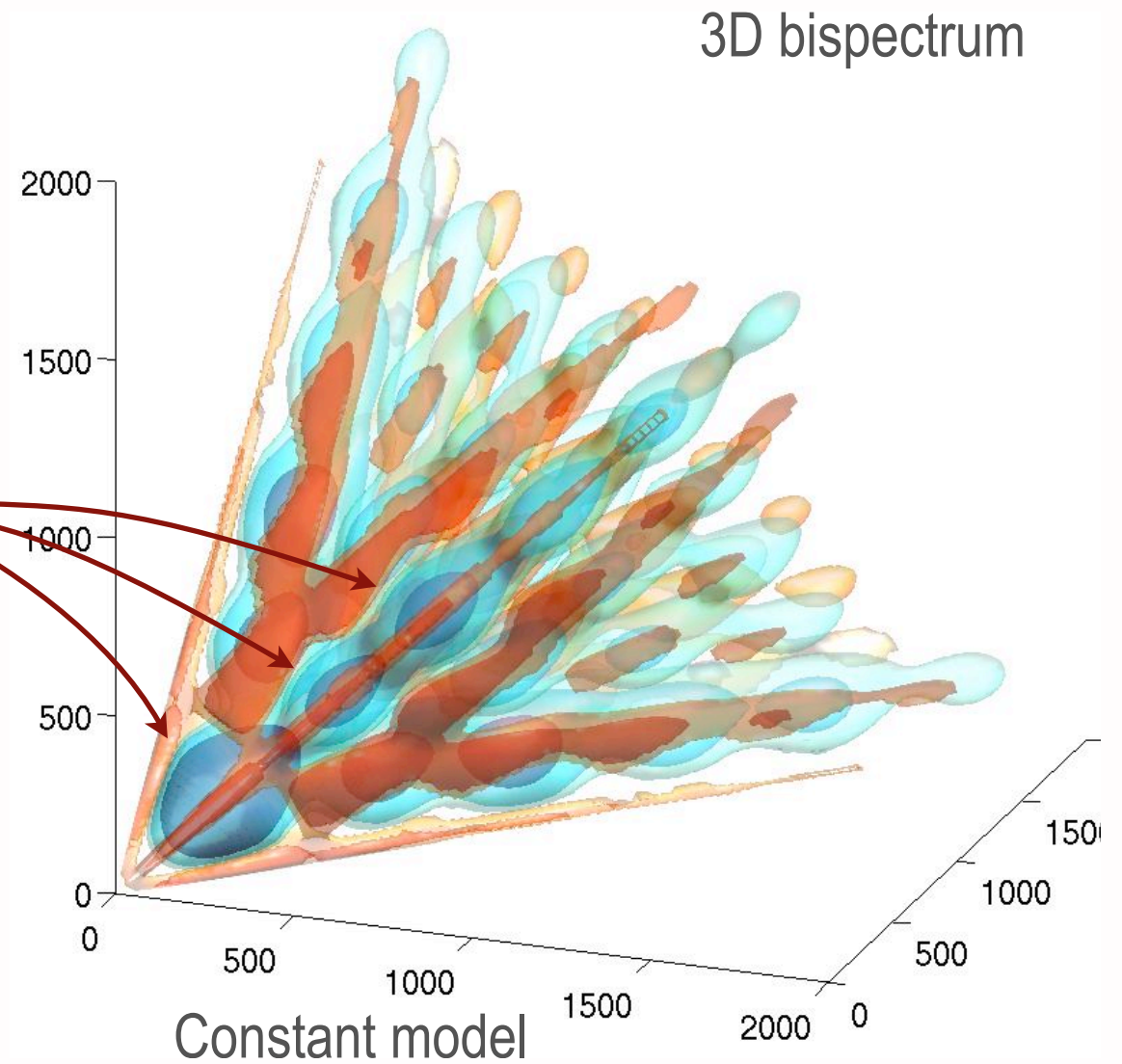


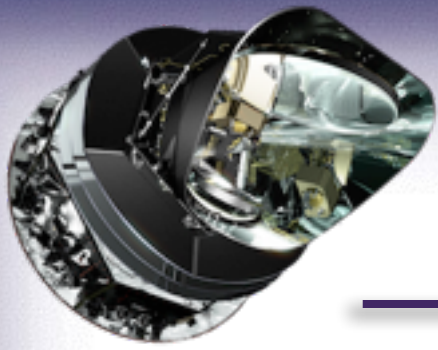
Inflation and the bispectrum

Hot plasma oscillations create patterns of acoustic peaks:



Power spectrum (2pt correlator)



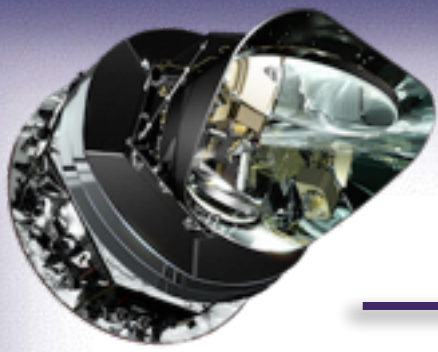


N_0 - G_0 for Inflation



Simple inflation models cannot generate observable non-Gaussianity:

- single scalar field
- canonical kinetic terms
- always slow roll
- ground state initial vacuum
- standard Einstein gravity



N_0-G_0 for Inflation



Simple inflation models cannot generate observable non-Gaussianity:

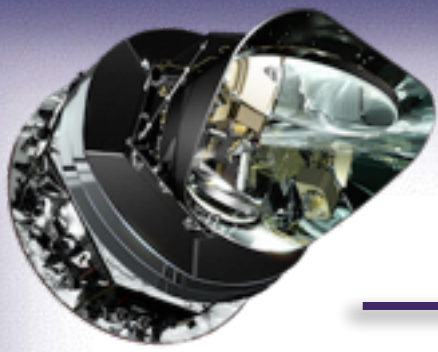
- single scalar field
- canonical kinetic terms
- always slow roll
- ground state initial vacuum
- standard Einstein gravity

I.e. simple inflation predicts no (observable) randomness

$$B \sim P^{3/2} / 1,000,000$$

so deviations less than 1 part in a million!

Non-Gaussianity arguably the most stringent test of standard picture



N_0 - G_0 for Inflation



Simple inflation models cannot generate observable non-Gaussianity:

- single scalar field
- canonical kinetic terms
- always slow roll
- ground state initial vacuum
- standard Einstein gravity

I.e. simple inflation predicts no (observable) randomness

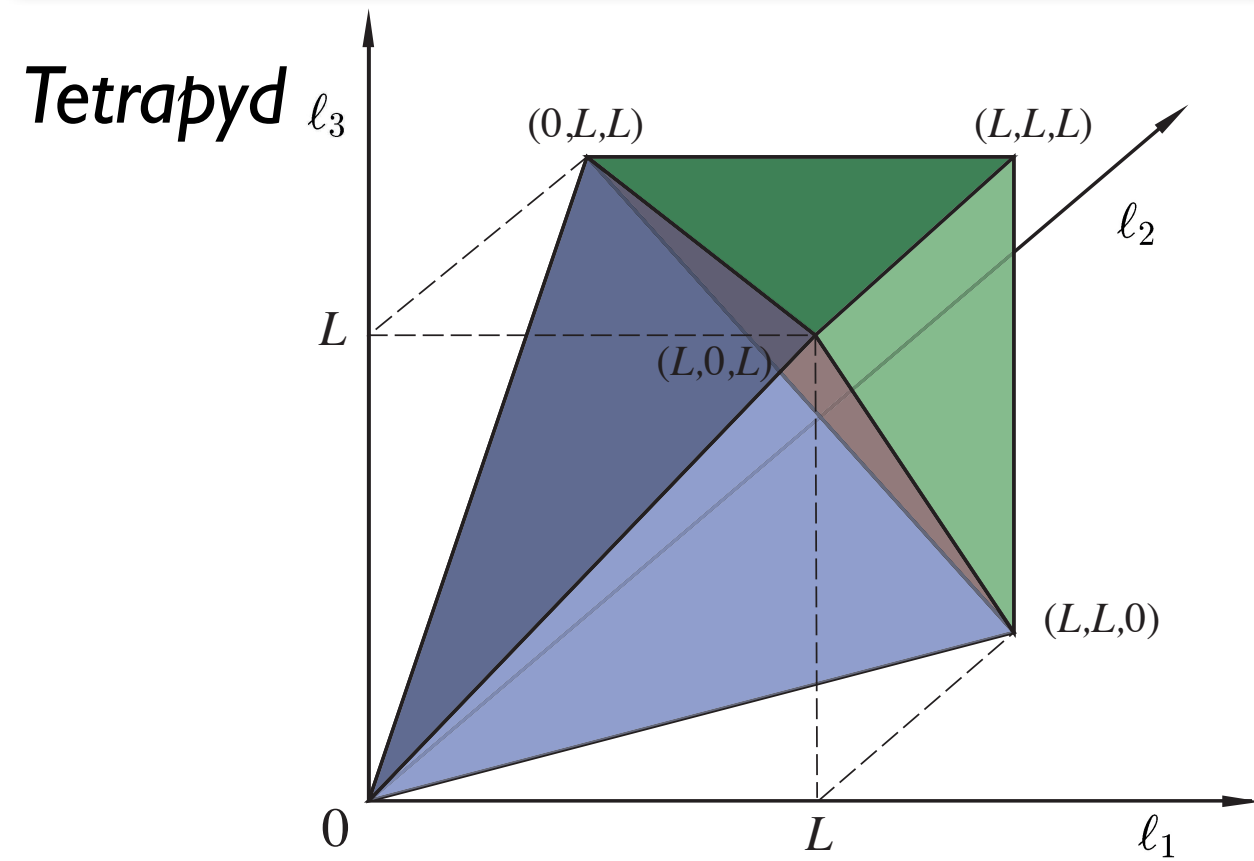
$$B \sim P^{3/2} / 1,000,000$$

so deviations less than 1 part in a million!

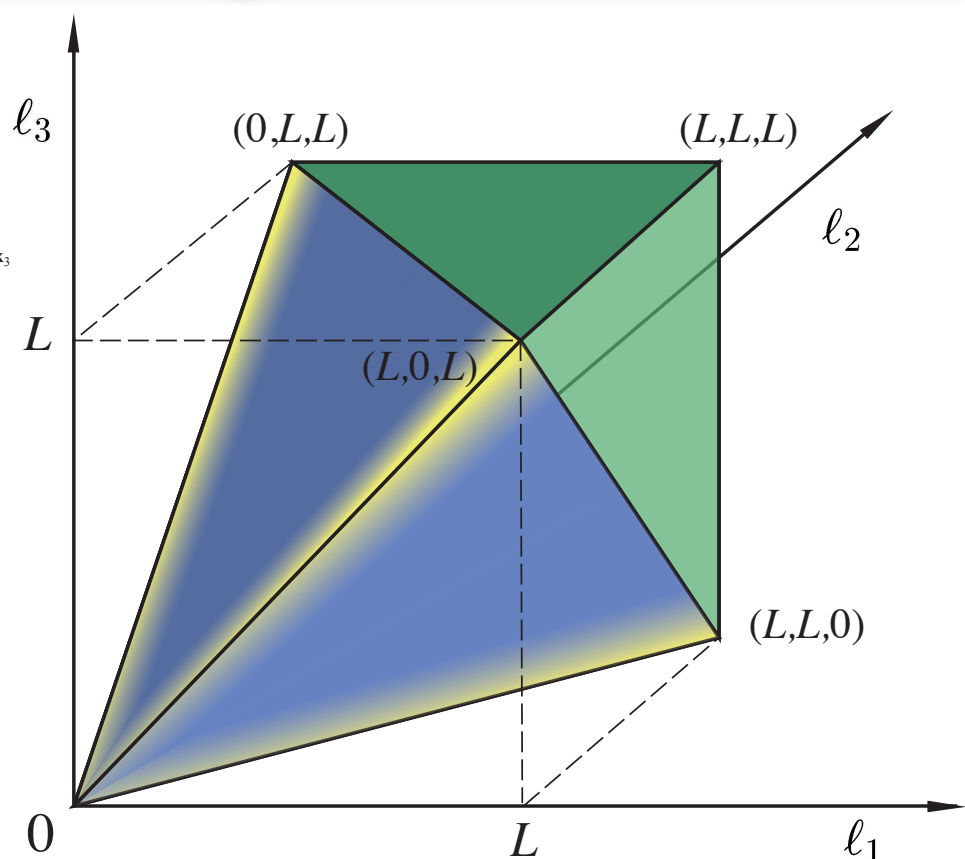
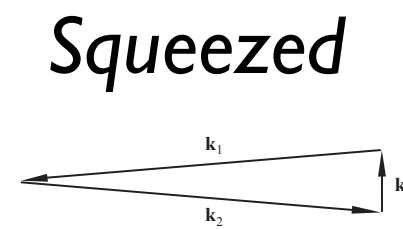
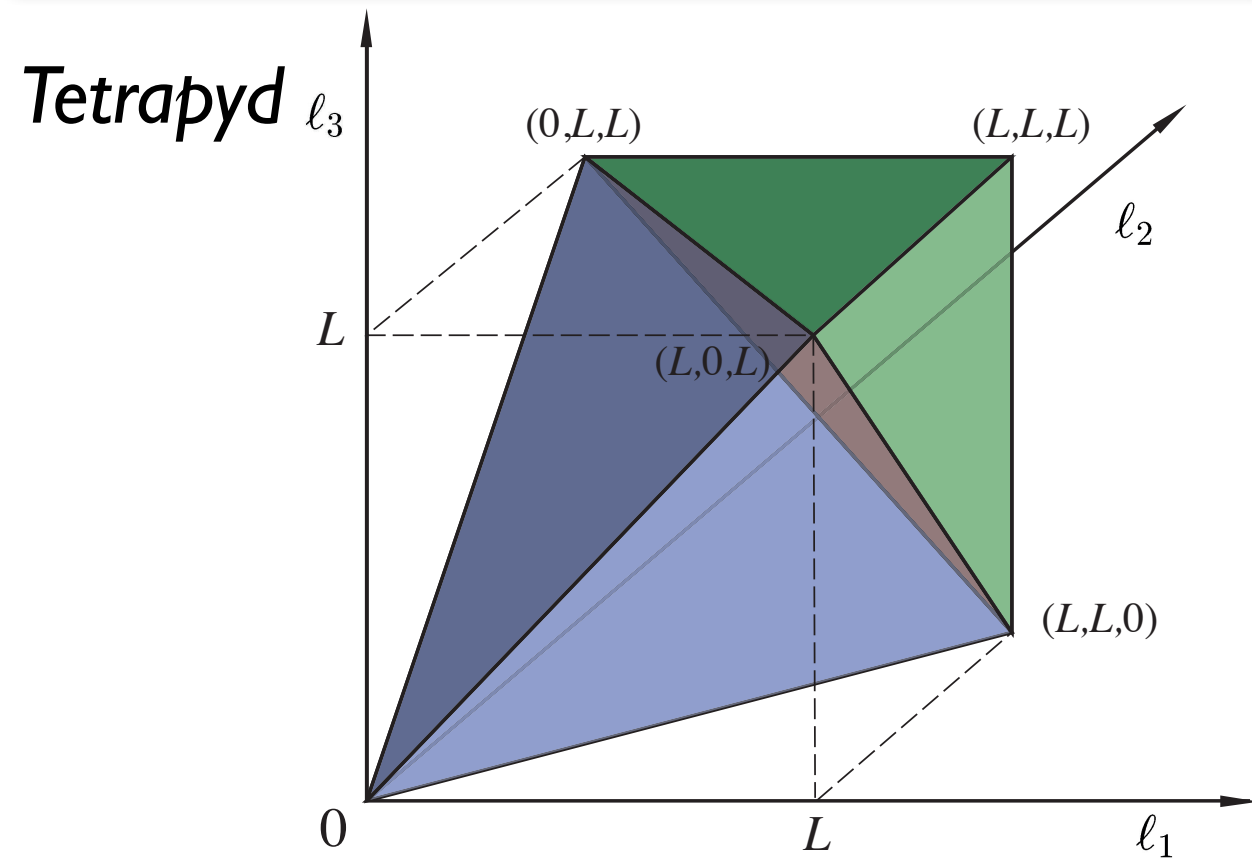
Non-Gaussianity arguably the most stringent test of standard picture

But simple inflation model-building faces rigorous challenges in fundamental theory (e.g. *eta problem and super-Planckian field values*). Many fundamental cosmology ideas/solutions violate these conditions!

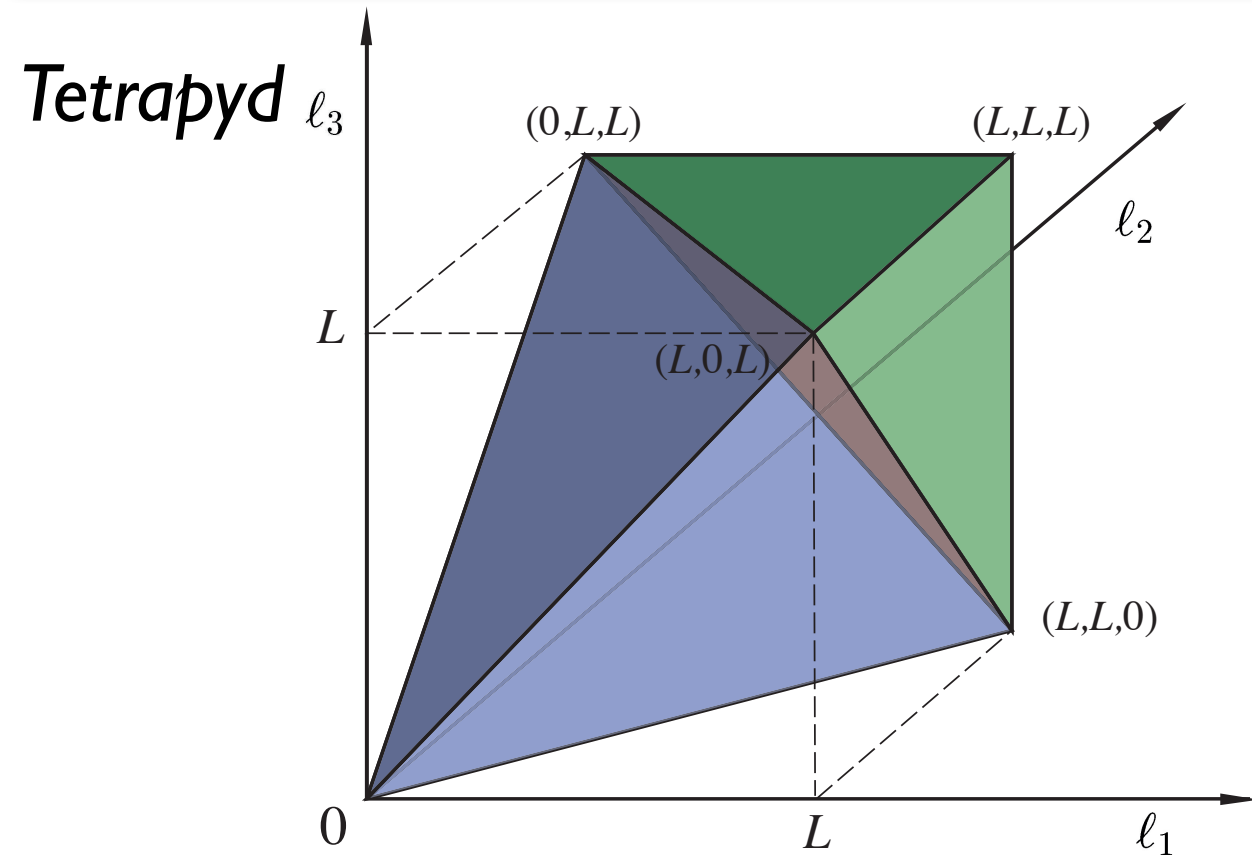
Aside: tetrapyd triangles



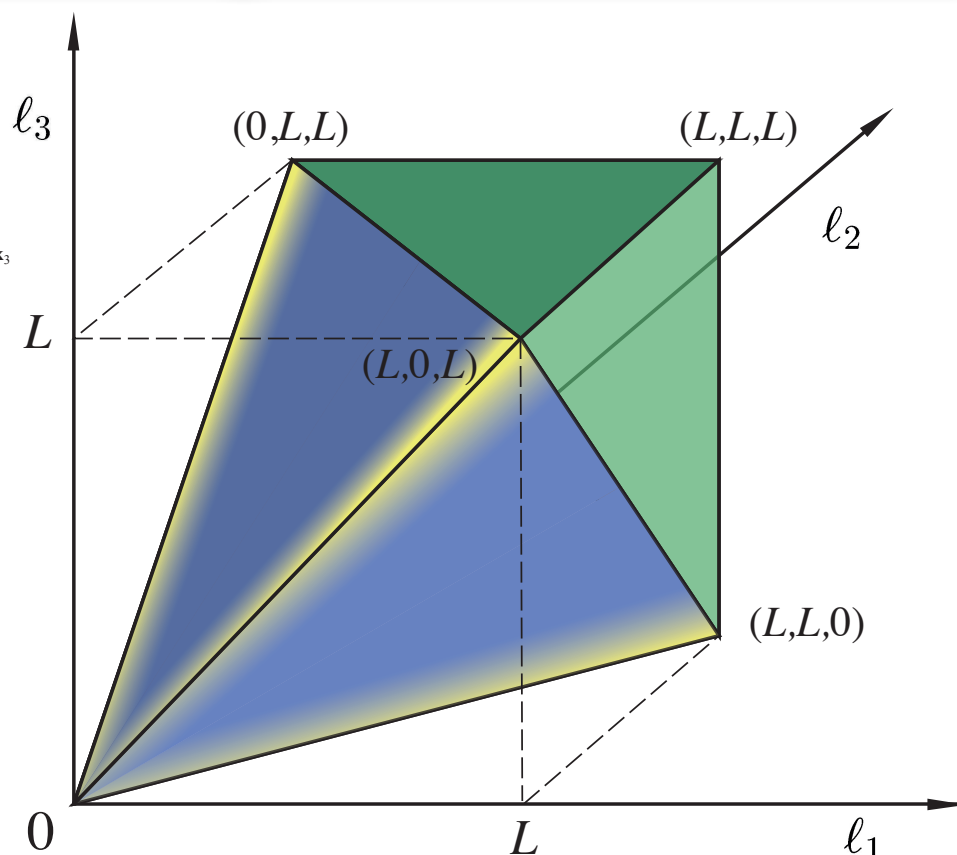
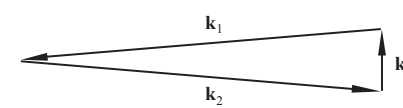
Aside: tetrapyd triangles



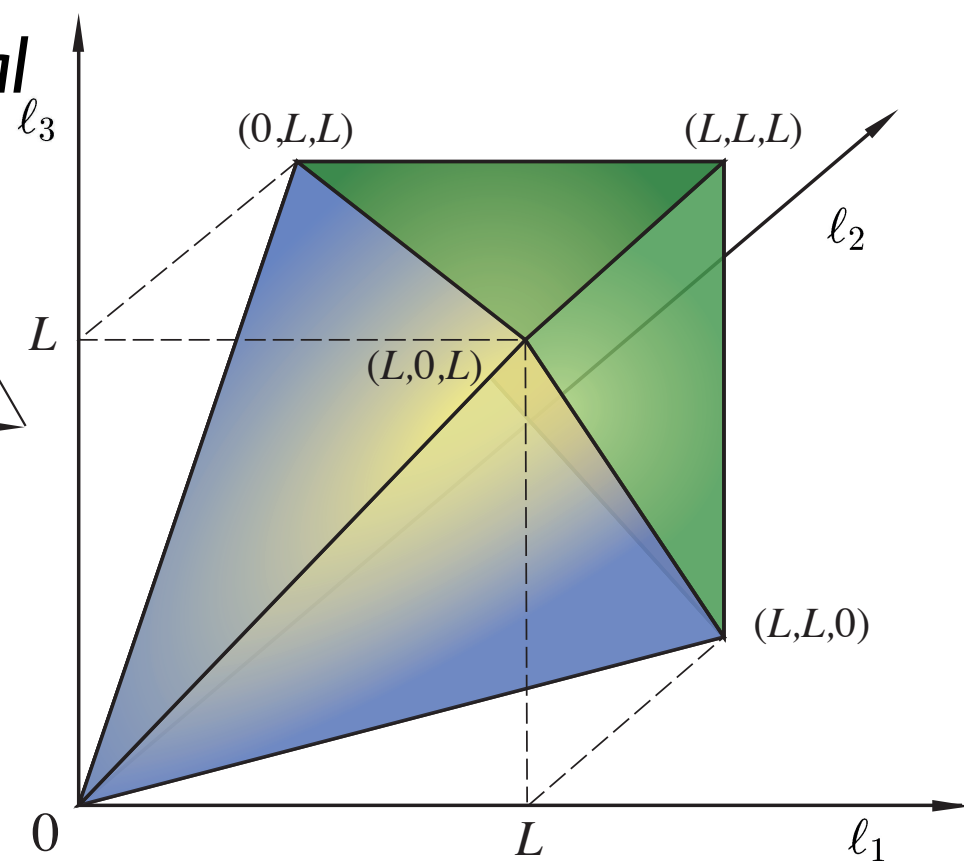
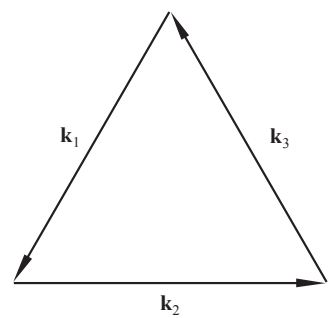
Aside: tetrapyd triangles



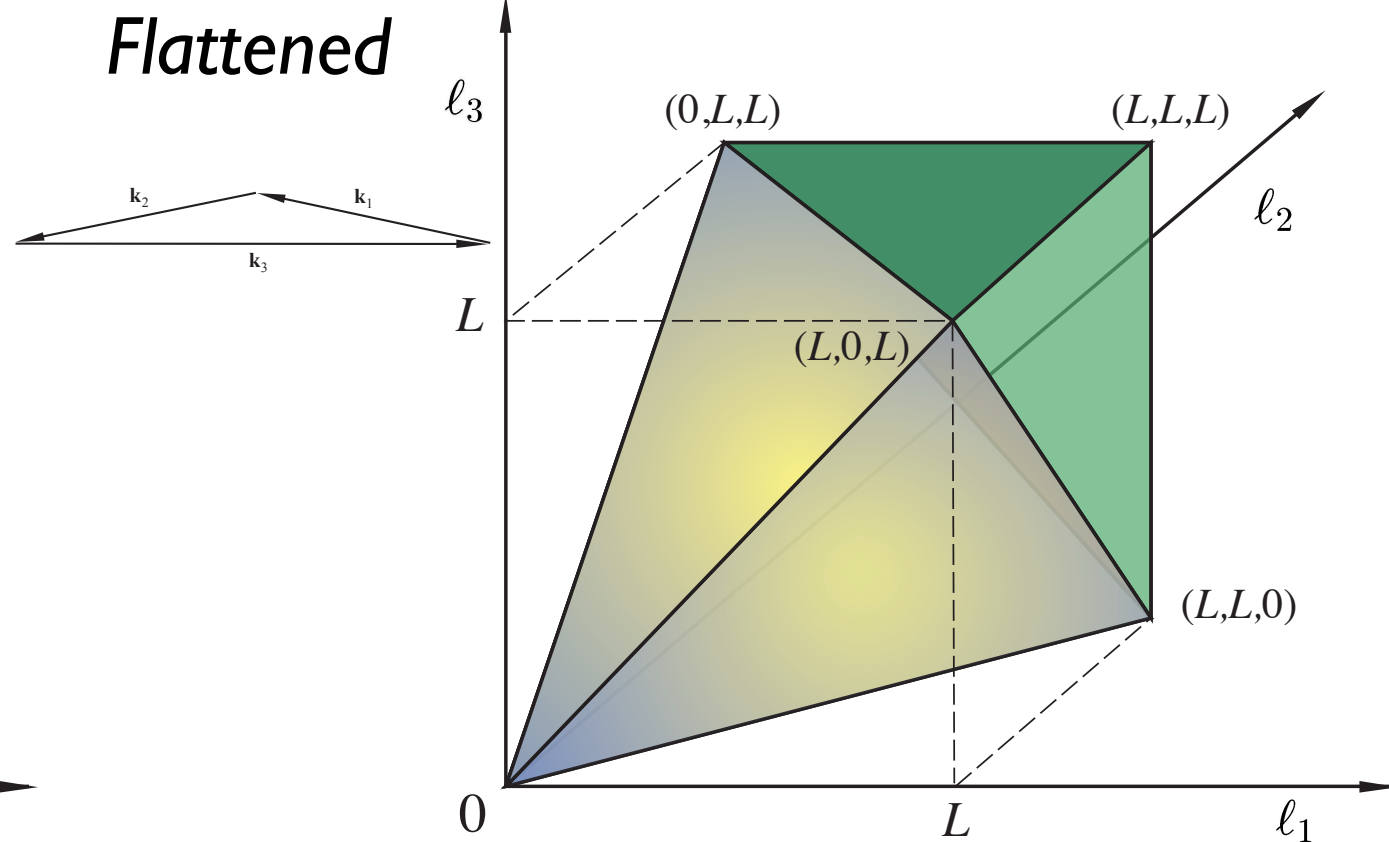
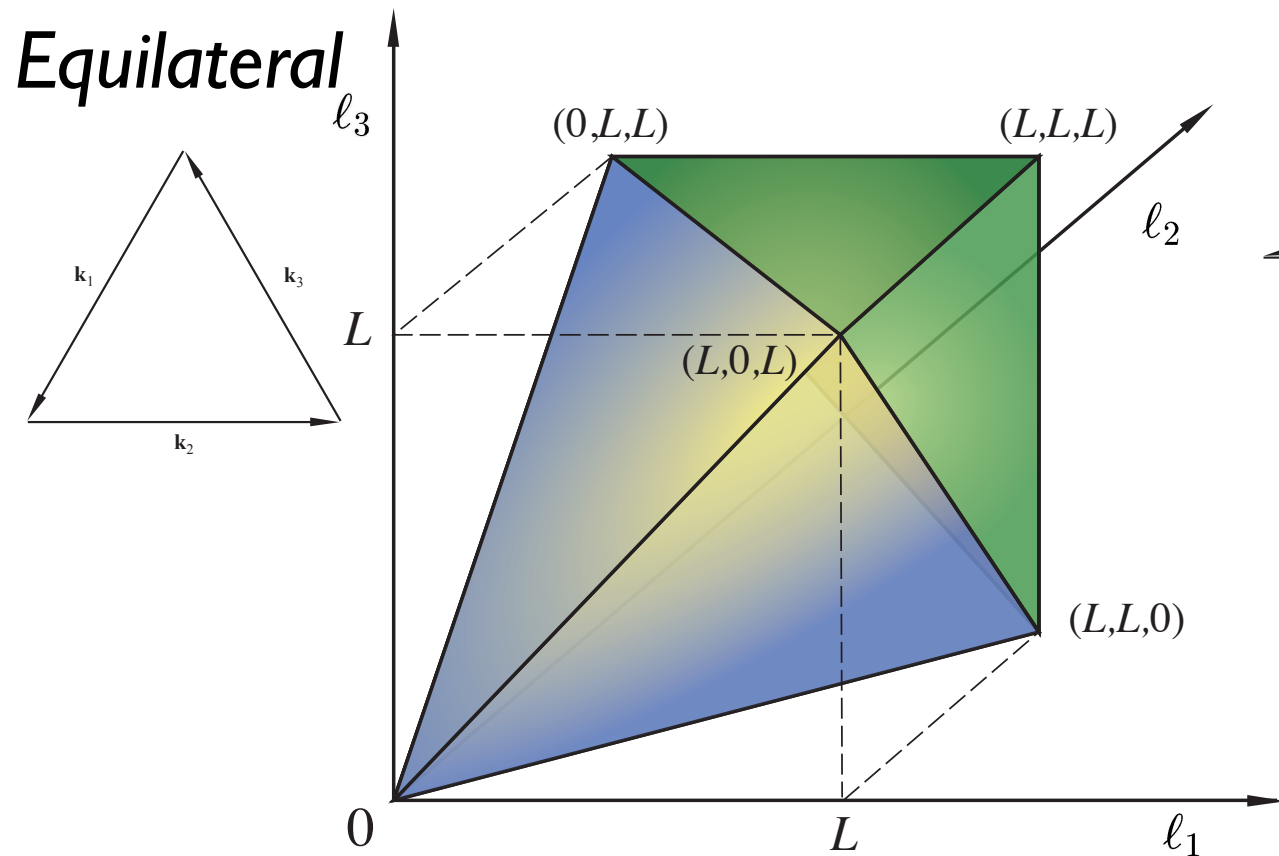
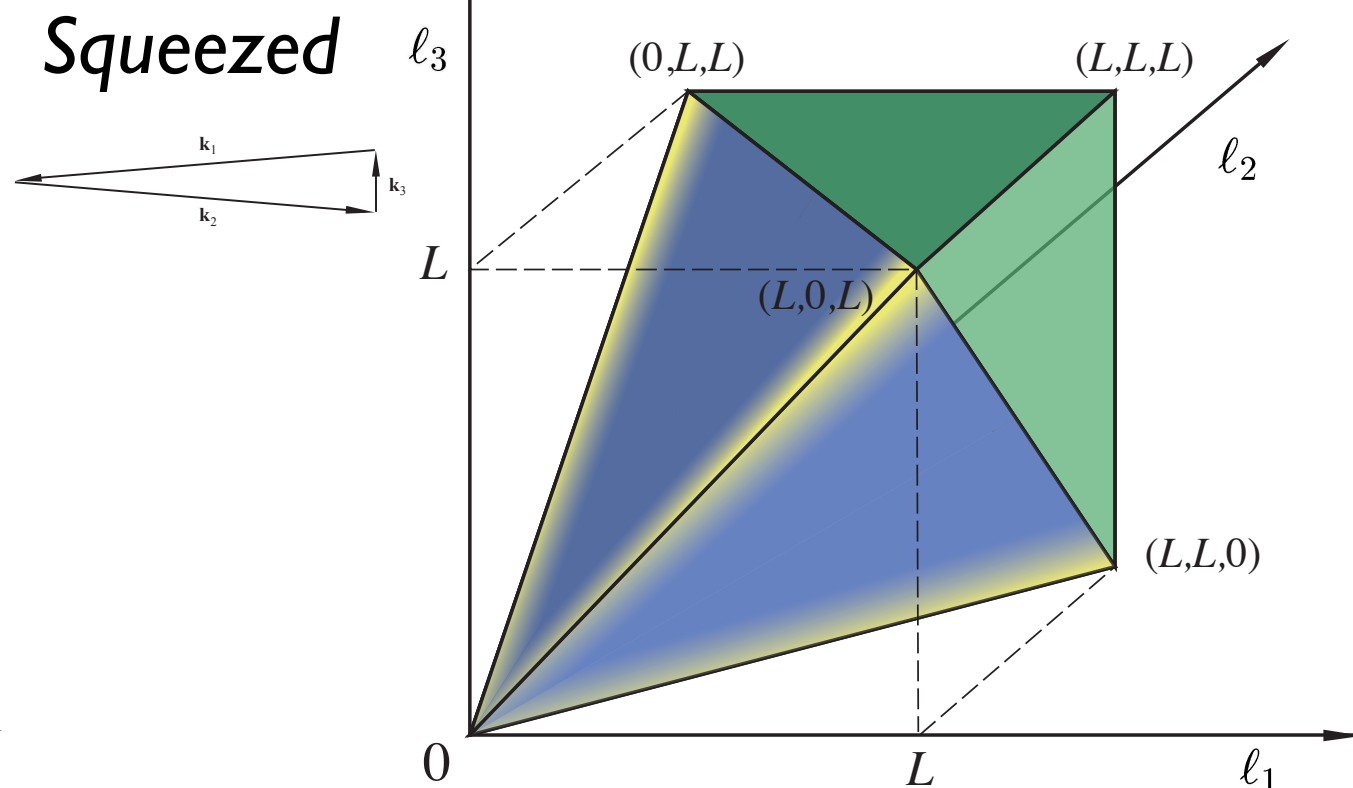
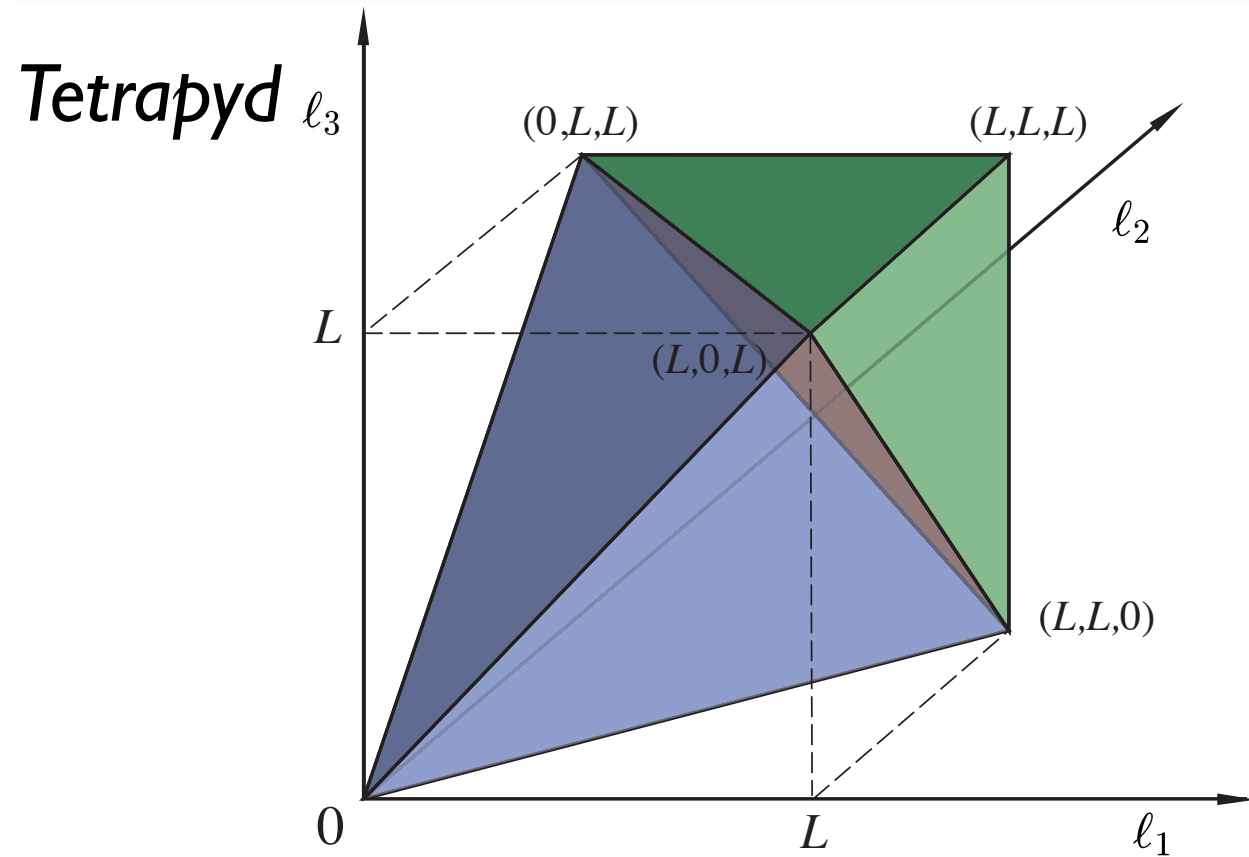
Squeezed



Equilateral



Aside: tetrapyd triangles



Alternative models: Fingerprints of the very early Universe?



Arch



Tentarch



Whorl



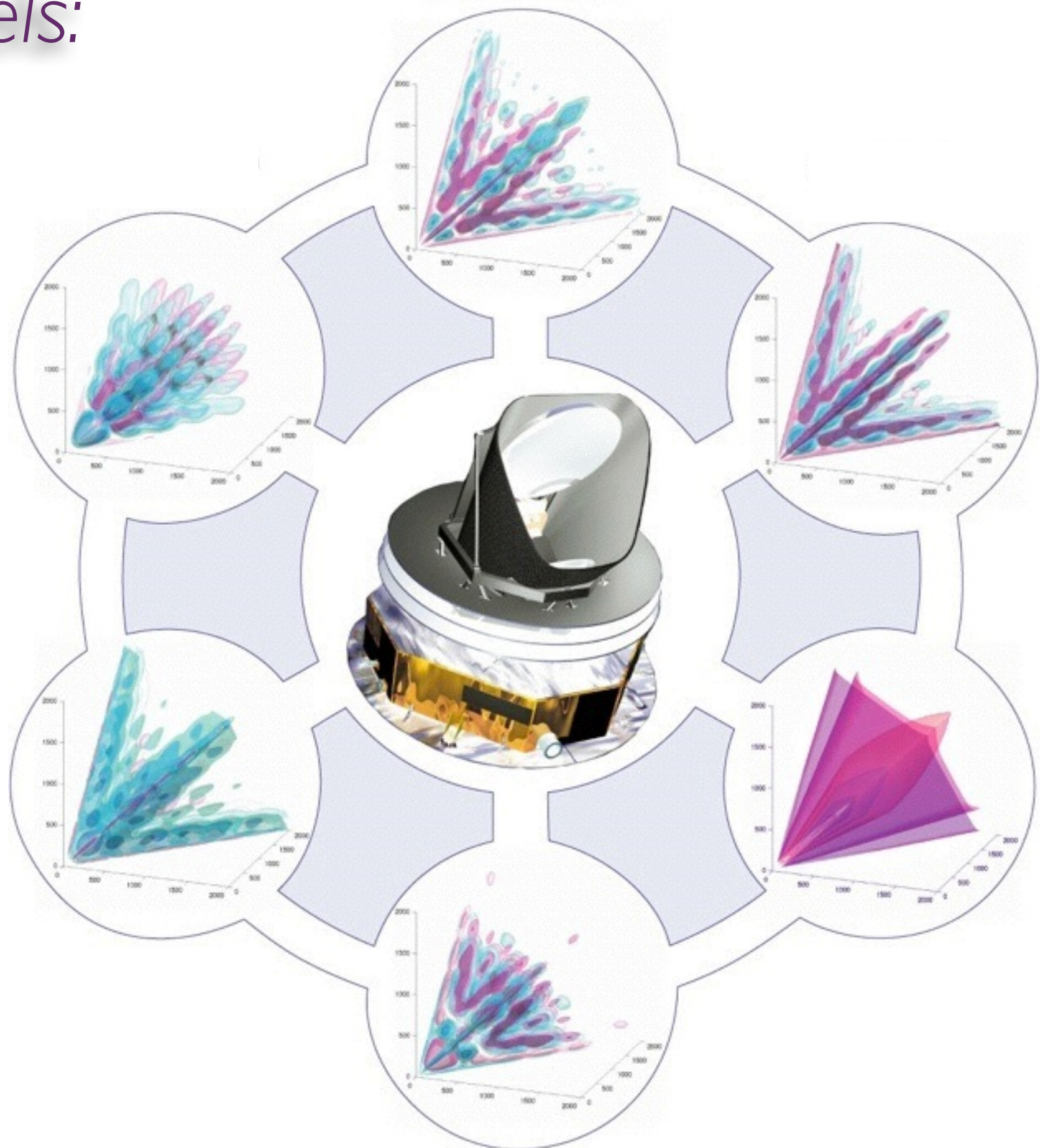
Mixed



Double Loop



Pocked loop



Alternative models: Fingerprints of the very early Universe?



Alternative models: Fingerprints of the very early Universe?

FLAT Excited states

LOCAL
Multifield



Alternative models:

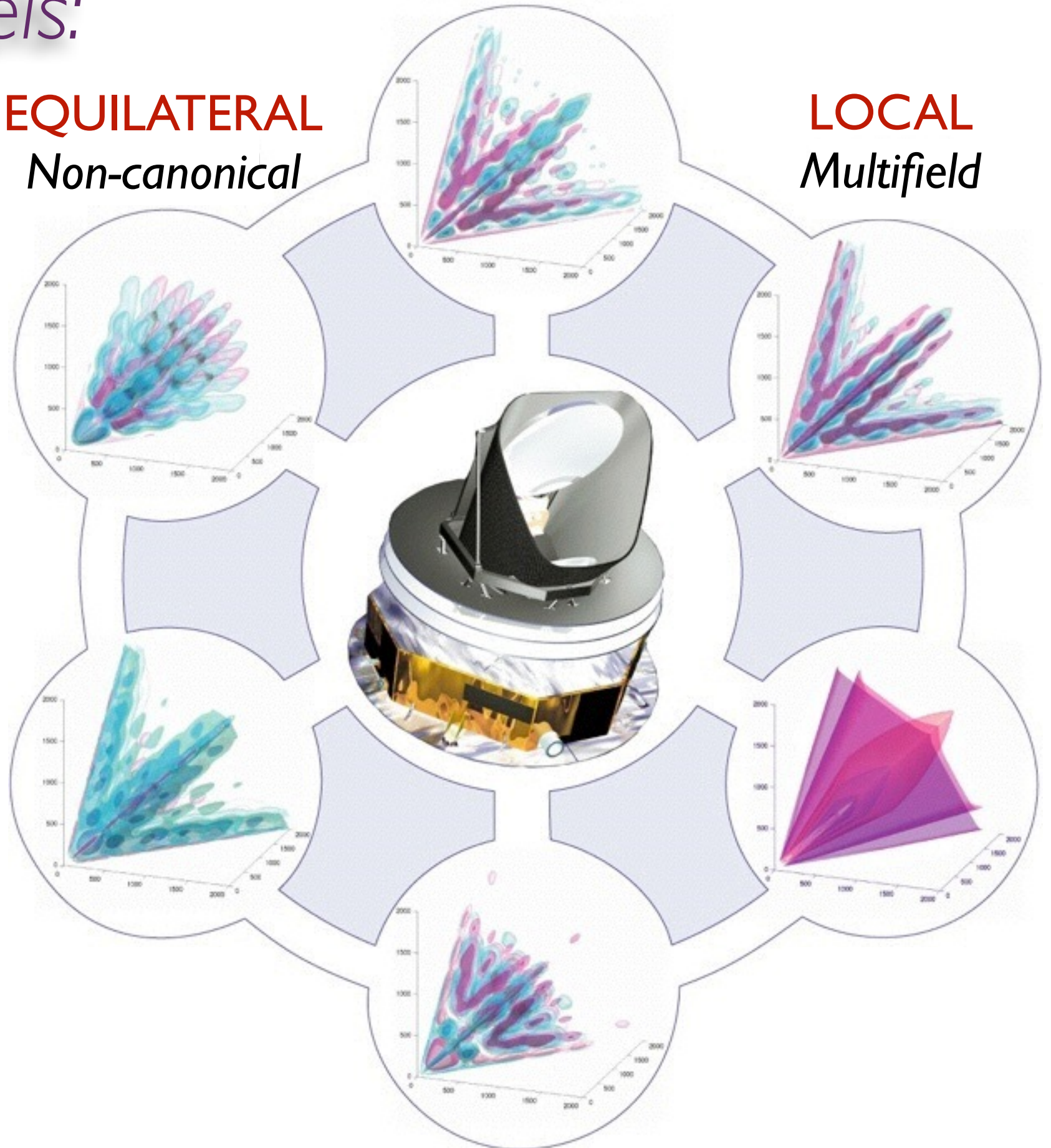
Fingerprints of
the very early
Universe?



