

Higgs and the electroweak precision observables in the MRSSM

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Plan of this talk

- Really short motivation
- How to build an R-symmetric SUSY
 - 1) what is an R-Symmetry
 - 2) what is allowed and what not
 - 3) different possible R-symmetric models
- The Higgs sector
- Prediction for the W-boson mass
- Some checks of our benchmark points

Motivation

- Supersymmetry is still one of the most promising candidates for physics beyond the SM although
 - no SUSY at Run I of the LHC
 - direct searches still allow for TeV SUSY but indirect ones push minimal SUSY into uncomfortable parameter region
 - 125 GeV Higgs requires $\gtrsim 1$ TeV stops ($\gtrsim 3$ if we neglect mixing)
 - flavour physics suggests even larger SUSY scale (within the MSSM)

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Strong motivation to go beyond the MSSM!

- Here MRSSM **since**:
 - ☑ it ameliorates the flavour problem of the MSSM — Kribs, Poppitz, Weiner (2008)
 - ☑ gives correct W and Higgs mass at (possibly very) light stop masses — **this talk**
 - ☑ N=2 SUSY as possible UV completion (although might be hard to realise in practice)

R-symmetry

[Fayet; Salam & Strathdee, ...]

- additional symmetry of the SUSY algebra allowed by the Haag-Łopuszański-Sohnius theorem
- for N=1 it is a global $U_R(1)$ symmetry under which the SUSY generators are charged
- implies that the spinorial coordinates are also charged

$$Q_R(\theta) = 1, \theta \rightarrow e^{i\alpha\theta}$$

- Lagrangian invariance
 - Kähler potential invariant if R-charge of vector super field is 0
 - R-charge of the superpotential must be 2
 - soft-breaking terms must have R-charge 0

R-symmetry realisation

R charges of component fields

	Q_R	scalar	vector	fermionic
vector superfield	0	-	0	1
chiral superfield	Q	Q	-	$Q - 1$

- freedom in the choice of chiral superfield charge, choose SM fields with $R=0$
- Higgs superfields $Q = 0$, lepton and quark superfields have $Q = 1$
- R-symmetry forbids

□ $\mu \hat{H}_u \hat{H}_d$

□ $\lambda \hat{E} \hat{L} \hat{L}, \kappa \hat{U} \hat{D} \hat{D}, e \hat{H} \hat{L}$

□ Majorana masses and flavour changing A-terms

Flavour problem ameliorated
but now gauginos are massless!

One way to fix it: Dirac masses

Minimal R-Symmetric Supersymmetric Standardmodel (MRSSM)

Kribs et.al. arXiv:0712.2039

		$SU(3)_C$	$SU(2)_L$	$U(1)_Y$	$U(1)_R$	
Additional fields:	Singlet	\hat{S}	1	1	0	0
	Triplet	\hat{T}	1	3	0	0
	Octet	\hat{O}	8	1	0	0
	R-Higgses	\hat{R}_u	1	2	-1/2	2
		\hat{R}_d	1	2	1/2	2

other realisations:

...
Davies, March-Russell, McCullough (2011)
Frugiuele, Gregoire (2012)

...

MRSSM in a nutshell

		$SU(3)_C$	$SU(2)_L$	$U(1)_Y$	$U(1)_R$	
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- Superpotential — Choi, Choudhury, Freitas, Kalinowski, Zerwas (2011)

$$\begin{aligned}
 W = & \mu_d \hat{R}_d \hat{H}_d + \mu_u \hat{R}_u \hat{H}_u \\
 & + \Lambda_d \hat{R}_d \hat{T} \hat{H}_d + \Lambda_u \hat{R}_u \hat{T} \hat{H}_u + \lambda_d \hat{S} \hat{R}_d \hat{H}_d + \lambda_u \hat{S} \hat{R}_u \hat{H}_u \\
 & - Y_d \hat{d} \hat{q} \hat{H}_d - Y_e \hat{e} \hat{l} \hat{H}_d + Y_u \hat{u} \hat{q} \hat{H}_u
 \end{aligned}$$