FLAT Excited states

EQUILATERAL
Non-canonical

LOCAL
Multifield



Alternative models:

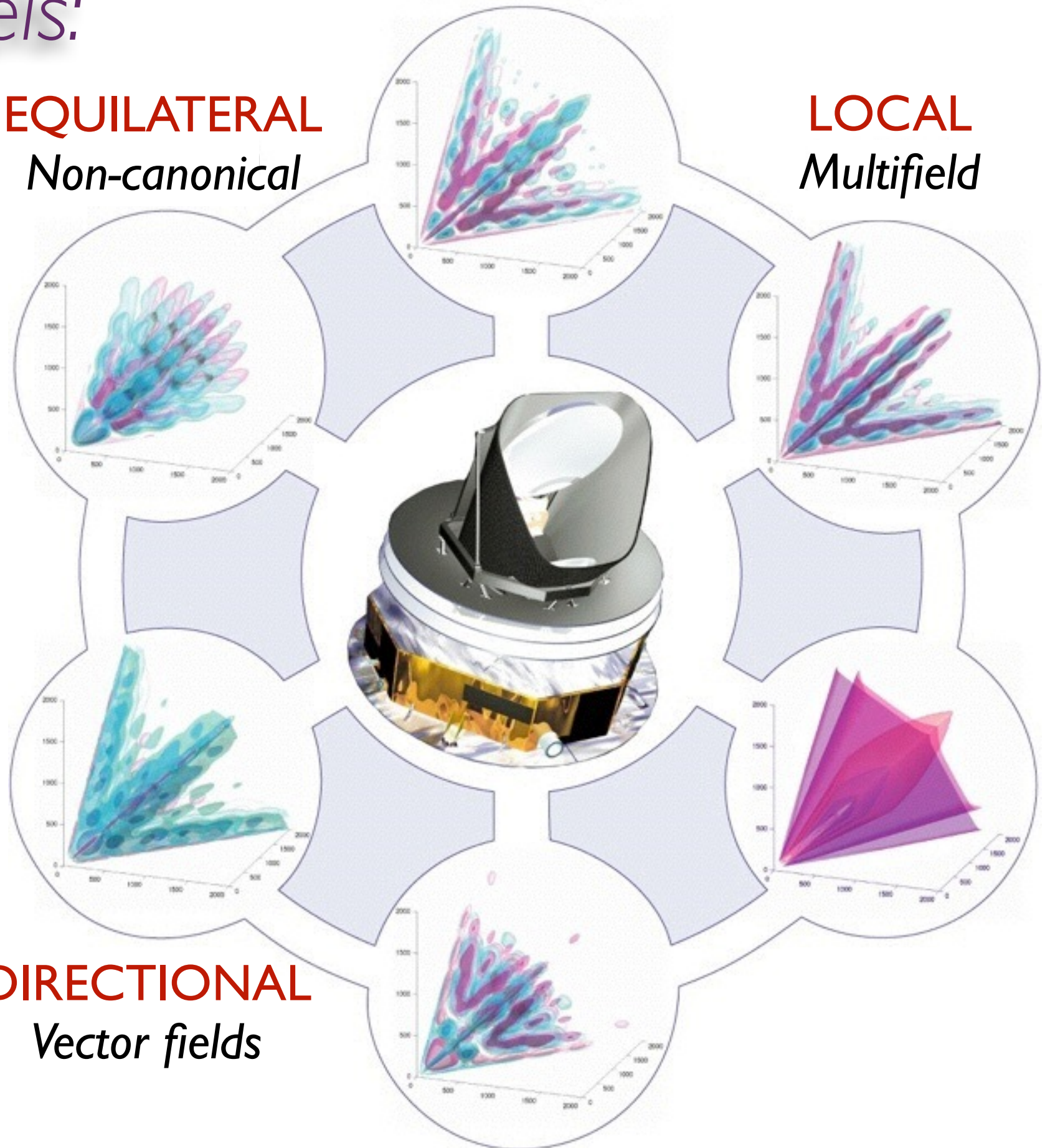
Fingerprints of
the very early
Universe?



FLAT Excited states

EQUILATERAL
Non-canonical

LOCAL
Multifield



DIRECTIONAL
Vector fields

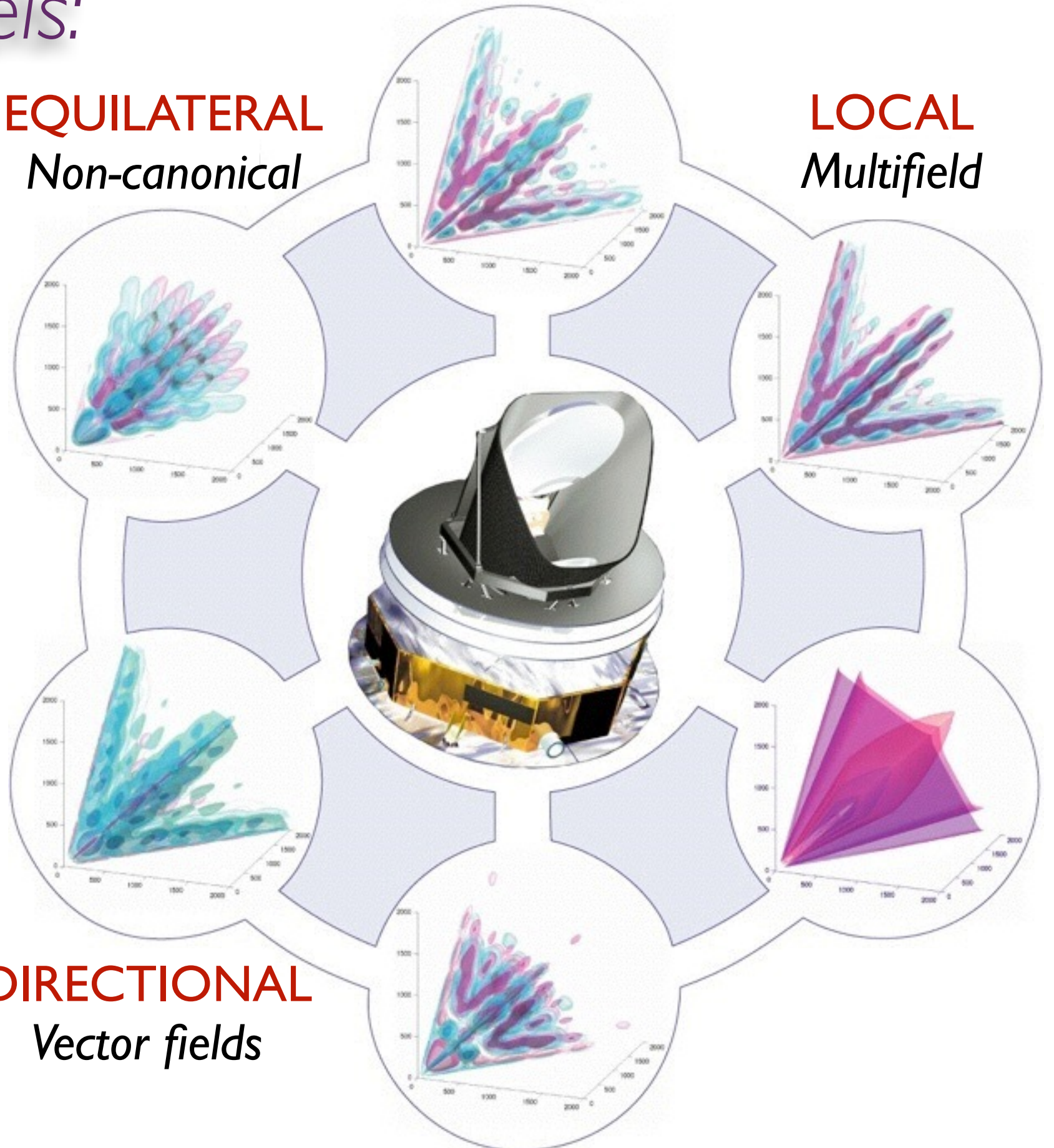
Alternative models: Fingerprints of the very early Universe?



FLAT Excited states

EQUILATERAL
Non-canonical

LOCAL
Multifield



DIRECTIONAL
Vector fields

NON-SCALING Oscillatory features

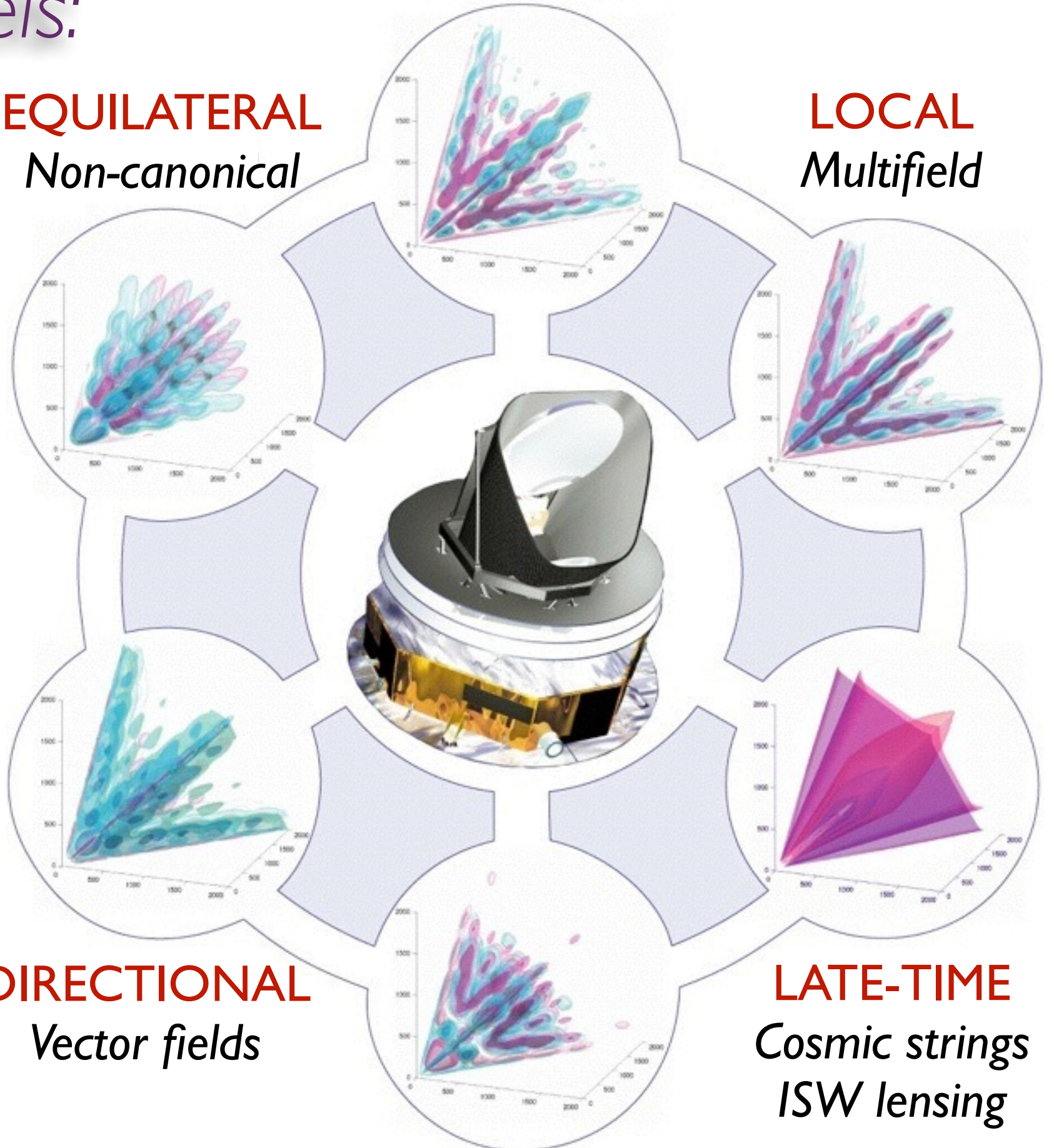
Alternative models: Fingerprints of the very early Universe?



FLAT Excited states

EQUILATERAL
Non-canonical

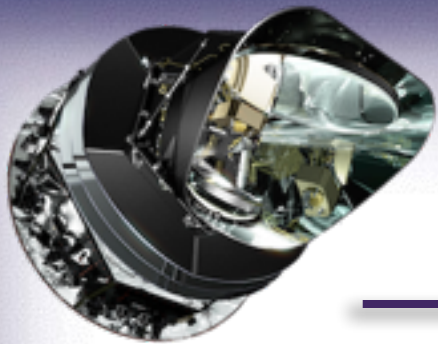
LOCAL
Multifield



DIRECTIONAL
Vector fields

LATE-TIME
Cosmic strings
ISW lensing

NON-SCALING Oscillatory features



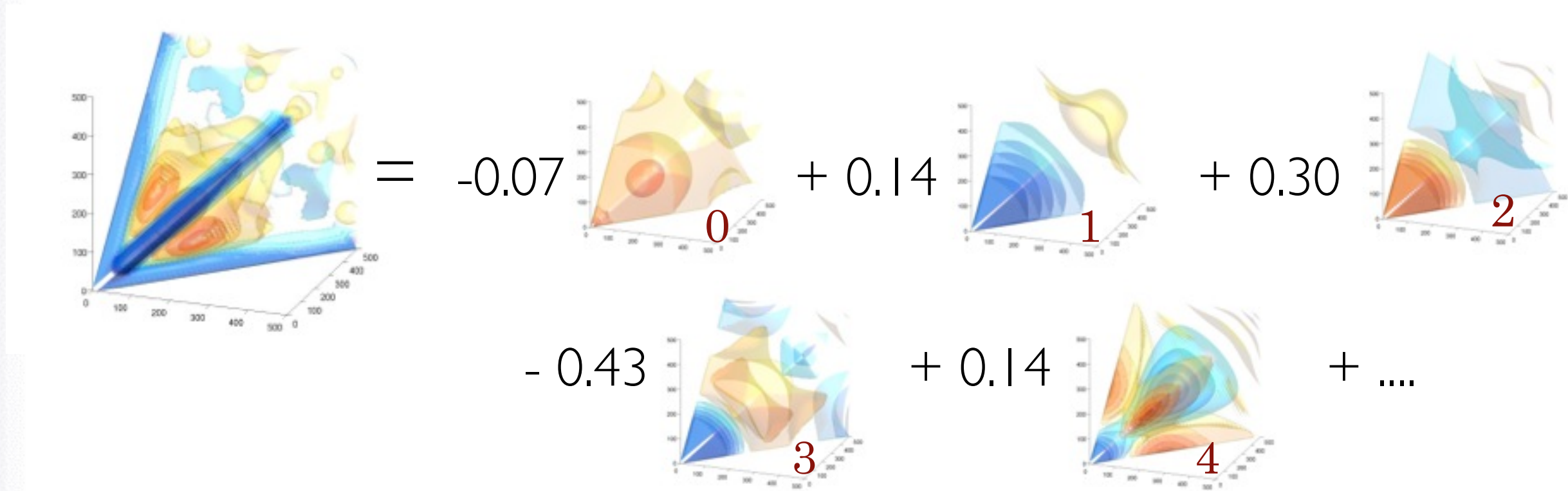
$B_{l_1 l_2 l_3}$ reconstruction



Expand any (nonseparable) bispectrum signal strength in modes as

$$\frac{v_{l_1} v_{l_2} v_{l_3}}{\sqrt{C_{l_1} C_{l_2} C_{l_3}}} b_{l_1 l_2 l_3} = \sum_n \bar{\alpha}_n^{\mathcal{R}} \bar{\mathcal{R}}_n$$

E.g. Local f_{NL} Modal expansion:

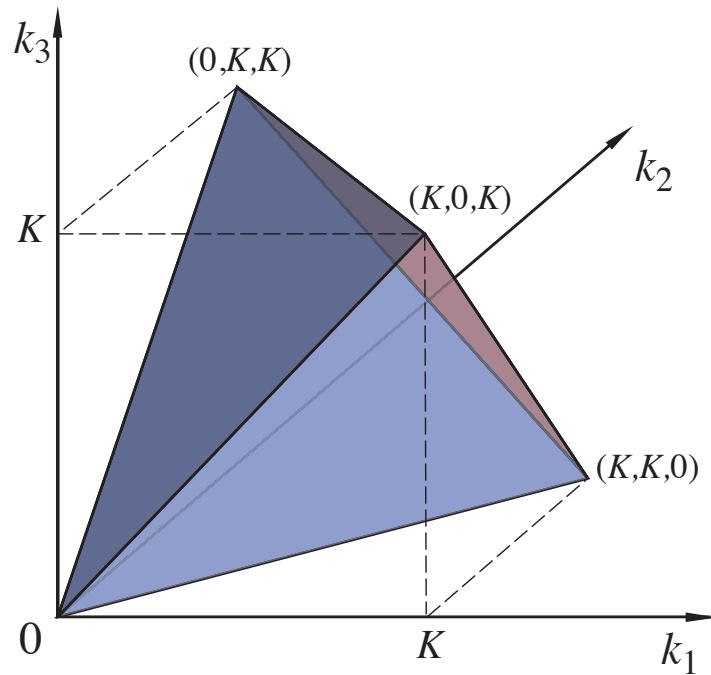


OR filter the Planck data with these modes and reconstruct bispectrum

Modal Polyspectra Estimation

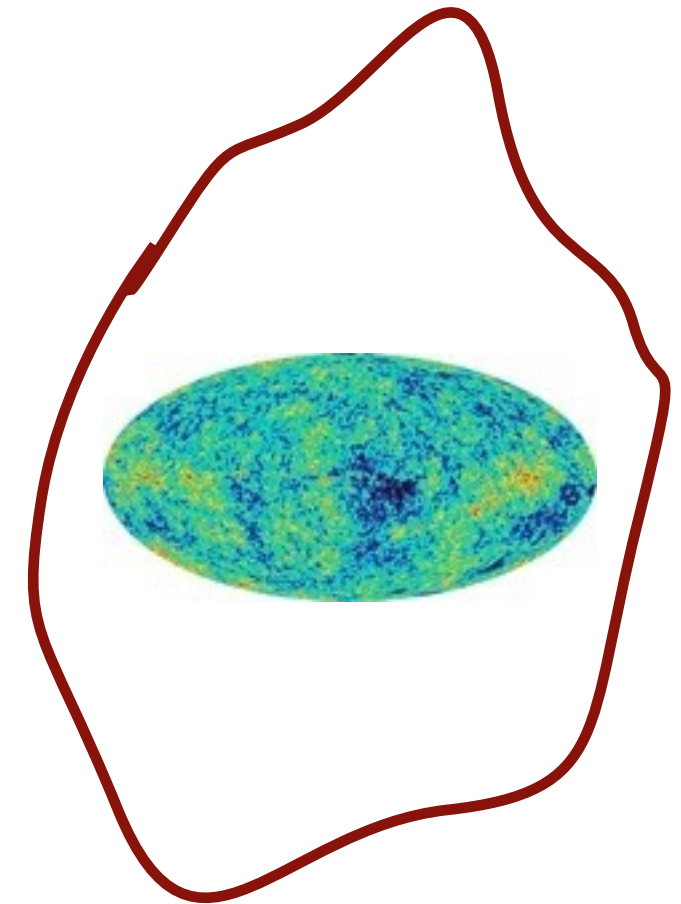
THEORY

Primordial bispectra
(k -space)



OBSERVATION

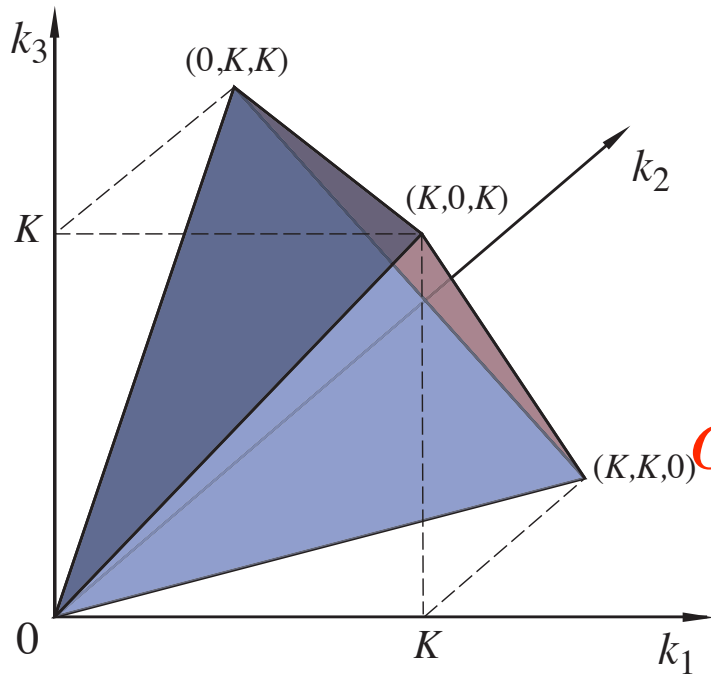
CMB map



Modal Polyspectra Estimation

THEORY

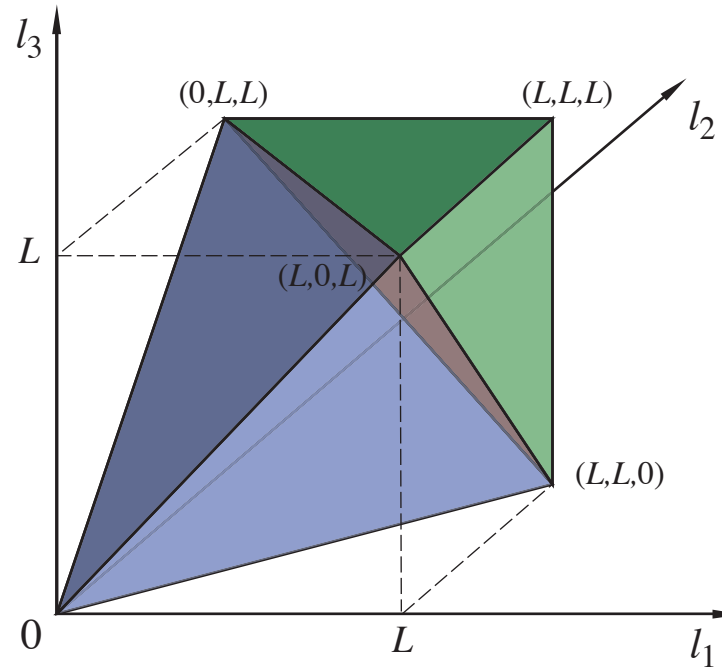
Primordial bispectra
(k -space)



Mode
transfer
functions

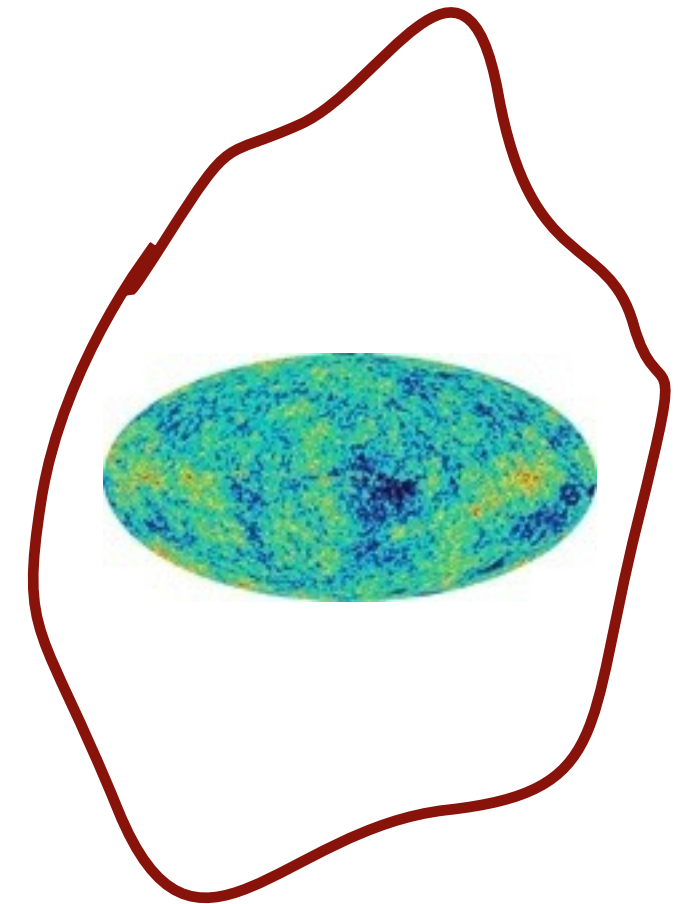
$\alpha_n \rightarrow \bar{\alpha}_n$

CMB bispectra
(l -space)



OBSERVATION

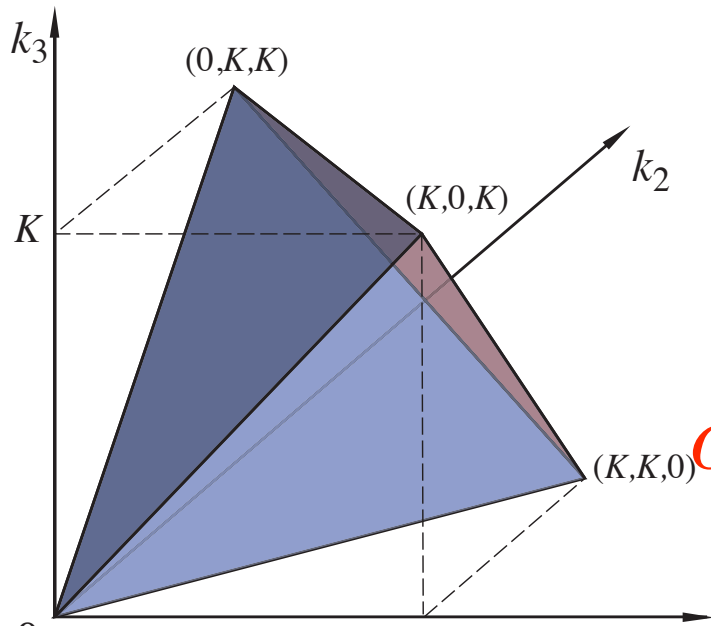
CMB map



Modal Polyspectra Estimation

THEORY

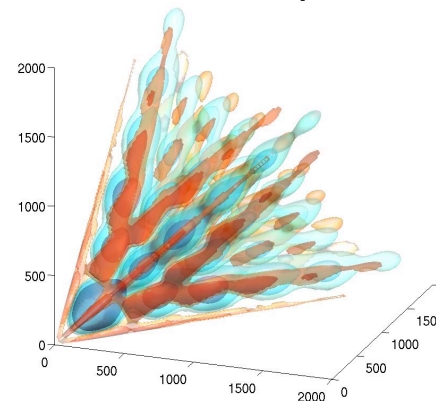
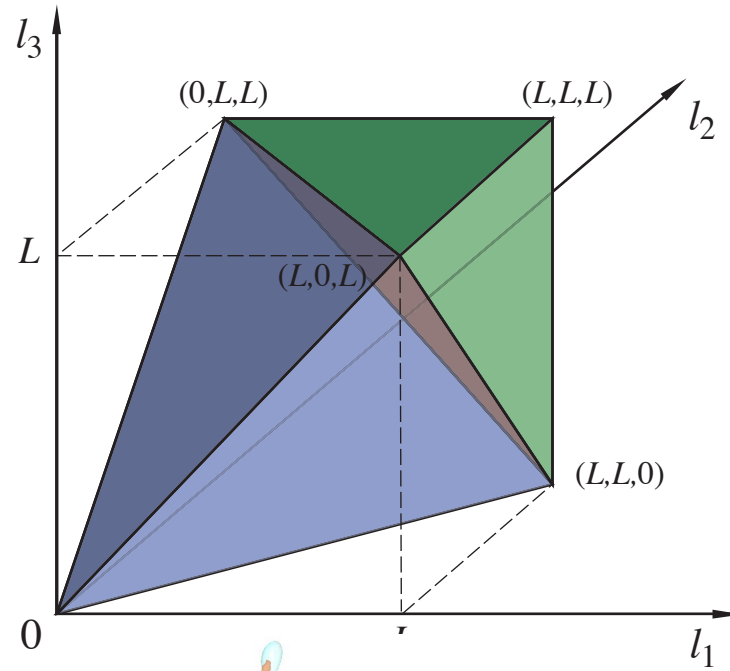
Primordial bispectra
(k -space)



Mode transfer functions

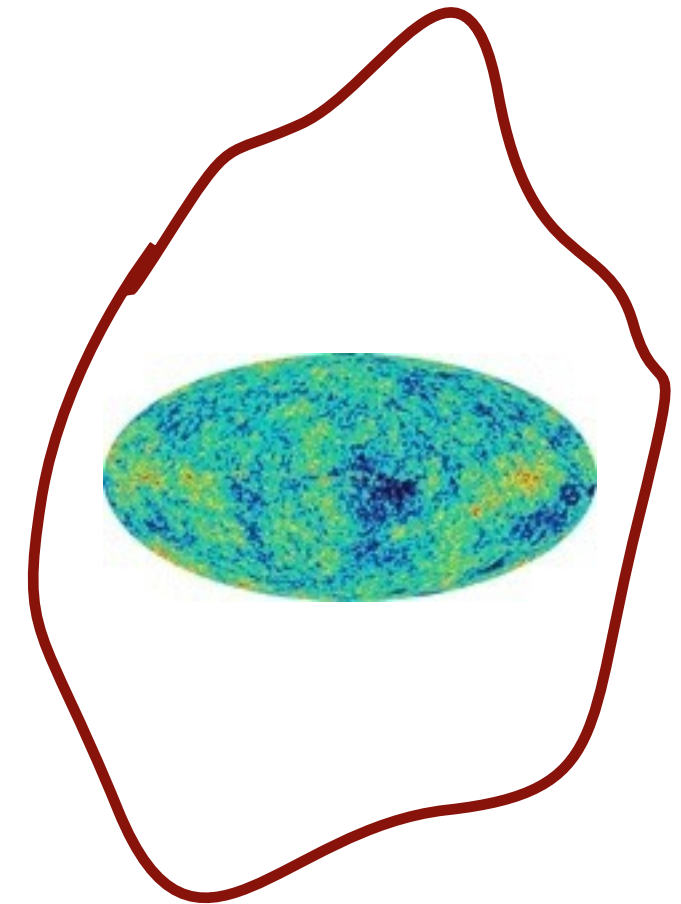
$\alpha_n \rightarrow \bar{\alpha}_n$

CMB bispectra (l -space)



OBSERVATION

CMB map

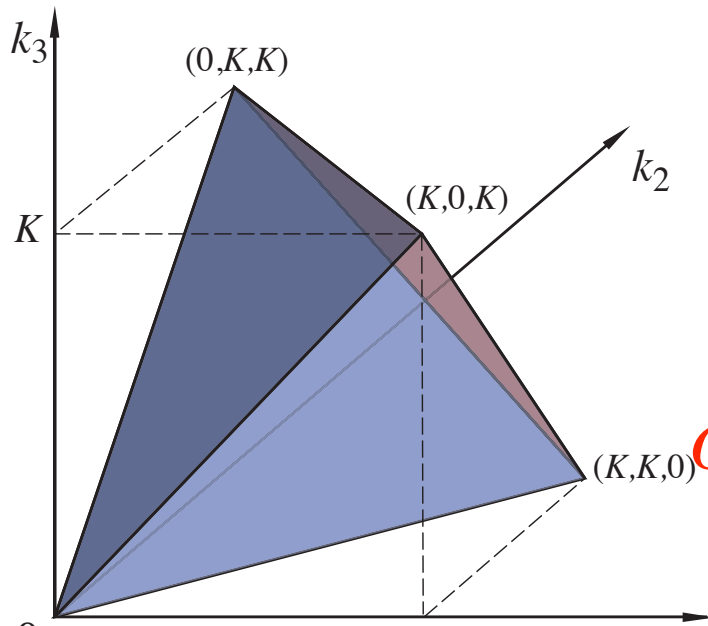


Expand any model with
primordial modes α_n

Modal Polyspectra Estimation

THEORY

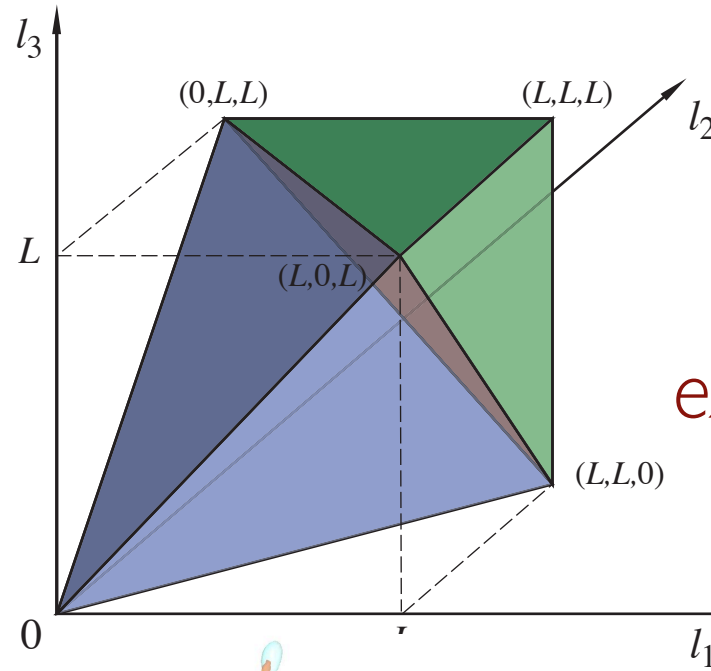
Primordial bispectra
(k-space)



Mode transfer functions

$\alpha_n \rightarrow \bar{\alpha}_n$

CMB bispectra
(l-space)

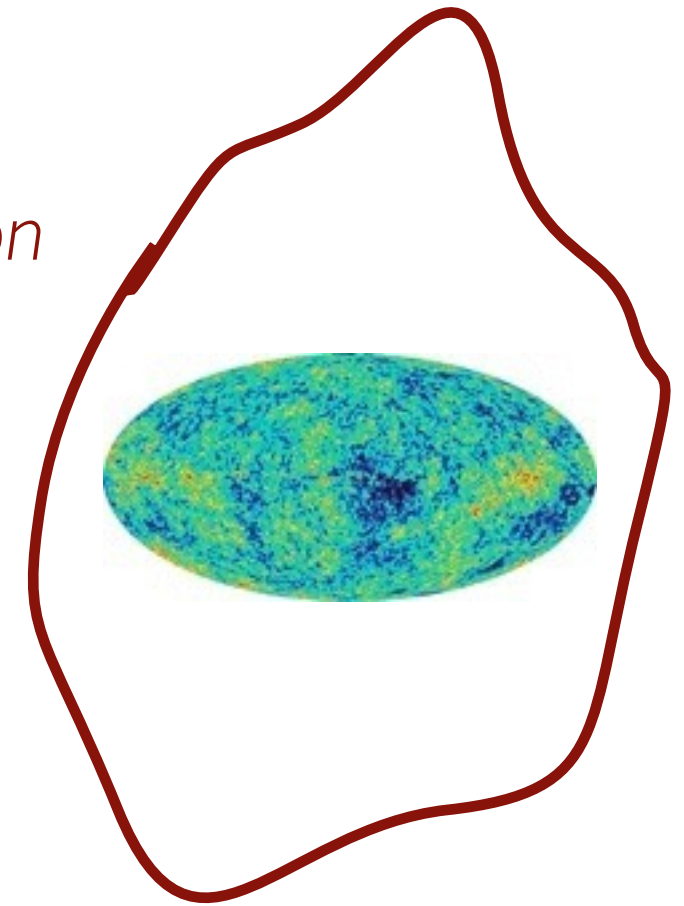


Map extraction

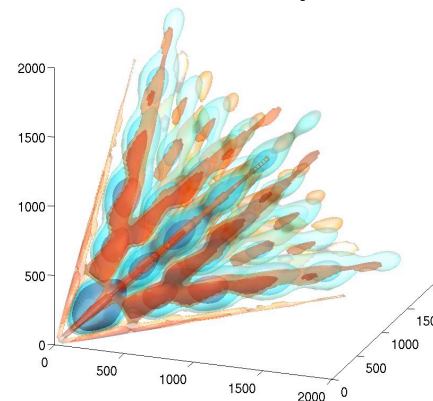
$\bar{\beta}$

OBSERVATION

CMB map



Filter with sufficient separable eigenmodes

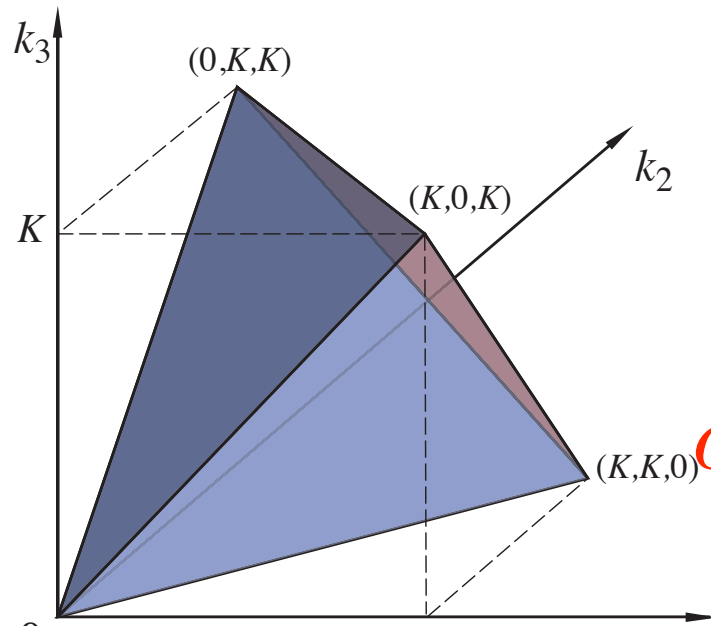


Expand any model with primordial modes α_n

Modal Polyspectra Estimation

THEORY

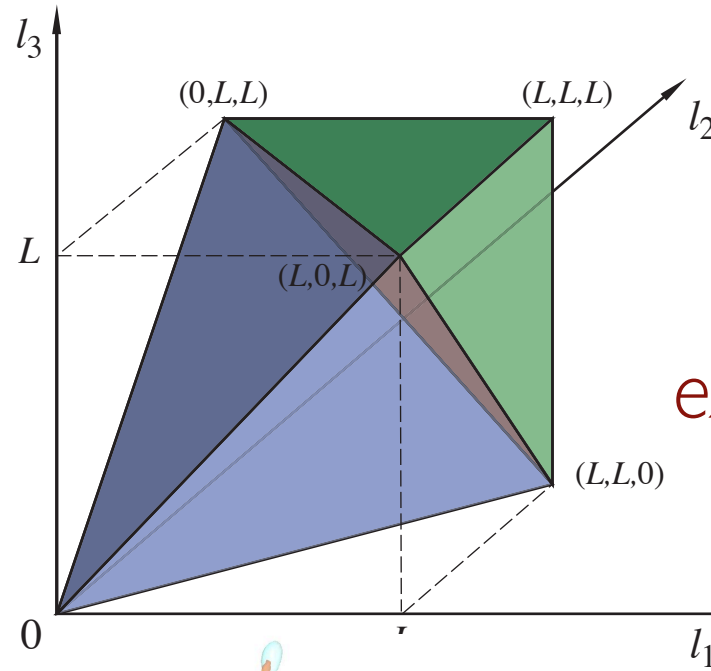
Primordial bispectra
(k-space)



Mode transfer functions

$\alpha_n \rightarrow \bar{\alpha}_n$

CMB bispectra
(l-space)

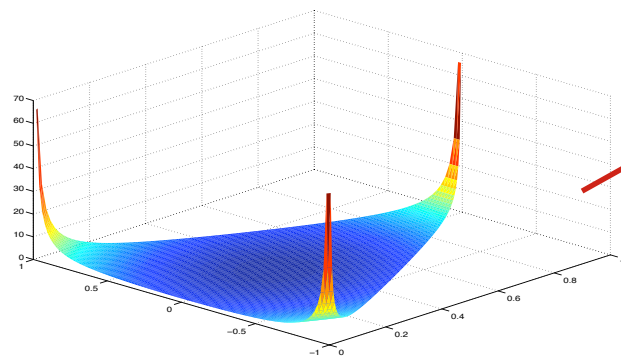
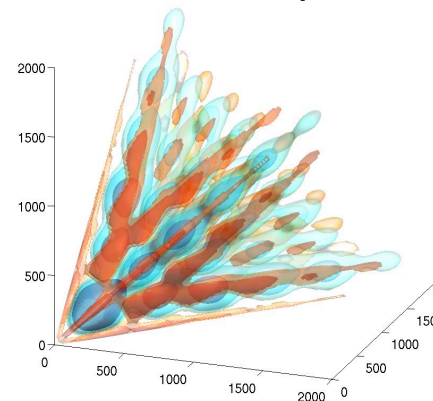
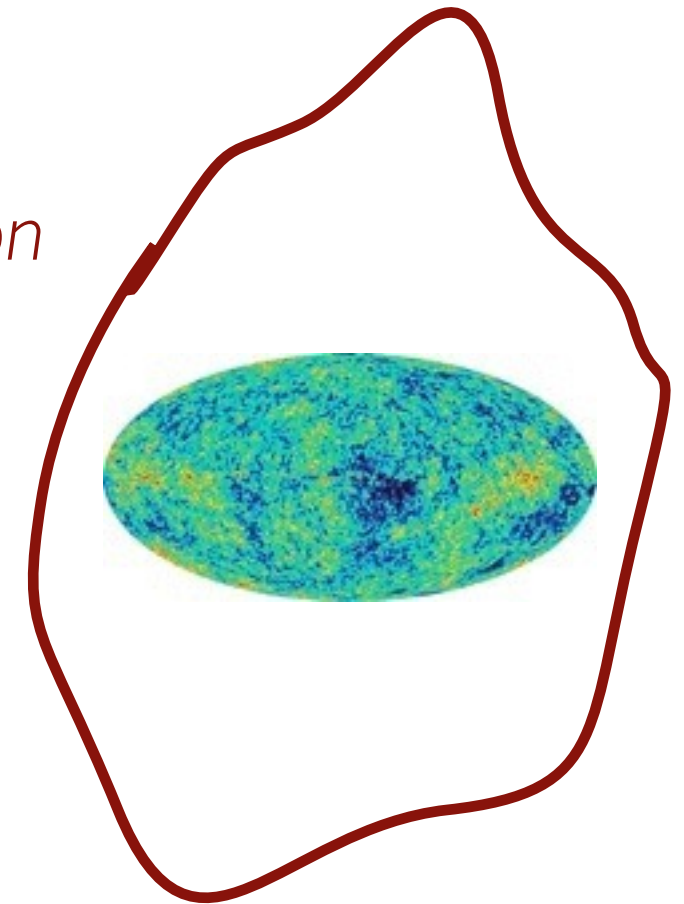


Map extraction

$\bar{\beta}$

OBSERVATION

CMB map



Expand any model with primordial modes α_n

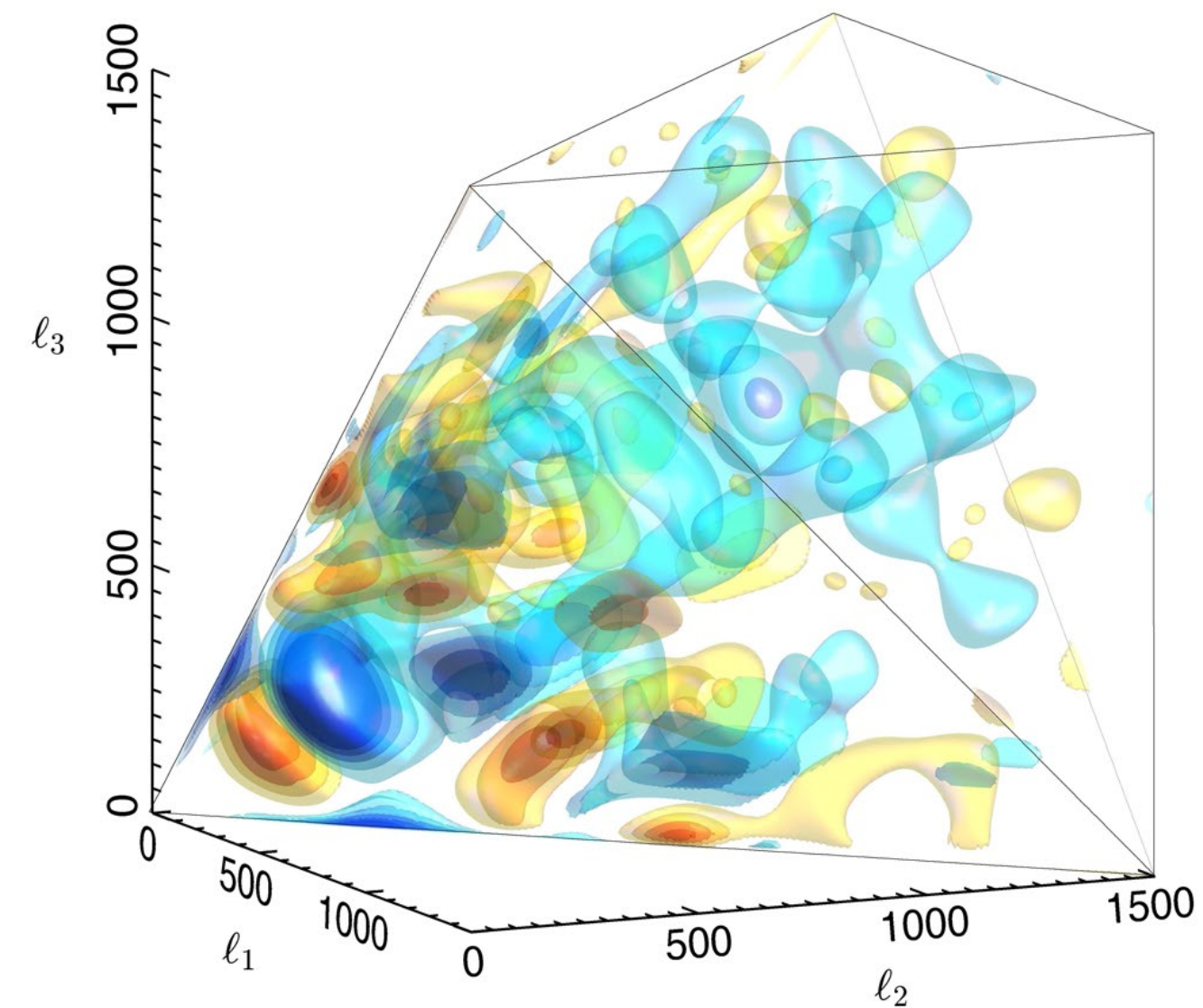
Modal estimator

$$\mathcal{E} = \frac{\sum_n \bar{\alpha}_n^R \bar{\beta}_n^R}{\sum_n (\bar{\alpha}_n^R)^2}$$

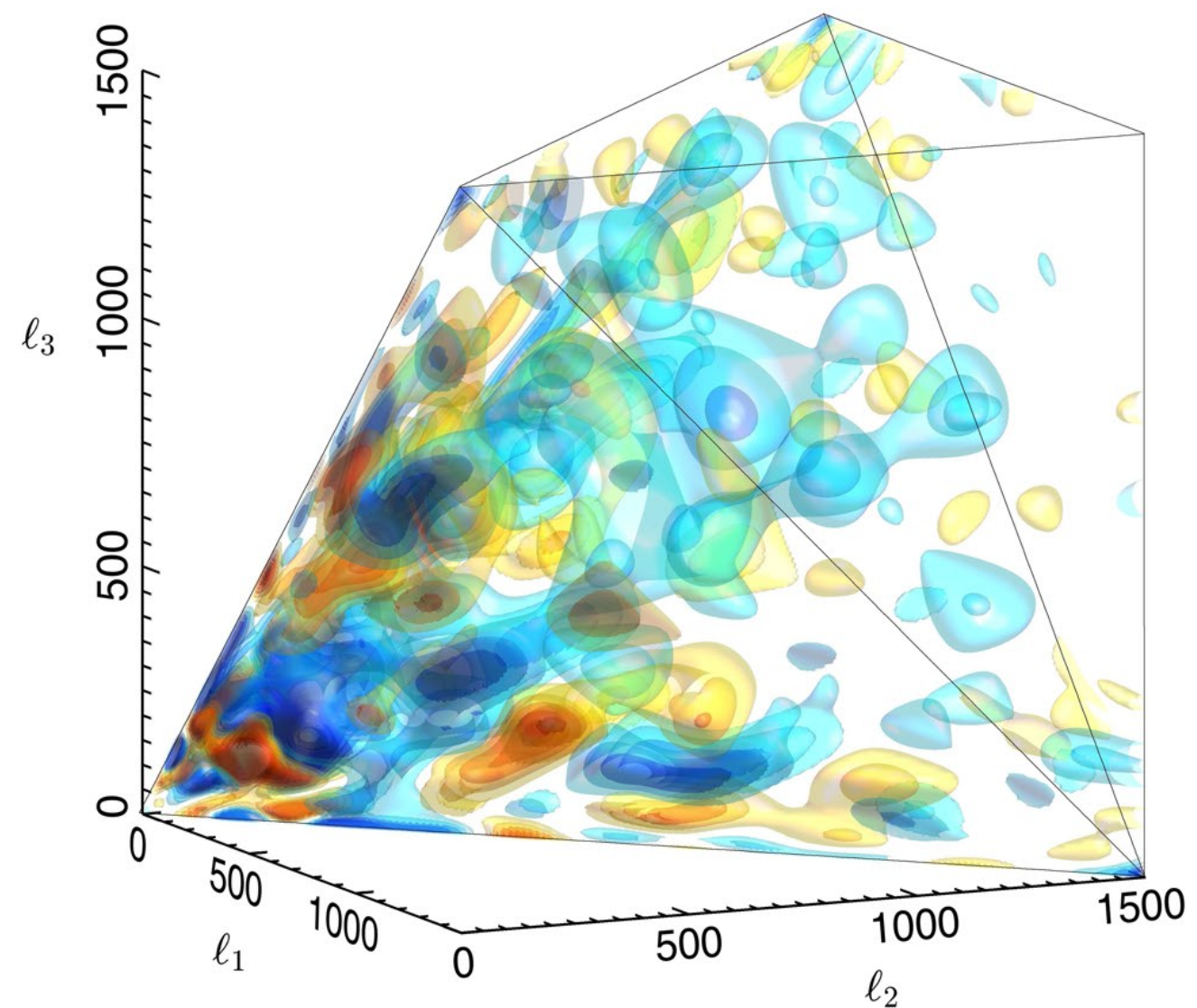
Filter with sufficient separable eigenmodes

The Planck Bispectrum

Modal reconstruction of the full 3D Planck bispectrum

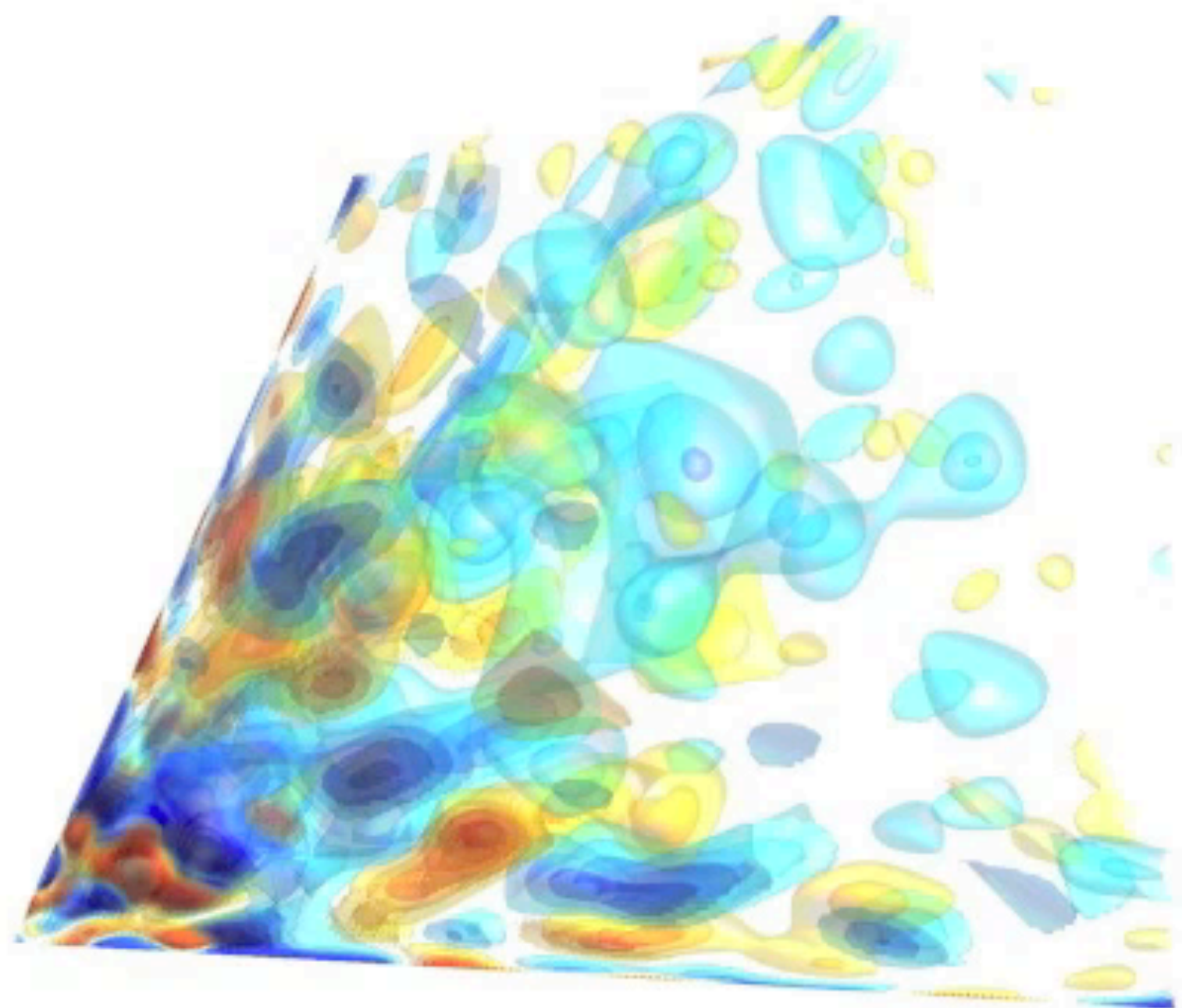


Fourier modes

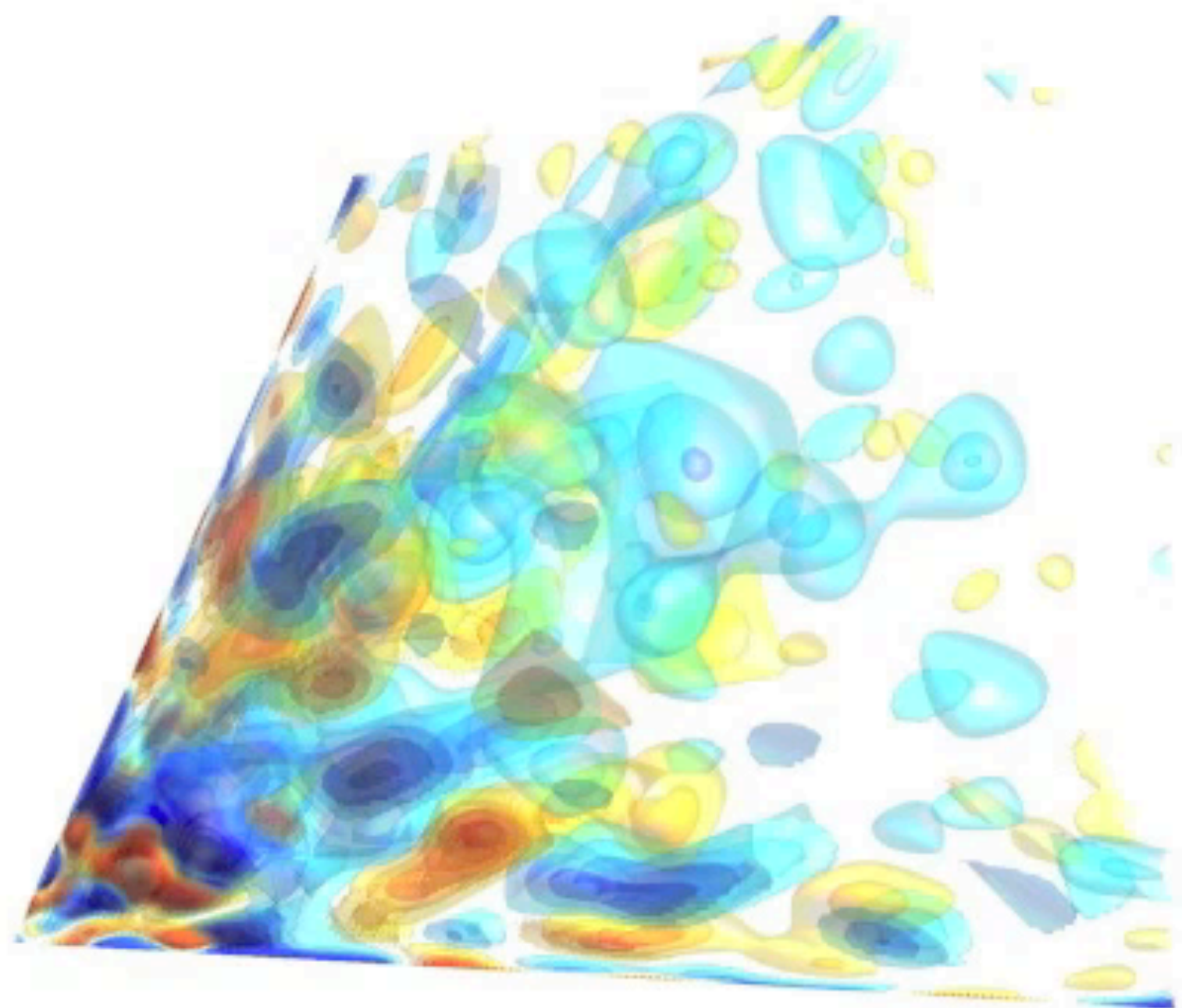


Polynomials

vs



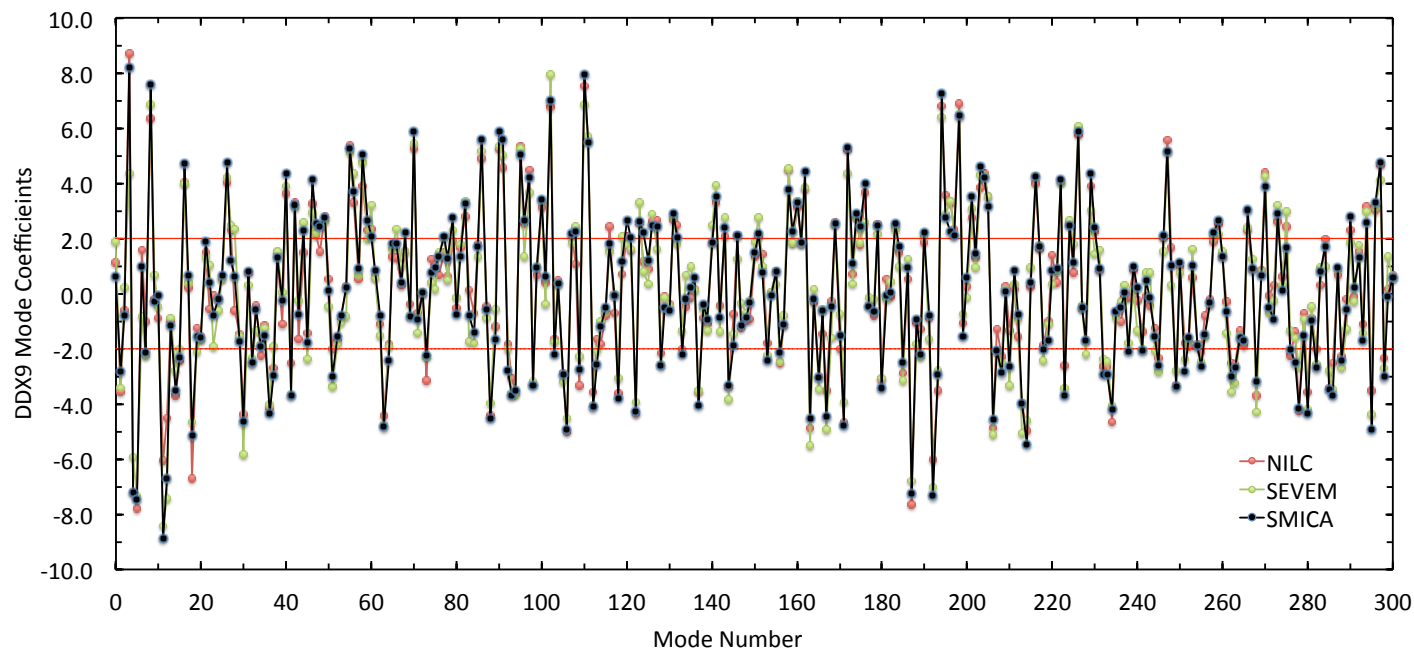
Modal FLS Bispectrum Reconstruction (Planck Collaboration 2013)



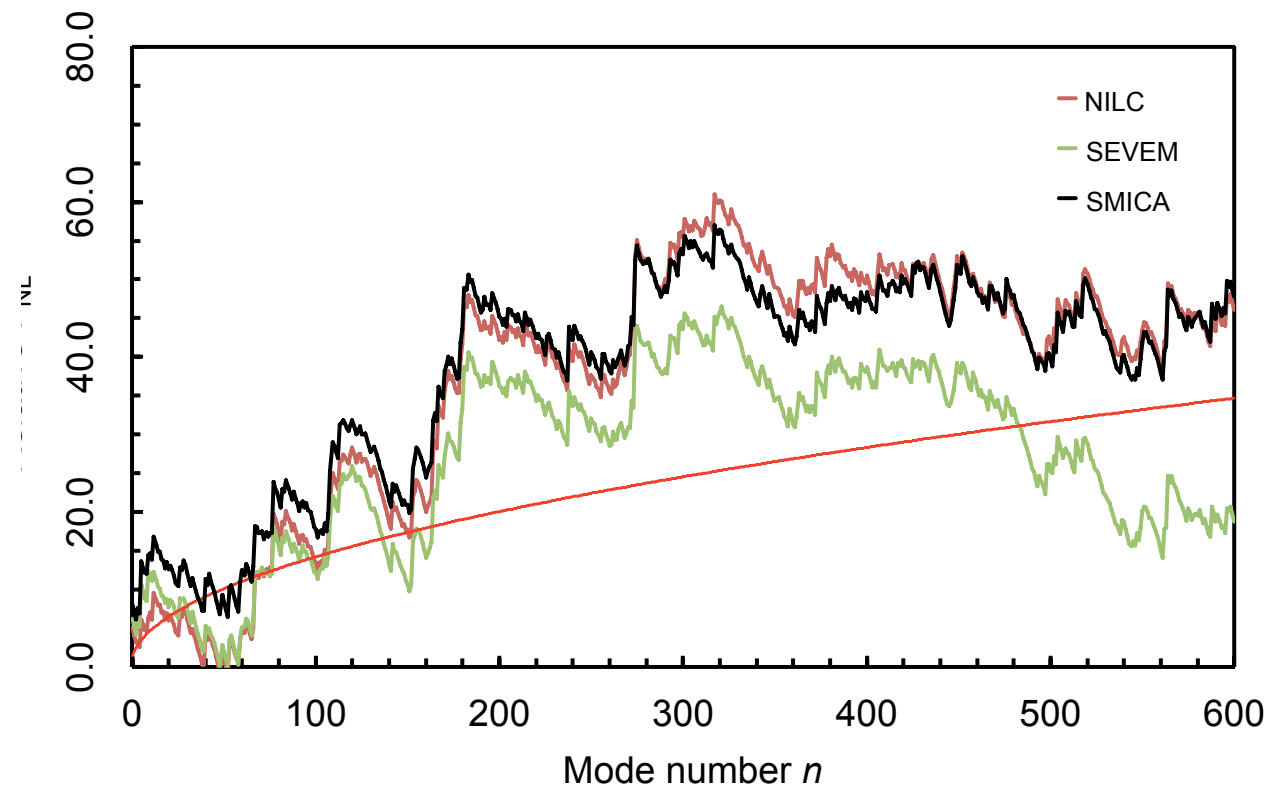
Modal FLS Bispectrum Reconstruction (Planck Collaboration 2013)

High bispectrum signal

Bispectrum expansion coefficients

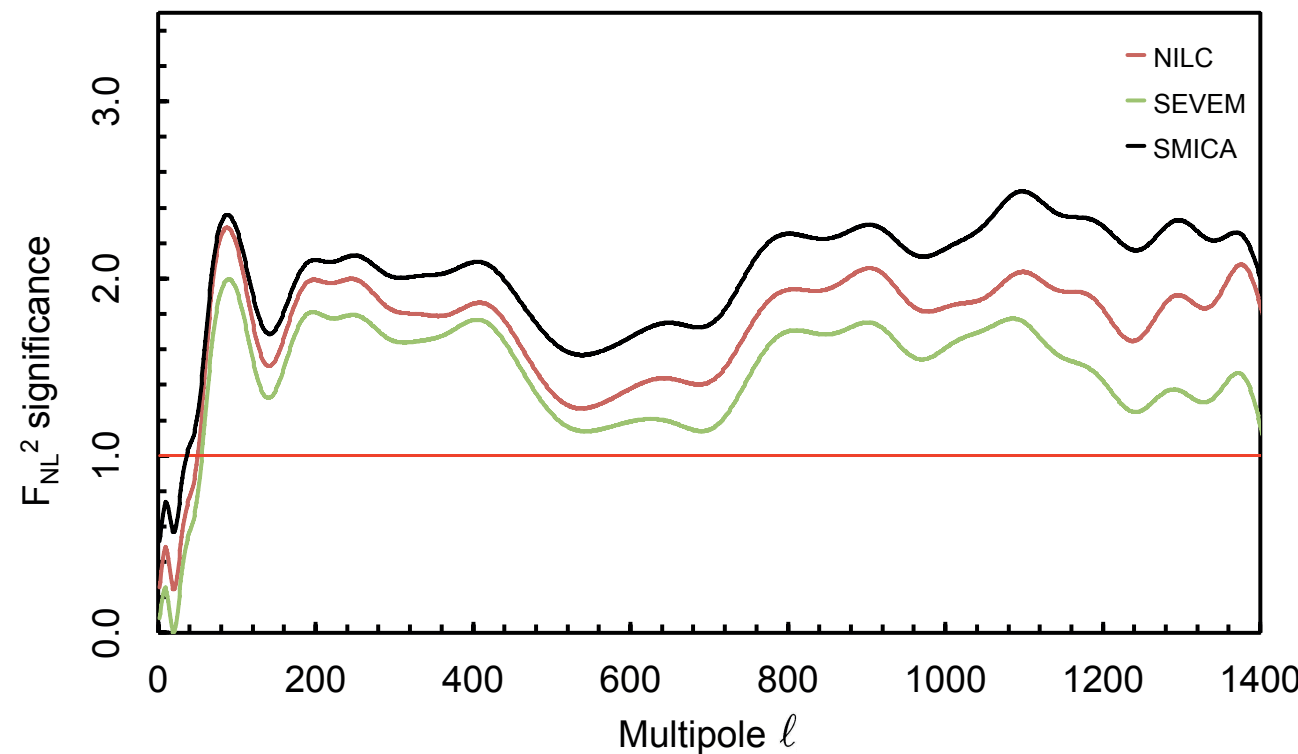


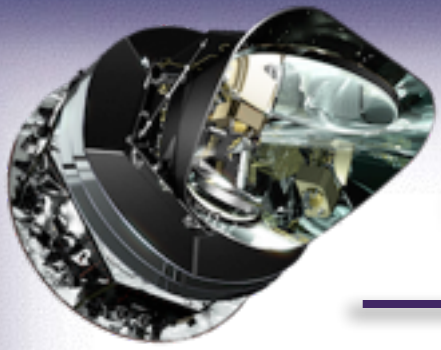
Cumulative sum vs Gaussian 2σ



χ^2 -tests for integrated bispectrum consistent with Gaussianity, but signal always high.

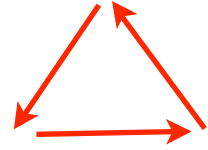
Comparison with 200 lensed CMB Gaussian maps with Planck noise.





Scale-invariant Bispectra

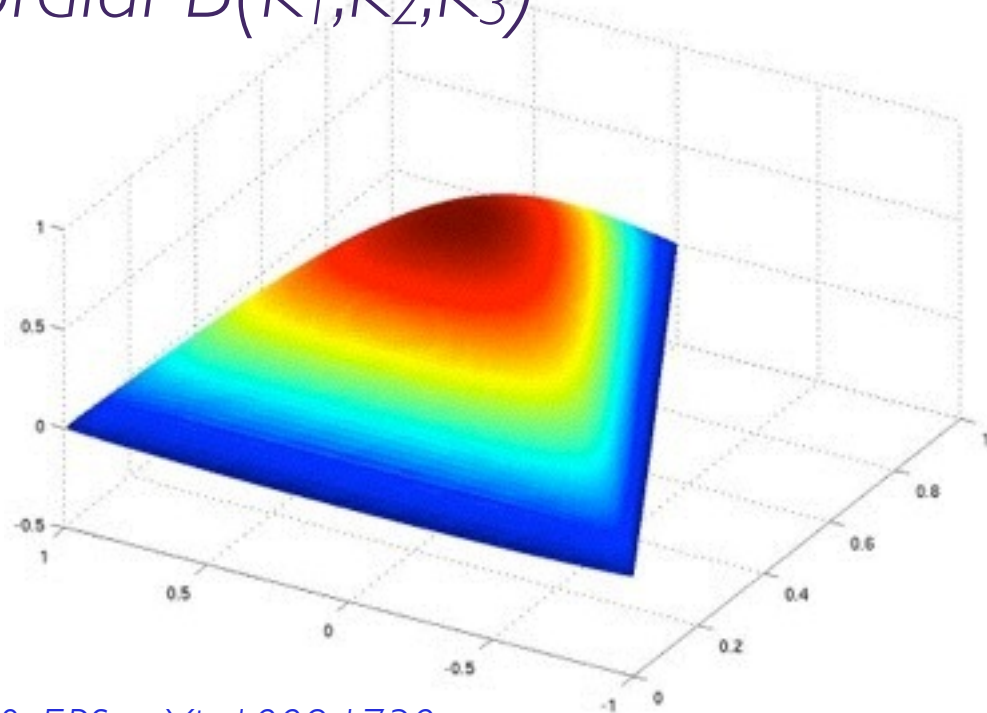
Equilateral bispectra



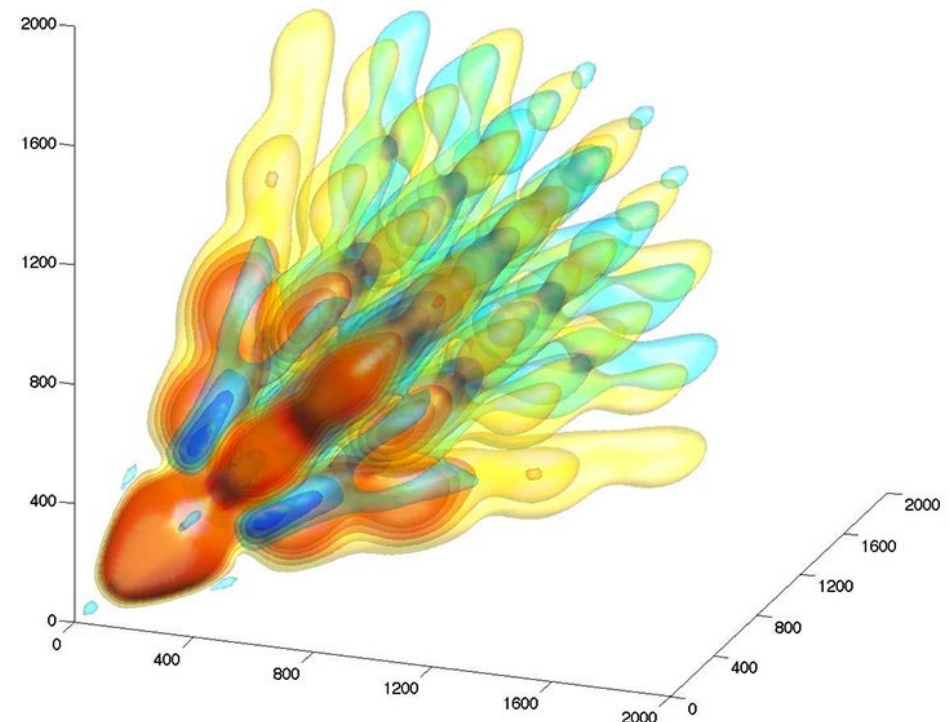
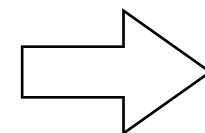
$$f_{\text{NL}}^{\text{equil}} = -42 \pm 75$$

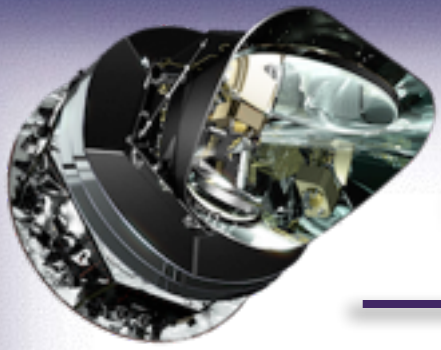
Inflation from higher dimensions
Single-field - sound speed $c_s \ll c$

Primordial $B(k_1, k_2, k_3)$



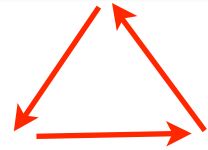
CMB $B_{l_1 l_2 l_3}$





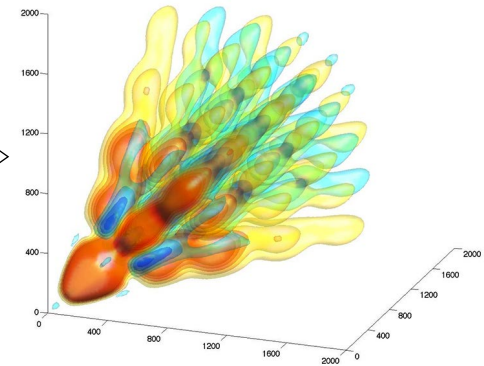
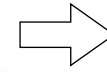
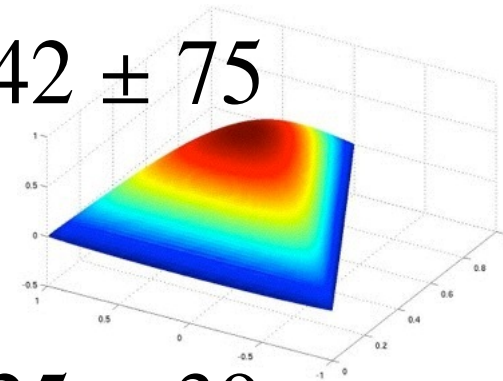
Scale-invariant Bispectra

Equilateral bispectra

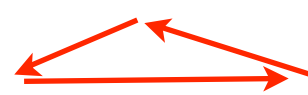


$$f_{\text{NL}}^{\text{equil}} = -42 \pm 75$$

Inflation from higher dimensions
Single-field - sound speed $c_s \ll c$



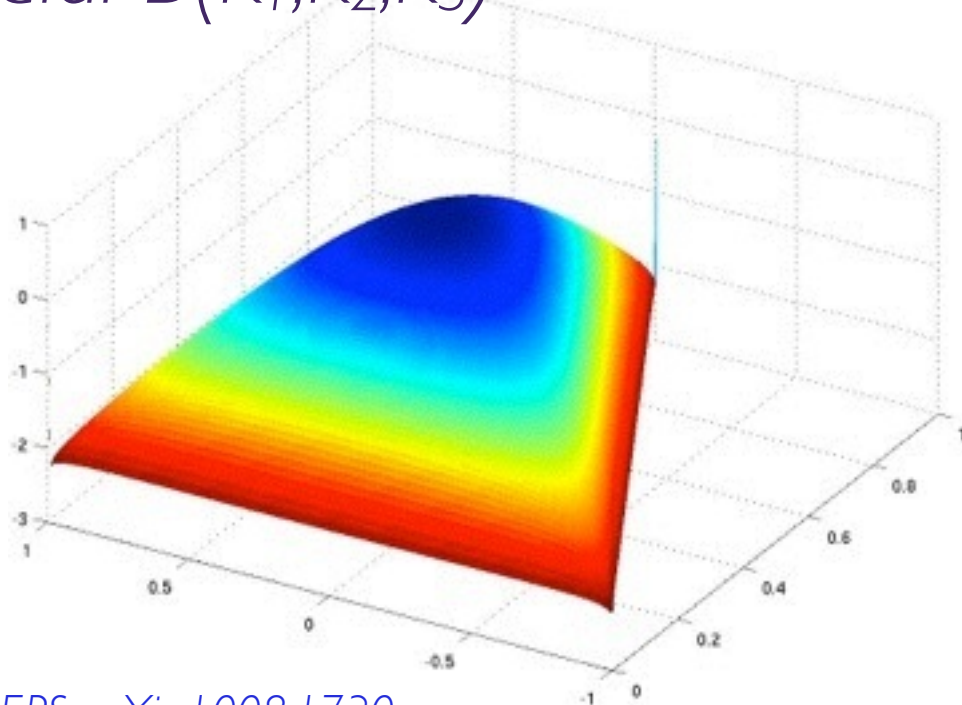
Orthogonal bispectra



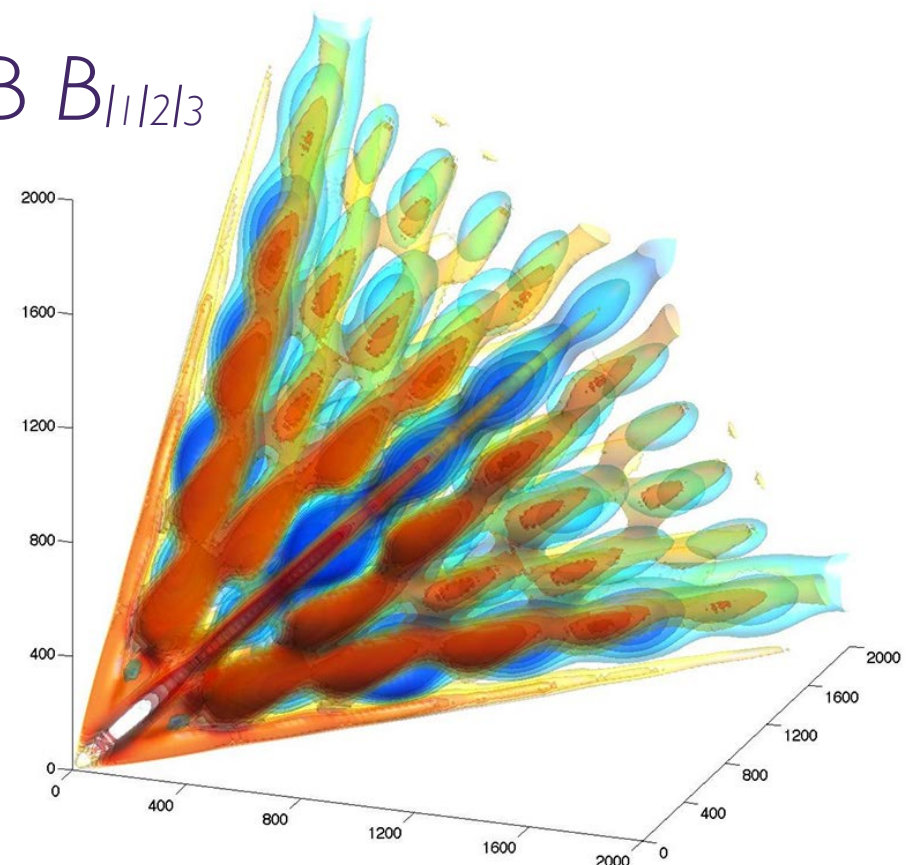
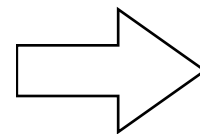
$$f_{\text{NL}}^{\text{ortho}} = -25 \pm 39$$

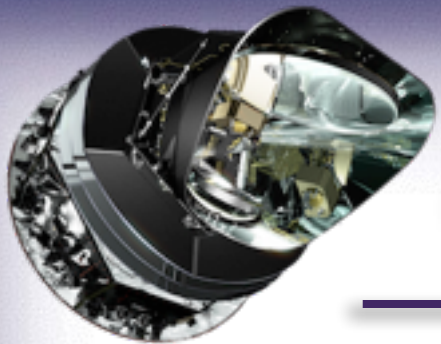
Single-field, complement of equilateral

Primordial $B(k_1, k_2, k_3)$



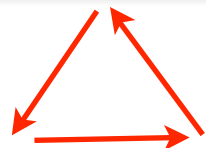
CMB $B_{l_1 l_2 l_3}$





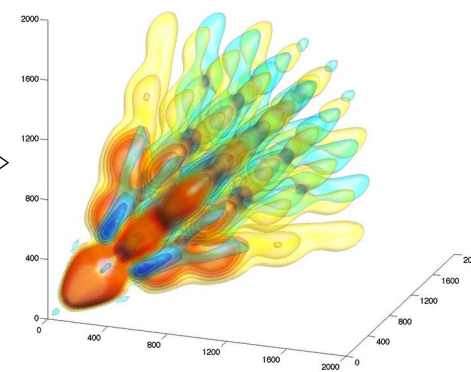
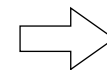
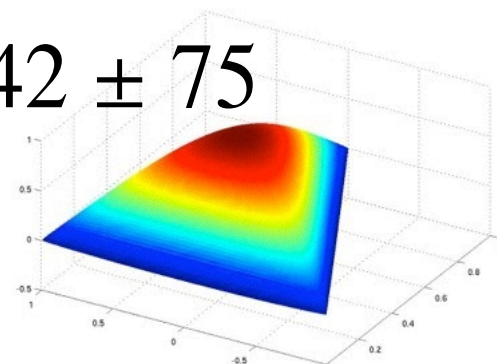
Scale-invariant Bispectra

Equilateral bispectra



$$f_{\text{NL}}^{\text{equil}} = -42 \pm 75$$

Inflation from higher dimensions
Single-field - sound speed $c_s \ll c$

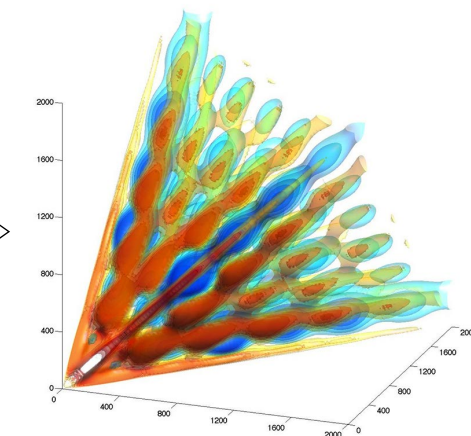
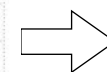
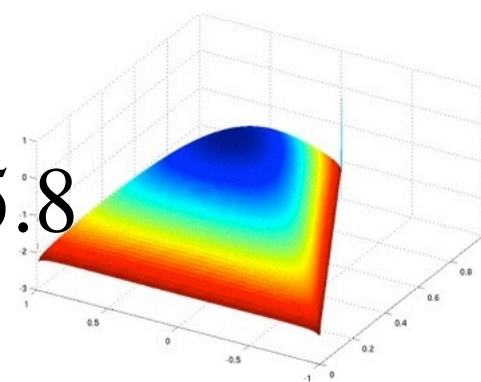


Orthogonal bispectra



$$f_{\text{NL}}^{\text{ortho}} = -25 \pm 39$$

Single-field, complement of equilateral



Local bispectra

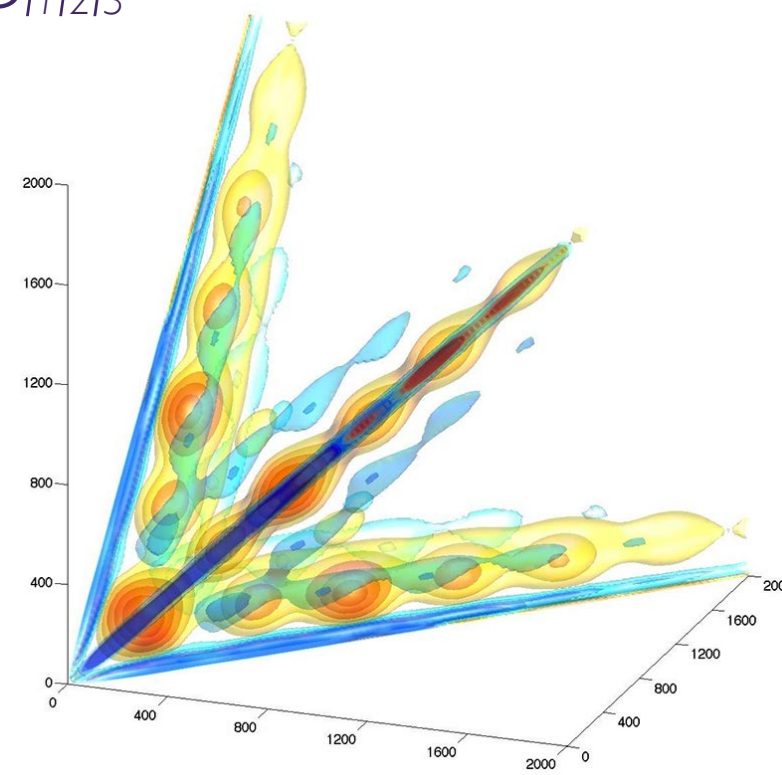
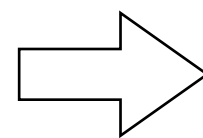
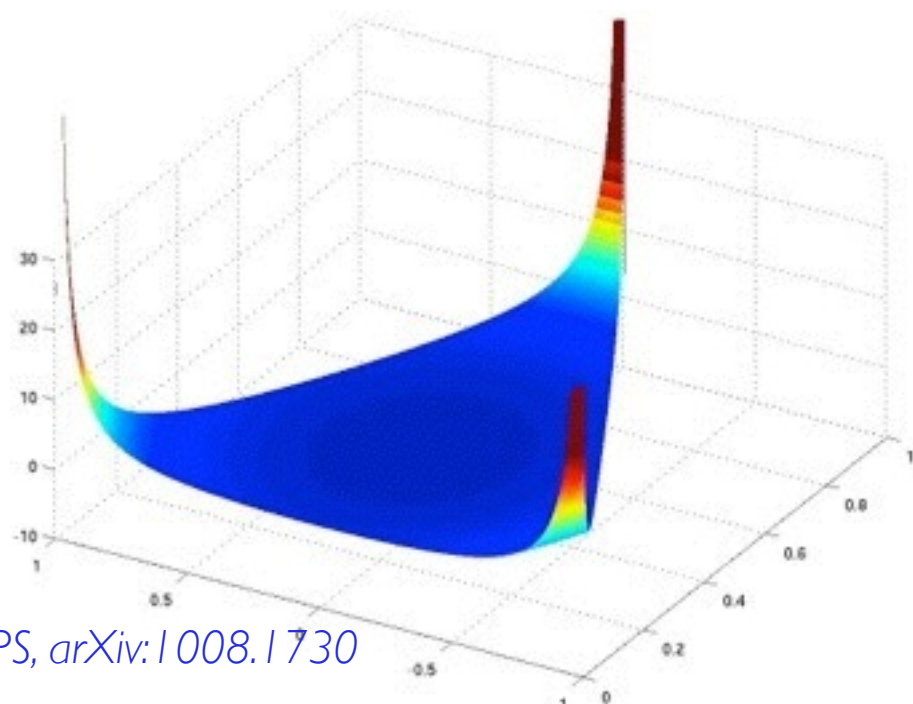


$$f_{\text{NL}}^{\text{local}} = 2.7 \pm 5.8$$

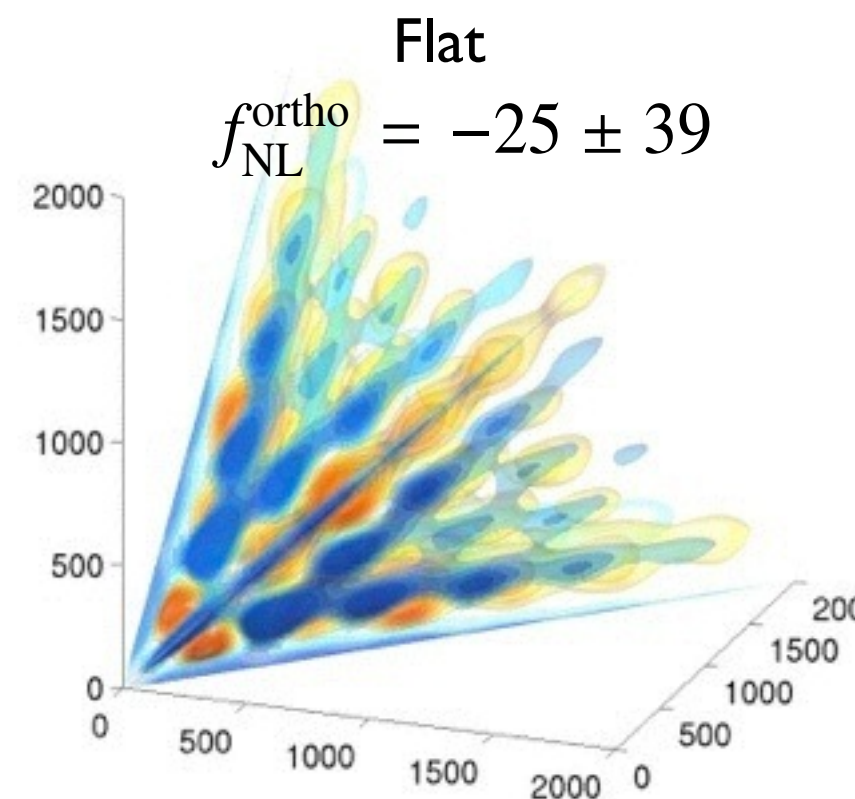
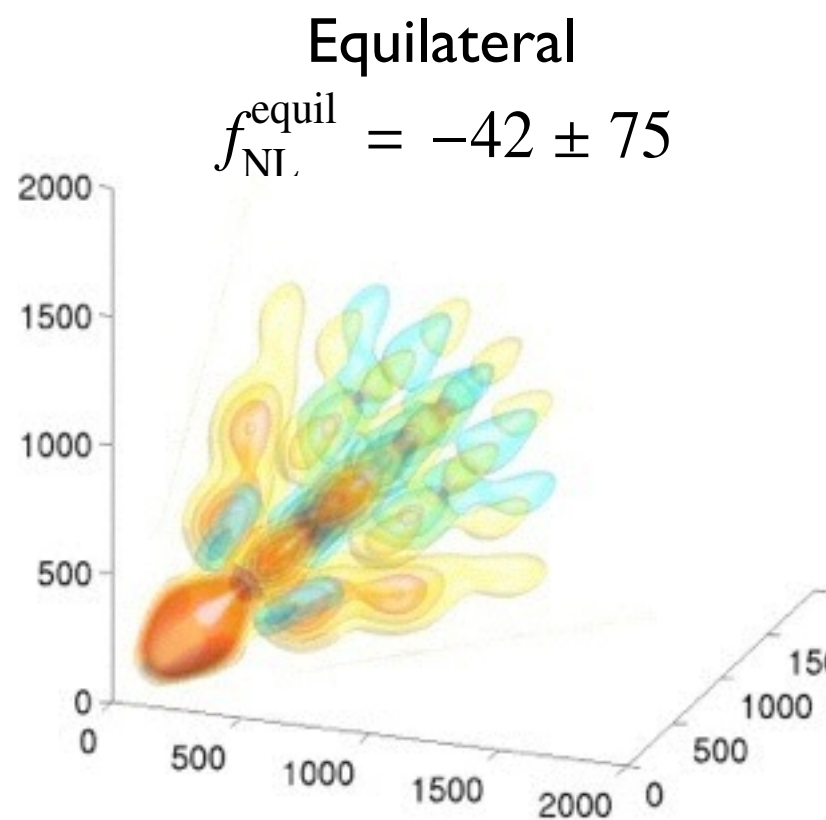
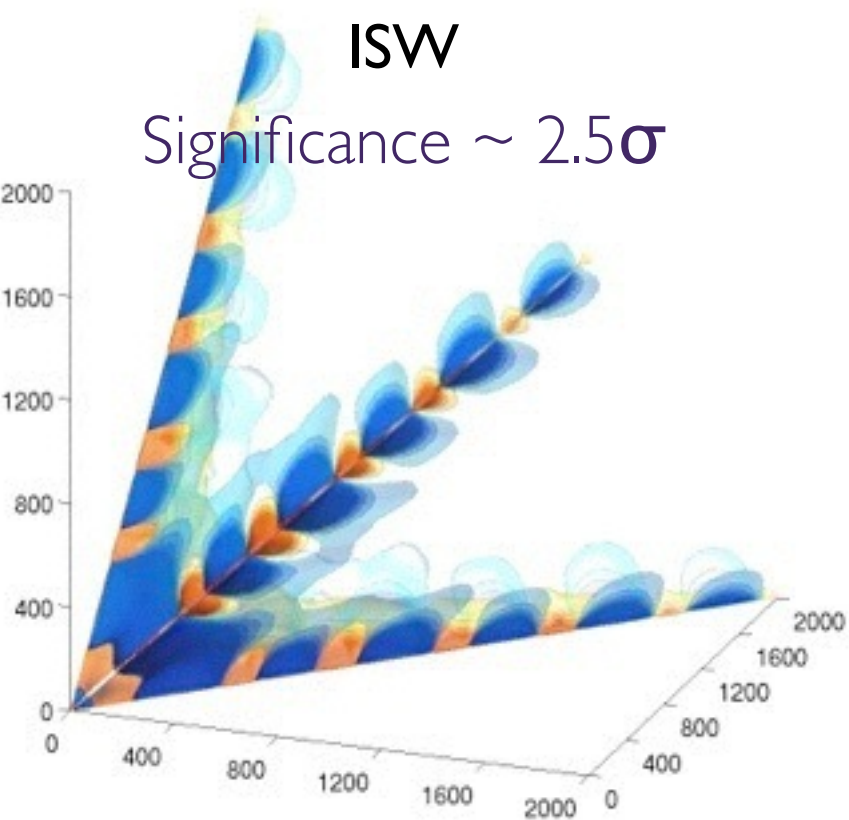
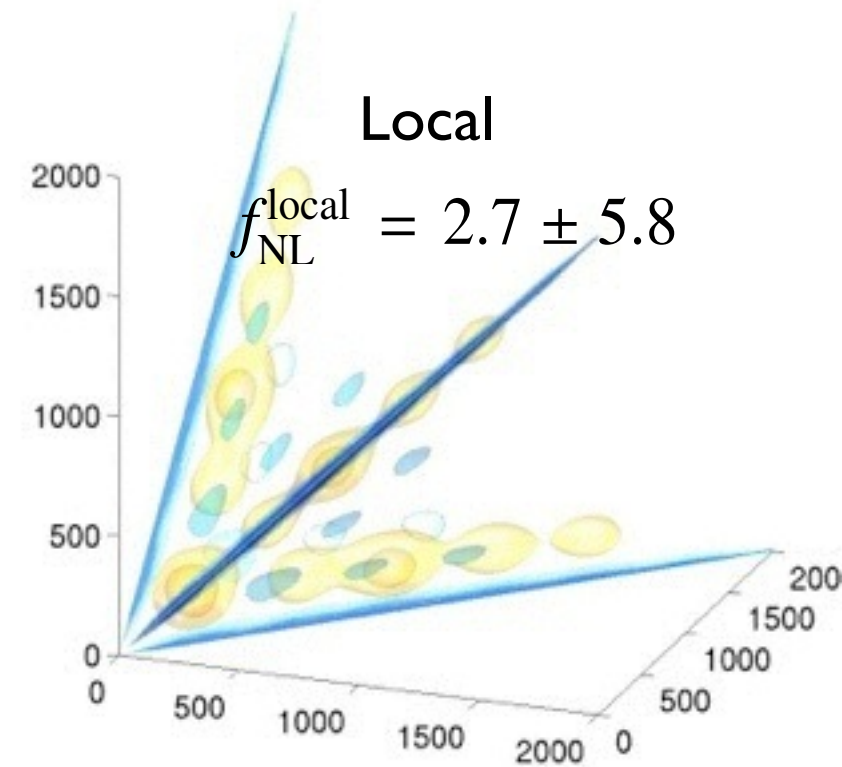
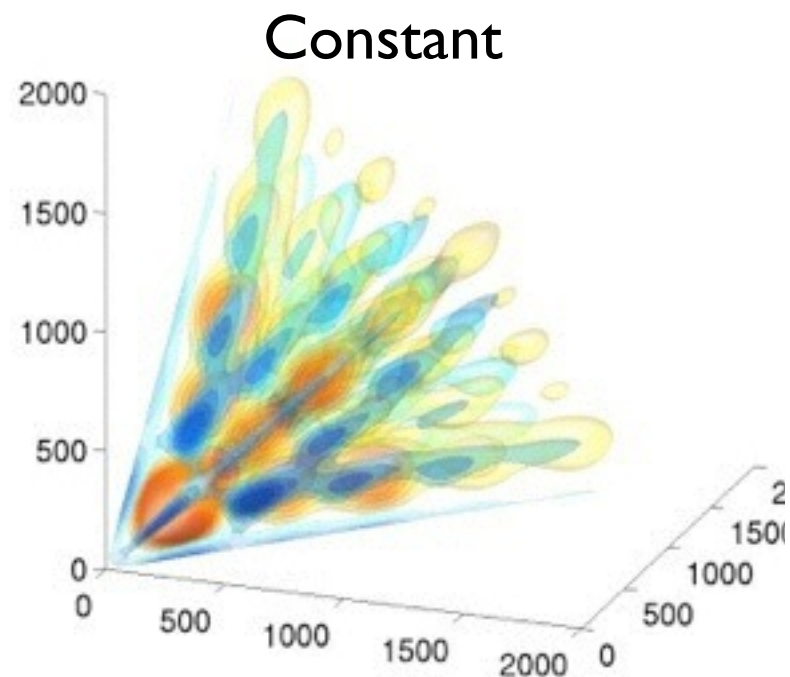
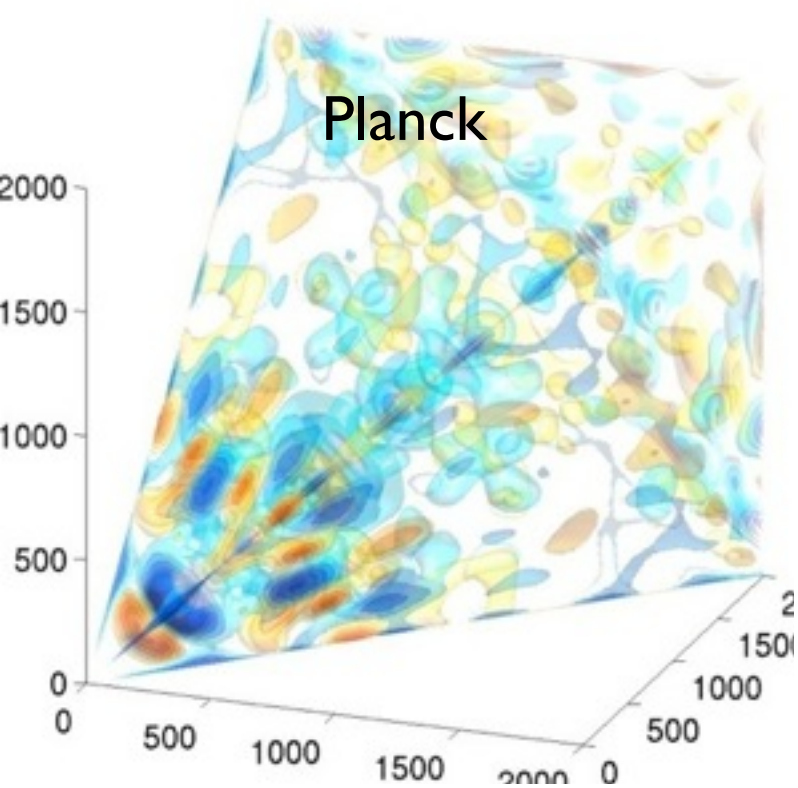
Multifield inflation, curvaton etc.