- R-Higgses needed to construct mu-type terms and (Lagrangian) quartic-Higgs couplings

- Soft SUSY breaking terms

- conventional MSSM $B_{\tilde{\mu}}$ -term allowed
- Dirac mass terms for gauginos

- Pragmatic approach — study low energy phenomenology

Particles content of the MRSSM

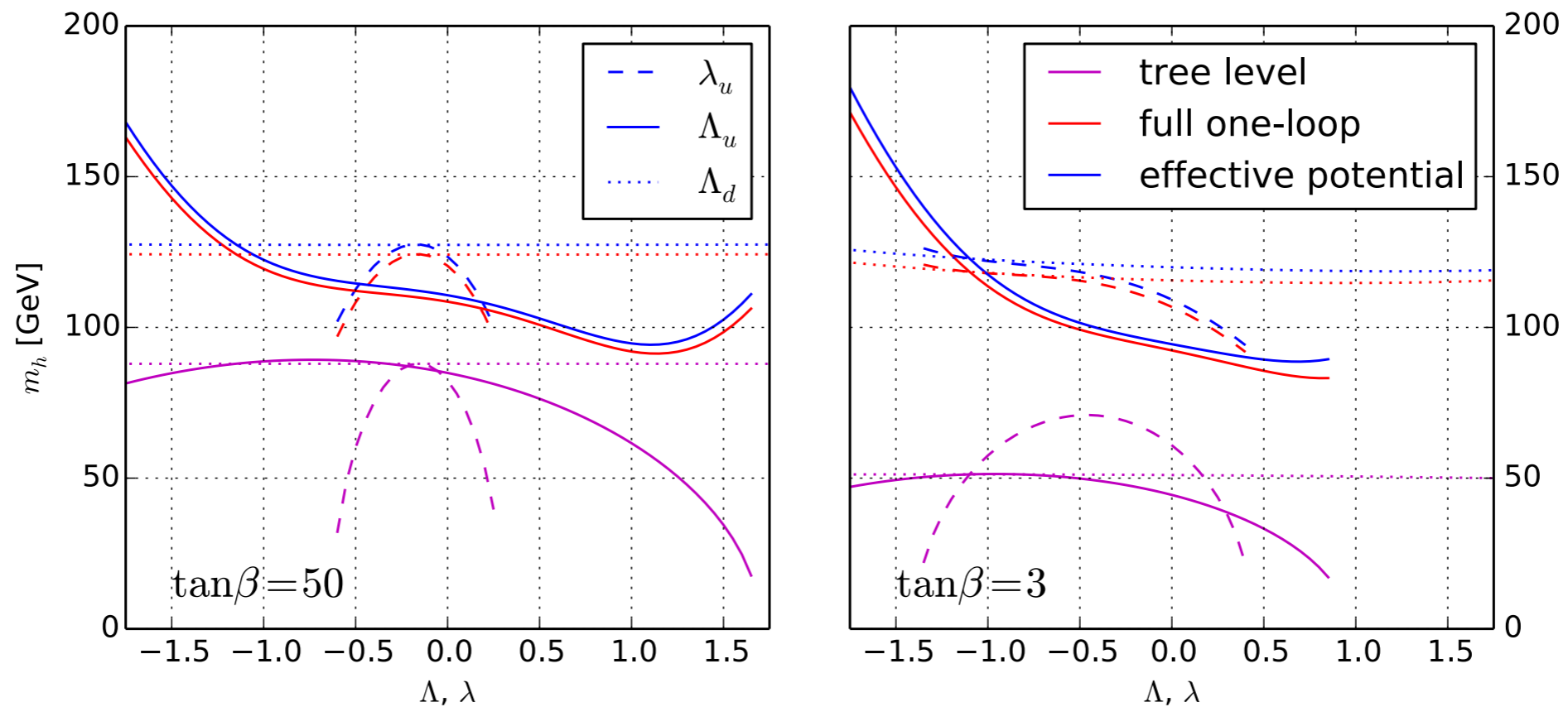
Field	Superfield		Boson		Fermion	
Gauge Vector	$\hat{g}, \hat{W}, \hat{B}$	0	g, W, B	0	$\tilde{g}, \tilde{W}, \tilde{B}$	+1
Matter	\hat{l}, \hat{e}	+1	\tilde{l}, \tilde{e}_R^*	+1	l, e_R^*	0
	$\hat{q}, \hat{d}, \hat{u}$	+1	$\tilde{q}, \tilde{d}_R^*, \tilde{u}_R^*$	+1	q, d_R^*, u_R^*	0
<i>H</i> -Higgs	$\hat{H}_{d,u}$	0	$H_{d,u}$	0	$\tilde{H}_{d,u}$	-1
<i>R</i> -Higgs	$\hat{R}_{d,u}$	+2	$R_{d,u}$	+2	$\tilde{R}_{d,u}$	+1
Adjoint Chiral	$\hat{O}, \hat{T}, \hat{S}$	0	O, T, S	0	$\tilde{O}, \tilde{T}, \tilde{S}$	-1