Primordial $B(k_1, k_2, k_3)$

CMB $B_{l_1 l_2 l_3}$



Bispectrum in detail



Axion Monodromy

- Large-field inflation predicts gravitational waves - $r \sim 0.05$ - but ...
- large excursions with a flat potential not natural (corrections)
 - slow-roll inflation requires an effective shift symmetry $\Phi \rightarrow \Phi + c$

Ingredients: UV completion - string theory

Shift symmetry - axions $a \rightarrow a + 2\pi$

Axion potential recycled - monodromy

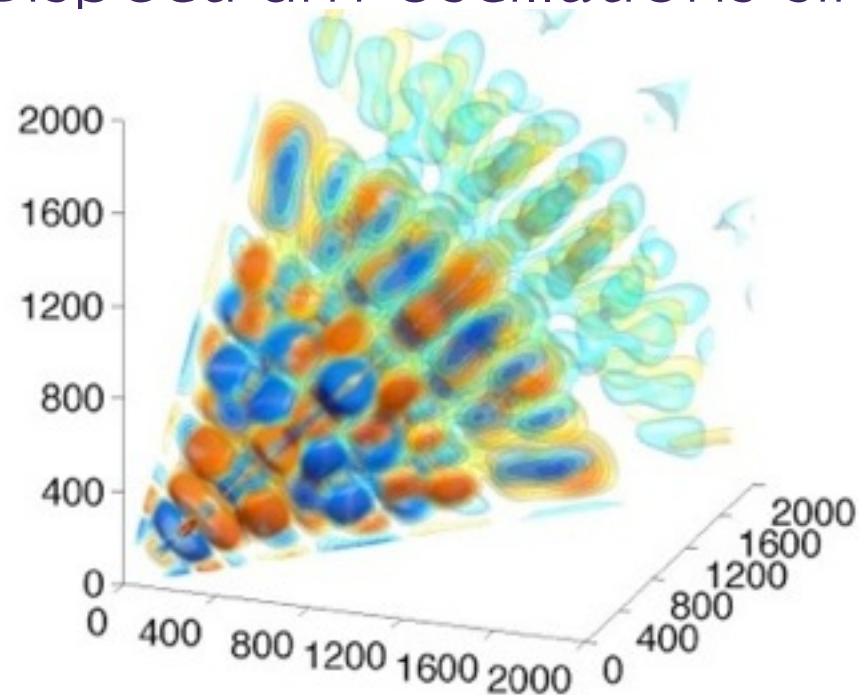
Predictions: Tensor modes $r > 0.07$

Power spectrum periodicity

Bispectrum oscillations $\sin[\log(k) + c]$

e.g. Silverstein & Westphal 2008

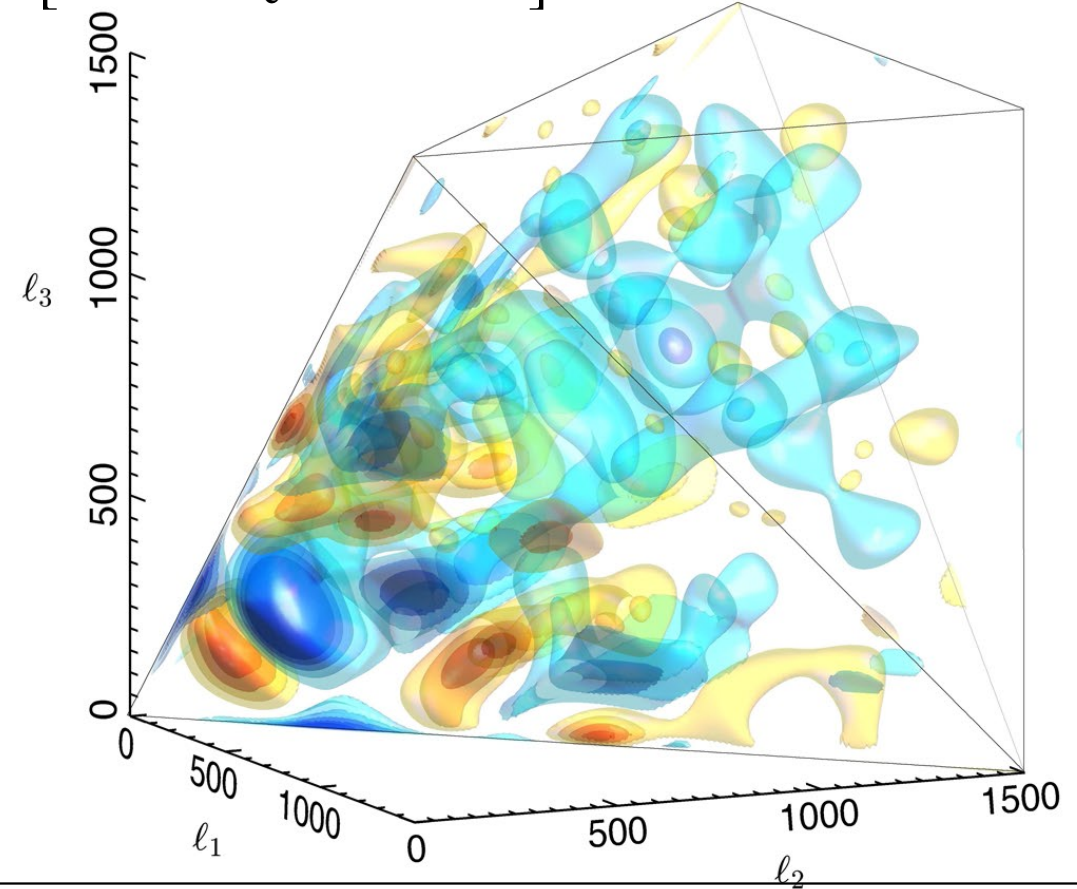
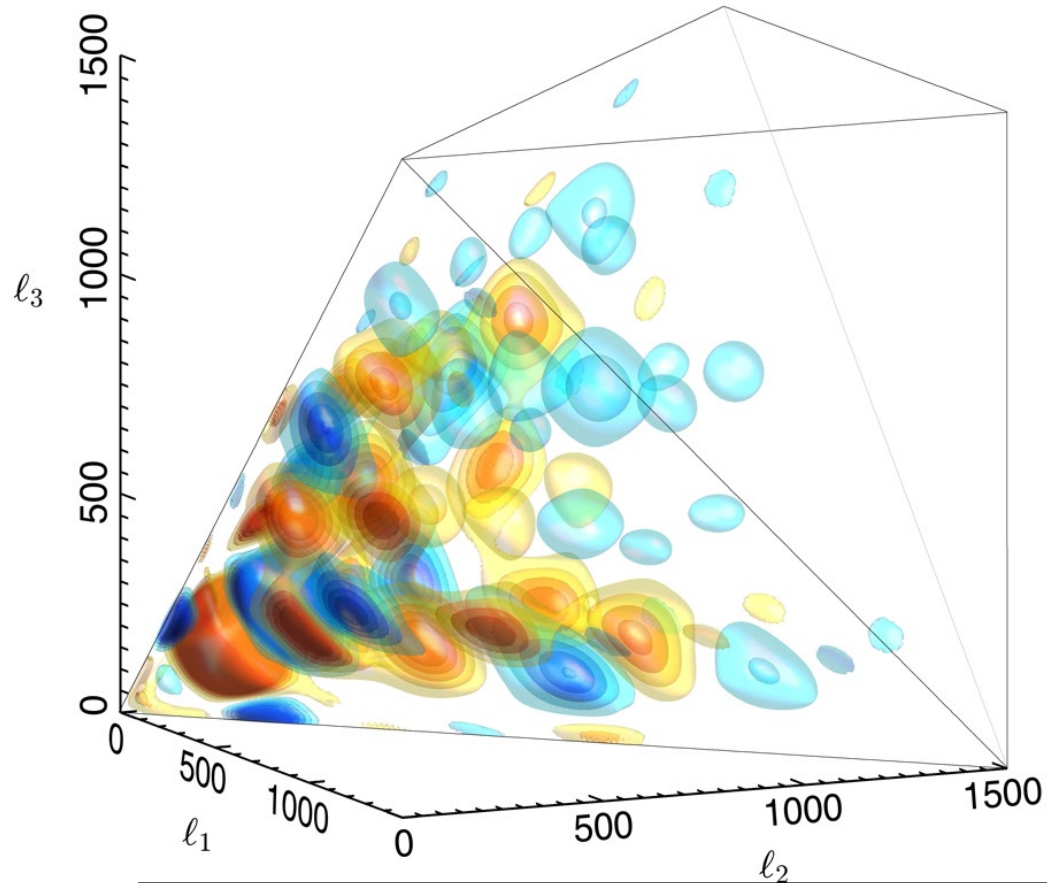
Flauger et al 2009



Feature model bispectrum

Inflaton potential can have a feature which disturbs slow-roll:

$$B_{\Phi}^{\text{feat}}(k_1, k_2, k_3) = \frac{6A^2 f_{\text{NL}}^{\text{feat}}}{(k_1 k_2 k_3)^2} \sin \left[\frac{2\pi(k_1 + k_2 + k_3)}{3k_c} + \phi \right]$$

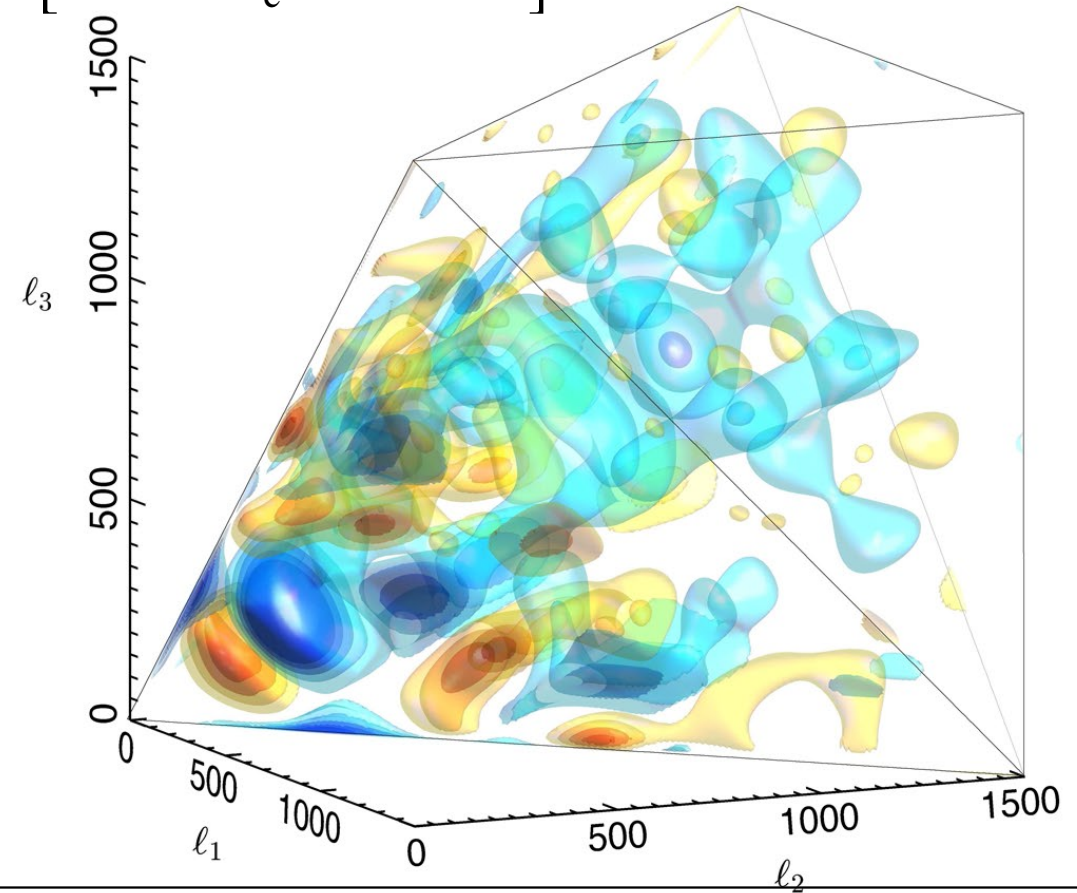
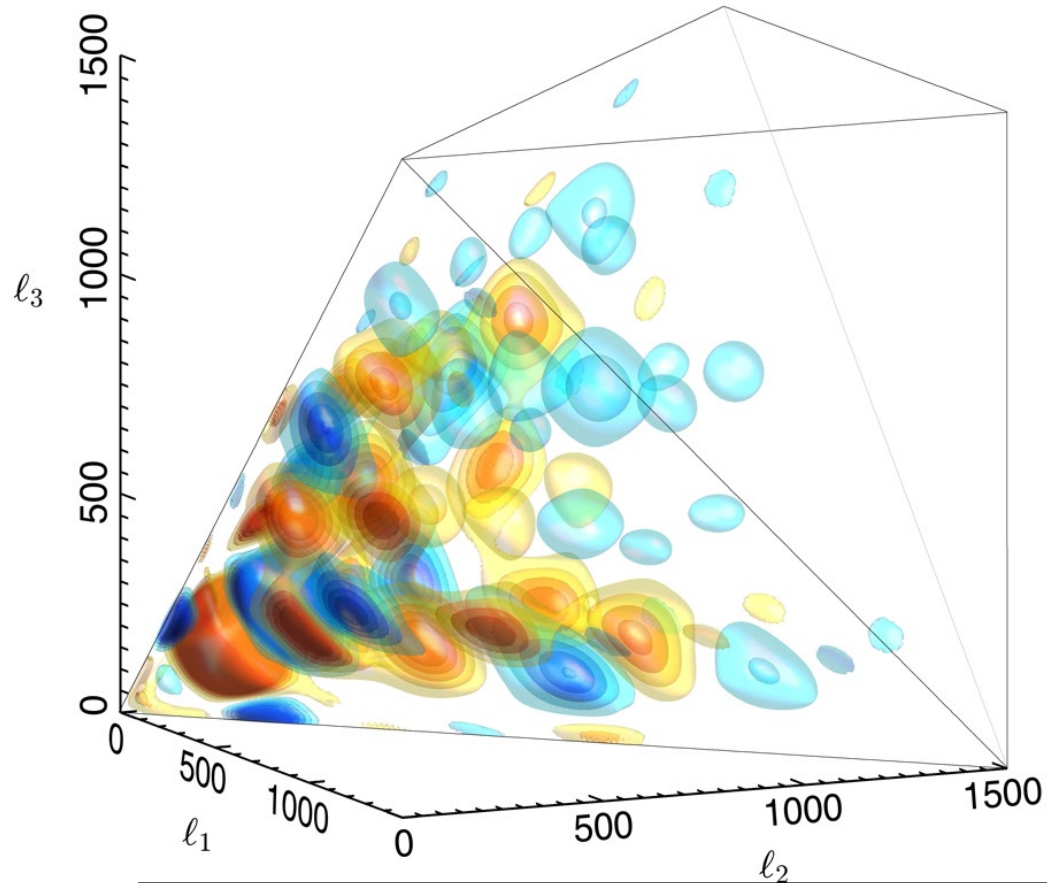


Width Model	$\Delta k = 0.015$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	$\Delta k = 0.03$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	$\Delta k = 0.045$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	Full $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$
$k_c = 0.01125; \phi = 0$	765 ± 275 (2.8)	703 ± 241 (2.9)	648 ± 218 (3.0)	434 ± 170 (2.6)
$k_c = 0.01750; \phi = 0$	-661 ± 234 (-2.8)	-494 ± 192 (-2.6)	-425 ± 171 (-2.5)	-335 ± 137 (-2.4)
$k_c = 0.01750; \phi = 3\pi/4$	399 ± 207 (1.9)	438 ± 183 (2.4)	442 ± 165 (2.7)	366 ± 126 (2.9)
$k_c = 0.01875; \phi = 0$	-562 ± 211 (-2.7)	-559 ± 180 (-3.1)	-515 ± 159 (-3.2)	-348 ± 118 (-3.0)
$k_c = 0.01875; \phi = \pi/4$	-646 ± 240 (-2.7)	-525 ± 189 (-2.8)	-468 ± 164 (-2.9)	-323 ± 120 (-2.7)
$k_c = 0.02000; \phi = \pi/4$	-665 ± 229 (-2.9)	-593 ± 185 (-3.2)	-500 ± 160 (-3.1)	-298 ± 119 (-2.5)

Feature model bispectrum

Inflaton potential can have a feature which disturbs slow-roll:

$$B_{\Phi}^{\text{feat}}(k_1, k_2, k_3) = \frac{6A^2 f_{\text{NL}}^{\text{feat}}}{(k_1 k_2 k_3)^2} \sin \left[\frac{2\pi(k_1 + k_2 + k_3)}{3k_c} + \phi \right]$$

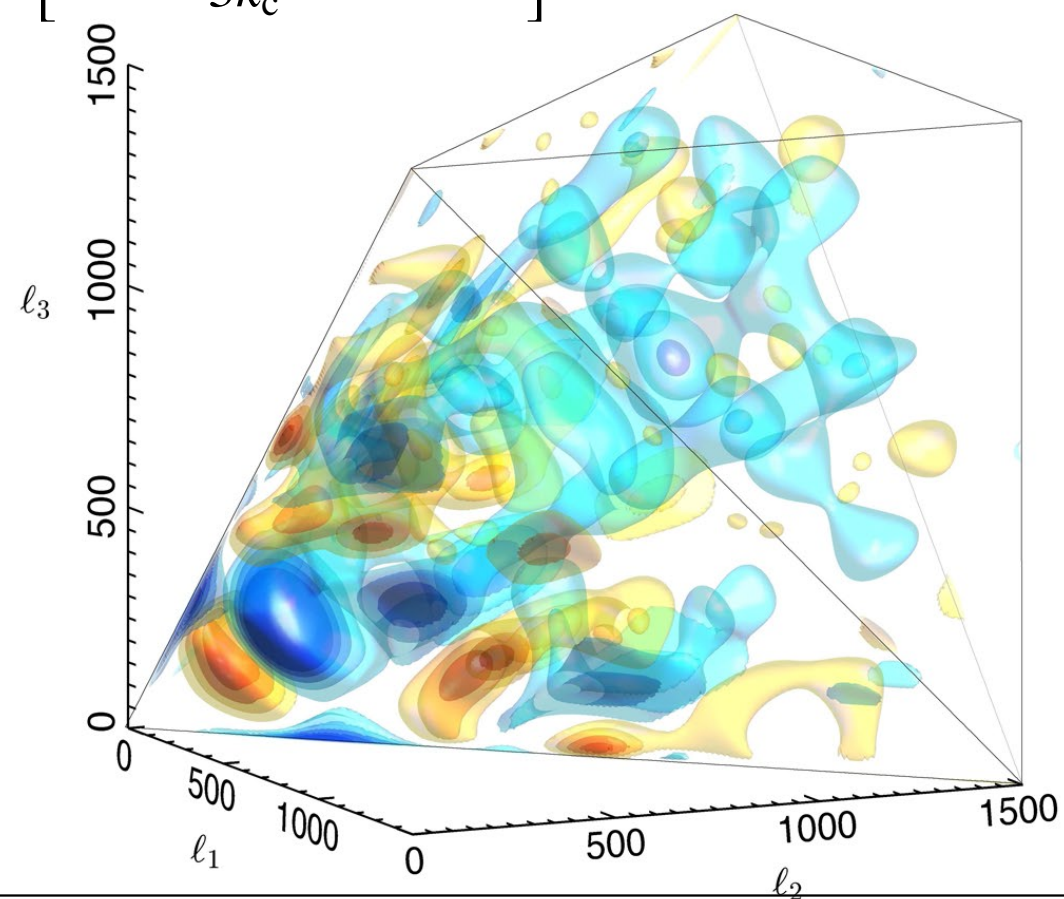
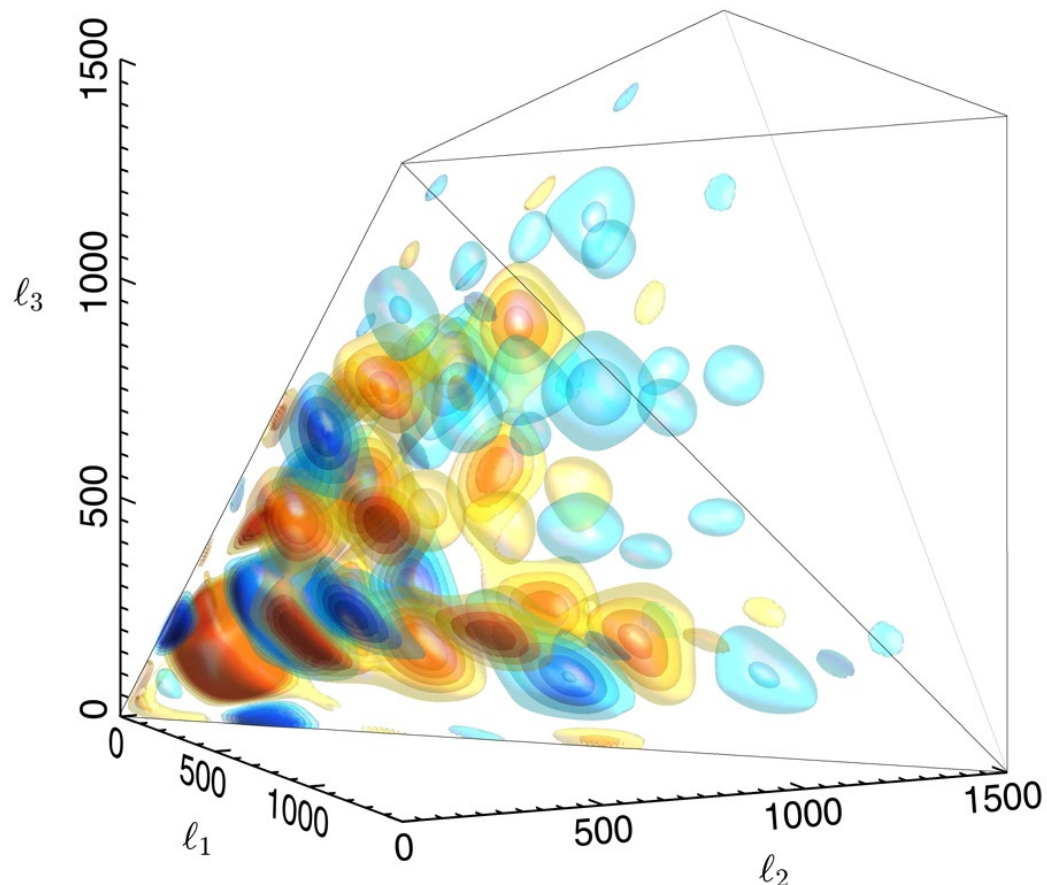


Width Model	$\Delta k = 0.015$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	$\Delta k = 0.03$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	$\Delta k = 0.045$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	Full $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$
$k_c = 0.01125; \phi = 0$	765 ± 275 (2.8)	703 ± 241 (2.9)	648 ± 218 (3.0)	434 ± 170 (2.6)
$k_c = 0.01750; \phi = 0$	-661 ± 234 (-2.8)	-494 ± 192 (-2.6)	-425 ± 171 (-2.5)	-335 ± 137 (-2.4)
$k_c = 0.01750; \phi = 3\pi/4$	399 ± 207 (1.9)	438 ± 183 (2.4)	442 ± 165 (2.7)	366 ± 126 (2.9)
$k_c = 0.01875; \phi = 0$	-562 ± 211 (-2.7)	-559 ± 180 (-3.1)	-515 ± 159 (-3.2)	-348 ± 118 (-3.0)
$k_c = 0.01875; \phi = \pi/4$	-646 ± 240 (-2.7)	-525 ± 189 (-2.8)	-468 ± 164 (-2.9)	-323 ± 120 (-2.7)
$k_c = 0.02000; \phi = \pi/4$	-665 ± 229 (-2.9)	-593 ± 185 (-3.2)	-500 ± 160 (-3.1)	-298 ± 119 (-2.5)

Feature model bispectrum

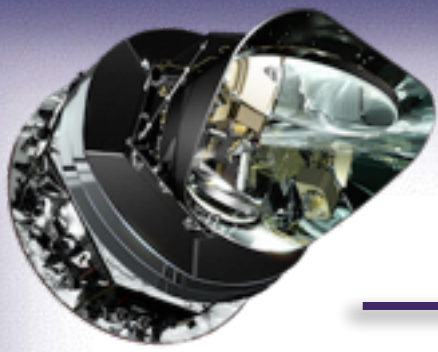
Inflaton potential can have a feature which disturbs slow-roll:

$$B_{\Phi}^{\text{feat}}(k_1, k_2, k_3) = \frac{6A^2 f_{\text{NL}}^{\text{feat}}}{(k_1 k_2 k_3)^2} \sin \left[\frac{2\pi(k_1 + k_2 + k_3)}{3k_c} + \phi \right]$$



Model	Width $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	$\Delta k = 0.015$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	$\Delta k = 0.03$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	$\Delta k = 0.045$ $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$	Full $f_{\text{NL}} \pm \Delta f_{\text{NL}} (\sigma)$
$k_c = 0.01125; \phi = 0$	765 ± 275 (2.8)	703 ± 241 (2.9)	648 ± 218 (3.0)	434 ± 170 (2.6)	
$k_c = 0.01750; \phi = 0$	-661 ± 234 (-2.8)	-494 ± 192 (-2.6)	-425 ± 171 (-2.5)	-335 ± 137 (-2.4)	
$k_c = 0.01750; \phi = 3\pi/4$	399 ± 207 (1.9)	438 ± 183 (2.4)	442 ± 165 (2.7)	366 ± 126 (2.9)	
$k_c = 0.01875; \phi = 0$	-562 ± 211 (-2.7)	-559 ± 180 (-3.1)	-515 ± 159 (-3.2)	-348 ± 118 (-3.0)	
$k_c = 0.01875; \phi = \pi/4$	-646 ± 240 (-2.7)	-525 ± 189 (-2.8)	-468 ± 164 (-2.9)	-323 ± 120 (-2.7)	
$k_c = 0.02000; \phi = \pi/4$	-665 ± 229 (-2.9)	-593 ± 185 (-3.2)	-500 ± 160 (-3.1)	-298 ± 119 (-2.5)	

Extra parameters reduce significance through the “look elsewhere effect” ...

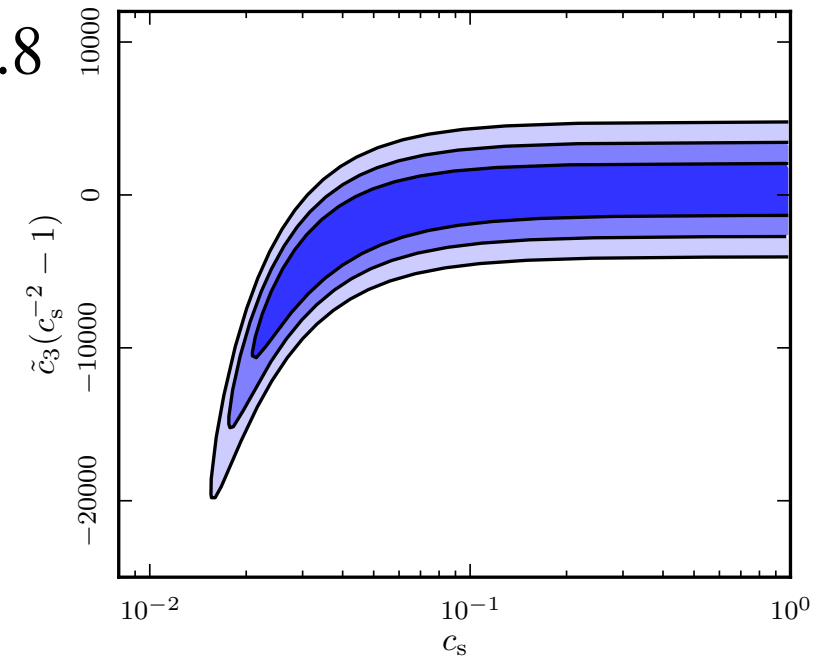


NG Conclusions



Scale-invariant primordial non-Gaussianity is strongly constrained

- Local, equilateral and orthogonal shapes, e.g. $f_{\text{NL}}^{\text{local}} = 2.7 \pm 5.8$
- Constrains many models (in combination with CI's):
 - Effective field theory sound speed $c_s > 0.02$
 - For DBI inflation sound speed $c_s > 0.07$
 - Power law K-inflation ruled out (cf power spectrum)
 - Curvaton model constraint on “decay fraction” r_D
 - Ekpyrotic/cyclic “conversion mechanism” ruled out



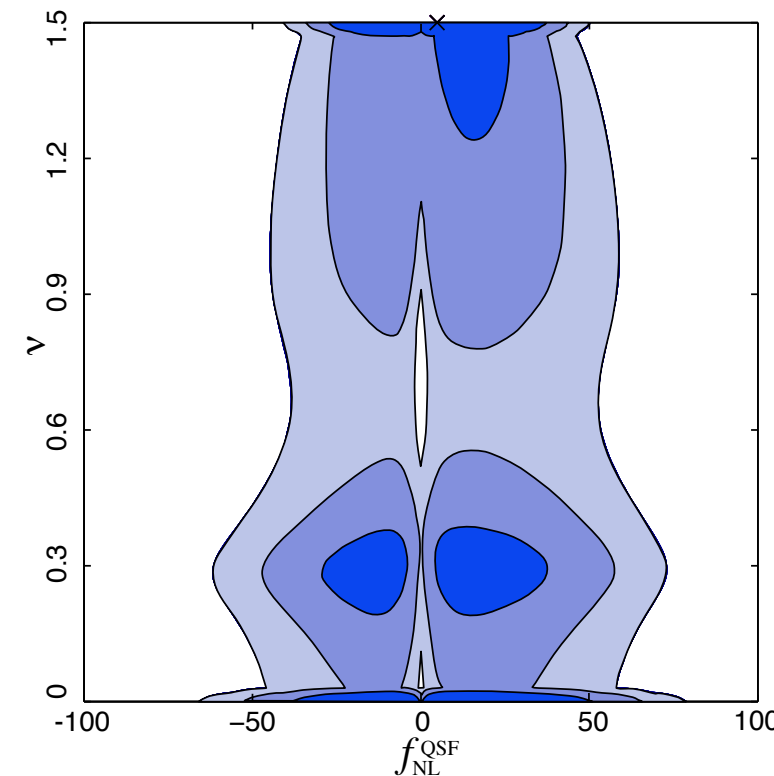
Planck bispectrum reconstruction - large NG signal

Alternative bispectrum paradigms investigated:

squeezed, equil, non-Bunch Davies, oscillatory

Oscillatory “patterns”: further investigation ongoing

Also first results for trispectrum $\tau_{\text{NL}} < 2800$ (weak)



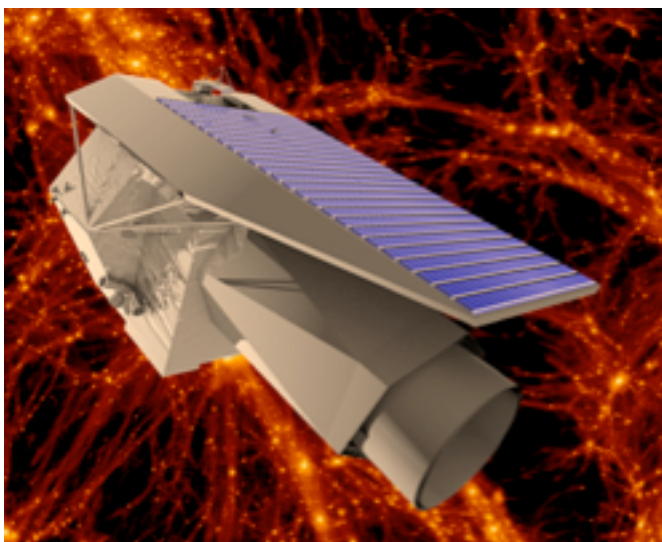
Aside: Galaxy/N-body bispectra

Gravitational bispectra from galaxy surveys & N-body simulations

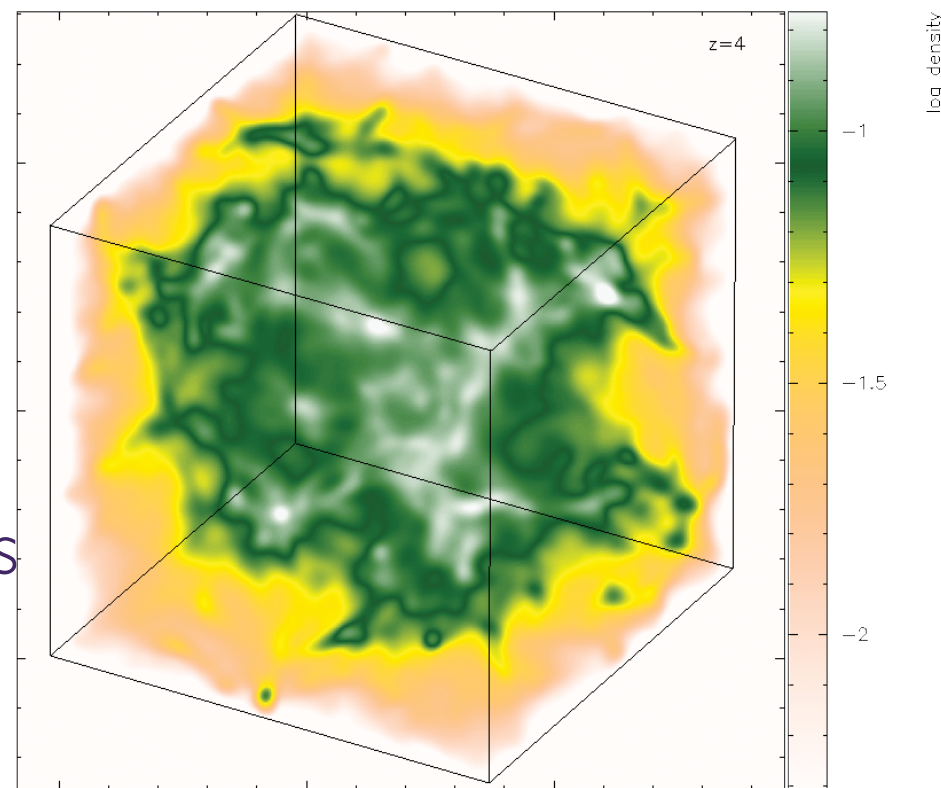
Schmittfull, Regan & EPS, arXiv:1207.5678

Higher density of states $f_{\text{NL}} = 1$ attainable?

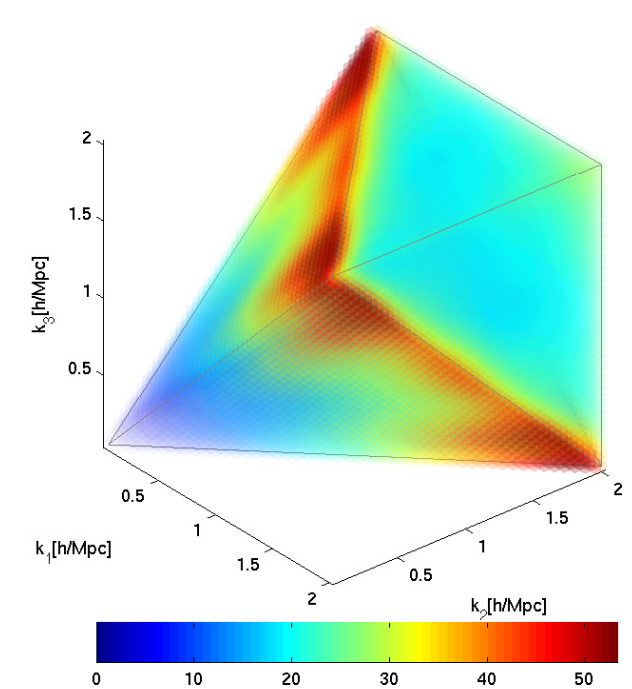
Dark Energy Survey



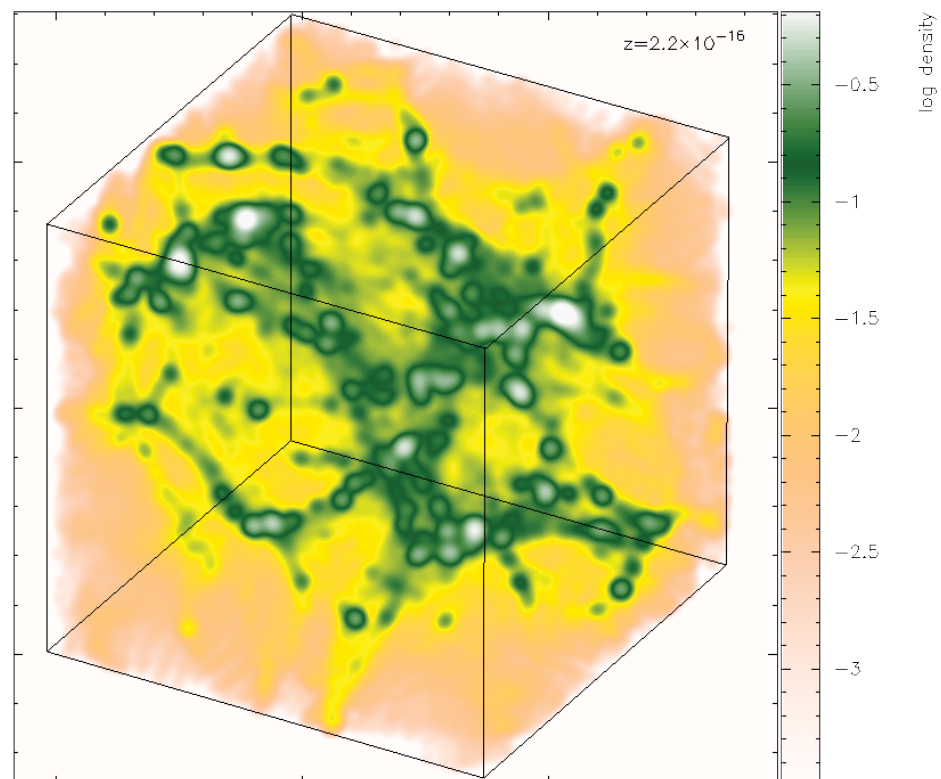
ESA Euclid satellite (construction began July 2013)



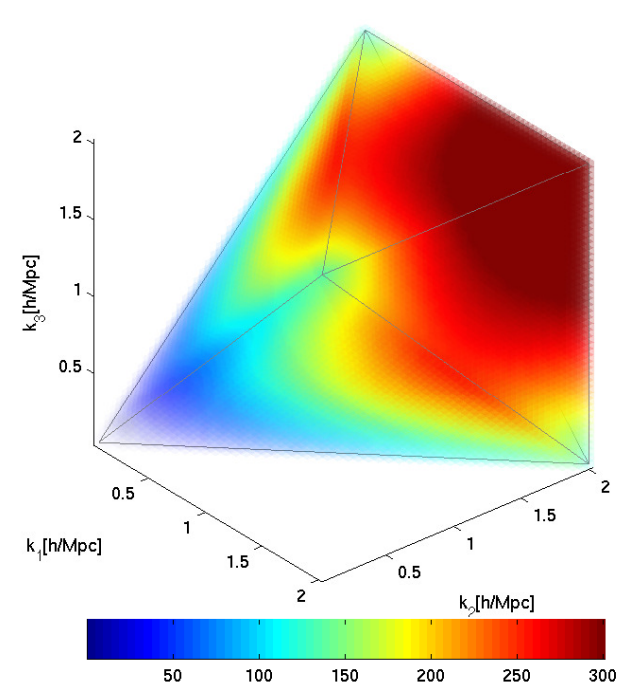
(a) Dark matter, $z = 4$



(b) Bispectrum signal, $z = 4$



(e) Dark matter, $z = 0$



(f) Bispectrum signal, $z = 0$



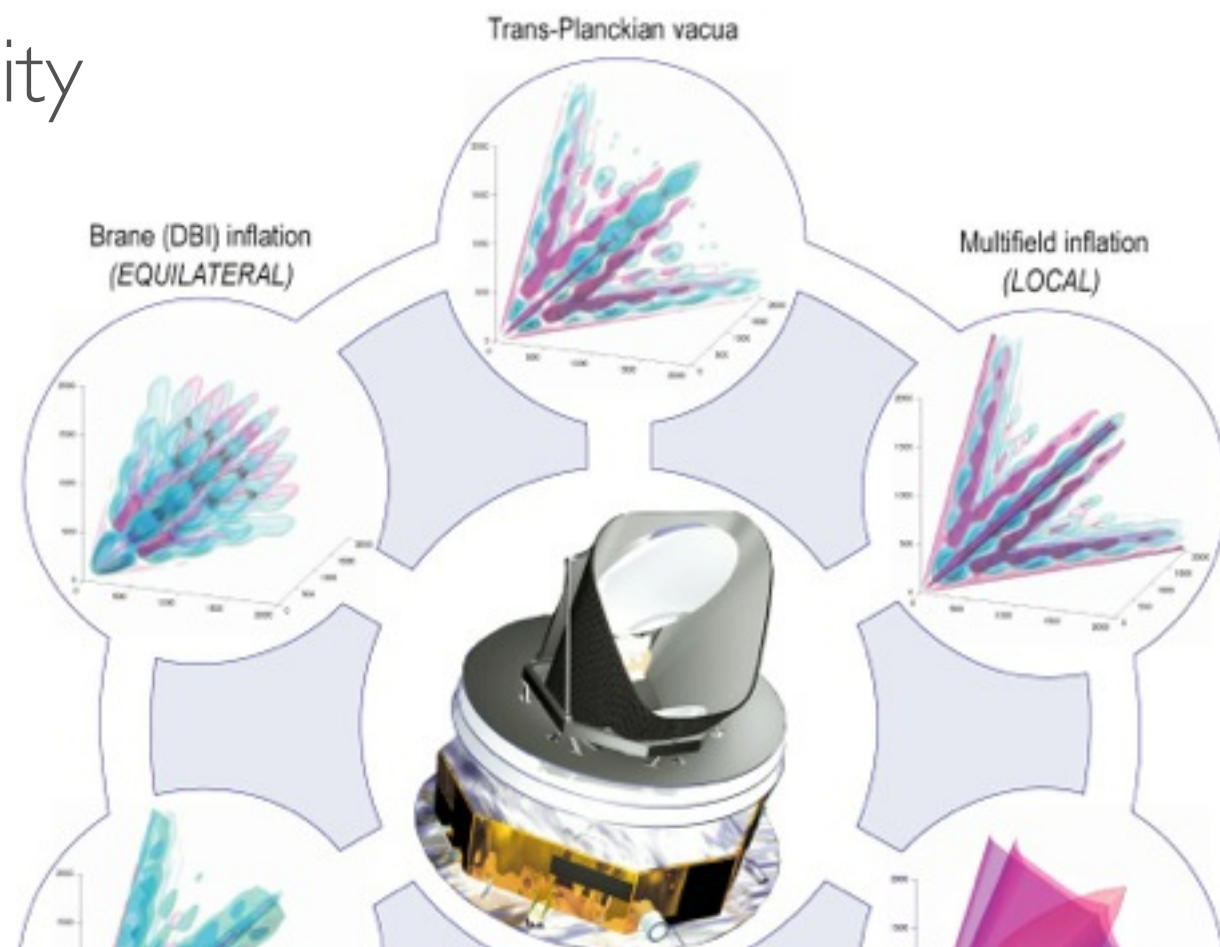
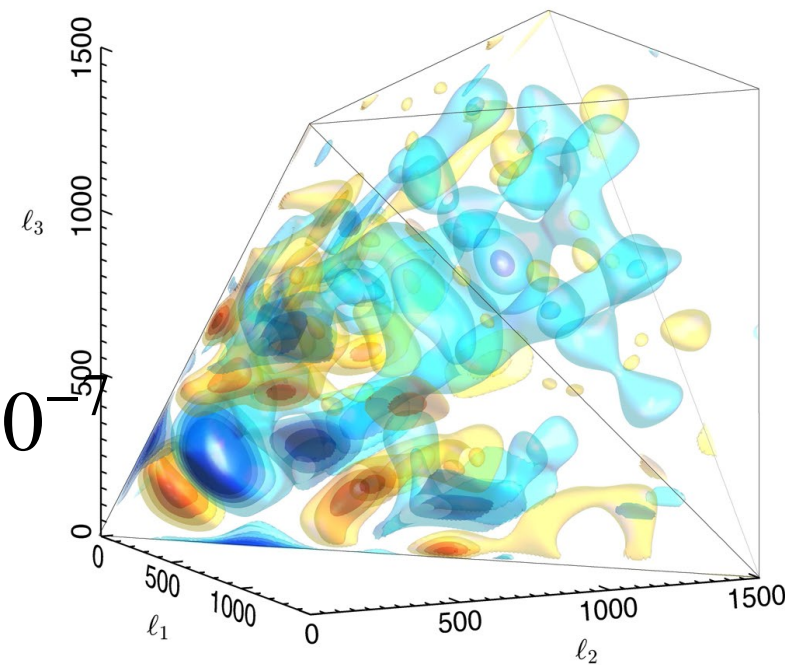
String constraints

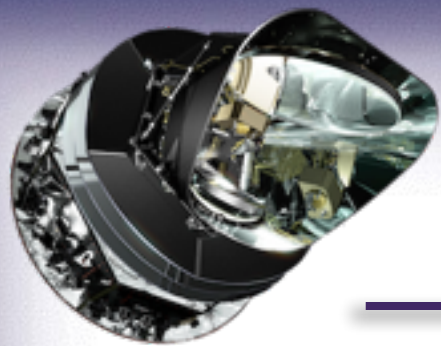
- Planck Local - $G\mu < 1.3 \times 10^{-7}$ ($f_{10} < 0.010$)
- & Global - $G\mu < 3.2 \times 10^{-7}$ ($f_{10} < 0.024$)
- No significant evidence for string NG ... yet
- Modal bispectrum constraints $G\mu/c^2 < 8.8 \times 10^{-7}$
- Minkowski functionals etc. $G\mu/c^2 < 7.8 \times 10^{-7}$

Key NG issues are to eliminate systematics

- Prospects for Planck non-Gaussianity

$$\Delta G\mu < 2 \times 10^{-7}$$





String constraints

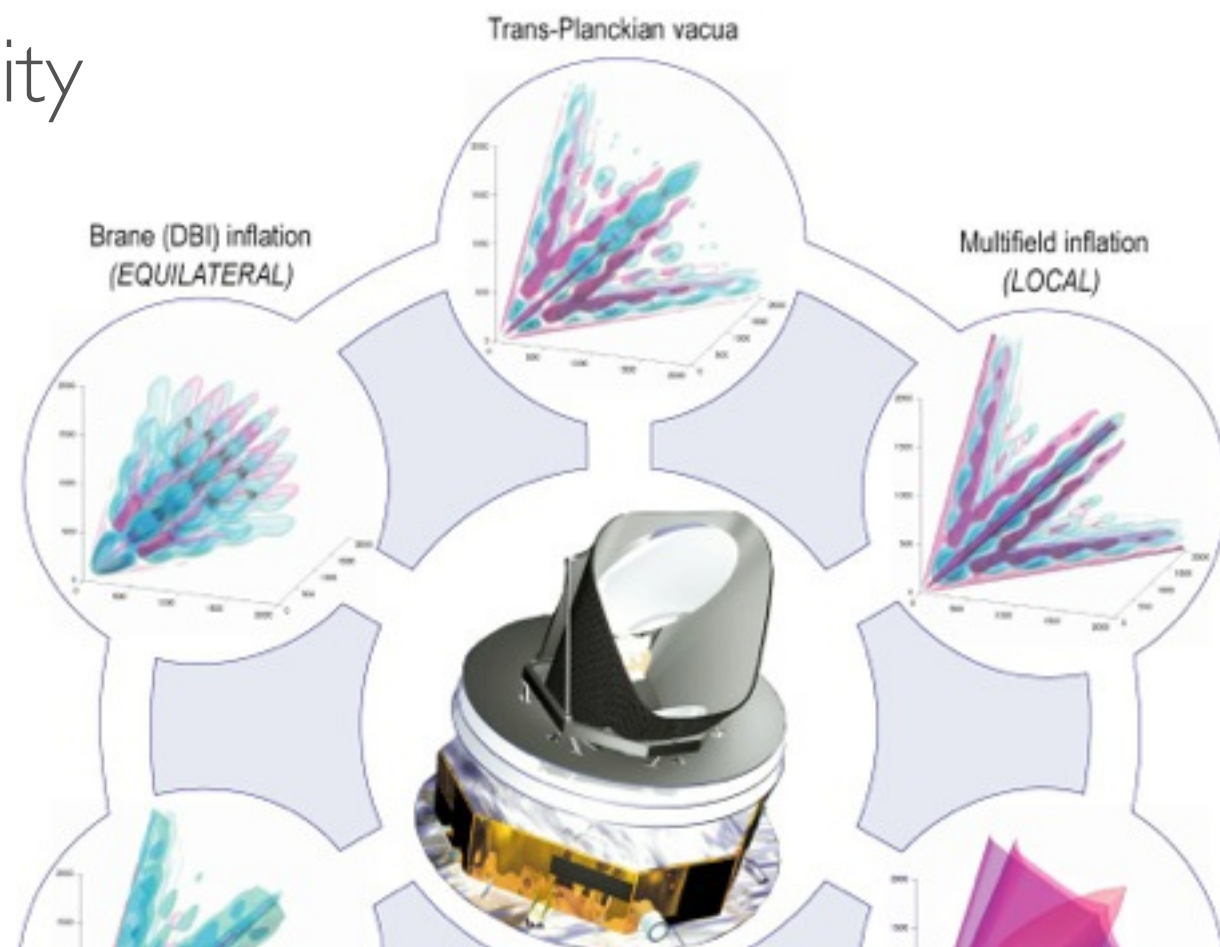
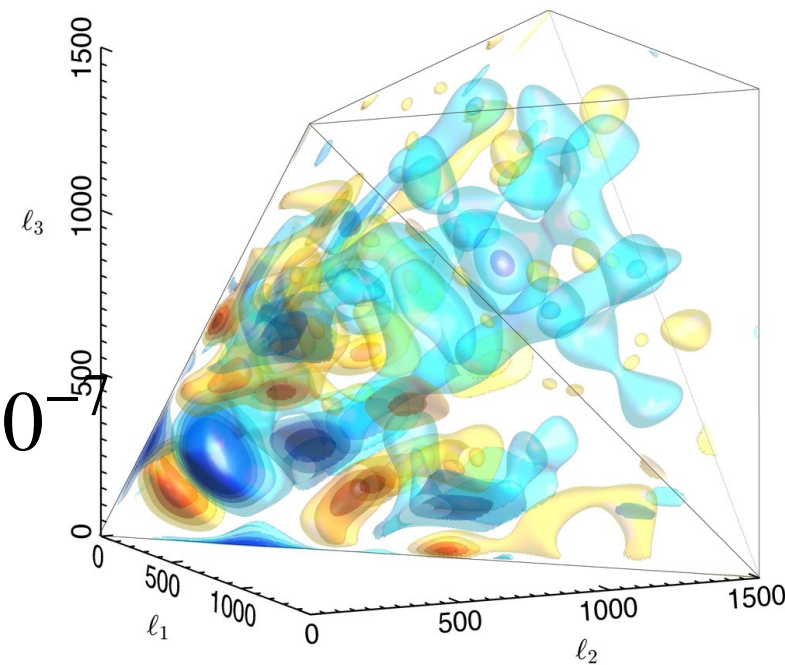
- Planck Local - $G\mu < 1.3 \times 10^{-7}$ ($f_{10} < 0.010$)
- & Global - $G\mu < 3.2 \times 10^{-7}$ ($f_{10} < 0.024$)
- No significant evidence for string NG ... yet
- Modal bispectrum constraints $G\mu/c^2 < 8.8 \times 10^{-7}$
- Minkowski functionals etc. $G\mu/c^2 < 7.8 \times 10^{-7}$

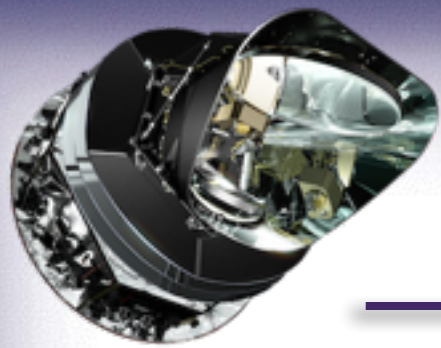
Key NG issues are to eliminate systematics

- Prospects for Planck non-Gaussianity

$$\Delta G\mu < 2 \times 10^{-7}$$

Constraints on Non-Gaussianity





String constraints

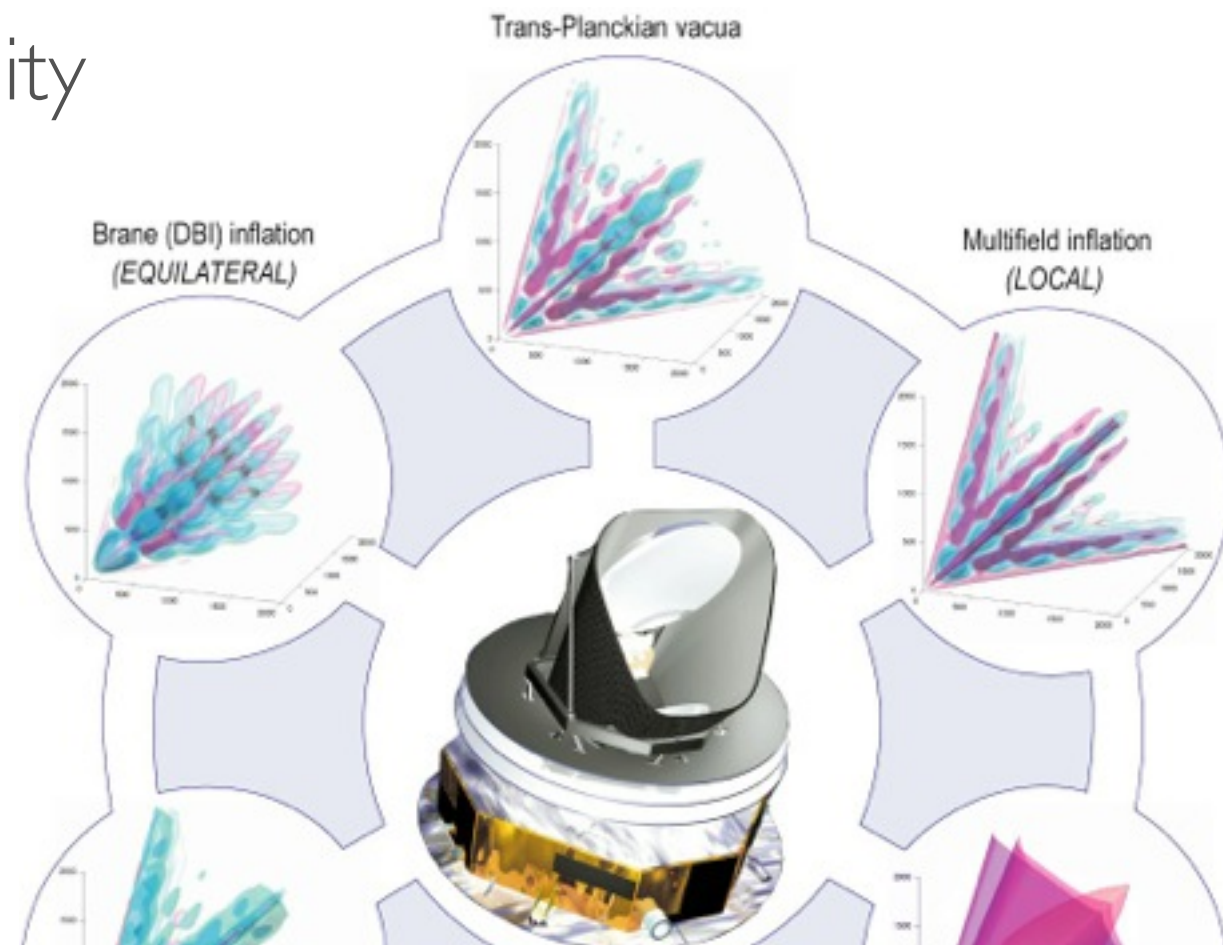
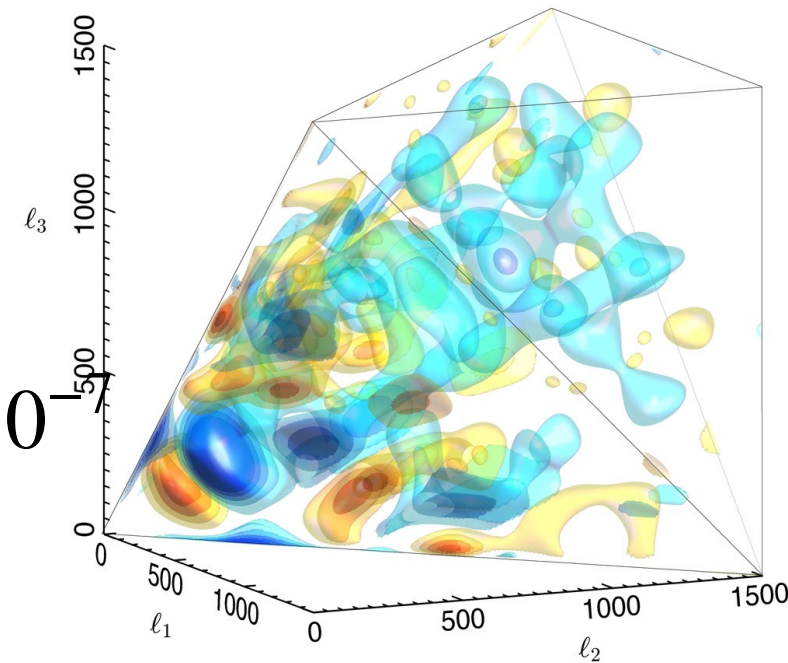
- Planck Local - $G\mu < 1.3 \times 10^{-7}$ ($f_{10} < 0.010$)
- & Global - $G\mu < 3.2 \times 10^{-7}$ ($f_{10} < 0.024$)
- No significant evidence for string NG ... yet
- Modal bispectrum constraints $G\mu/c^2 < 8.8 \times 10^{-7}$
- Minkowski functionals etc. $G\mu/c^2 < 7.8 \times 10^{-7}$

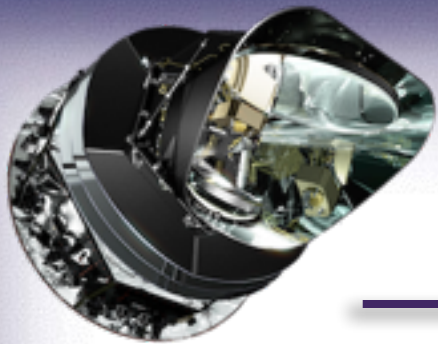
Key NG issues are to eliminate systematics

- Prospects for Planck non-Gaussianity

$$\Delta G\mu < 2 \times 10^{-7}$$

Constraints on Non-Gaussianity





String constraints

- Planck Local - $G\mu < 1.3 \times 10^{-7}$ ($f_{10} < 0.010$)
- & Global - $G\mu < 3.2 \times 10^{-7}$ ($f_{10} < 0.024$)
- No significant evidence for string NG ... yet
- Modal bispectrum constraints $G\mu/c^2 < 8.8 \times 10^{-7}$
- Minkowski functionals etc. $G\mu/c^2 < 7.8 \times 10^{-7}$

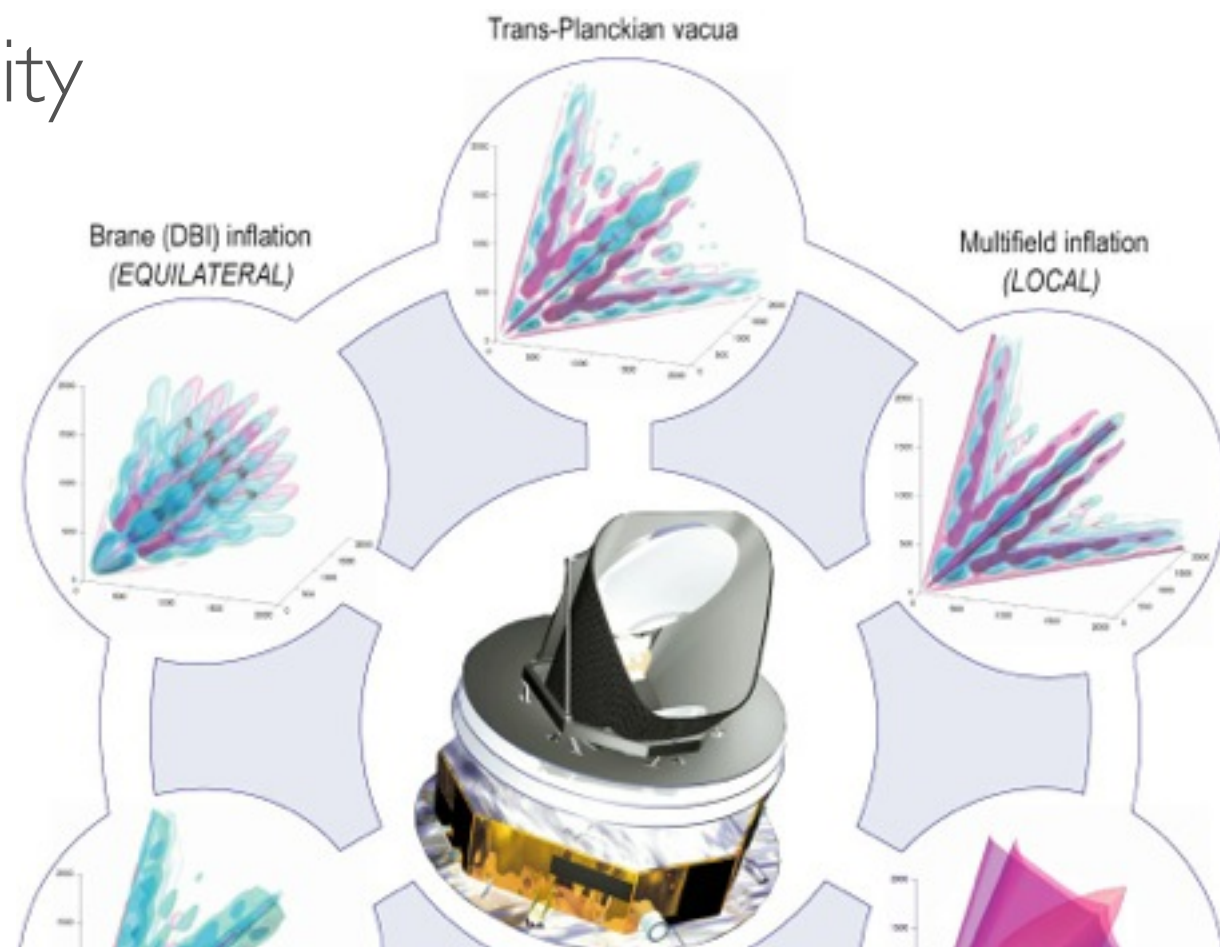
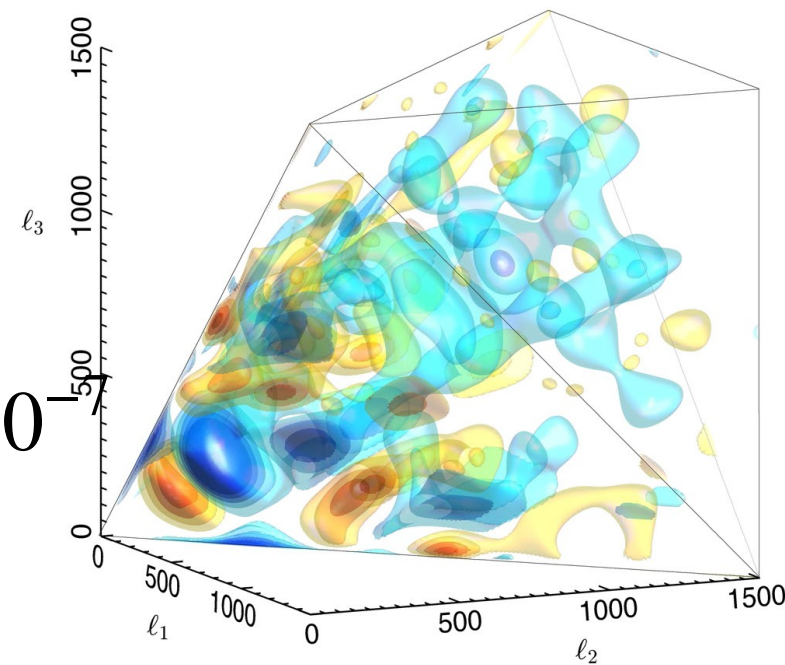
Key NG issues are to eliminate systematics

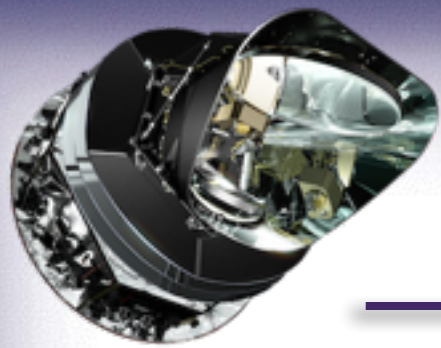
- Prospects for Planck non-Gaussianity

$$\Delta G\mu < 2 \times 10^{-7}$$

Constraints on Non-Gaussianity

COBE few parts in 100





String constraints

- Planck Local - $G\mu < 1.3 \times 10^{-7}$ ($f_{10} < 0.010$)
- & Global - $G\mu < 3.2 \times 10^{-7}$ ($f_{10} < 0.024$)
- No significant evidence for string NG ... yet
- Modal bispectrum constraints $G\mu/c^2 < 8.8 \times 10^{-7}$
- Minkowski functionals etc. $G\mu/c^2 < 7.8 \times 10^{-7}$

Key NG issues are to eliminate systematics

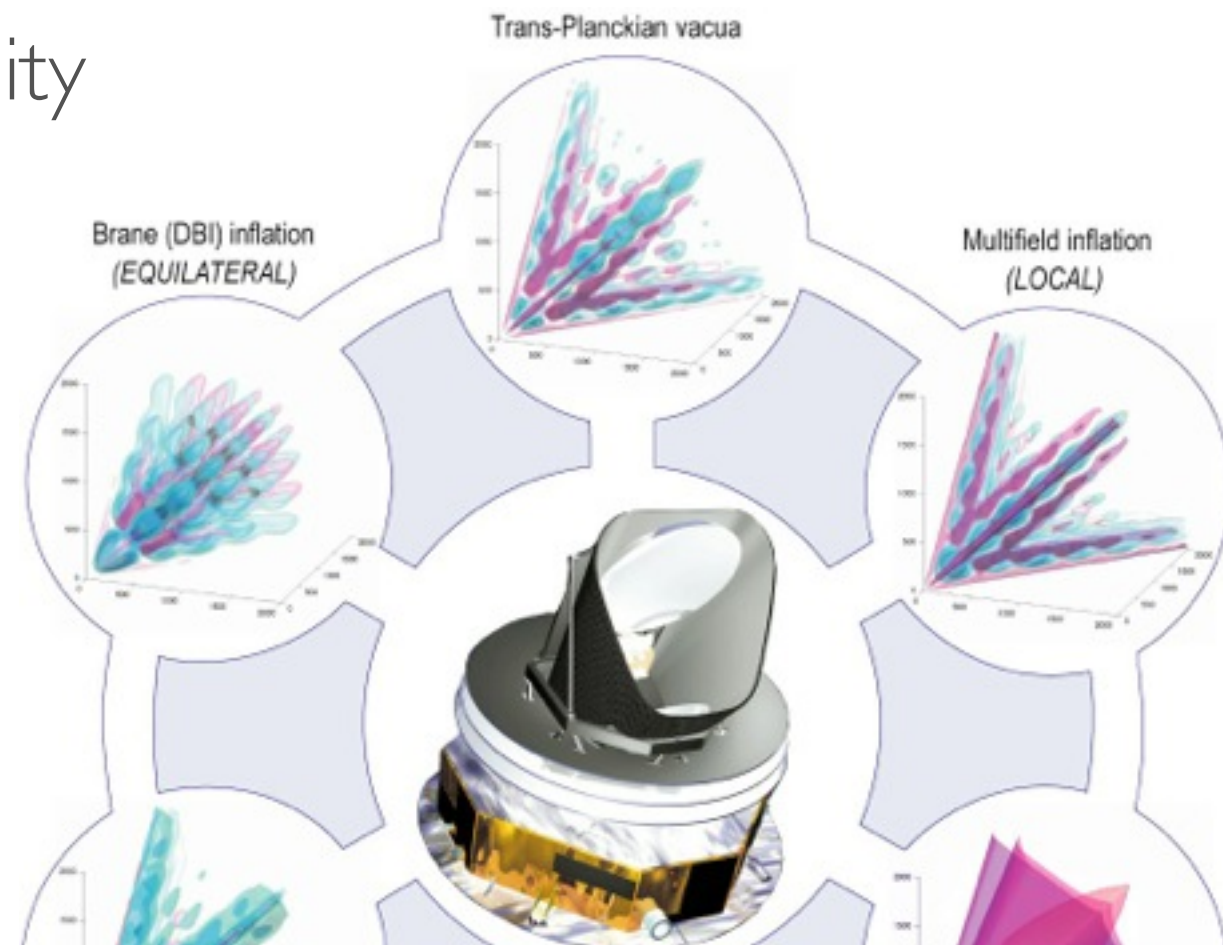
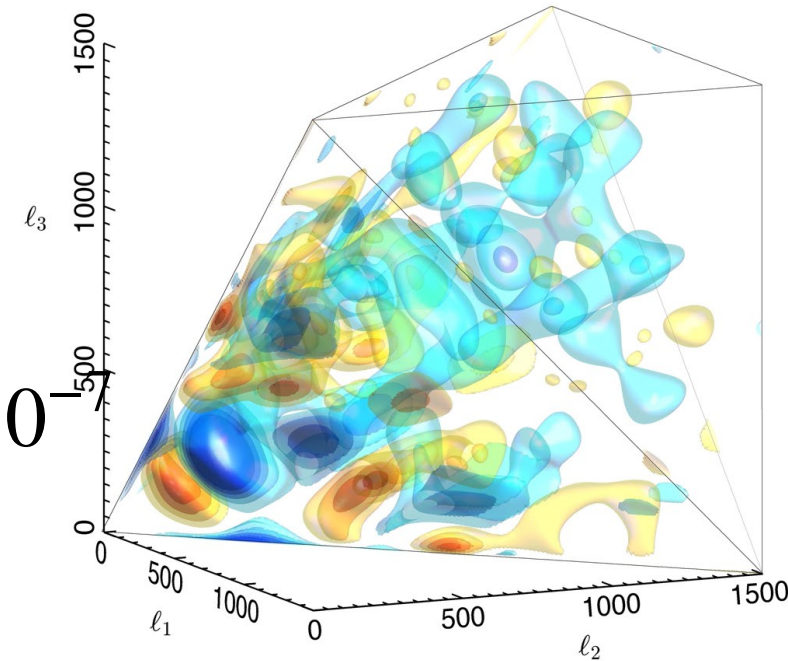
- Prospects for Planck non-Gaussianity

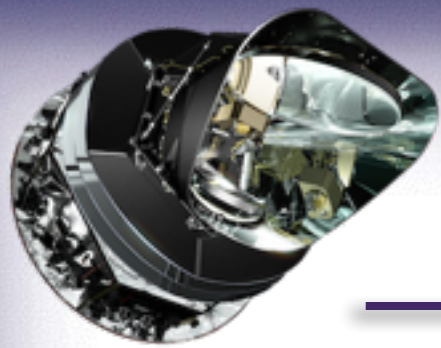
$$\Delta G\mu < 2 \times 10^{-7}$$

Constraints on Non-Gaussianity

COBE few parts in 100

WMAP 2-3 parts in 10,000





String constraints

- Planck Local - $G\mu < 1.3 \times 10^{-7}$ ($f_{10} < 0.010$)
- & Global - $G\mu < 3.2 \times 10^{-7}$ ($f_{10} < 0.024$)
- No significant evidence for string NG ... yet
- Modal bispectrum constraints $G\mu/c^2 < 8.8 \times 10^{-7}$
- Minkowski functionals etc. $G\mu/c^2 < 7.8 \times 10^{-7}$

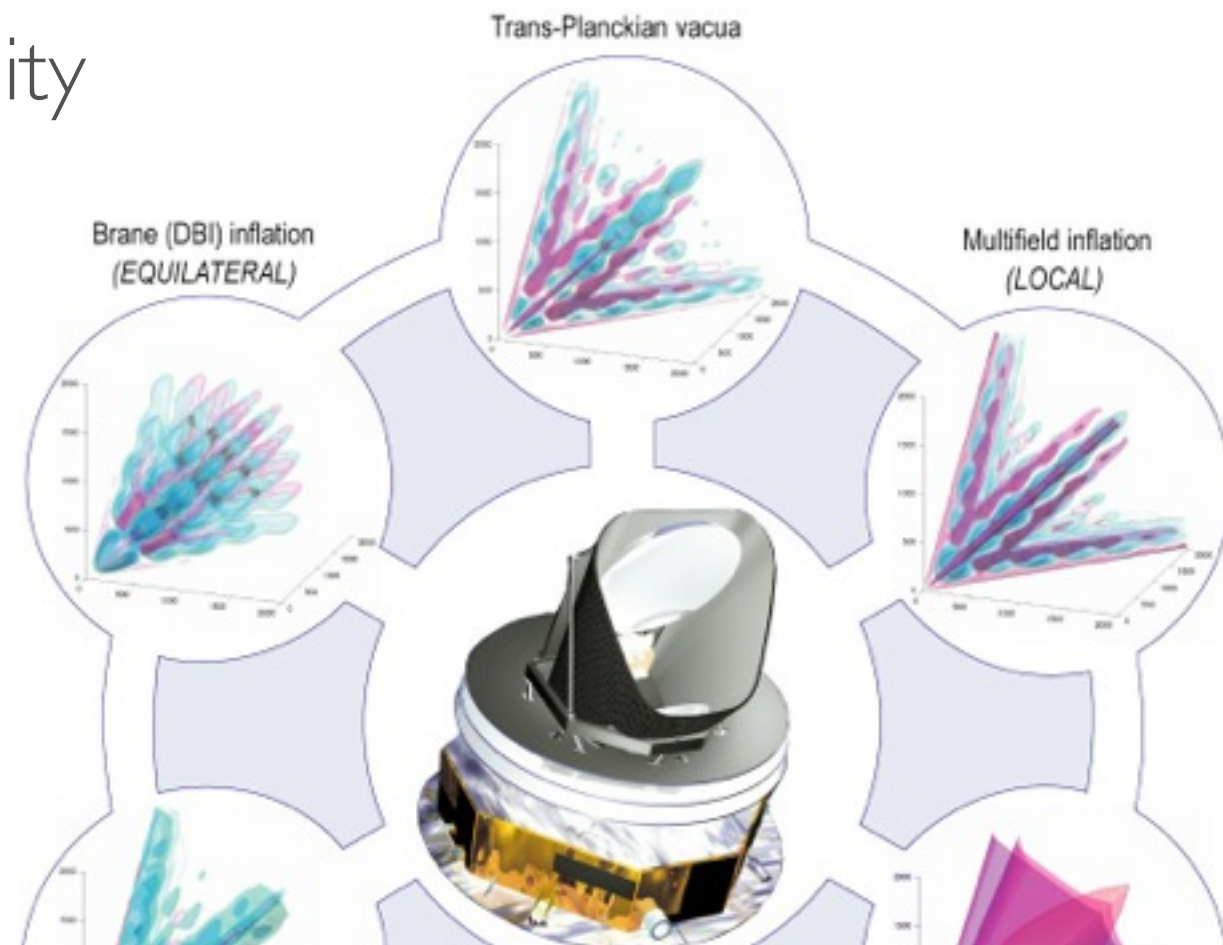
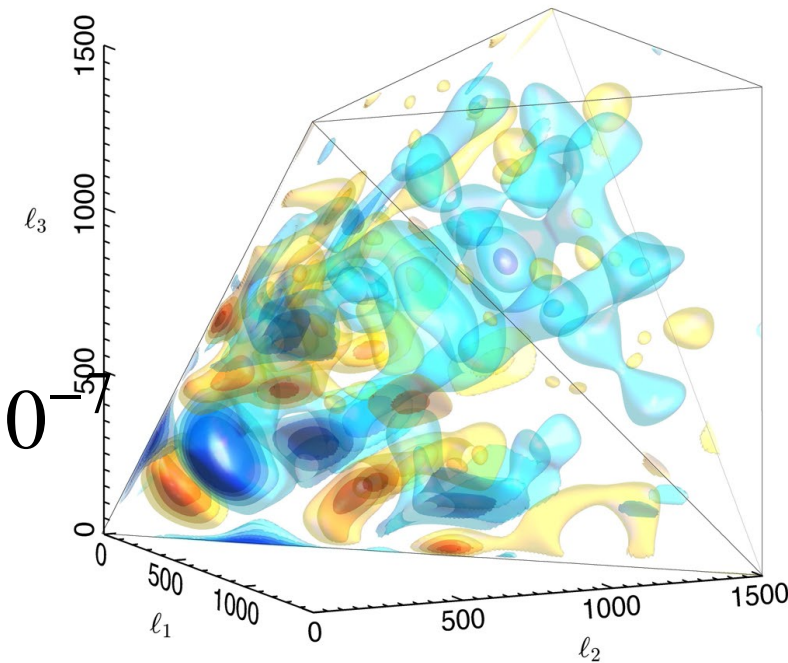
Key NG issues are to eliminate systematics

- Prospects for Planck non-Gaussianity

$$\Delta G\mu < 2 \times 10^{-7}$$

Constraints on Non-Gaussianity

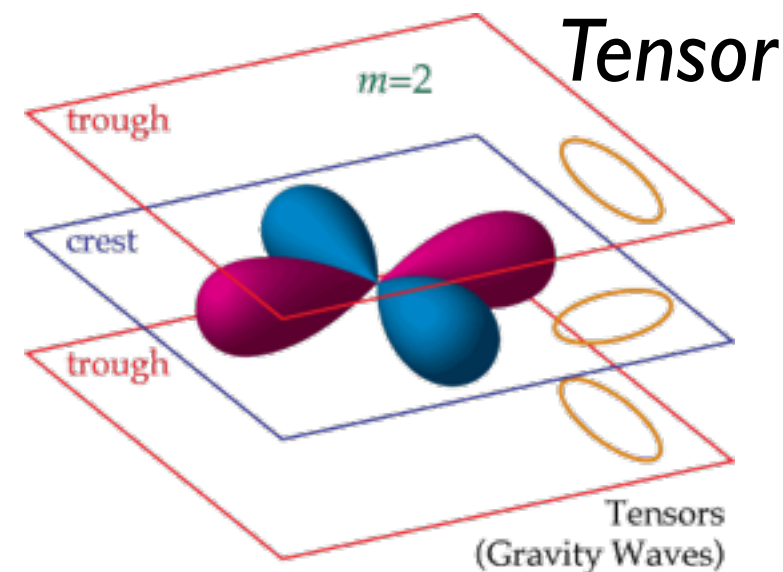
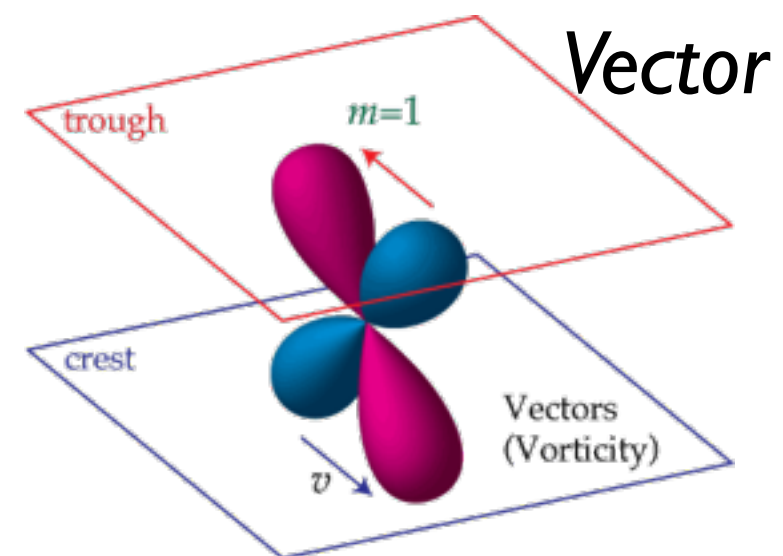
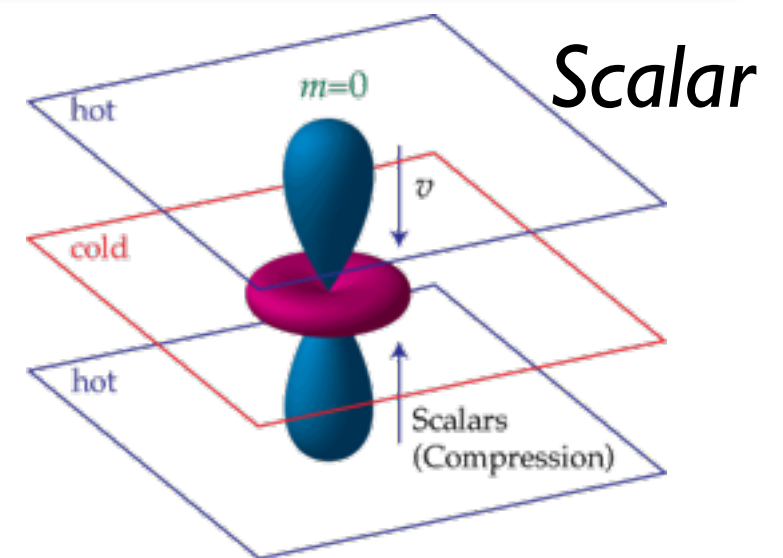
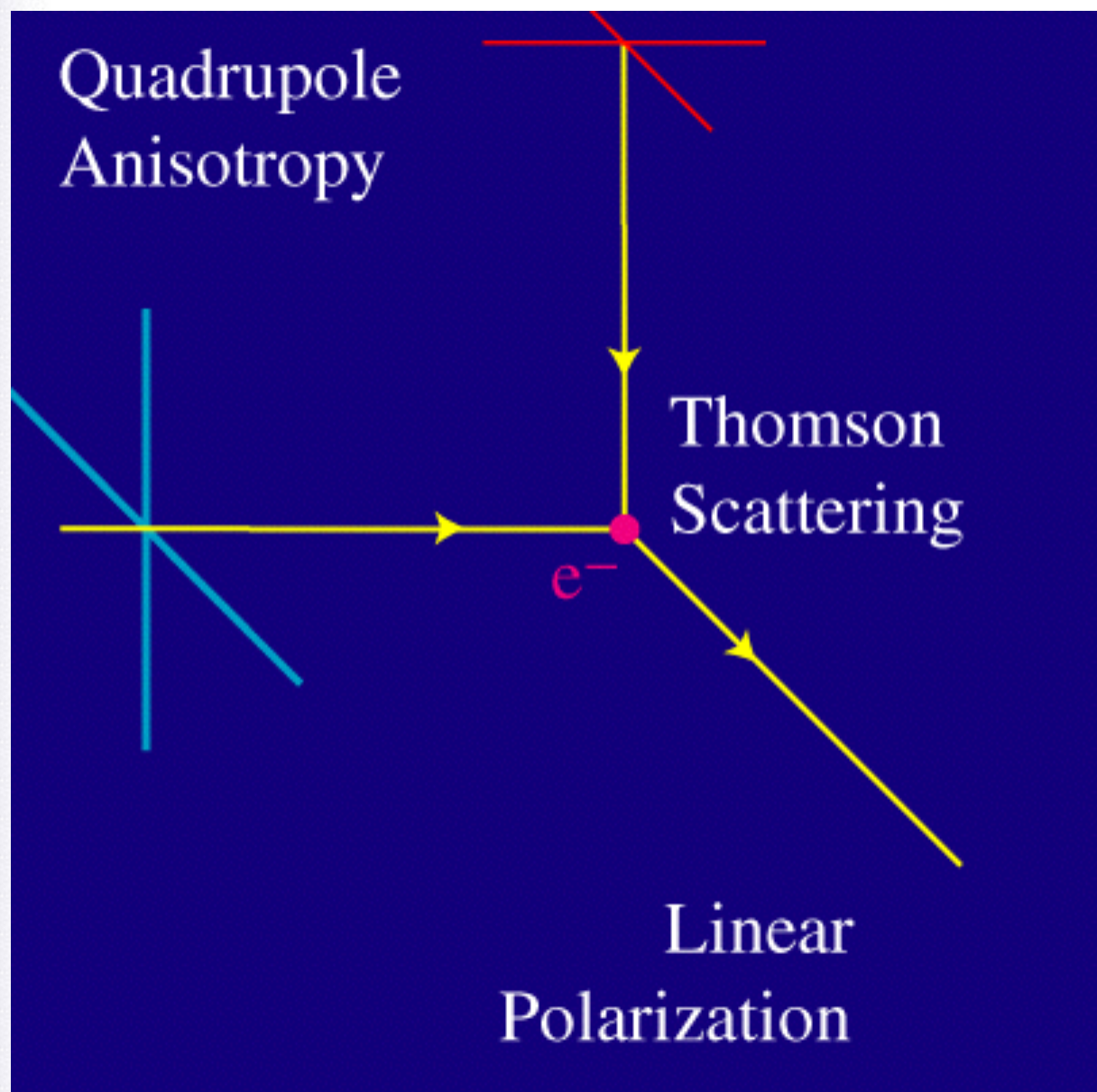
COBE	few parts in 100
WMAP	2-3 parts in 10,000
Planck	few parts in 100,000



CMB Polarisation

CMB becomes polarised through Thomson scattering off electrons.

To obtain a *net* signal we must have a quadrupole anisotropy

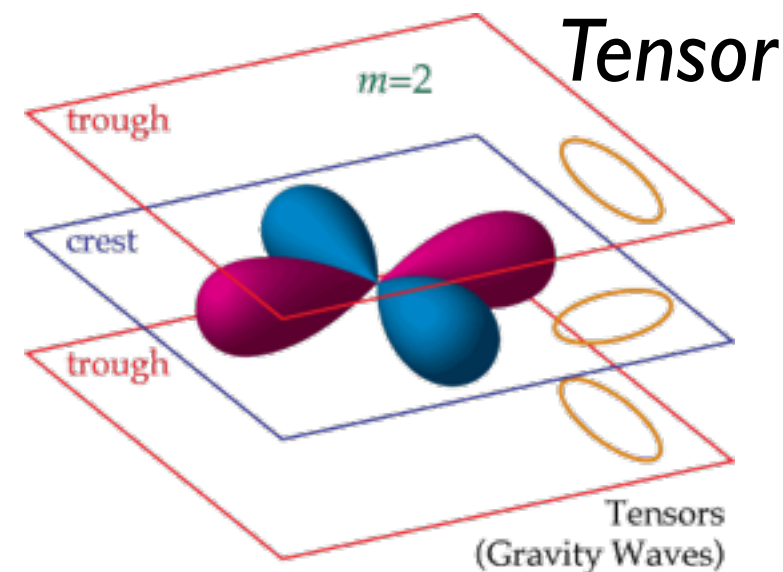
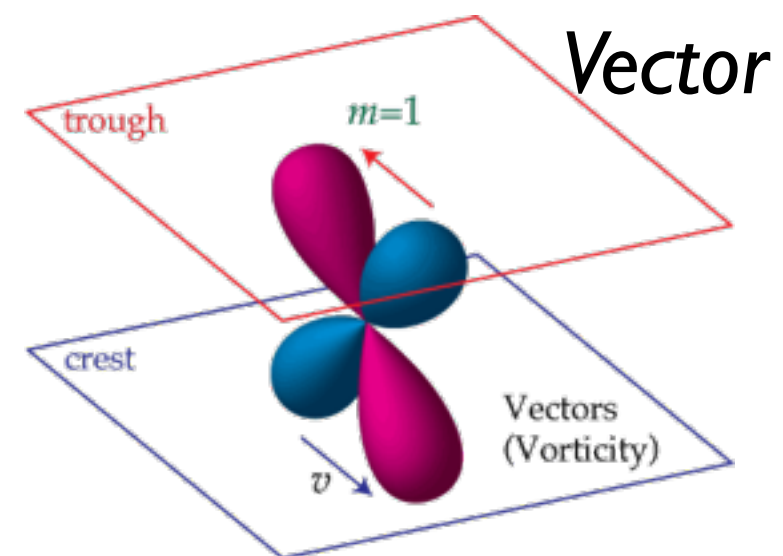
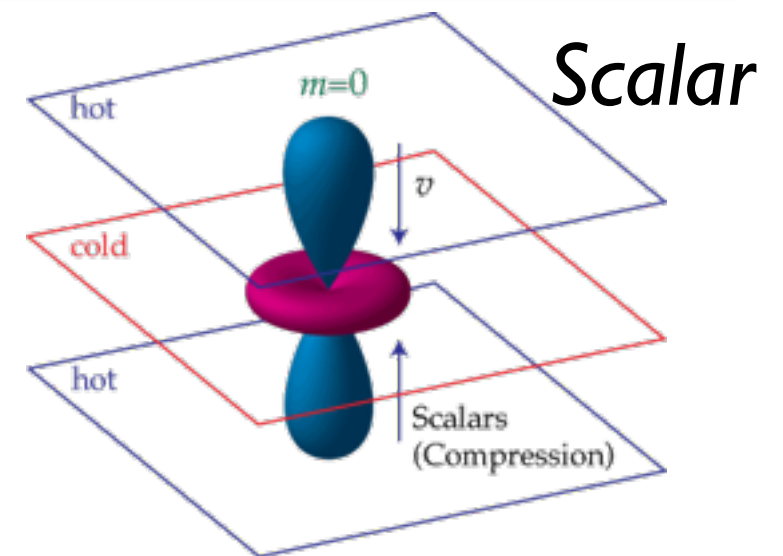
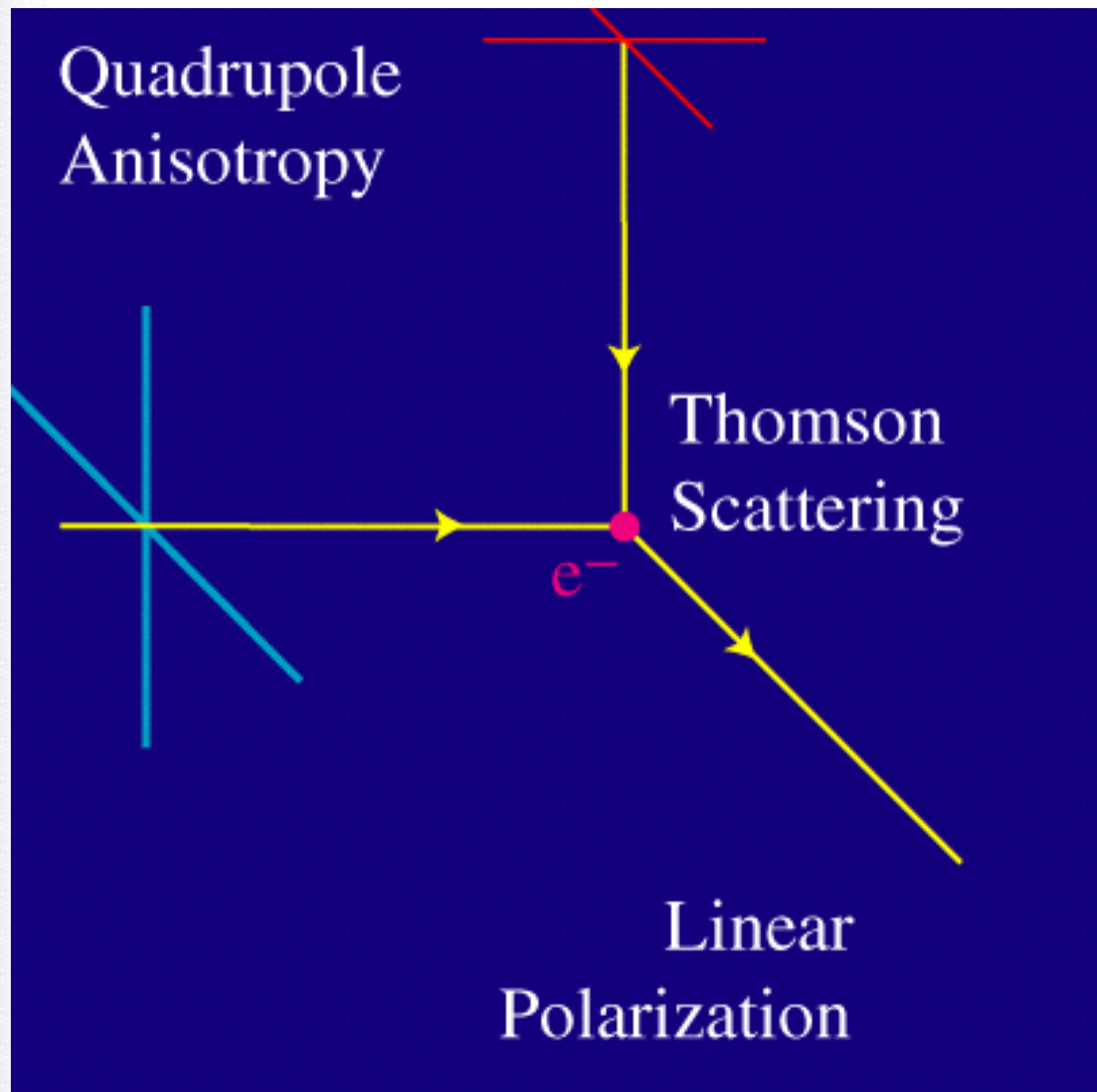


Courtesy Wayne Hu

CMB Polarisation

CMB becomes polarised through Thomson scattering off electrons.