- real parts of the neutral, scalar, component of chiral multiplets $\hat{H}_d, \hat{H}_u, \hat{S}, \hat{T}$ mix to give 4 scalar Higgs bosons
- imaginary parts of the neutral, scalar, component of the same chiral multiplets mix to give 3 pseudo-scalar Higgs bosons and one Goldstone boson
- charged, scalar, component of the same chiral multiplets mix to give 3 charged Higgs bosons and one Goldstone boson
- 4 Dirac neutralinos, 4 Dirac charginos, 2 (complex) neutral and 2 charged *R*-Higgses

Scalar Higgs sector

- 4 scalar degrees of freedom $\{h_d, h_u, s, t\}$ mix to form 4 physical scalar Higgs bosons
- An approximate formula can be given for the lightest Higgs mass at the tree-level
 - one uses, as in the MSSM, mixing α angle to diagonalise the $\{h_d, h_u\}$ submatrix
 - for large m_A^2 when $\alpha = \beta - \pi/2$
 - for simplicity $\lambda = \lambda_u = -\lambda_d, \Lambda = \Lambda_u = \Lambda_d, v_S \approx v_T \approx 0$
$$m_{h,\text{approx}}^2 = M_Z^2 \cos^2 2\beta - v^2 \left(\frac{(g_1 M_D^B + \sqrt{2}\lambda\mu)^2}{4(M_D^B)^2 + m_S^2} + \frac{(g_2 M_D^W + \Lambda\mu)^2}{4(M_D^W)^2 + m_T^2} \right) \cos^2 2\beta$$
- ➡ Tree-level mass of the lightest state always **lower** than in the MSSM

Lightest Higgs mass — tree level analysis



- stronger λ_u dependence since $m_S \ll m_T$

$$m_{h,\text{approx}}^2 = M_Z^2 \cos^2 2\beta - v^2 \left(\frac{(g_1 M_D^B + \sqrt{2}\lambda\mu)^2}{4(M_D^B)^2 + m_S^2} + \frac{(g_2 M_D^W + \Lambda\mu)^2}{4(M_D^W)^2 + m_T^2} \right) \cos^2 2\beta$$