To obtain a *net* signal we must have a quadrupole anisotropy

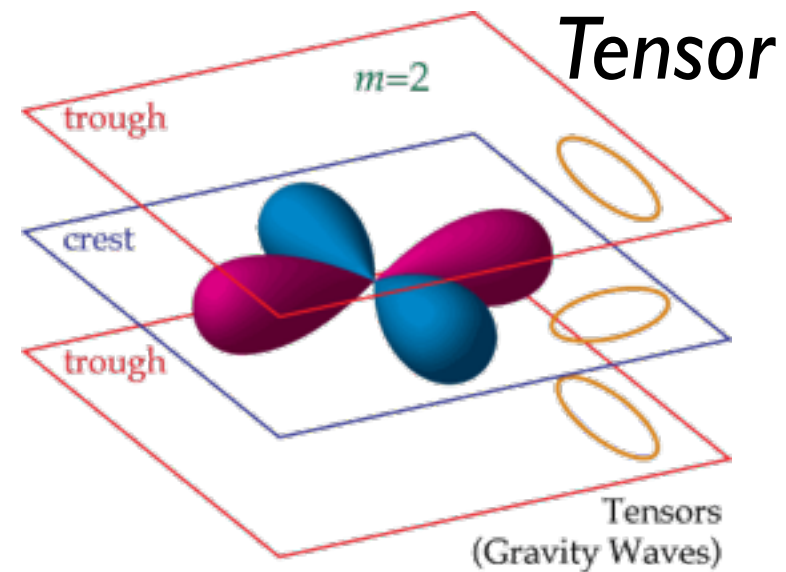
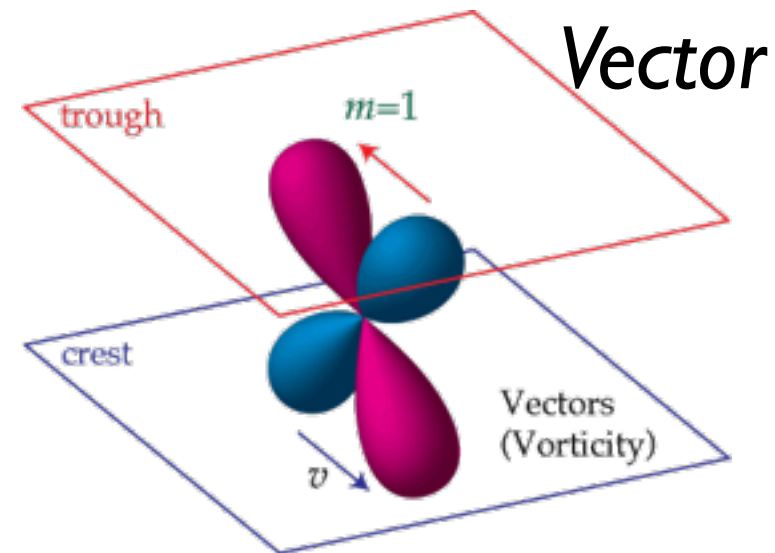
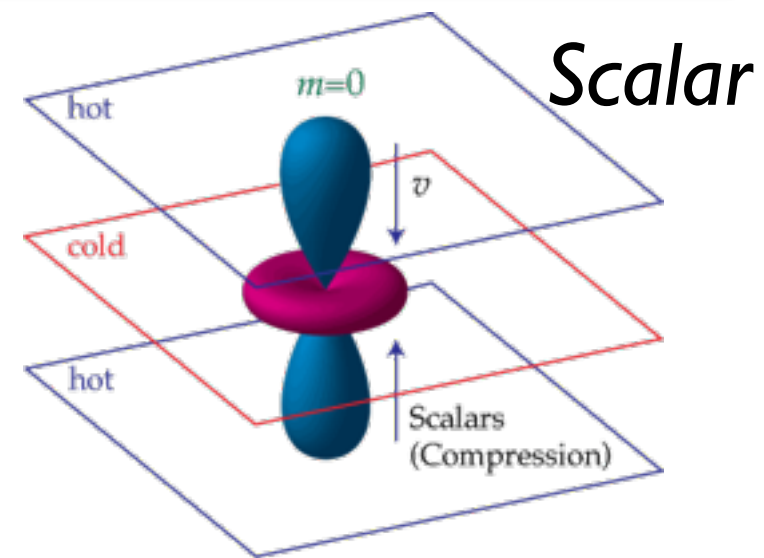
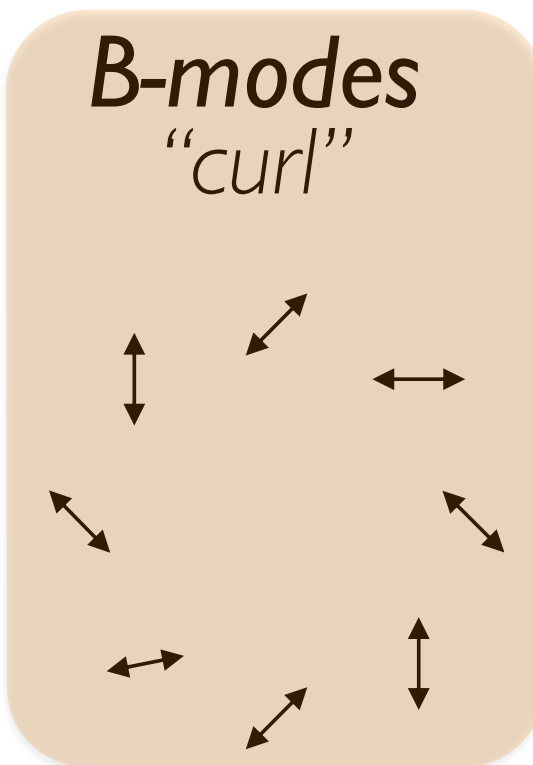
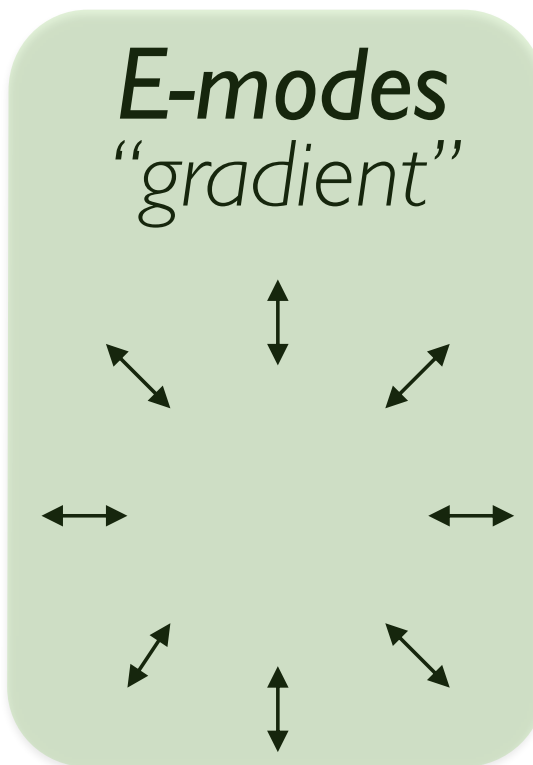
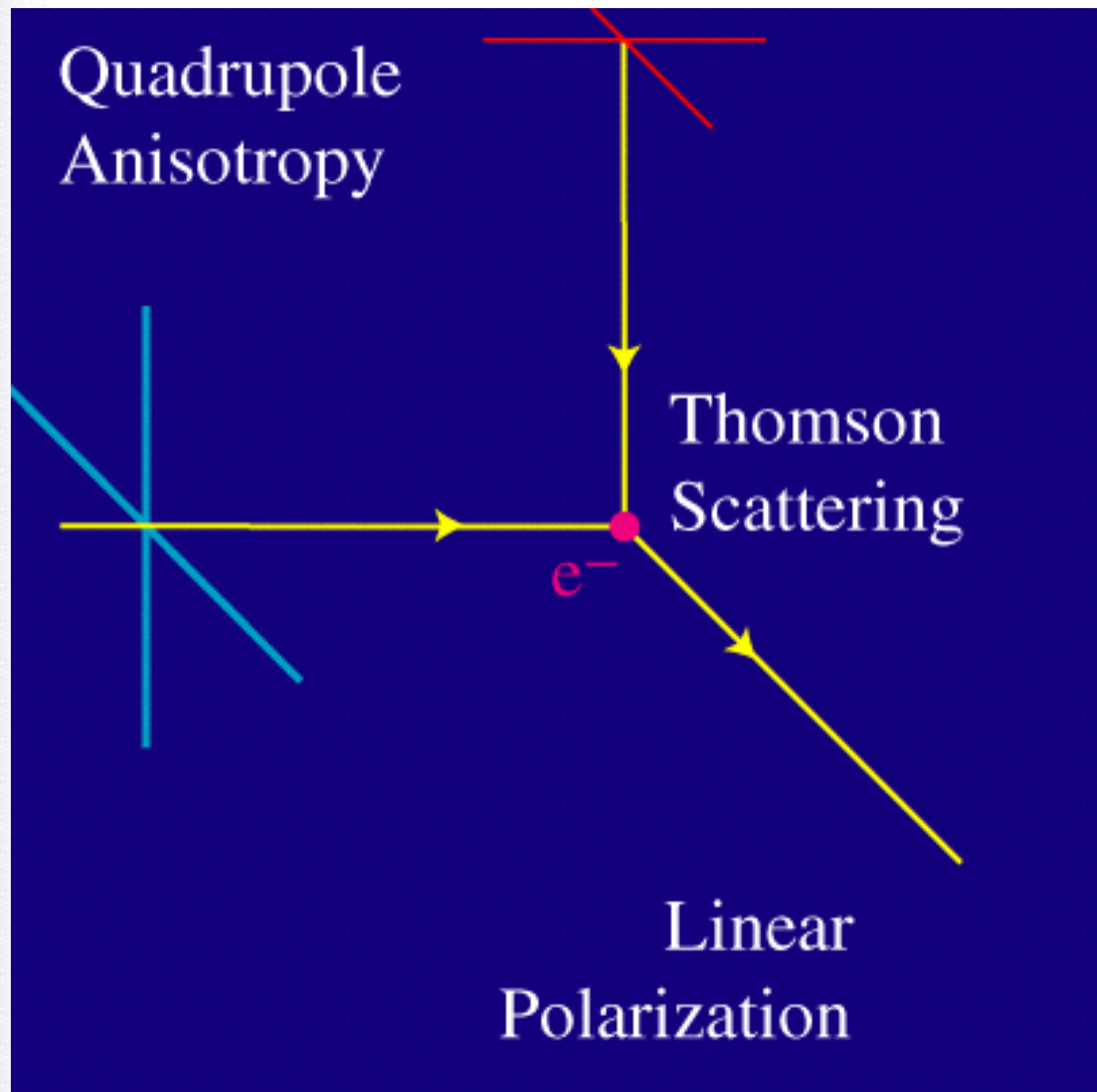


Courtesy Wayne Hu

CMB Polarisation

CMB becomes polarised through Thomson scattering off electrons.

To obtain a *net* signal we must have a quadrupole anisotropy

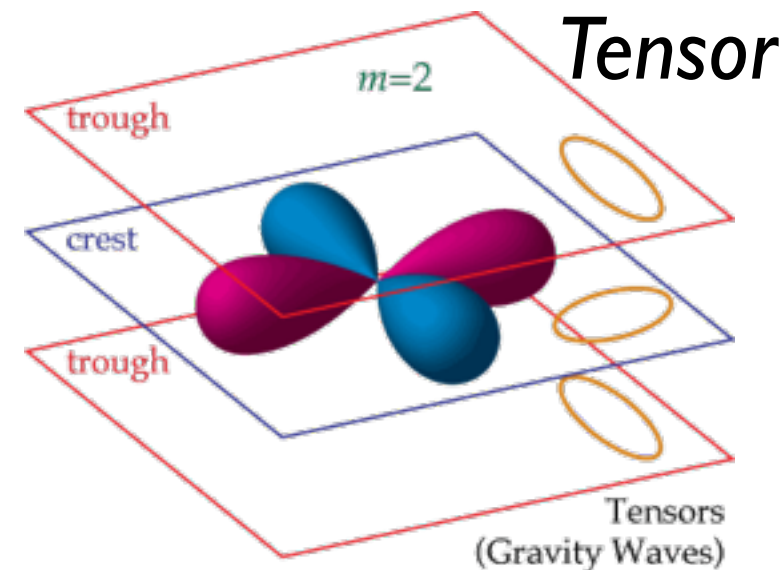
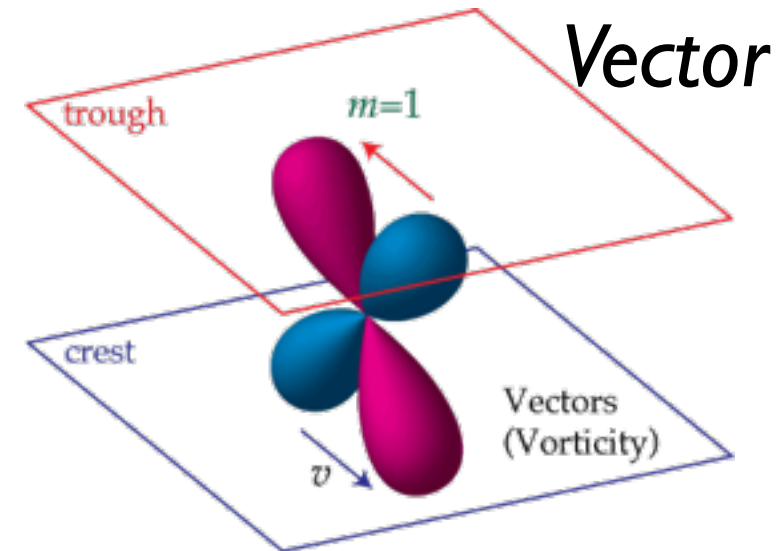
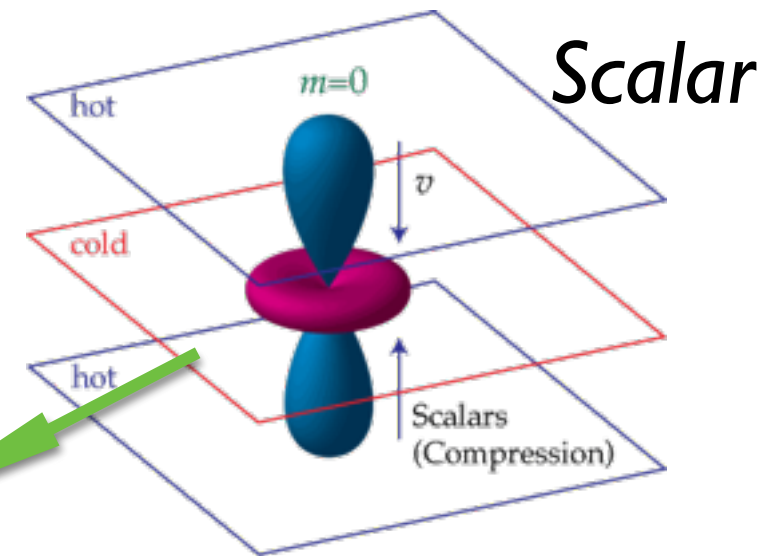
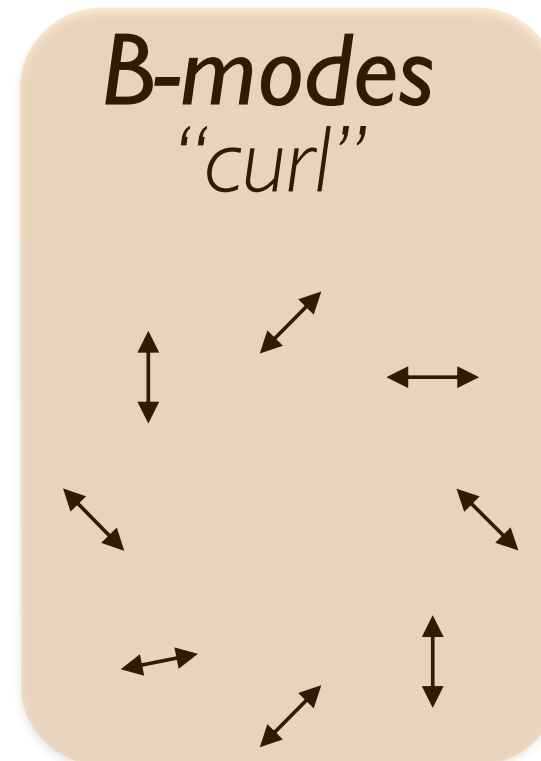
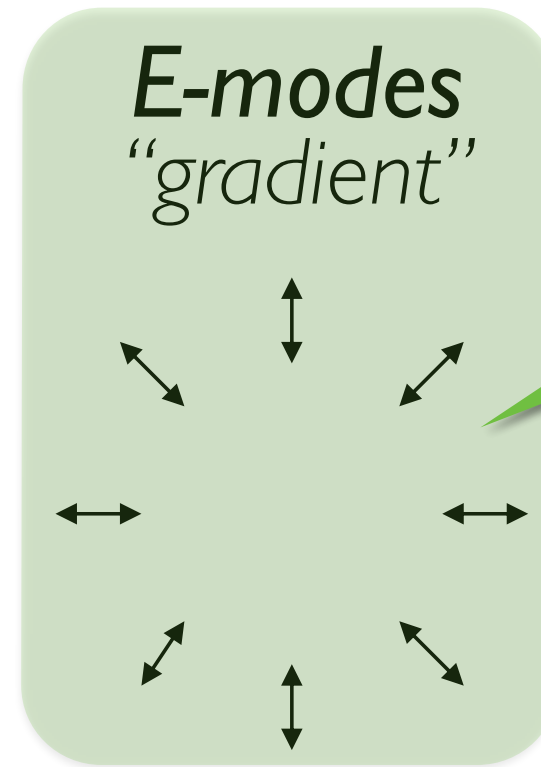
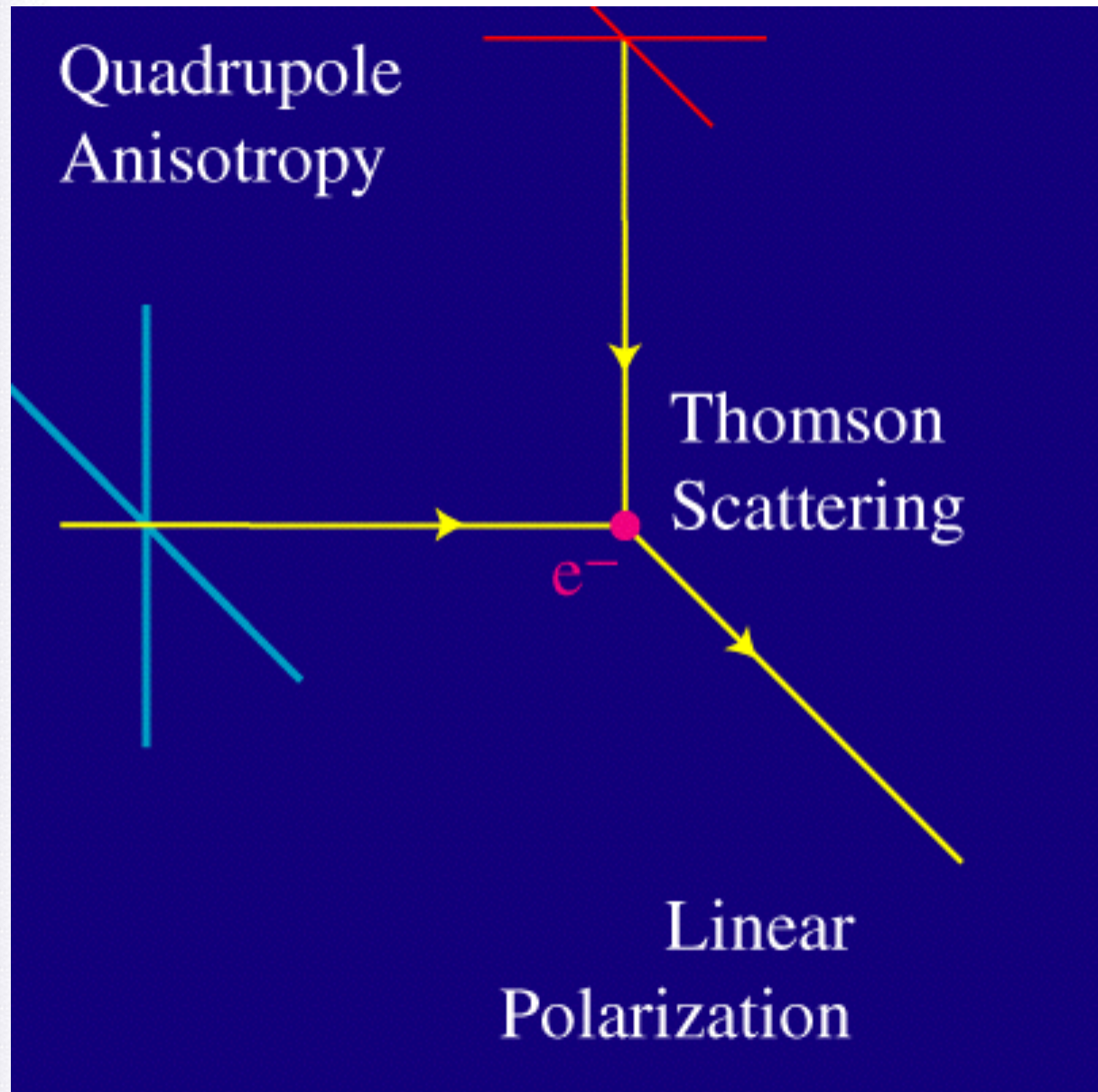


Courtesy Wayne Hu

CMB Polarisation

CMB becomes polarised through Thomson scattering off electrons.

To obtain a *net* signal we must have a quadrupole anisotropy

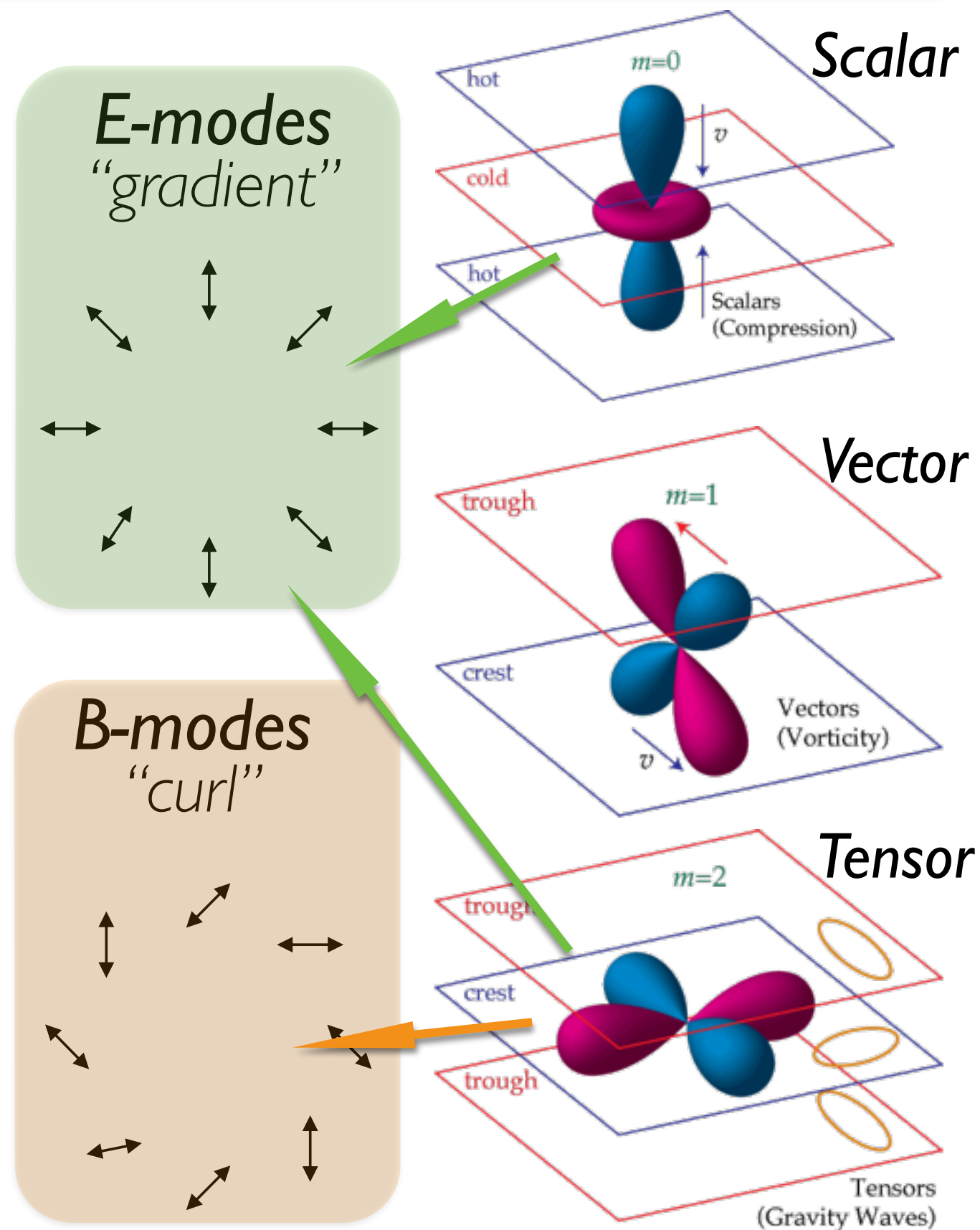
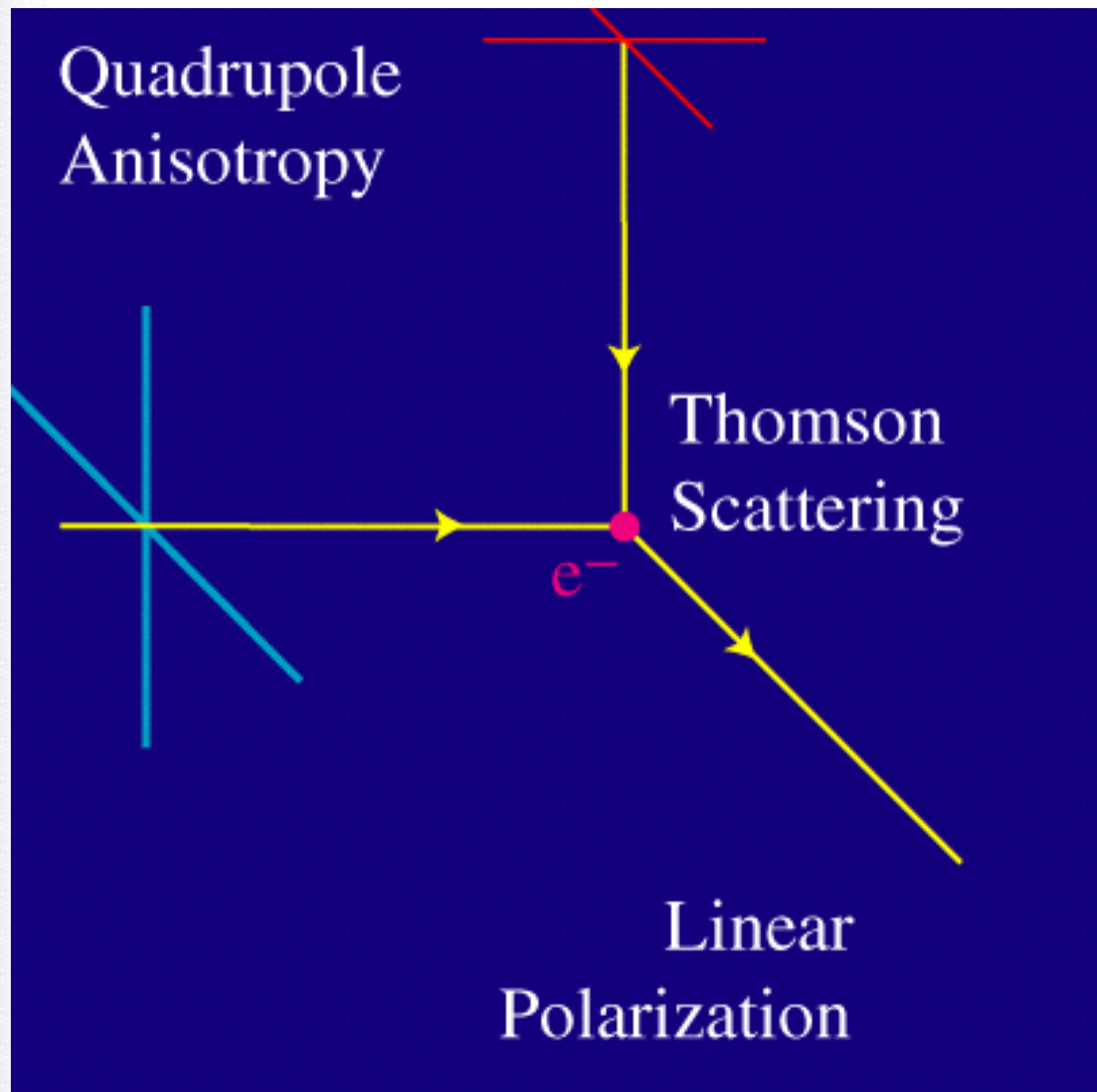


Courtesy Wayne Hu

CMB Polarisation

CMB becomes polarised through Thomson scattering off electrons.

To obtain a *net* signal we must have a quadrupole anisotropy

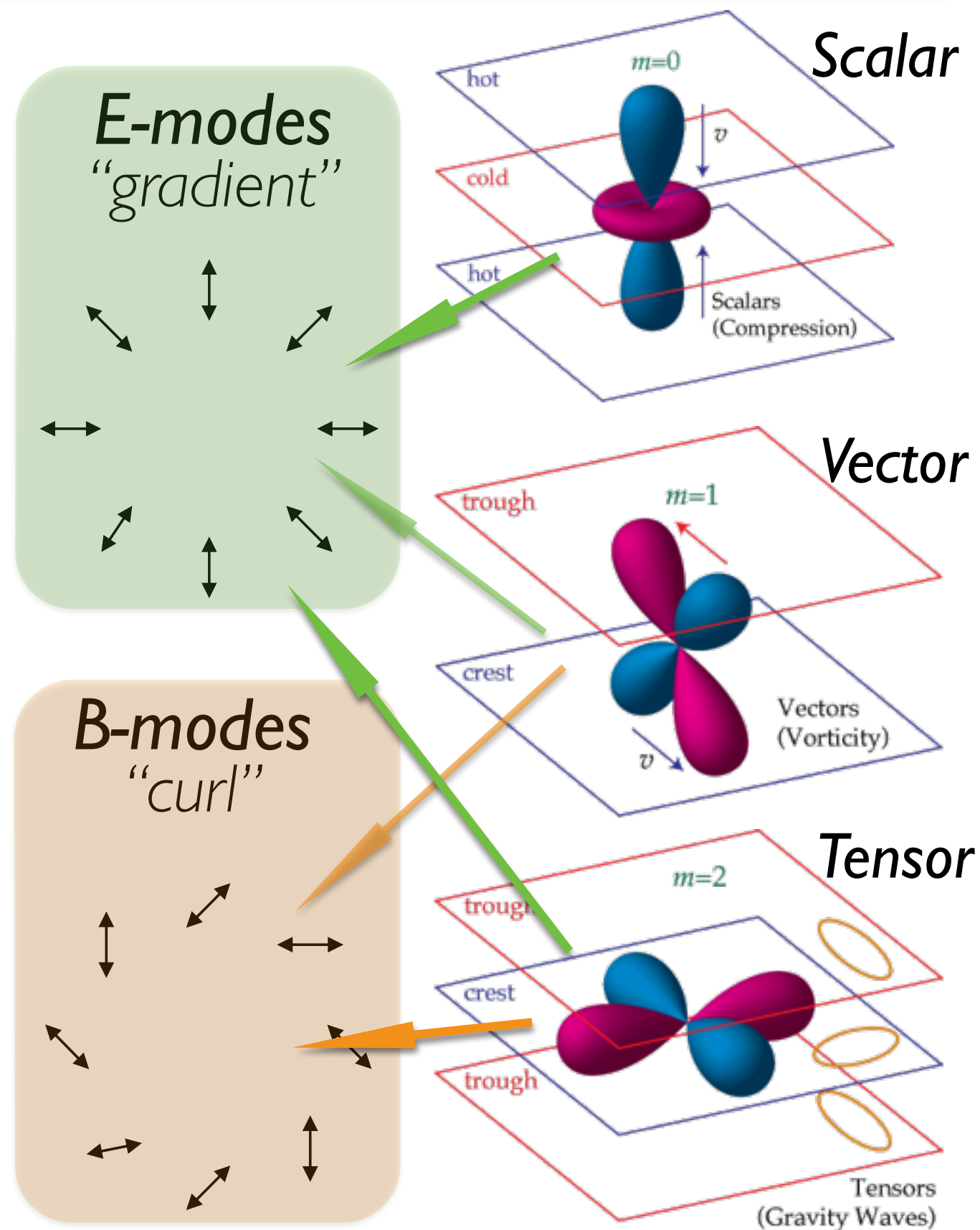
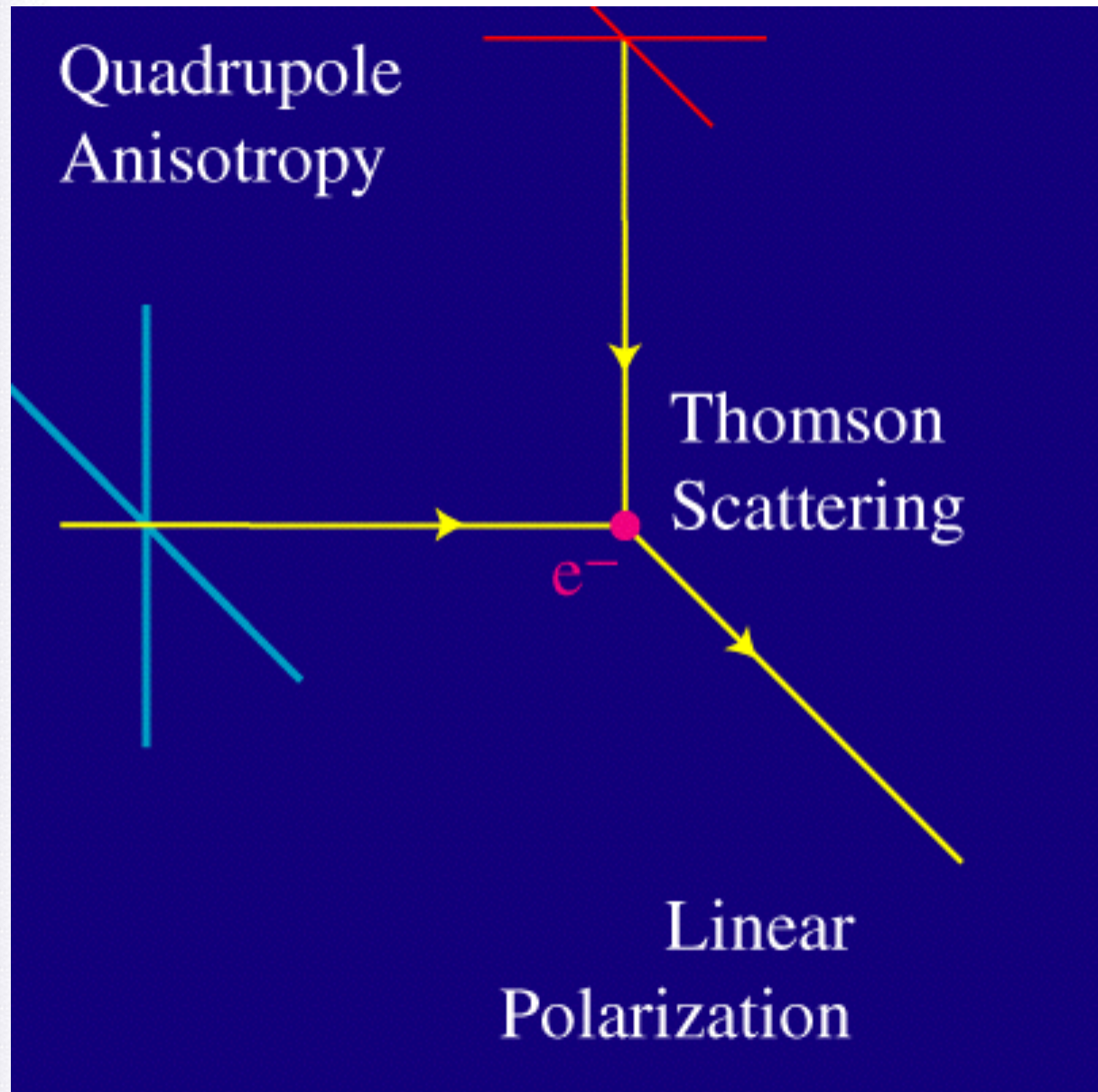


Courtesy Wayne Hu

CMB Polarisation

CMB becomes polarised through Thomson scattering off electrons.

To obtain a *net* signal we must have a quadrupole anisotropy



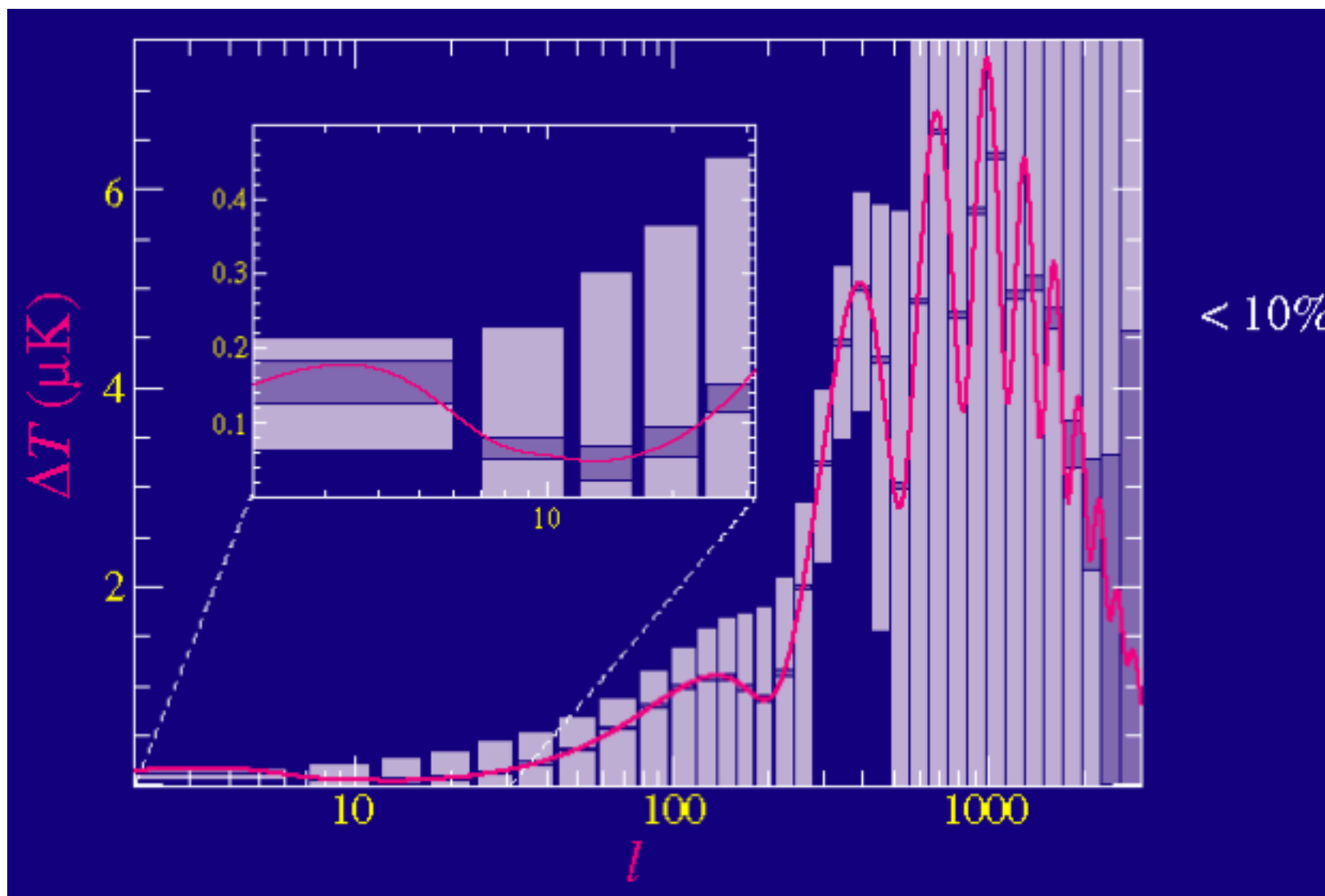
Courtesy Wayne Hu

Planck E-mode polarisation

The CMB is polarised at about the 10% level ($\sim 0.1 \mu\text{K}$)

Series of acoustic peaks from plasma motions (out-of-phase with T)

Additional reionisation 'bump' at small l (associated with first stars)

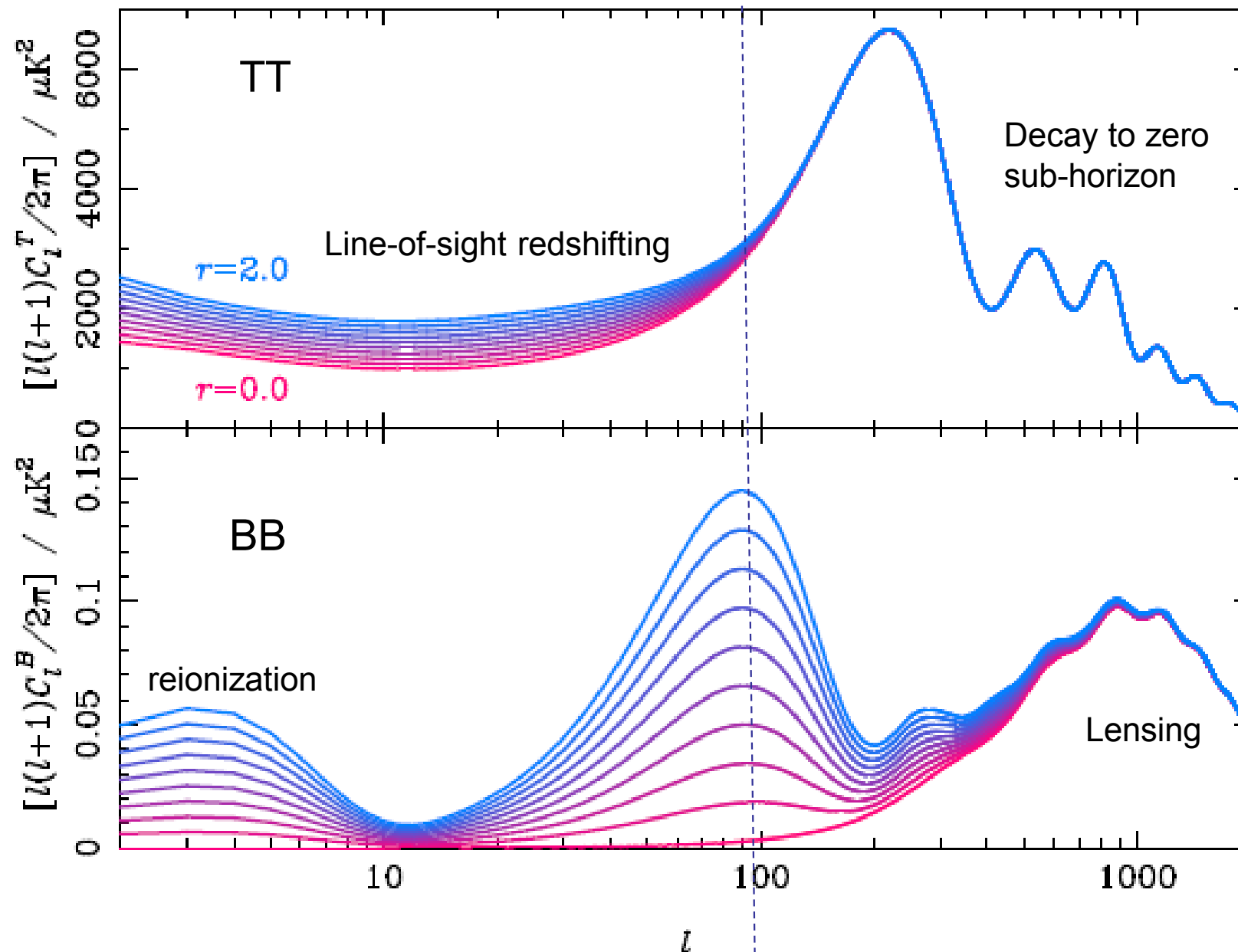


$< 10\%$ Planck will observe and report this series of E-mode peaks at high precision in 2014

- ➔ Extra information about cosmological parameters (H_0 etc to move)
- ➔ Insight into the ionisation history of the Universe.

Planck B-mode polarisation

Primordial gravitational waves will induce a B-mode signal



A. Lewis, 2014

Planck alone: original BlueBook forecast $r \sim 0.1$ from reionization signal

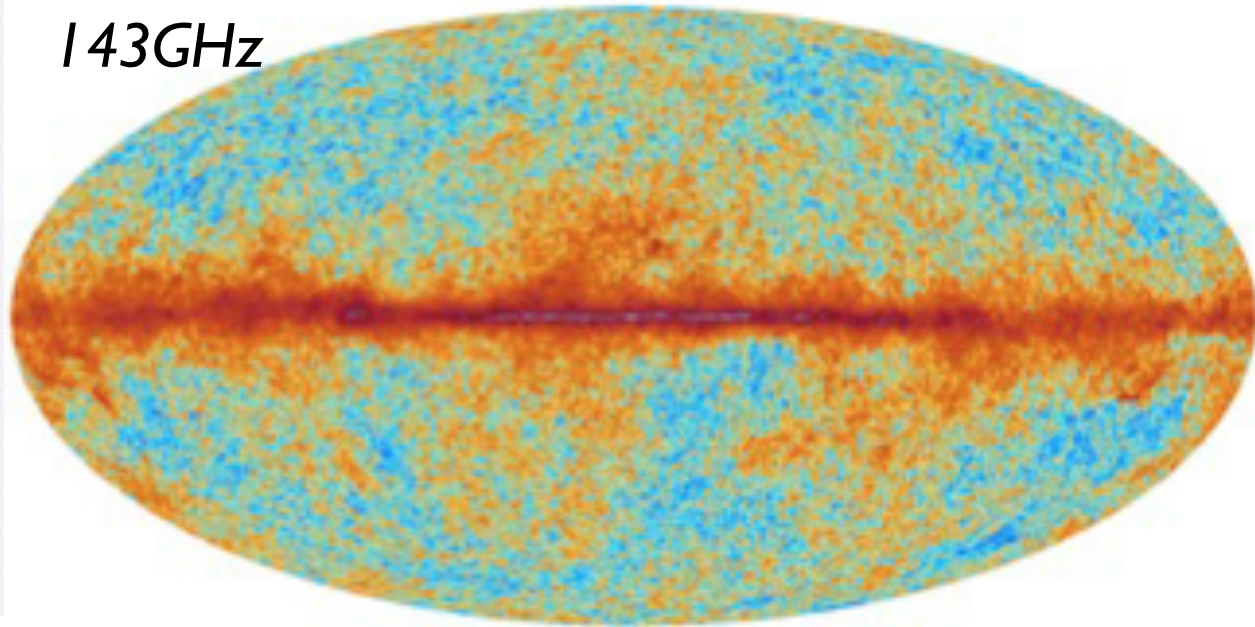
- but τ^2 detection dependence drops to 2σ (because of fall in τ)
- full-sky recombination bump 2.5σ possible,, but many systematics

Planck polarised foregrounds

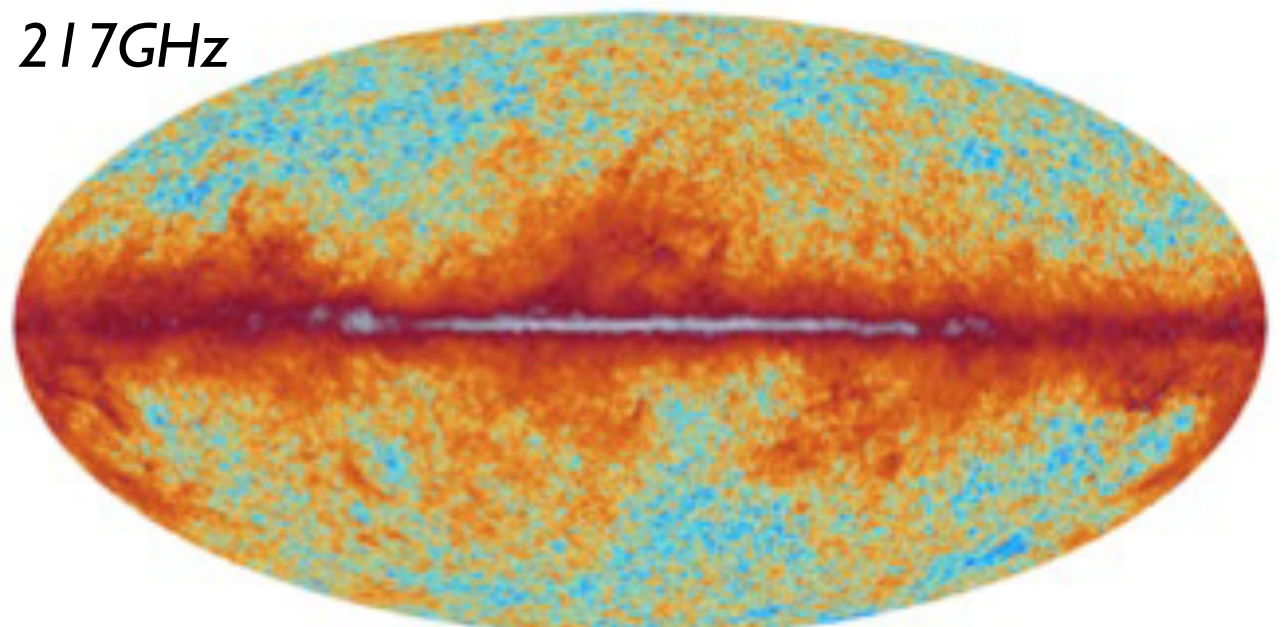
Primordial GWs should have a blackbody spectrum

Distinguish from foreground contributions using frequency dependence:

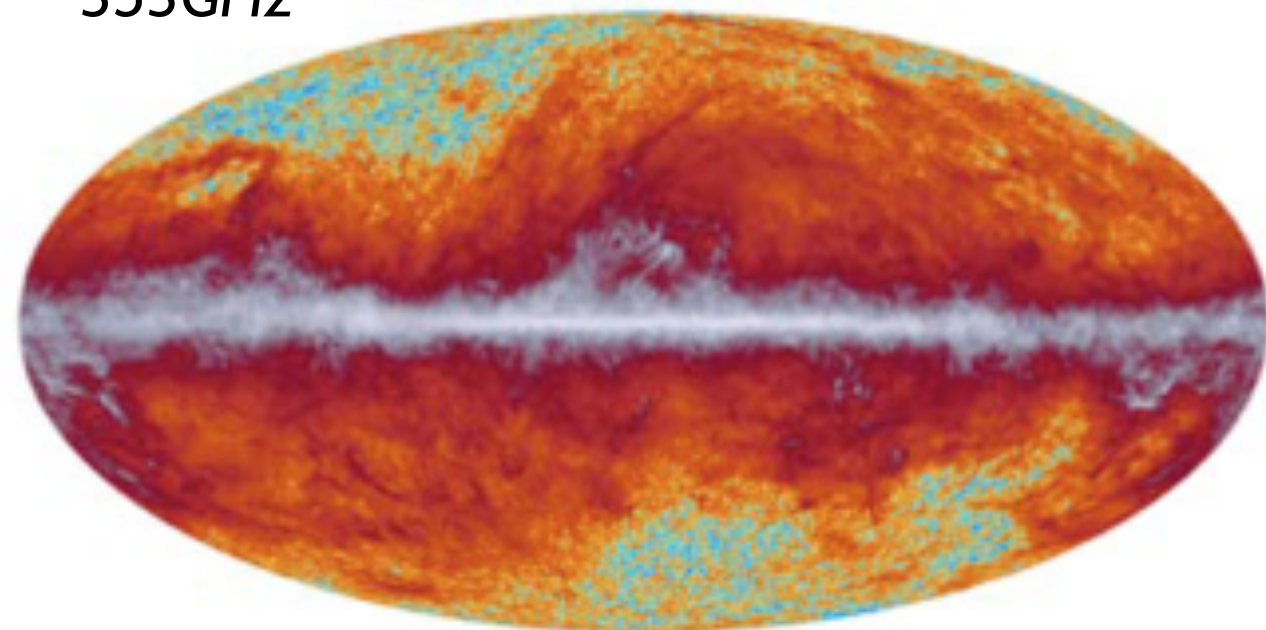
143GHz



217GHz



353GHz



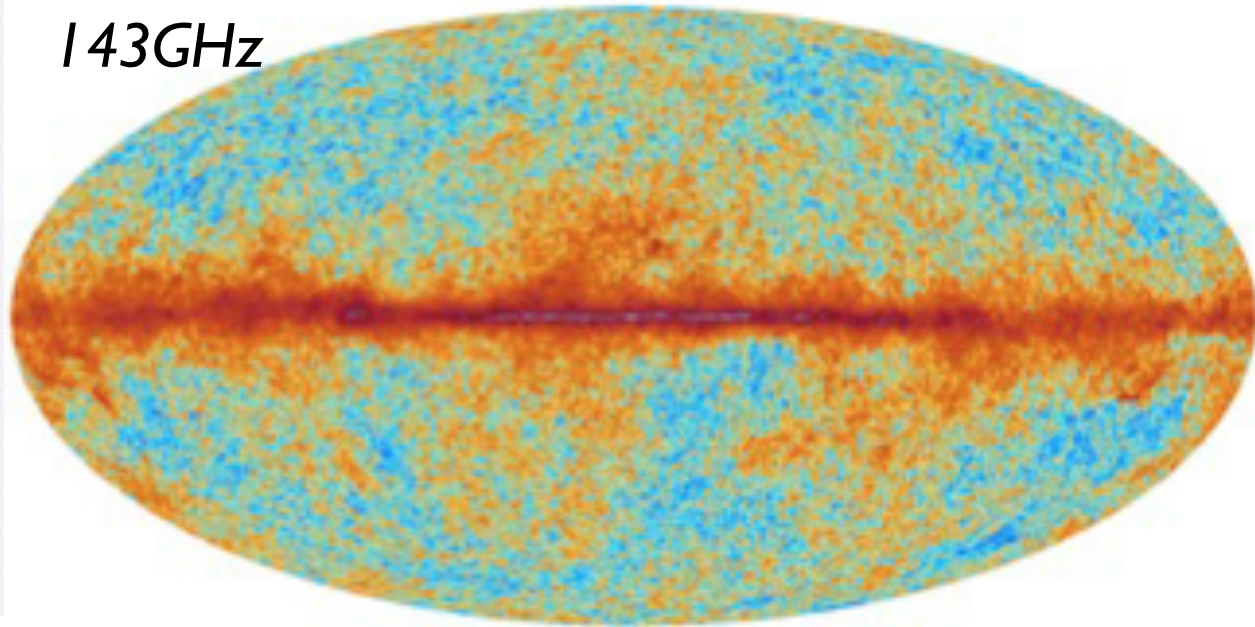
Planck can extrapolate B-mode dust contamination in the BICEP2 field

Planck polarised foregrounds

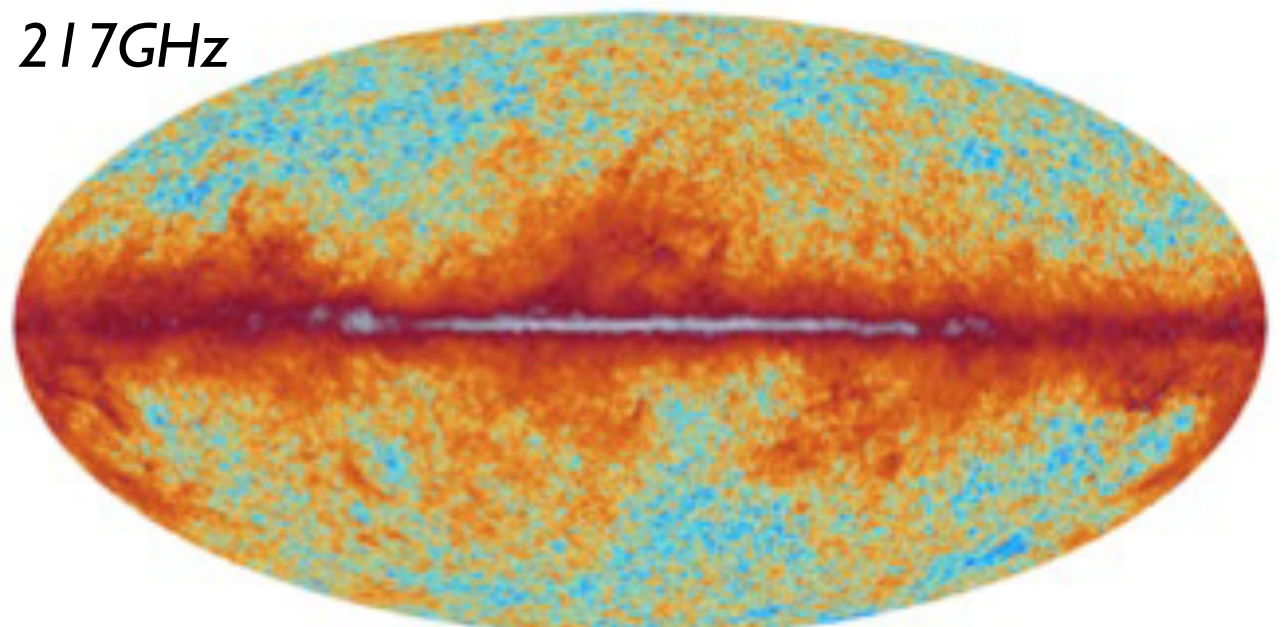
Primordial GWs should have a blackbody spectrum

Distinguish from foreground contributions using frequency dependence:

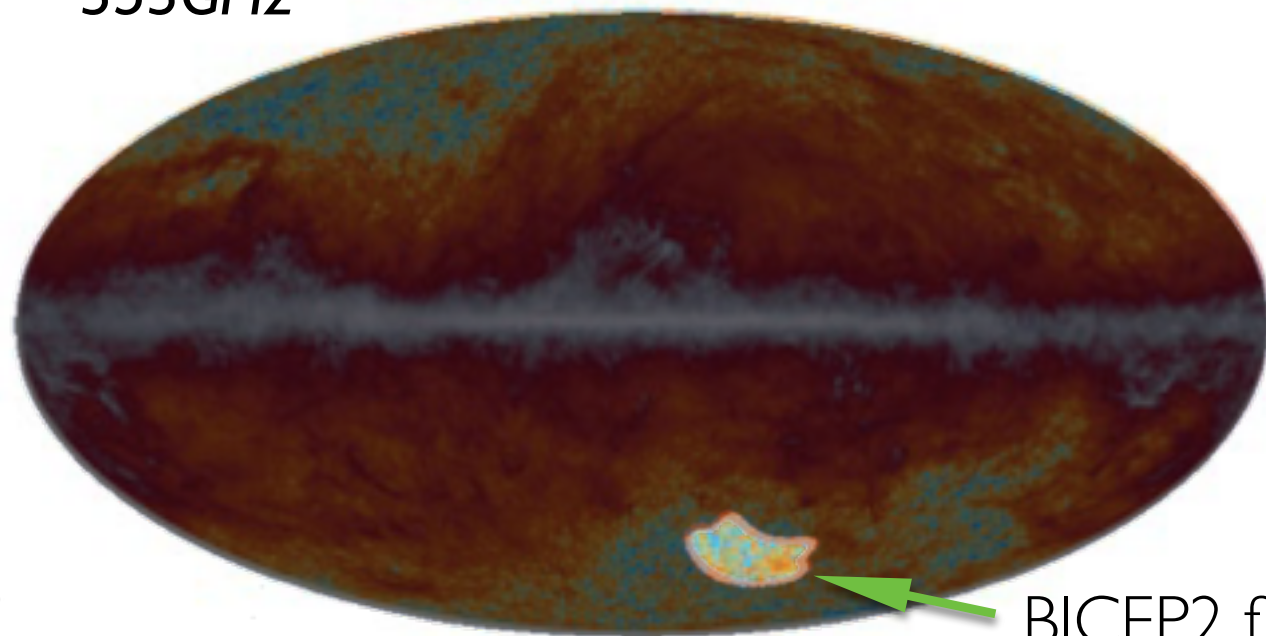
143GHz



217GHz



353GHz



BICEP2 field

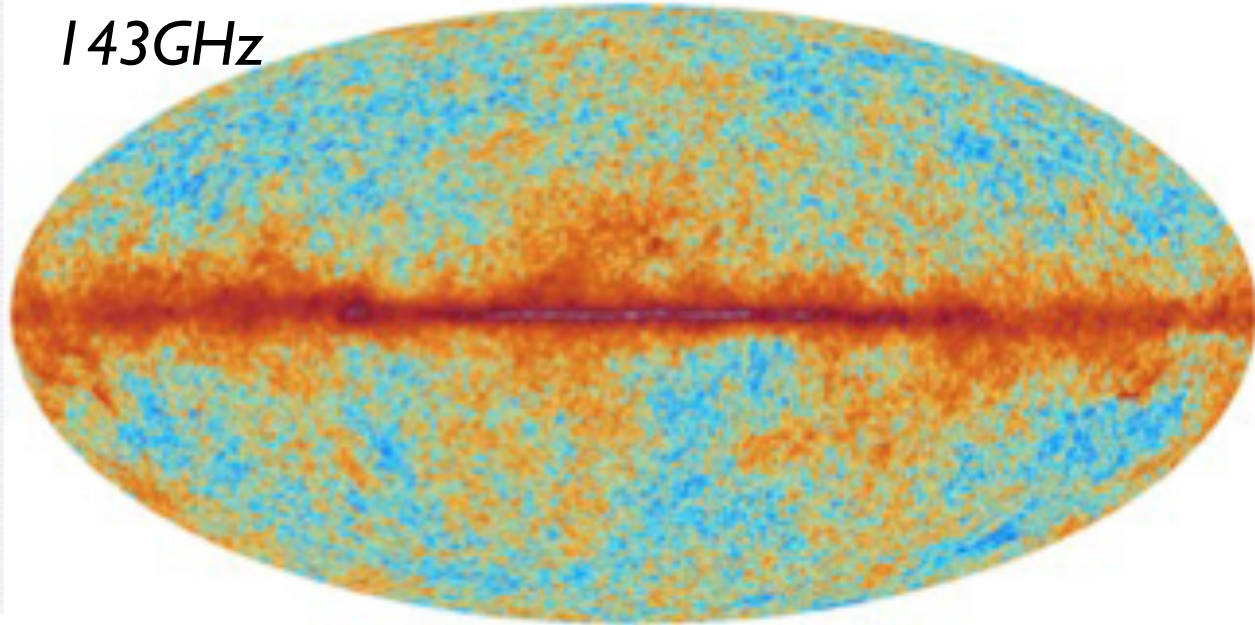
Planck can extrapolate B-mode dust contamination in the BICEP2 field

Planck polarised foregrounds

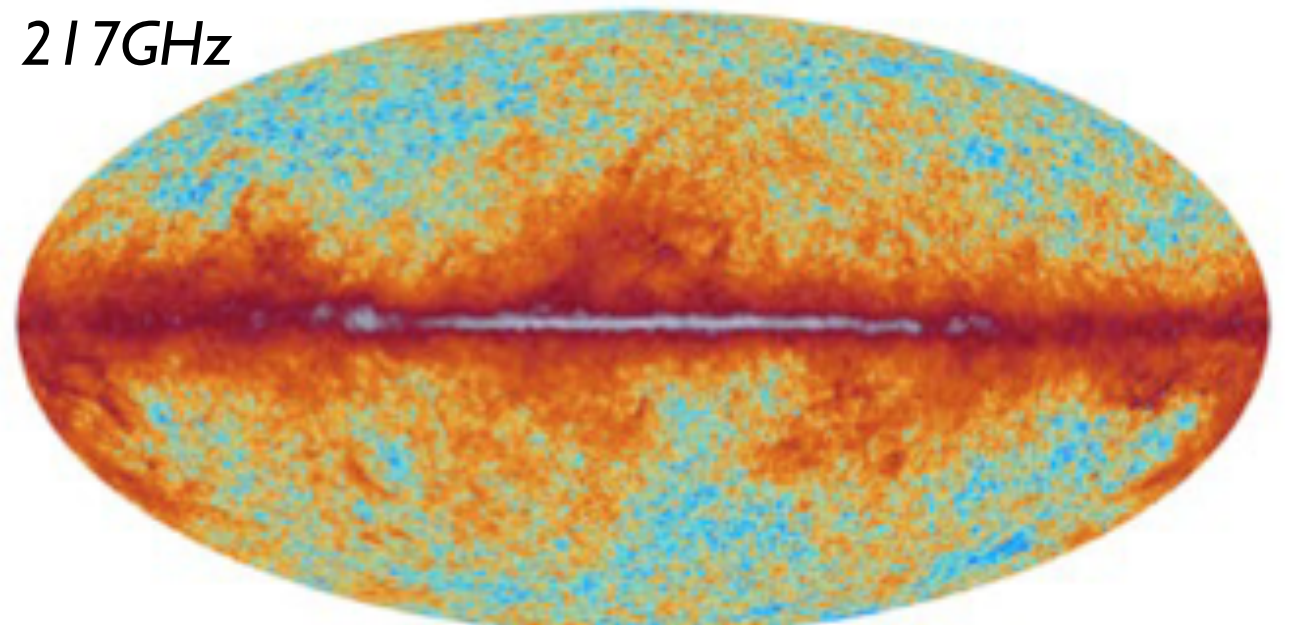
Primordial GWs should have a blackbody spectrum

Distinguish from foreground contributions using frequency dependence:

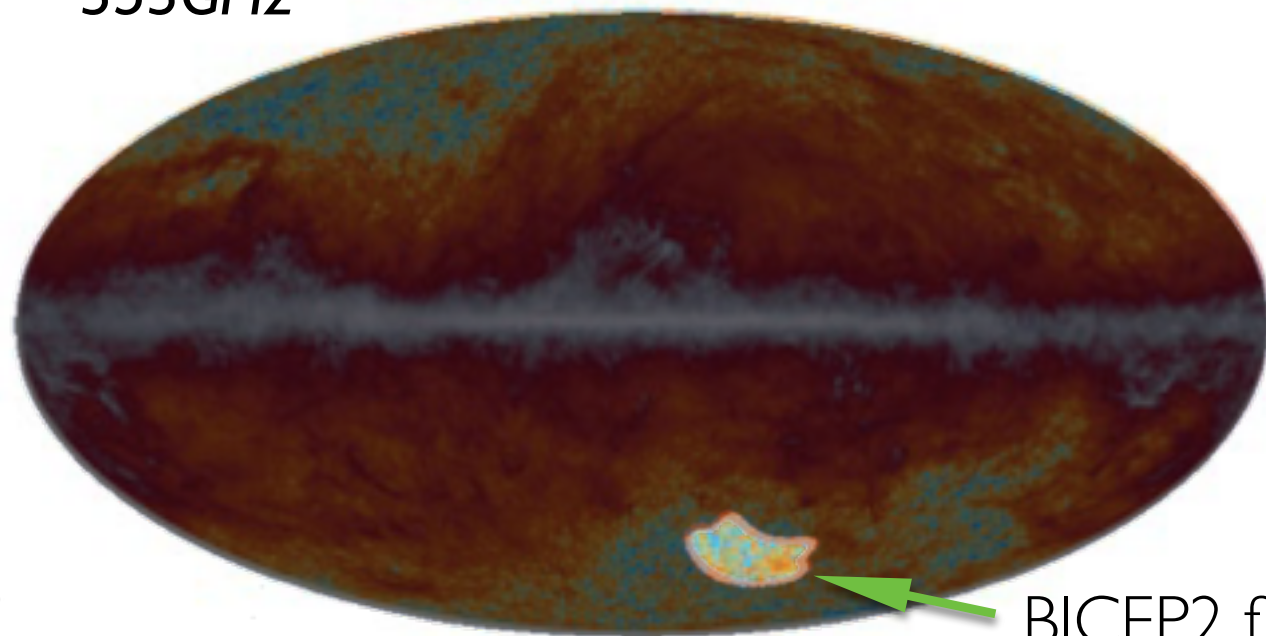
143GHz



217GHz

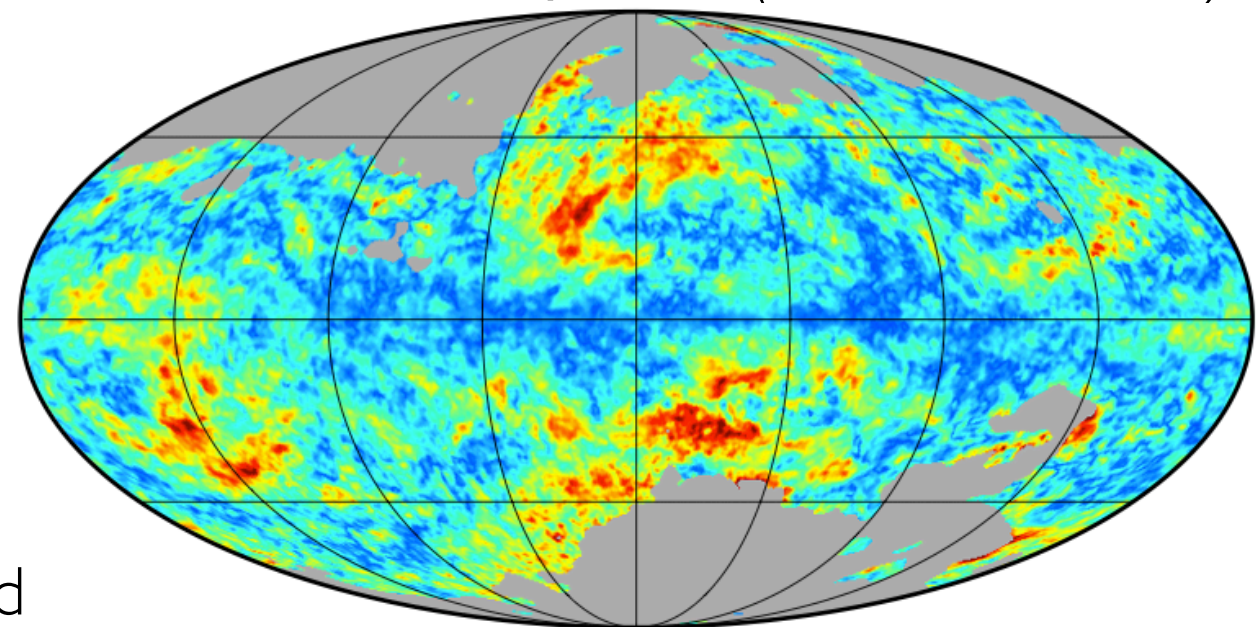


353GHz



BICEP2 field

353GHz Polarisation fraction (arXiv:1405.0871)



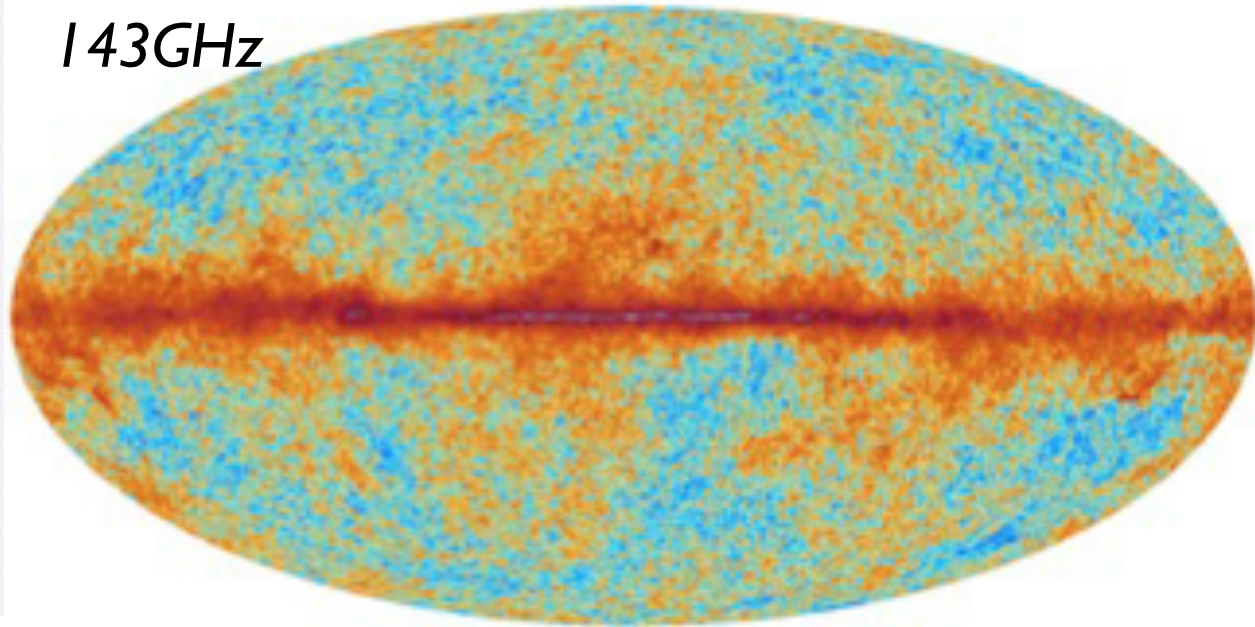
Planck can extrapolate B-mode dust contamination in the BICEP2 field

Planck polarised foregrounds

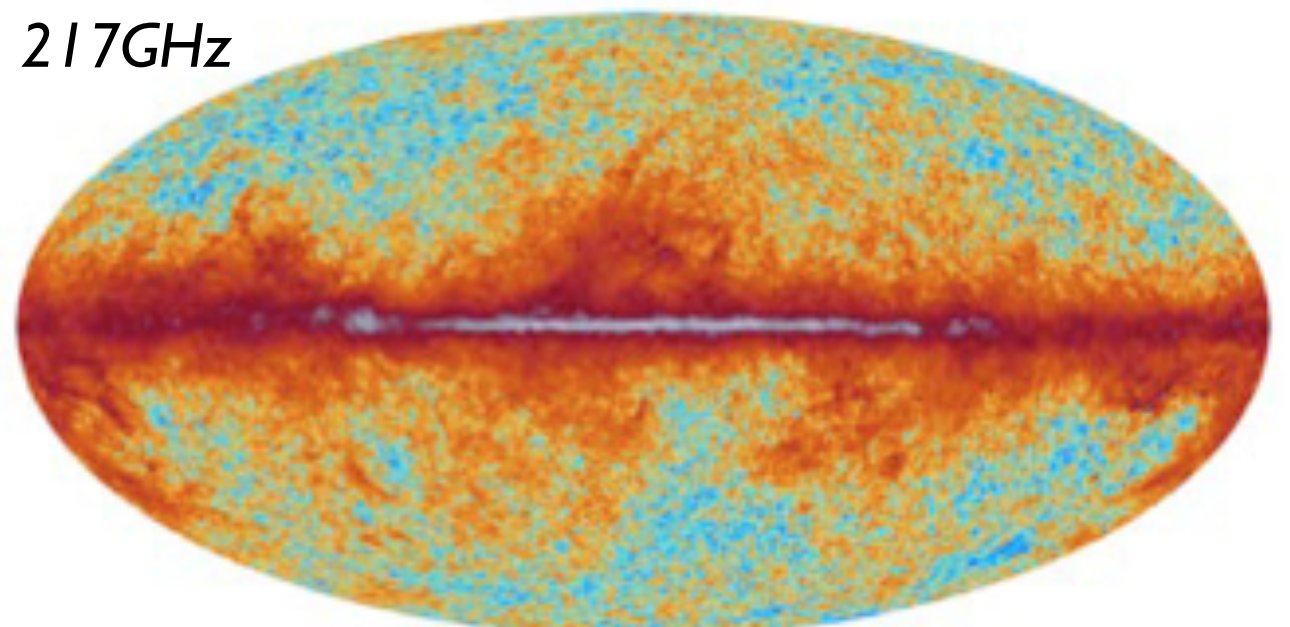
Primordial GWs should have a blackbody spectrum

Distinguish from foreground contributions using frequency dependence:

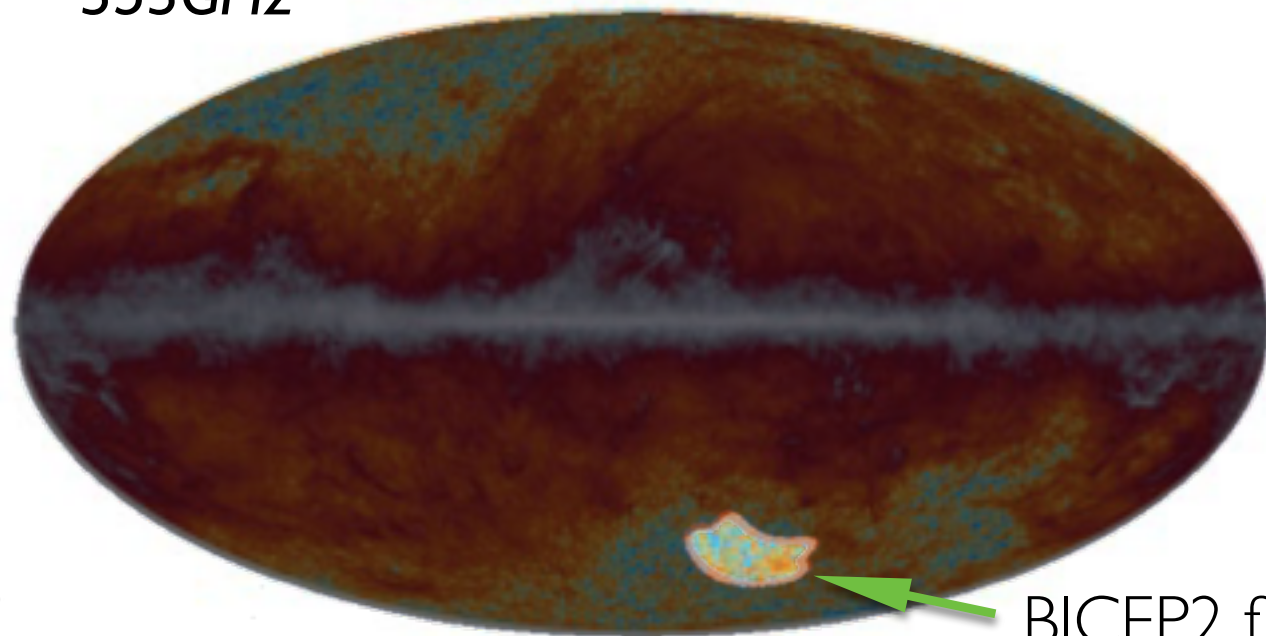
143GHz



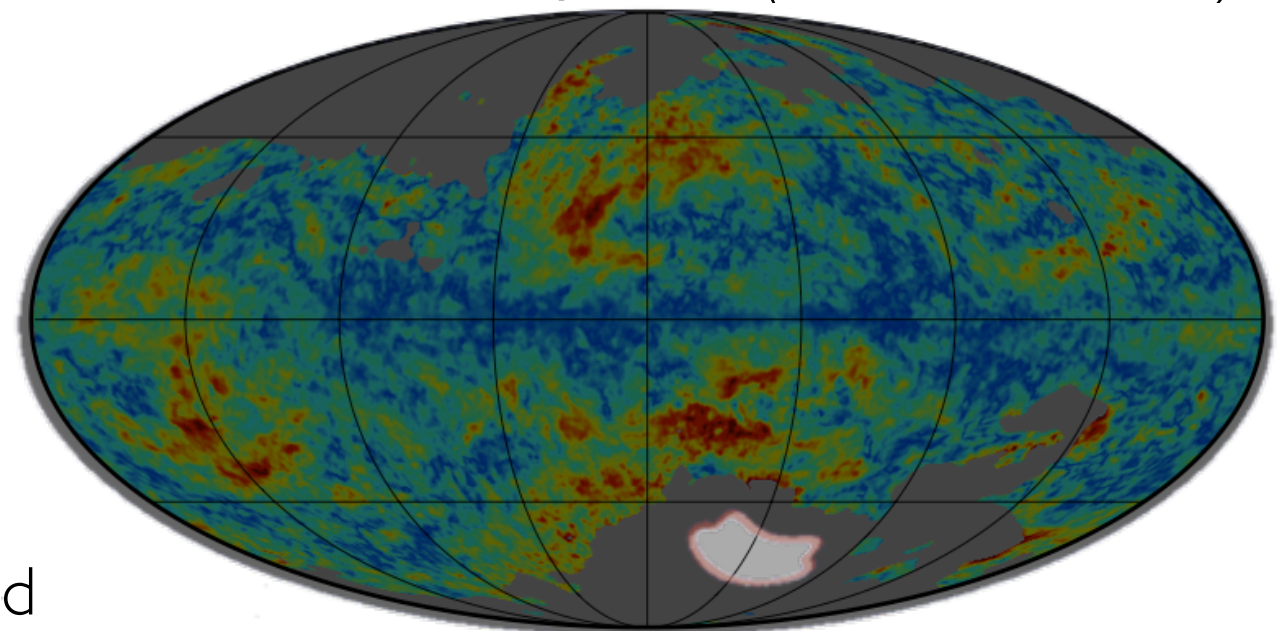
217GHz



353GHz

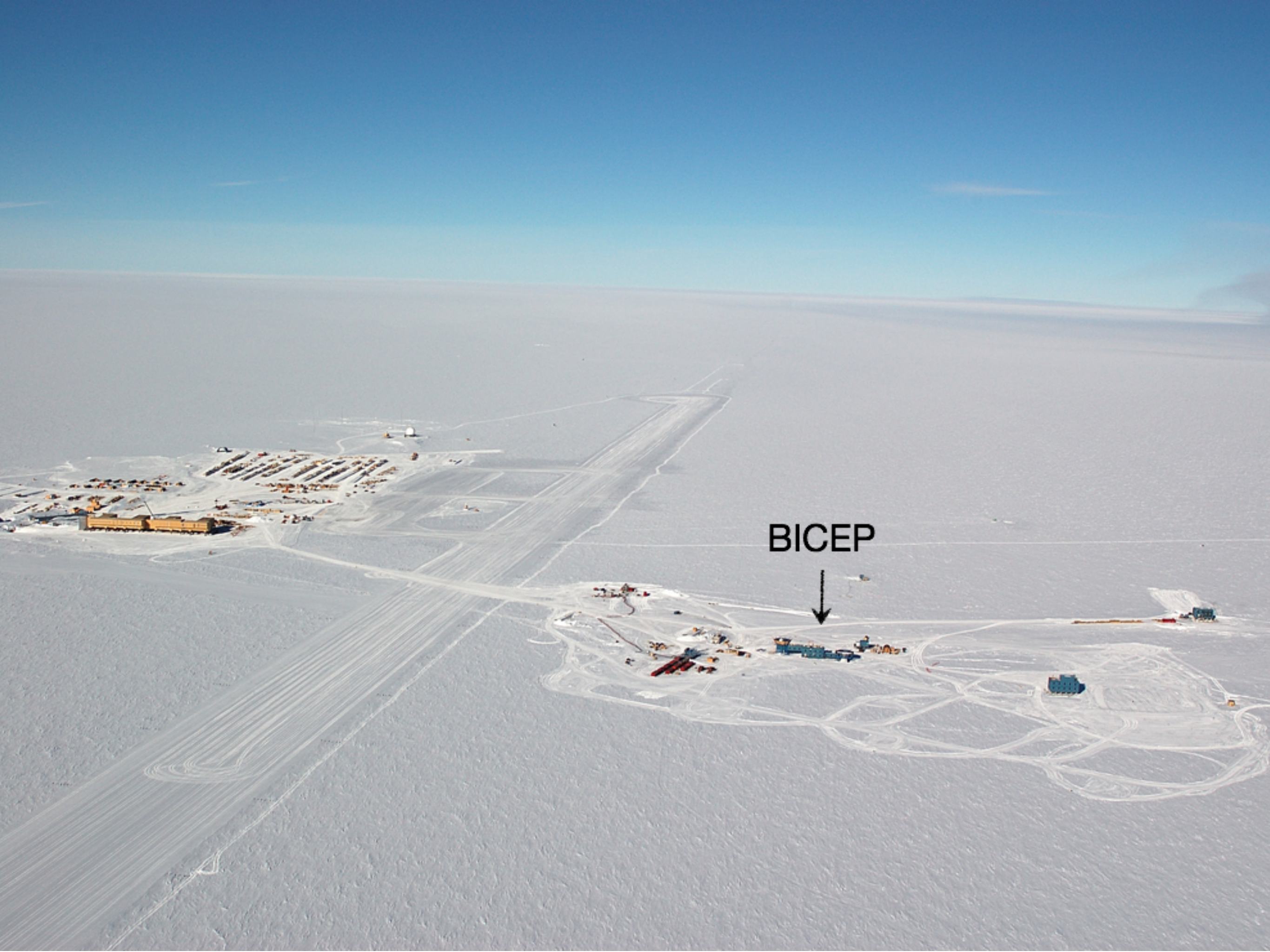


353GHz Polarisation fraction (arXiv:1405.0871)

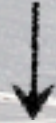


BICEP2 field

Planck can extrapolate B-mode dust contamination in the BICEP2 field

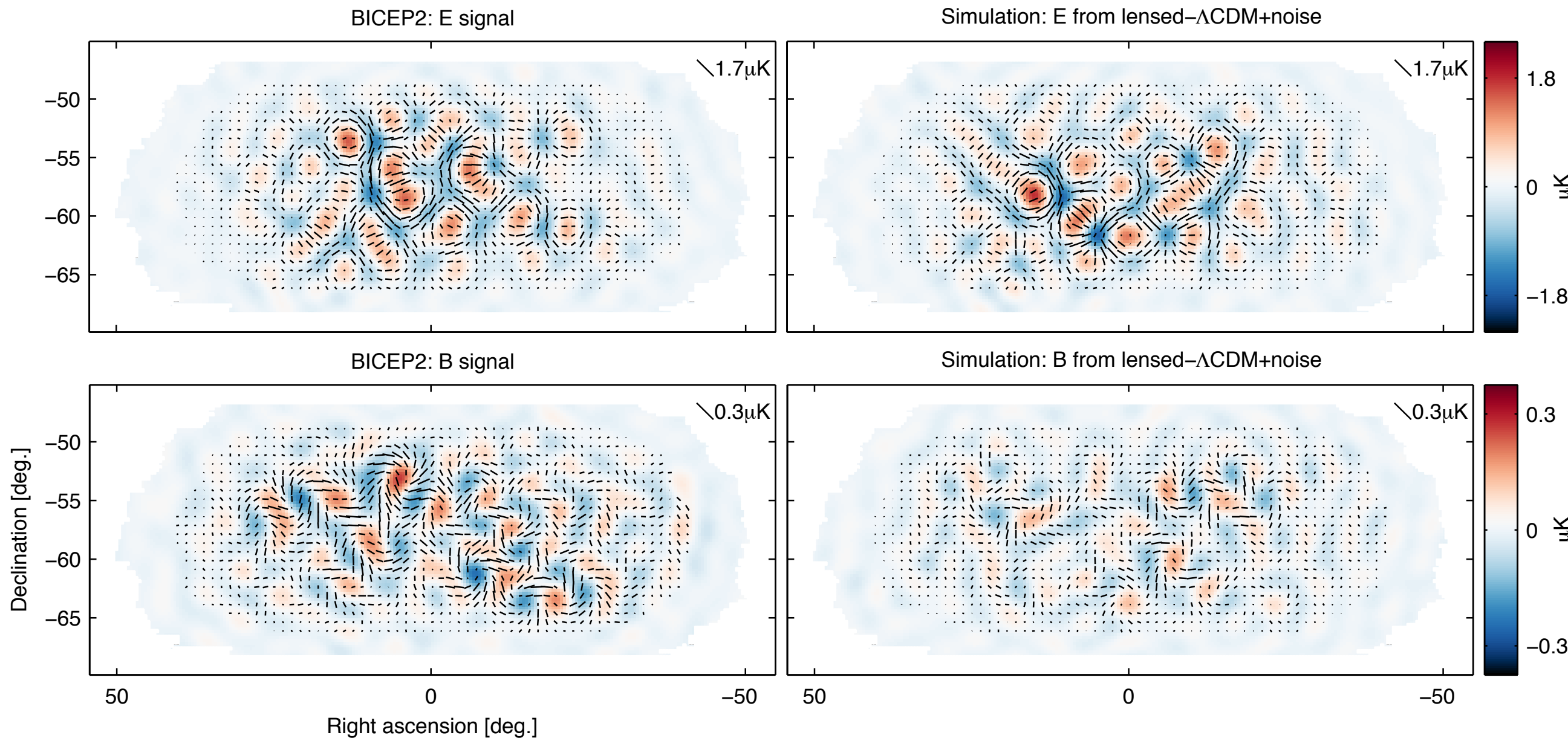


BICEP



BICEP2 Revisited

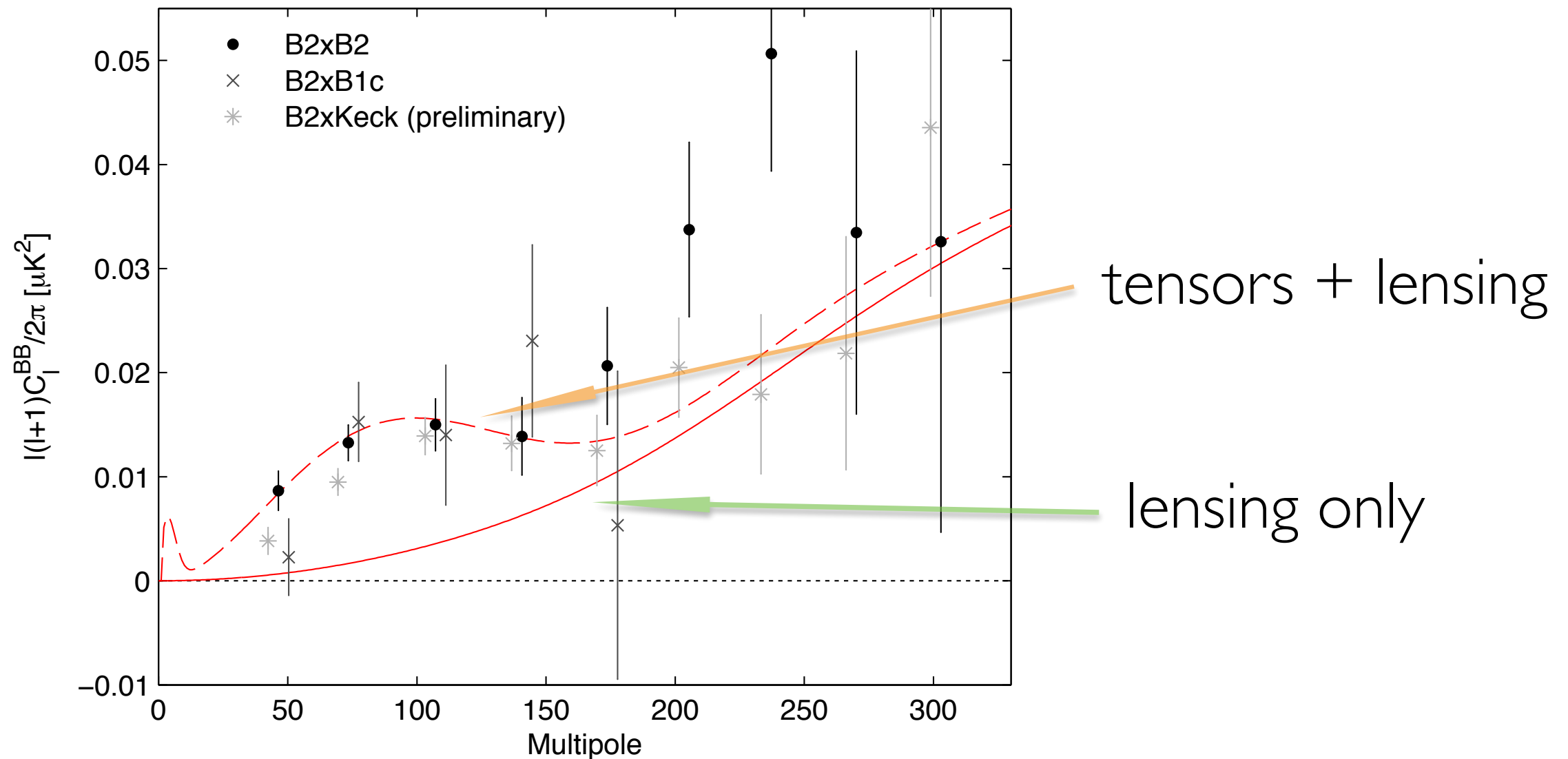
First map of B-modes at 150GHz (previously upper limits)
with remarkable sensitivity of 87nK (Planck only at μK)



B-modes at levels well above noise simulations for $\Lambda\text{-CDM}$ (right)

BICEP2 B-mode power spectrum

If primordial, then inflationary GWs provide a good explanation



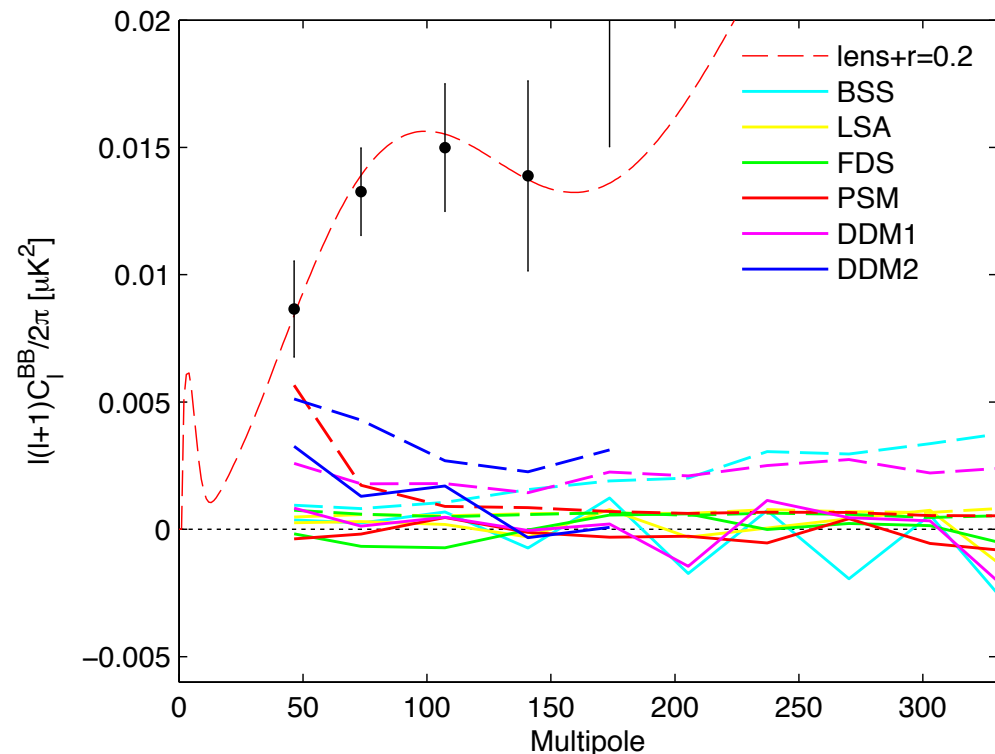
But unexpectedly high at $r = 0.2$ (accentuating QG problems)

Makes Planck large-scale power deficit worse (need running etc)

BICEP2 Foregrounds

How did BICEP2 eliminate foregrounds?