Lightest Higgs mass — effective potential approach

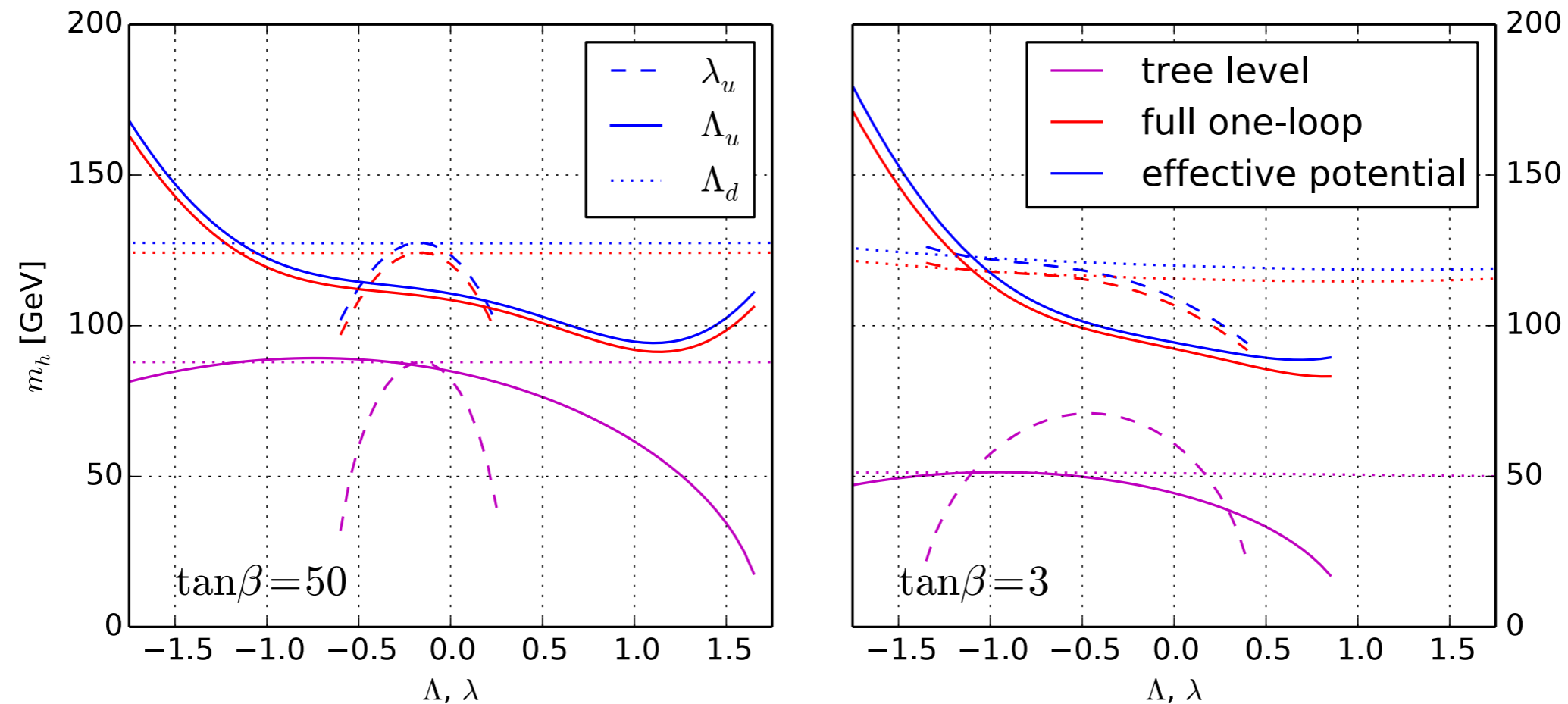
- Effective potential approximation (cf. approximate tree level result)