- Put simply, they (mainly) used Planck data ...
- ESLAB 2013 talk by Bernard released polarisation fraction and angle maps (pre-publication)
- Talk maps digitised for key DDMI/2 models



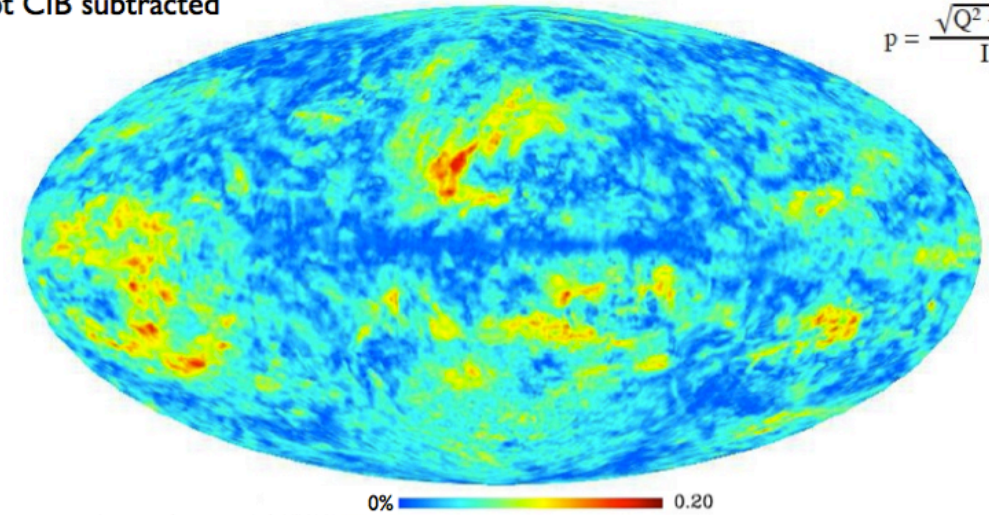
BICEP2 results exhibited non-negligible foreground dependence for tensor-to-scalar ratio r !

r	unsubtracted	DDM2 cross	DDM2 auto
BICEP2	$0.2^{+0.07}_{-0.05}$	$0.16^{+0.06}_{-0.05}$	$0.12^{+0.05}_{-0.04}$
BICEP2 × Keck	$0.13^{+0.04}_{-0.03}$	$0.10^{+0.04}_{-0.03}$	$0.06^{+0.04}_{-0.03}$

Polarization Fraction

Apparent polarization fraction (p) at 353 GHz, 1° resolution
Not CIB subtracted

$$p = \frac{\sqrt{Q^2 + U^2}}{I}$$



p ranges from 0 to ~20%
Low p values in inner MW plane. Consistent with unpolarized CIB
Large p values in outer plane and intermediate latitudes

Bernard J.Ph., ESLAB 2013 6

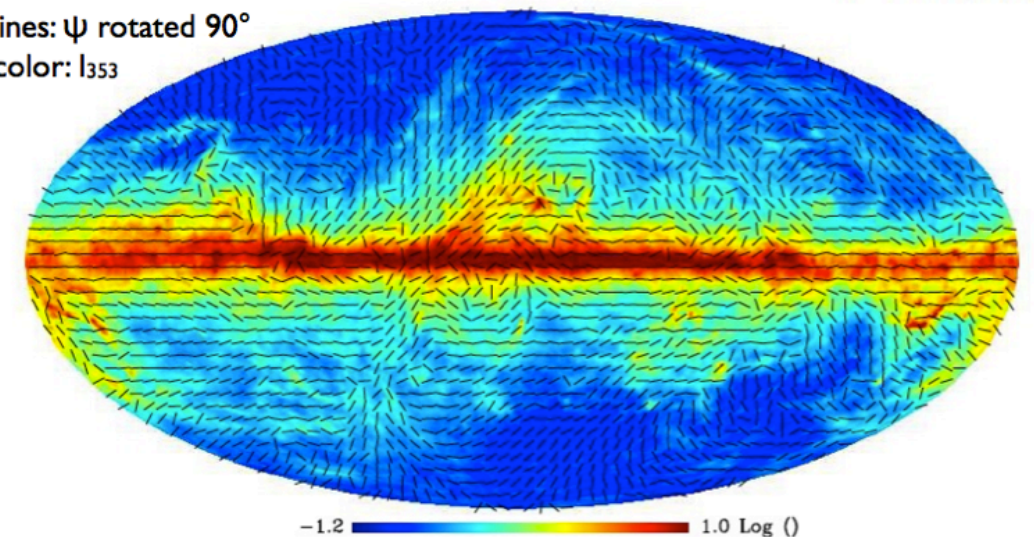
mercredi 3 avril 13

Polarization angle

B field direction at 353 GHz, 1° resolution

$$\psi = 0.5 \times \text{tg}^{-1}(U, Q)$$

lines: ψ rotated 90°
color: l_{353}



Field direction consistent with B in MW plane
Field homogeneous over large regions with strong p (e.g. Fan)

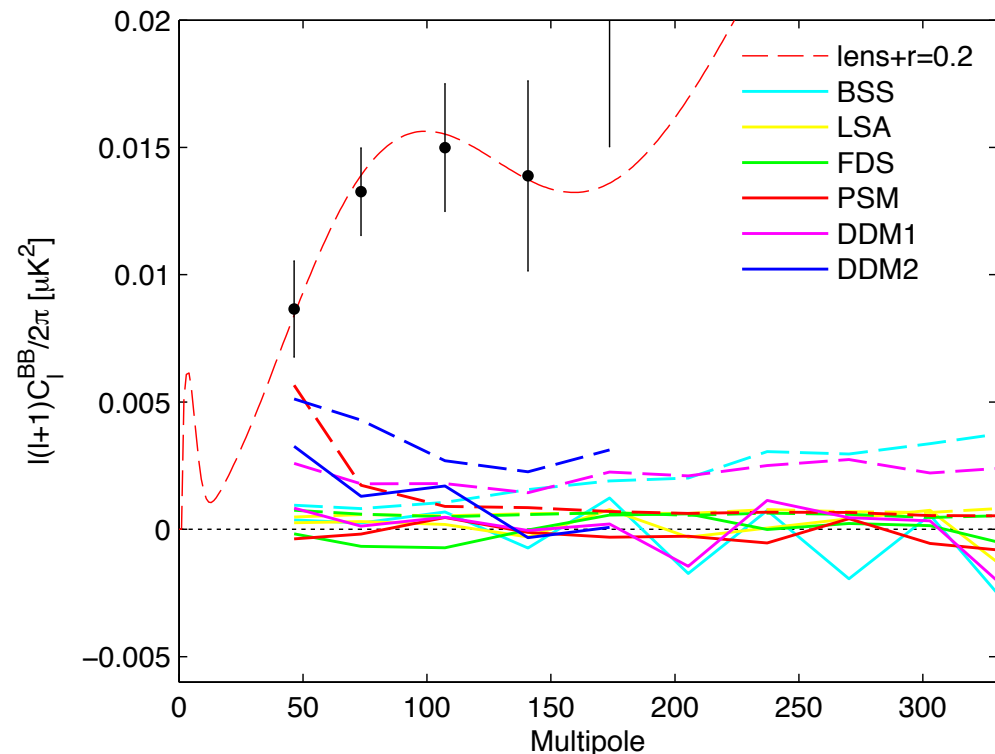
Bernard J.Ph., ESLAB 2013 5

mercredi 3 avril 13

BICEP2 Foregrounds

How did BICEP2 eliminate foregrounds?

- Put simply, they (mainly) used Planck data ...
- ESLAB 2013 talk by Bernard released polarisation fraction and angle maps (pre-publication)
- Talk maps digitised for key DDMI/2 models



BICEP2 results exhibited non-negligible foreground dependence for tensor-to-scalar ratio r !

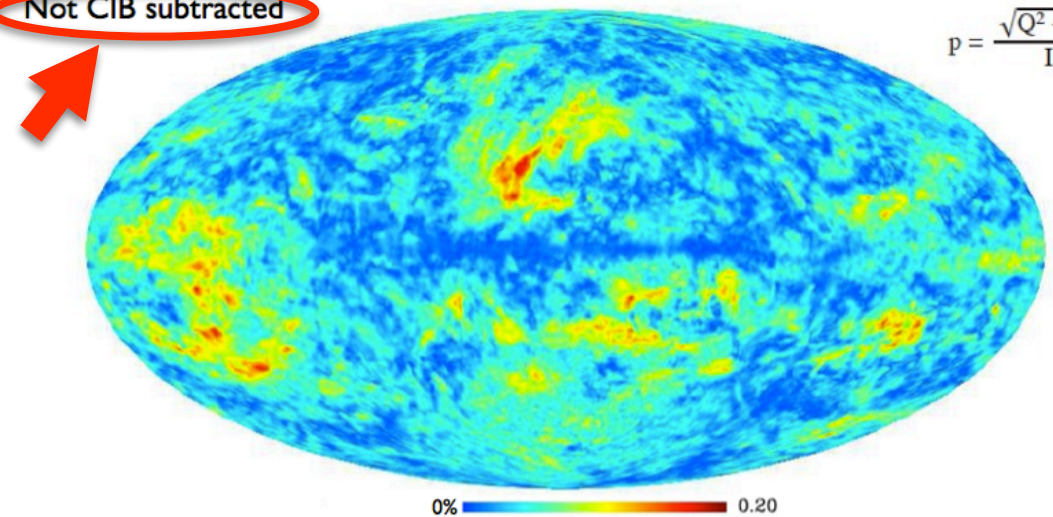
r	unsubtracted	DDM2 cross	DDM2 auto
BICEP2	$0.2^{+0.07}_{-0.05}$	$0.16^{+0.06}_{-0.05}$	$0.12^{+0.05}_{-0.04}$
BICEP2 × Keck	$0.13^{+0.04}_{-0.03}$	$0.10^{+0.04}_{-0.03}$	$0.06^{+0.04}_{-0.03}$

Polarization Fraction

Apparent polarization fraction (p) at 353 GHz, 1° resolution

Not CIB subtracted

$$p = \frac{\sqrt{Q^2 + U^2}}{I}$$



p ranges from 0 to ~20%
Low p values in inner MW plane. Consistent with unpolarized CIB
Large p values in outer plane and intermediate latitudes

Bernard J.Ph., ESLAB 2013 6

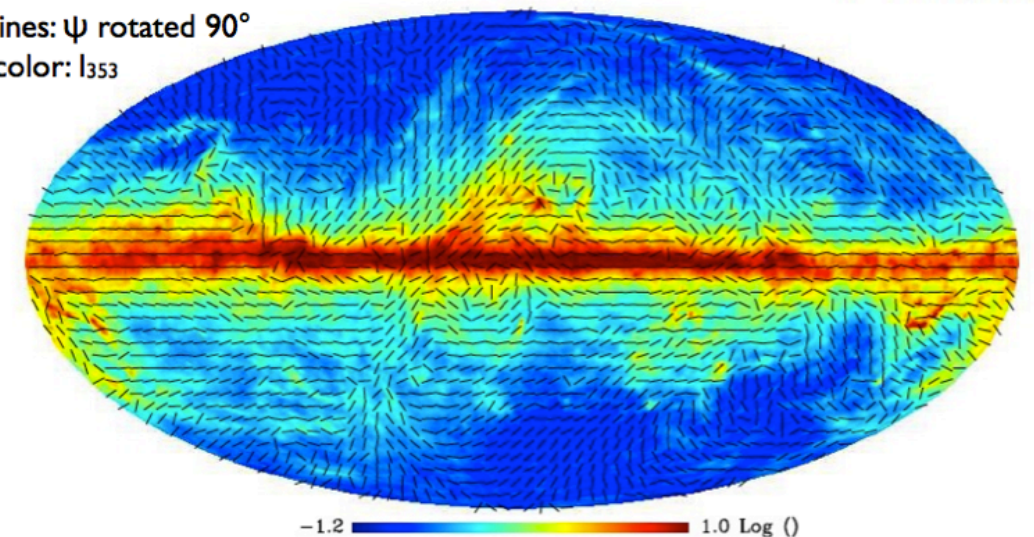
mercredi 3 avril 13

Polarization angle

B field direction at 353 GHz, 1° resolution

$$\psi = 0.5 \times \text{tg}^{-1}(U, Q)$$

lines: ψ rotated 90°
color: l_{353}



Field direction consistent with B in MW plane
Field homogeneous over large regions with strong p (e.g. Fan)

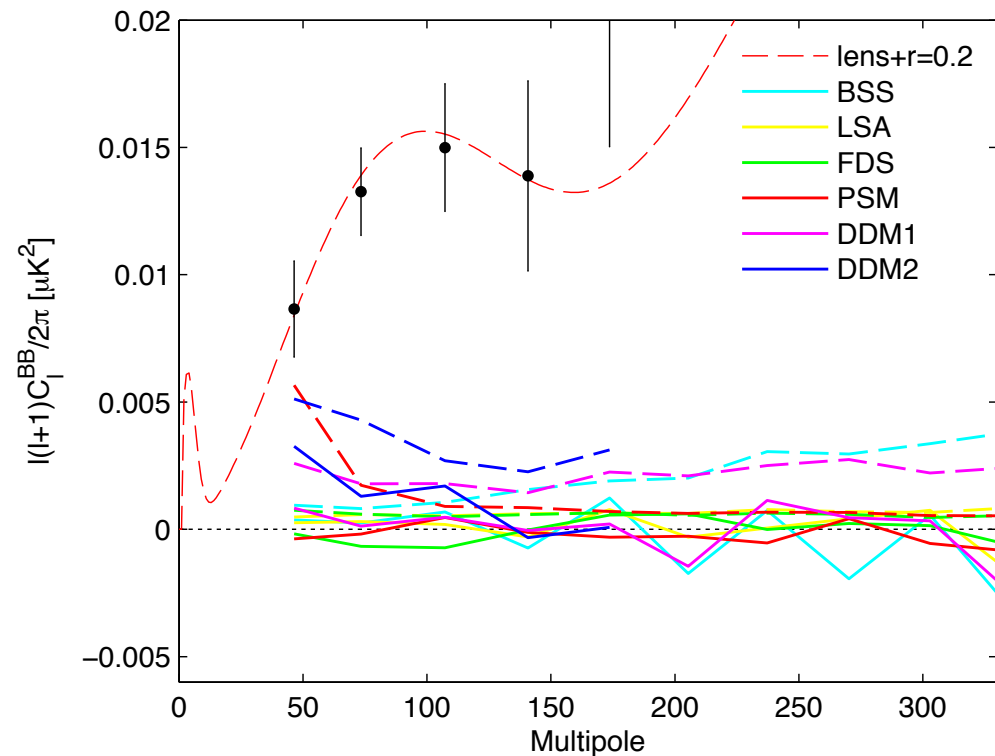
Bernard J.Ph., ESLAB 2013 5

mercredi 3 avril 13

BICEP2 Foregrounds

How did BICEP2 eliminate foregrounds?

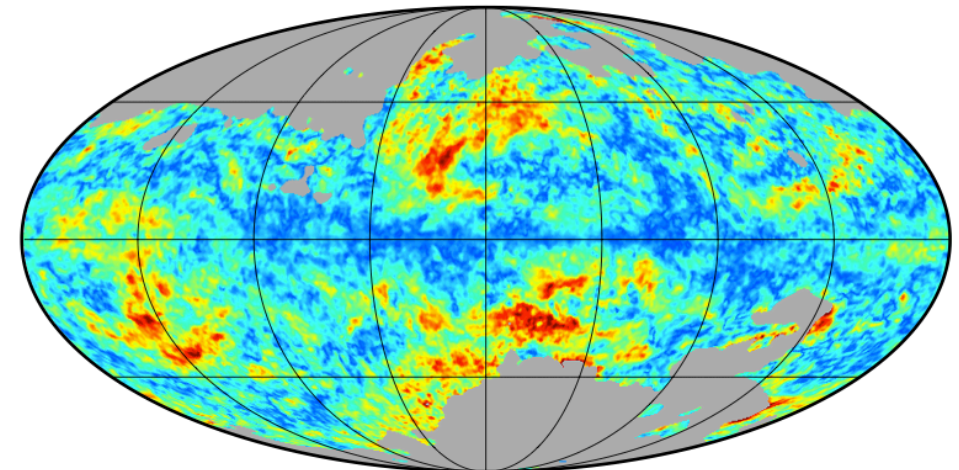
- Put simply, they (mainly) used Planck data ...
- ESLAB 2013 talk by Bernard released polarisation fraction and angle maps (pre-publication)
- Talk maps digitised for key DDMI/2 models



BICEP2 results exhibited non-negligible foreground dependence for tensor-to-scalar ratio r !

r	unsubtracted	DDM2 cross	DDM2 auto
BICEP2	$0.2^{+0.07}_{-0.05}$	$0.16^{+0.06}_{-0.05}$	$0.12^{+0.05}_{-0.04}$
BICEP2 \times Keck	$0.13^{+0.04}_{-0.03}$	$0.10^{+0.04}_{-0.03}$	$0.06^{+0.04}_{-0.03}$

Polarization Fraction



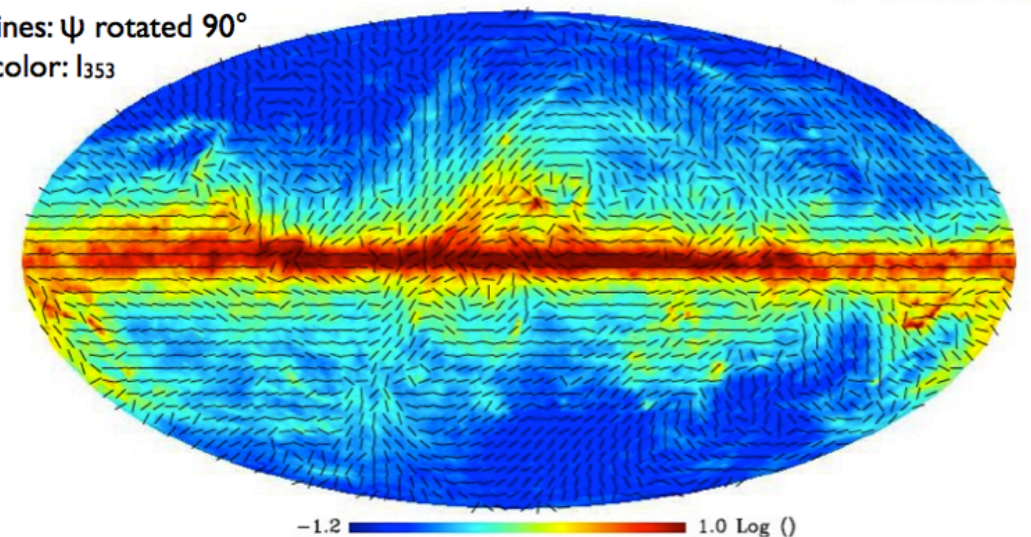
Planck galactic dust (arXiv:1405.0871)

Polarization angle

B field direction at 353 GHz, 1° resolution

$$\psi = 0.5 \times \text{tg}^{-1}(U, Q)$$

lines: ψ rotated 90°
color: l_{353}



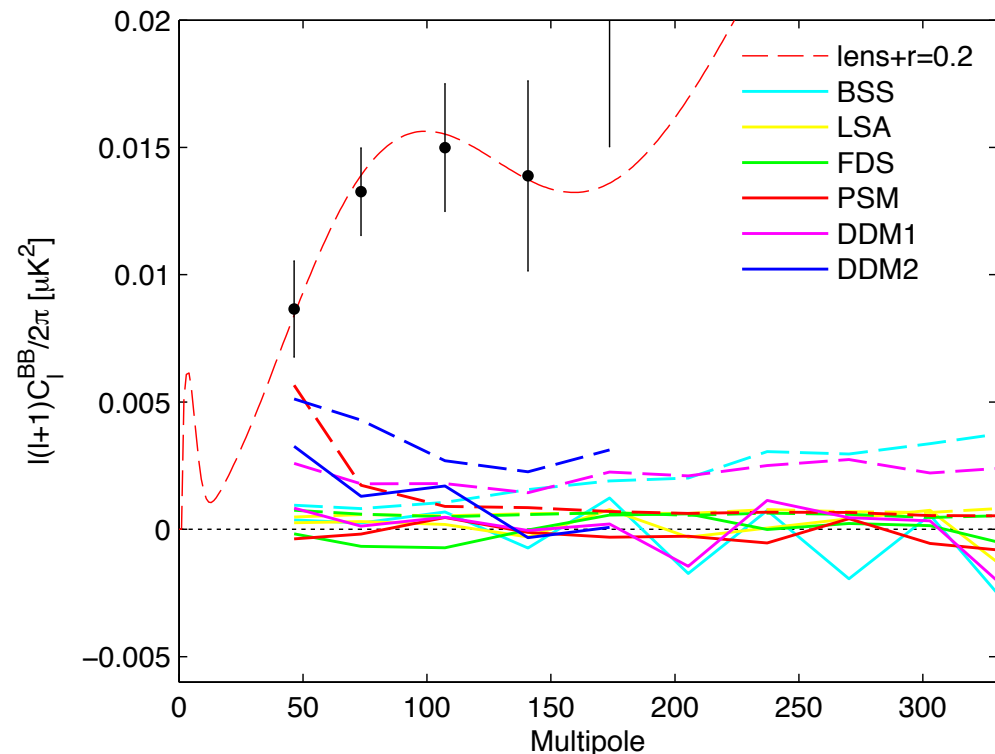
-1.2 1.0 Log ()

Field direction consistent with B in MW plane
Field homogeneous over large regions with strong p (e.g. Fan)

BICEP2 Foregrounds

How did BICEP2 eliminate foregrounds?

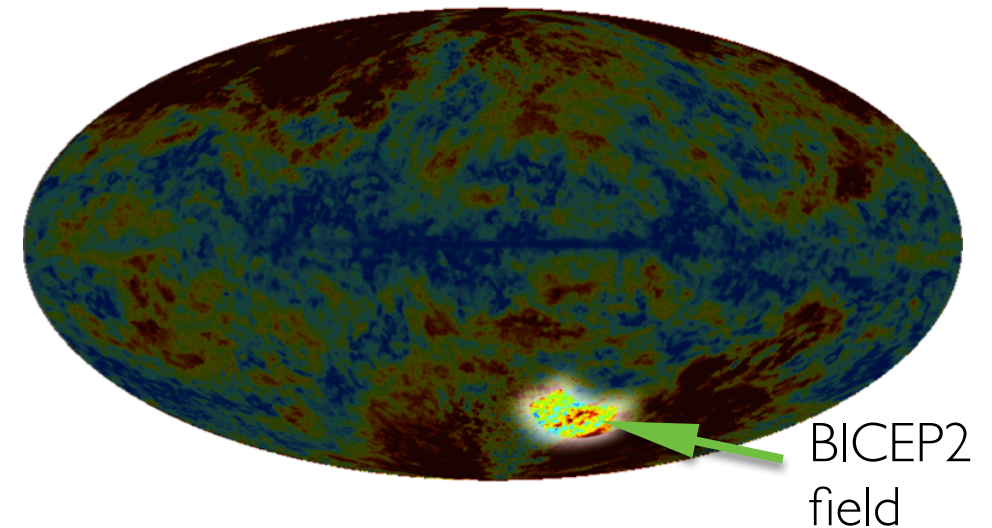
- Put simply, they (mainly) used Planck data ...
- ESLAB 2013 talk by Bernard released polarisation fraction and angle maps (pre-publication)
- Talk maps digitised for key DDMI/2 models



BICEP2 results exhibited non-negligible foreground dependence for tensor-to-scalar ratio r !

r	unsubtracted	DDM2 cross	DDM2 auto
BICEP2	$0.2^{+0.07}_{-0.05}$	$0.16^{+0.06}_{-0.05}$	$0.12^{+0.05}_{-0.04}$
BICEP2 × Keck	$0.13^{+0.04}_{-0.03}$	$0.10^{+0.04}_{-0.03}$	$0.06^{+0.04}_{-0.03}$

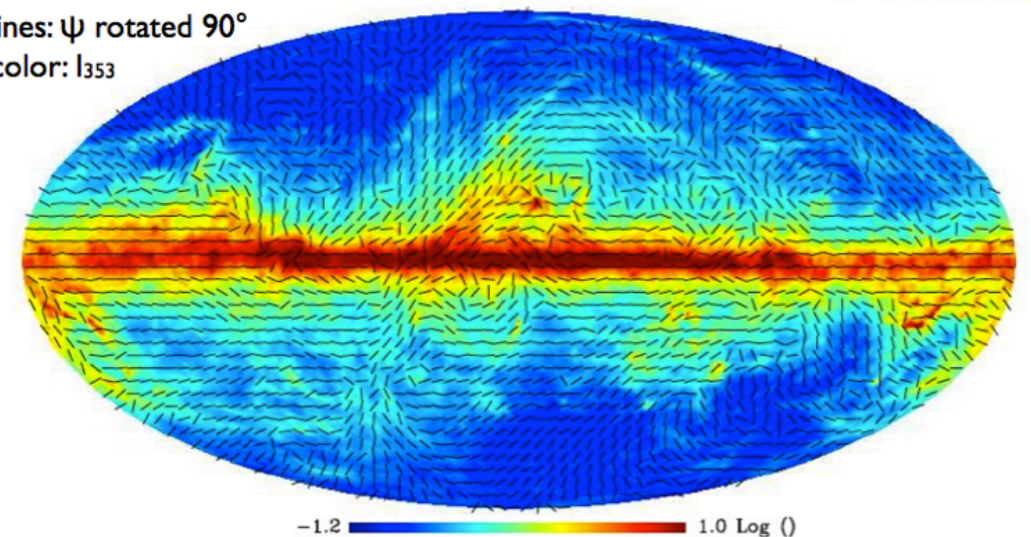
Polarization Fraction



Polarization angle

B field direction at 353 GHz, 1° resolution $\psi = 0.5 \times \text{tg}^{-1}(U, Q)$

lines: ψ rotated 90°
color: l_{353}



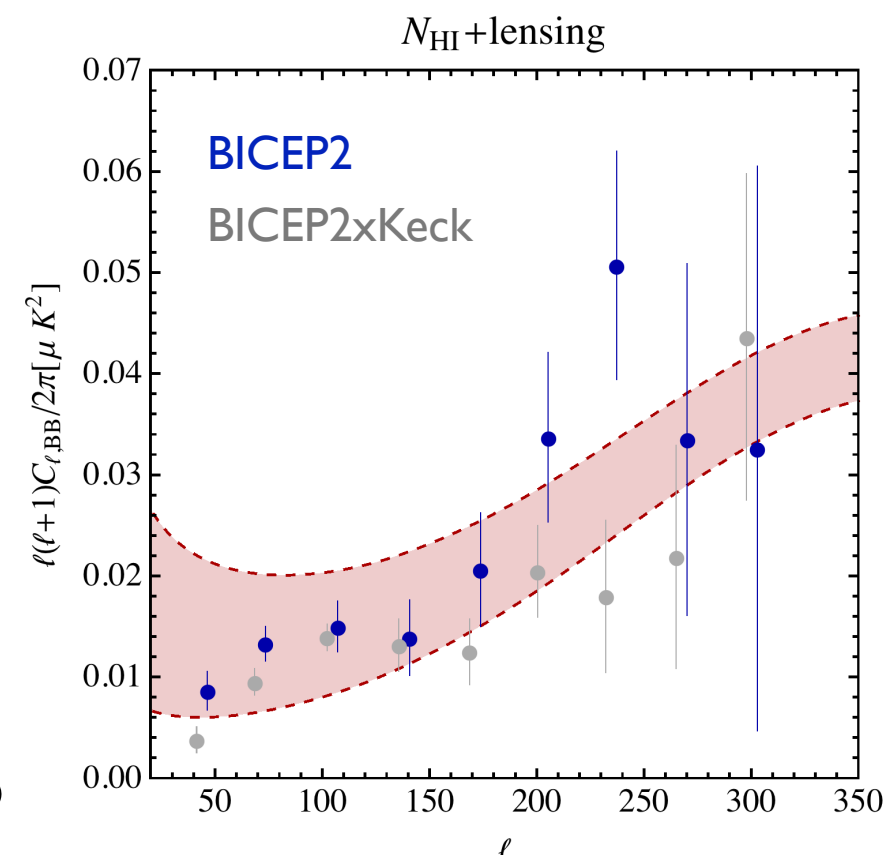
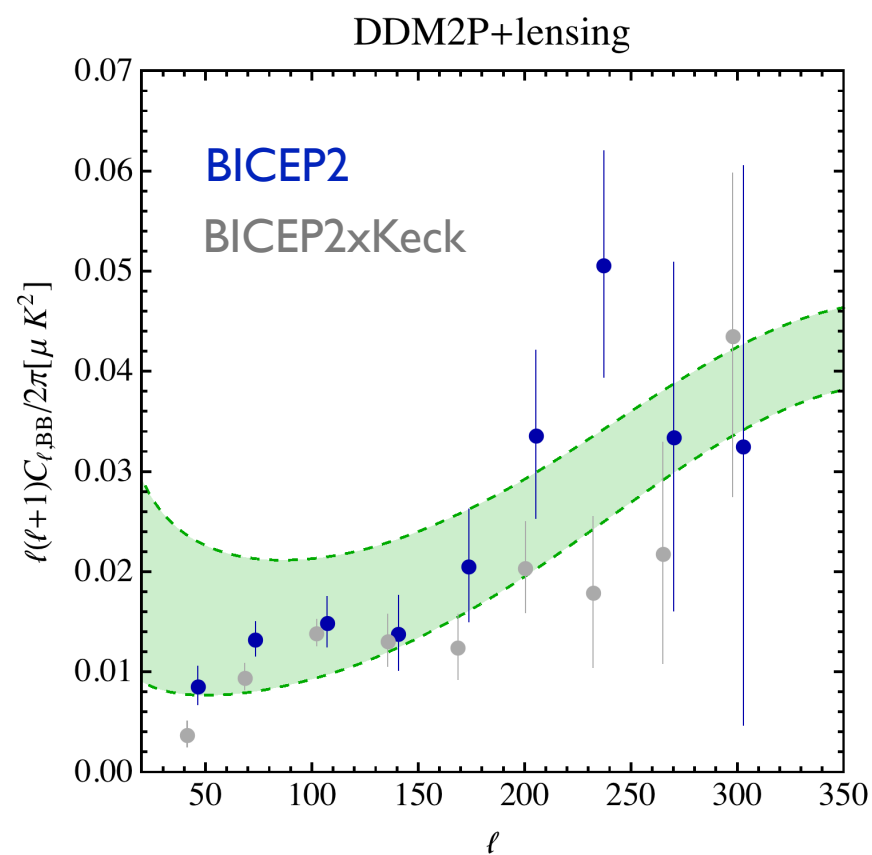
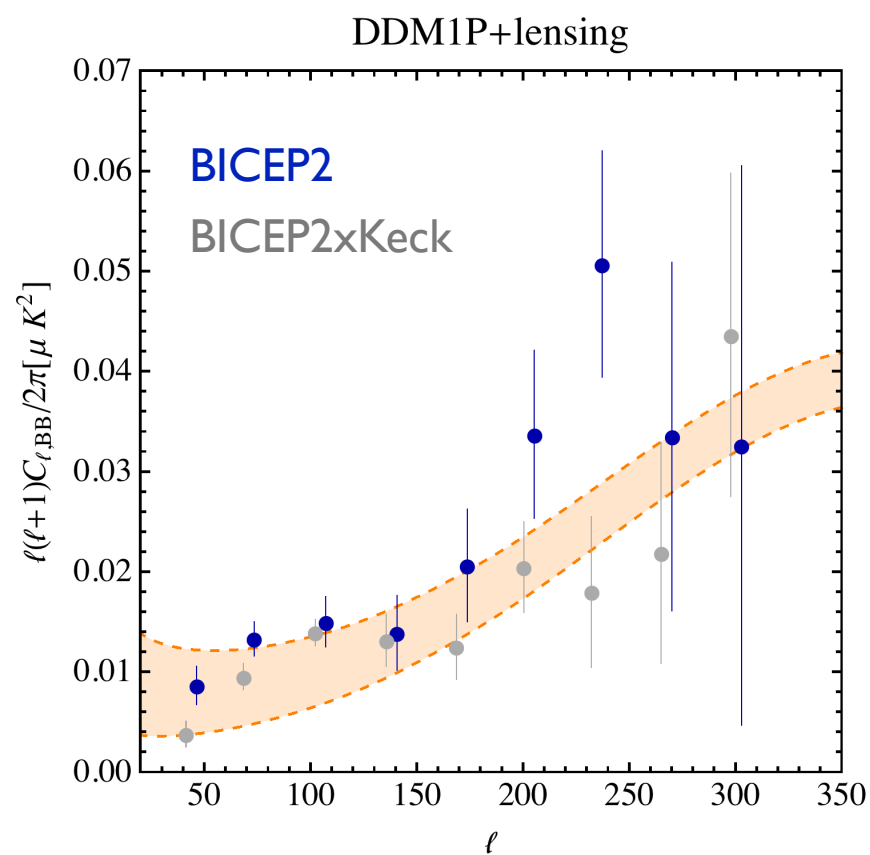
Field direction consistent with B in MW plane
Field homogeneous over large regions with strong p (e.g. Fan)

BICEP2 Dust-up

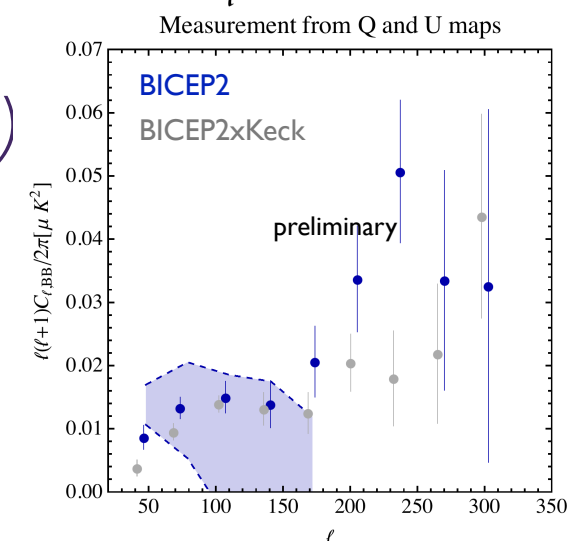
Re-analysis using (digitised) Planck ESLAB talk maps

- CIB subtracted polarisation maps (Bernard, 2013) indicates larger foreground contamination likely

Flauger, Hill, Spergel
arXiv:1405.5857



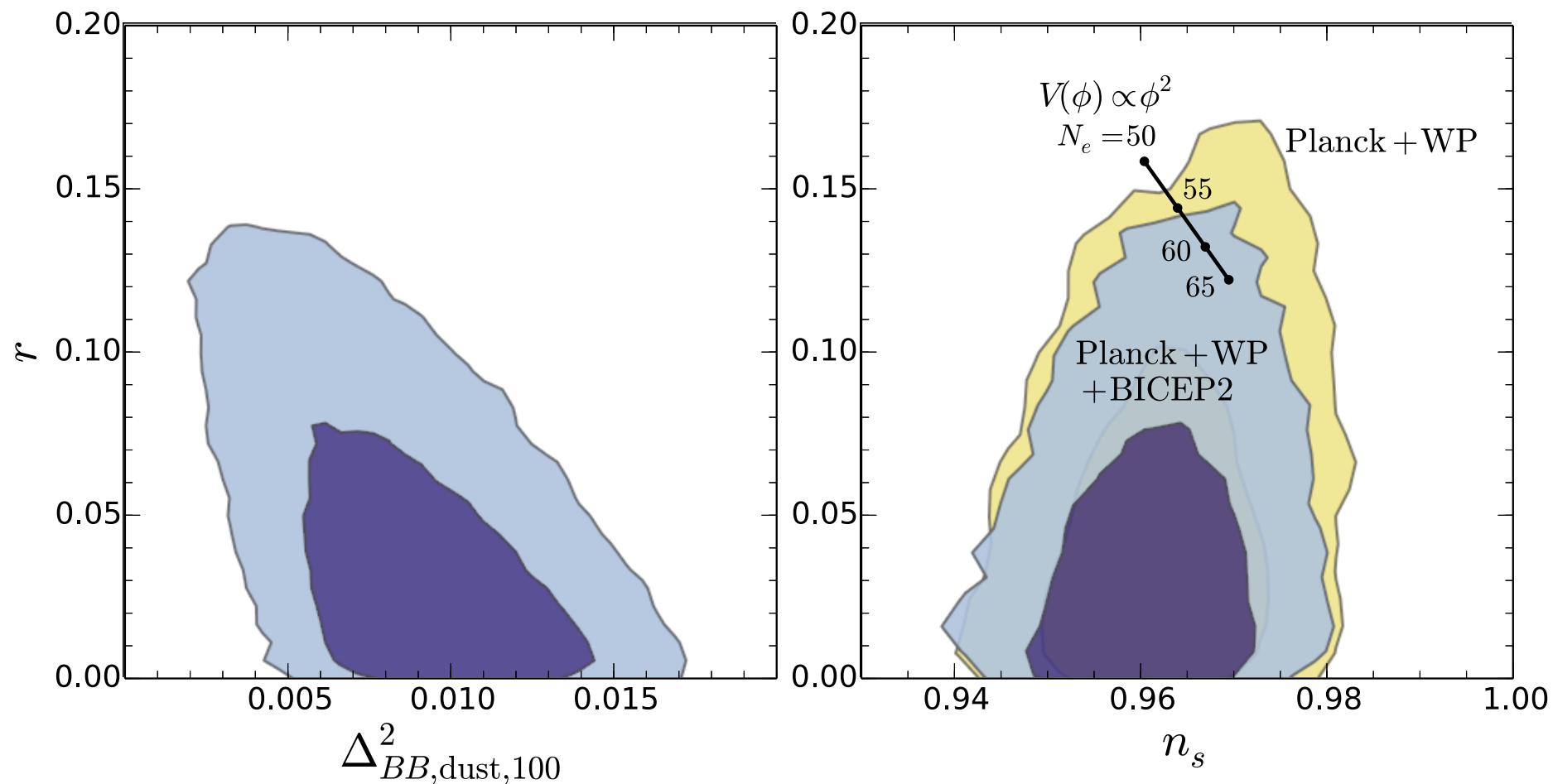
- Also HI column density estimates (Aumont talk, 2013)
- 353 GHz Q and U maps with dust extrapolation for 100 GHz BICEP2 field (Boulanger talk, 2013)



BICEP2 Dust-up (cont.)

Joint Planck/BICEP2 analysis without polarisation assumptions

(Mortonson & Seljak, arXiv:1405.5857)



Likelihood constraints favour no gravitational waves with $r < 0.11$ (95%) (i.e. null hypothesis with significant dust polarisation component).
Projects a combined Planck / BICEP2 constraint up to $r < 0.05$.

BICEP2 outcomes

Impact on BICEP2 paper - original (18 March 2014):

“Subtracting ... foreground dust, $r = 0$ is disfavored at 5.9σ .”

To actual PRL 20th June 2014):

“Accounting for foreground dust will shift this value downward by an amount which will be better constrained with upcoming data sets.”

The screenshot shows the top navigation bar of The New York Times website with 'SECTIONS', 'HOME', and 'SEARCH' options. Below the navigation is the 'SPACE & COSMOS' section header. The main article title is 'Astronomers Hedge on Big Bang Detection Claim' by DENNIS OVERBYE, dated JUNE 19, 2014. On the left side of the article, there are social media sharing icons for EMAIL, FACEBOOK, TWITTER, SAVE, and MORE. Below these icons is a small portrait of a man with the name 'IRDMAN' underneath. The main text of the article begins with 'A group of astronomers who announced in March that they had detected space-time disturbances — gravitational waves — from the beginning of the Big Bang reaffirmed their claim on Thursday but conceded that dust from the Milky Way galaxy might have interfered with their observations.' To the right of the text is a photograph of a large satellite dish antenna on a snowy, icy landscape, likely at the South Pole, with a sunset or sunrise in the background.

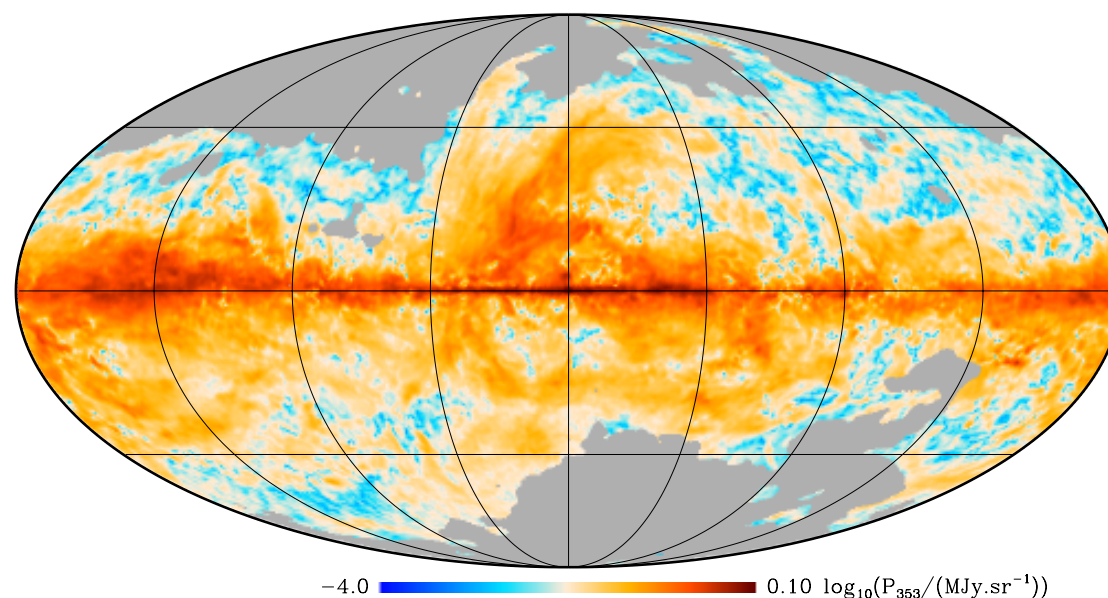
Interim summary:

A phenomenal B-mode measurement, but arguably not a GWs detection yet?

BICEP2 and Planck2

- Planck intermediate papers dust widespread with 8-10% polarisation fraction (*arXiv:1405.0871*)
- Planck B-mode polarisation paper - *coming very soon* ...
 - Will describe B-modes in low contamination regions (incl. BICEP2 field but *no* detailed power spectrum analysis).
 - What will it say? Hints only ...
Nature 20 June 2014: "Puget reported that polarisation from interstellar dust grains plays a significant role and might account for much of the BICEP2 signal."

Planck 353 GHz polarized intensity map



The B-mode future -

- Planck / BICEP 2 will share data (announced late June 2014)
 - publication on the Planck second release timeframe (Nov 2014)
- Keck Array 100GHz accumulating data with analysis soon
- Many other B-mode experiments (looking at high-lensing) shifting to tensors: SPTpol (same patch) Polarbear, ACTpol, ABS, Spider, EBEX and Planck



Future prospects

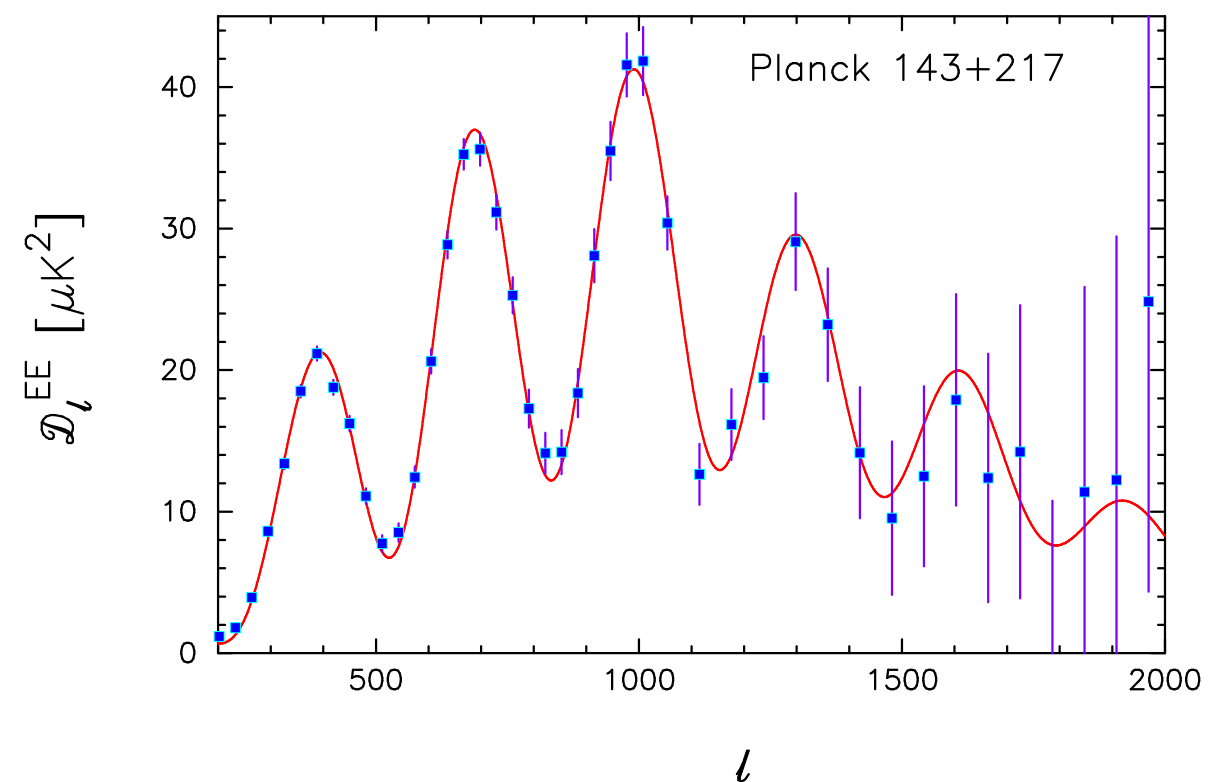
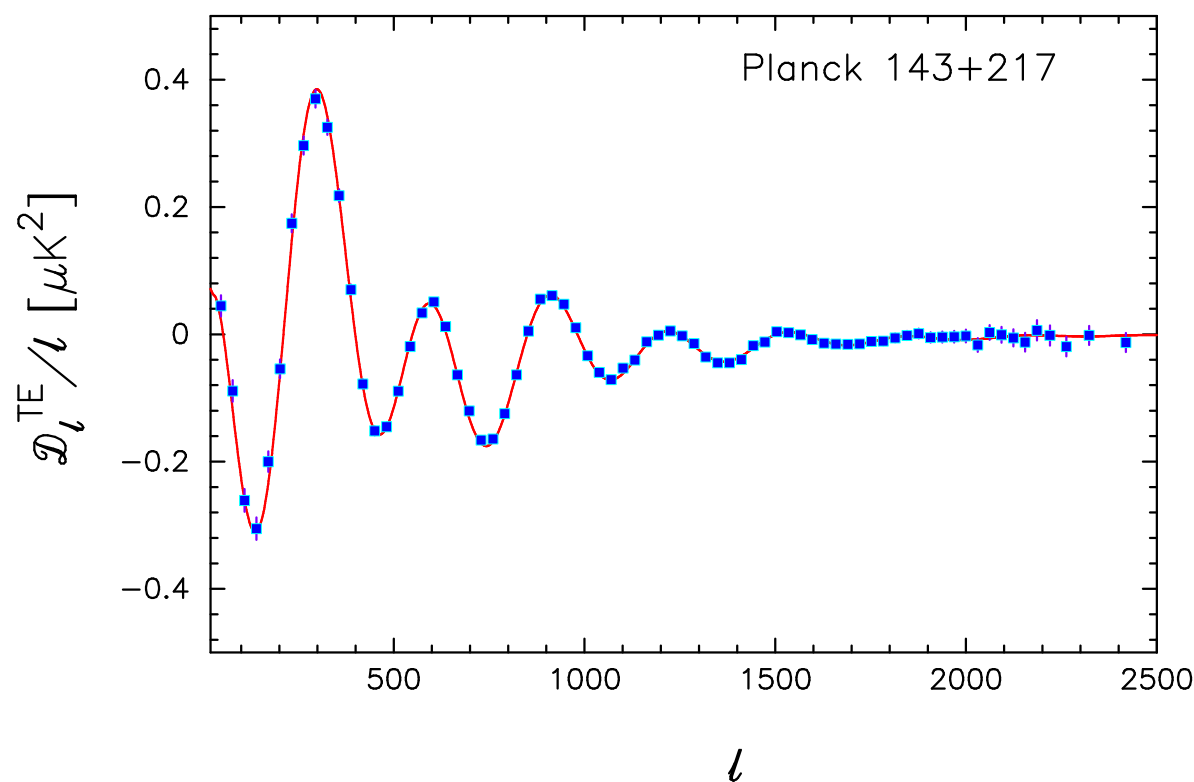
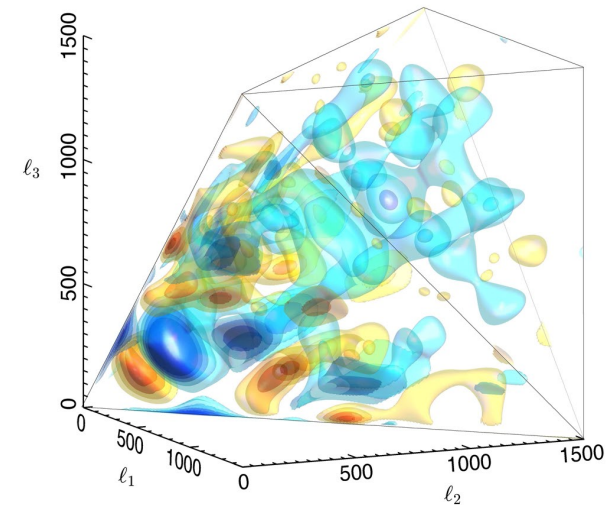
Planck full mission data release - soon (Oct/Nov 2014)

More than double the temperature data still to be analysed

Analysis of the polarisation data to be included (joint BICEP2)

Power spectrum, bispectrum (and trispectrum) joint analysis

Improvements in methodology (final Planck analysis planned for late 2015)



B-modes offer a new window on the Universe - many experiments

- Prism satellite proposed, spectrometer and imager

Next generation of galaxy surveys (grav. lensing; 3D non-Gaussianity)