+ $\tan \beta \rightarrow \infty$

$$\begin{aligned} \Delta m_h^2 = & \frac{2v^2}{16\pi^2} \left[\frac{4\lambda^4 + 4\lambda^2\Lambda^2 + 5\Lambda^4}{8} \log \frac{m_{R_u}^2}{Q^2} \right. \\ & + \left(\frac{\lambda^4}{2} - \frac{\lambda^2\Lambda^2}{2} \frac{m_S^2}{m_T^2 - m_S^2} \right) \log \frac{m_S^2}{Q^2} \\ & + \left(\frac{5}{8}\Lambda^4 + \frac{\lambda^2\Lambda^2}{2} \frac{m_T^2}{m_T^2 - m_S^2} \right) \log \frac{m_T^2}{Q^2} \\ & - \left(\frac{5}{4}\Lambda^4 - \lambda^2\Lambda^2 \frac{(M_W^D)^2}{(M_B^D)^2 - (M_W^D)^2} \right) \log \frac{(M_W^D)^2}{Q^2} \\ & - \left(\lambda^4 + \lambda^2\Lambda^2 \frac{(M_B^D)^2}{(M_B^D)^2 - (M_W^D)^2} \right) \log \frac{(M_B^D)^2}{Q^2} \\ & \left. + \frac{\Lambda^2\lambda^2}{2} \right] \end{aligned}$$

- Done by Bertuzzo, Frugiuele, Gregoire, Ponton (2014), although with somewhat different result

Lightest Higgs mass — full 1loop analysis



- large tree-level enhancement of Higgs mass, with 1 TeV stops and no LR mixing (plots), from new states
- 0.5 TeV stops would work also fine but hard to avoid direct detection limits
- few GeV downward difference compared to effective potential result

m_W at tree-level

- MRSSM contains a $Y=0$ Higgs triplet

- EW-gauge sector is described (at tree-level) in terms of 4 parameters

$$\{g_1, g_2, v, v_T\}$$

- Trade 3 of them for input, „low energy”, observables

$$\{g_1, g_2, v, v_T\} \rightarrow \{\alpha_{EM}, G_\mu, m_Z, v_T\}$$

- Define quantity

$$\hat{\rho} = \frac{m_W^2}{m_Z^2 \hat{c}_W^2} \neq 1 \Rightarrow \hat{c}_W^2 = \frac{m_W^2}{\hat{\rho} m_Z^2}$$

- Calculate muon decay constant at the tree-level

$$\frac{G_\mu}{\sqrt{2}} = \frac{\pi \alpha_{EM}}{2m_W^2 \hat{s}^2} = \frac{\pi \alpha_{EM}}{2m_W^2 \left(1 - \frac{m_W^2}{\hat{\rho} m_Z^2}\right)}$$

m_W master formula at one-loop

- beyond the tree-level there are quantum corrections to the muon decay constant

$$\frac{G_\mu}{\sqrt{2}} = \frac{\pi \hat{\alpha}_{EM}}{2m_W^2 \left(1 - \frac{m_W^2}{\hat{\rho} m_Z^2}\right)} (1 + \Delta \hat{r}_W)$$

- where

$$\hat{\rho} = \frac{c^2}{\hat{c}^2} = \hat{\rho}_0 \frac{1 + \frac{\hat{\Pi}_{ZZ}^T(m_Z^2)}{m_Z^2}}{1 + \frac{\hat{\Pi}_{WW}^T(m_W^2)}{m_W^2}}$$

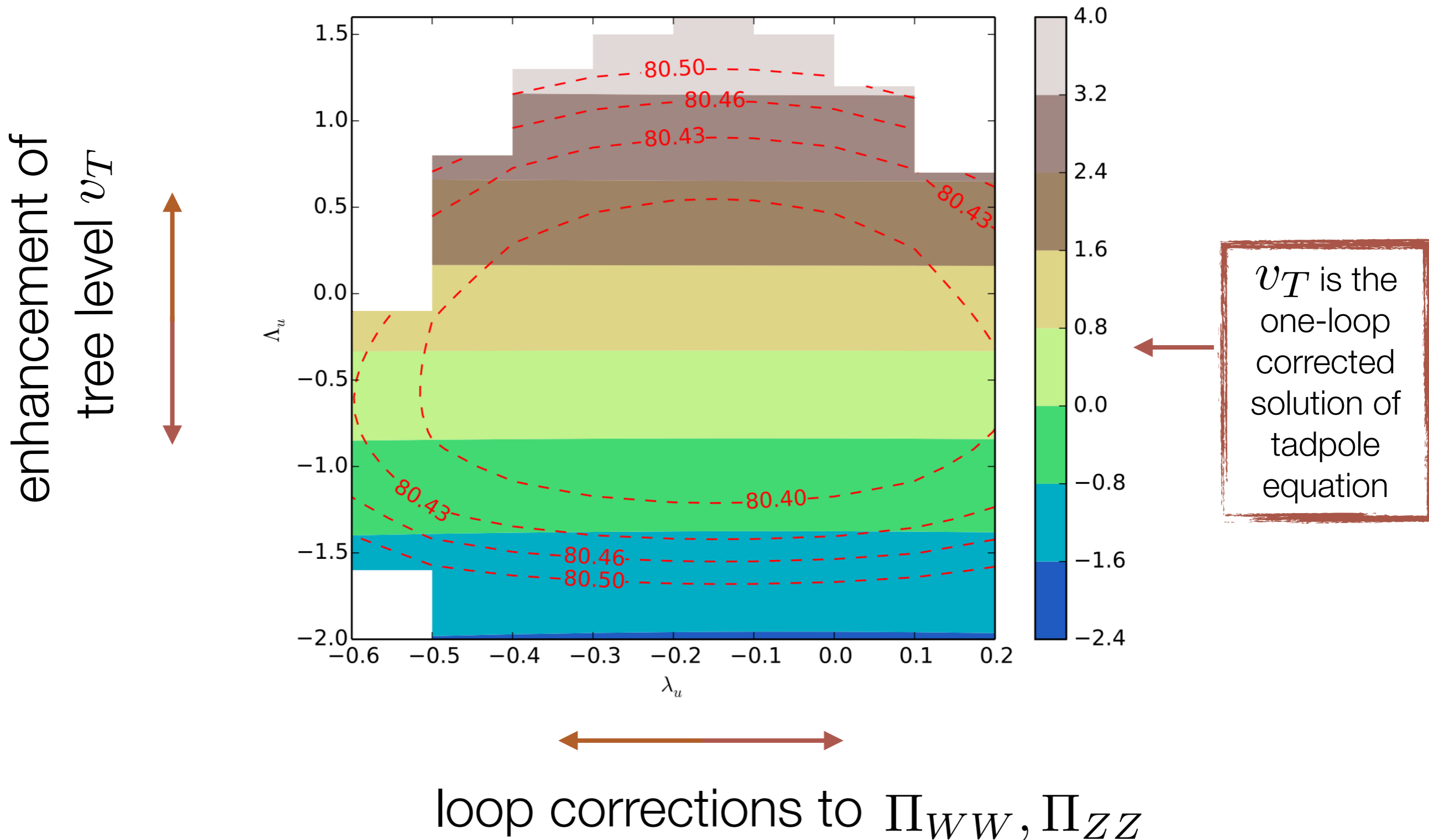
- $\Delta \hat{r}_W$ contains: „oblique” and vertex- and box-corrections as well as term that translates pole m_W to running one

- solve for m_W

$$m_W^2 = \frac{1}{2} m_Z^2 \hat{\rho} \left[1 + \sqrt{1 - \frac{4\pi \hat{\alpha}_{EM}^{\overline{DR}, \text{MRSSM}}(m_Z)}{\sqrt{2} G_\mu m_Z^2 \hat{\rho} (1 - \Delta \hat{r}_W)}} \right]$$

Two effects in m_W increase

m_W vs. v_T for $\tan\beta = 50$



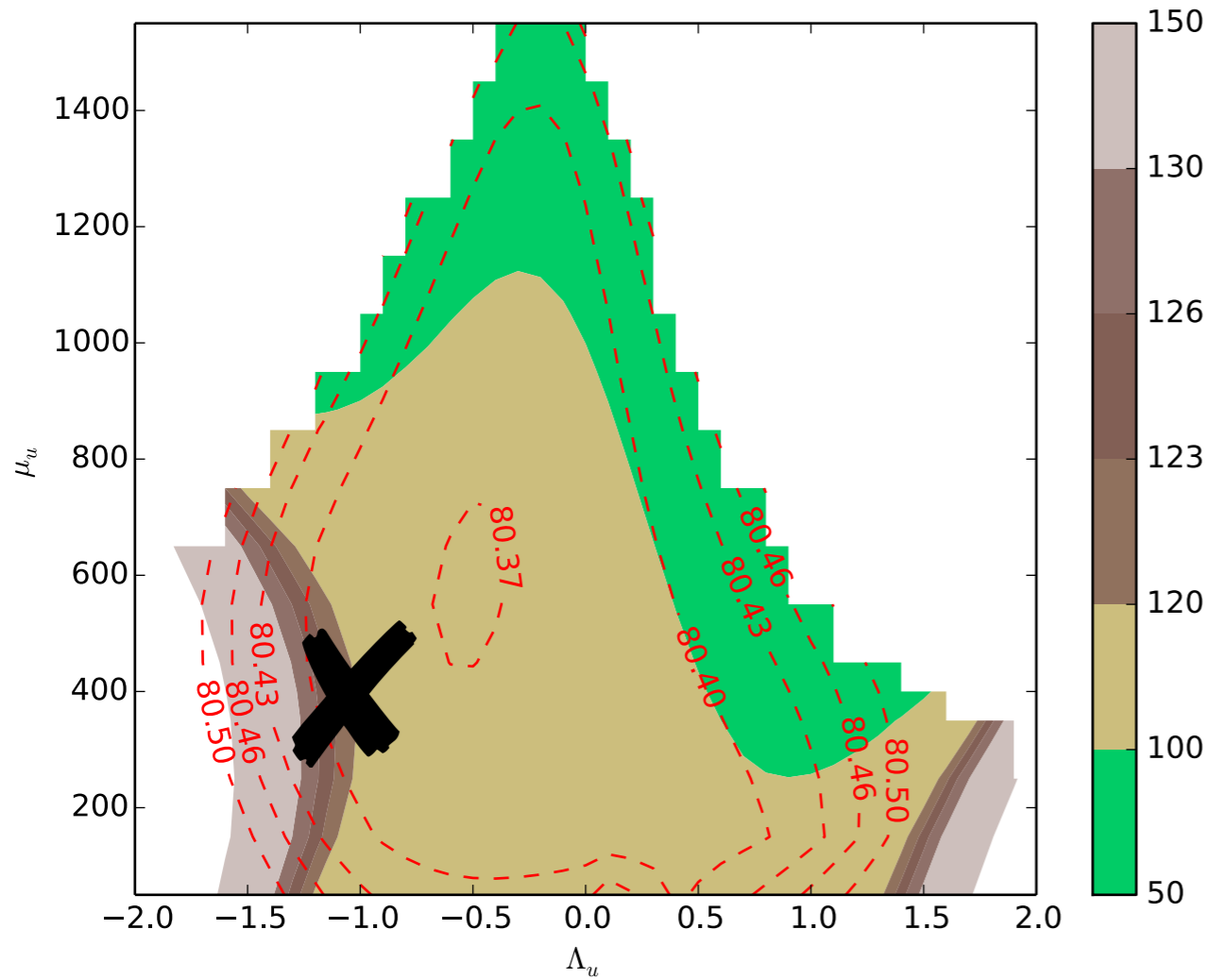
Benchmark points properties

- 3 distinct parameter points with $\tan \beta = 3, 10, 50$ (on this talk only 3 and 50)
- within $1 - 2 \sigma$ from experimentally measured W-boson mass (less if you add theoretical uncertainty)

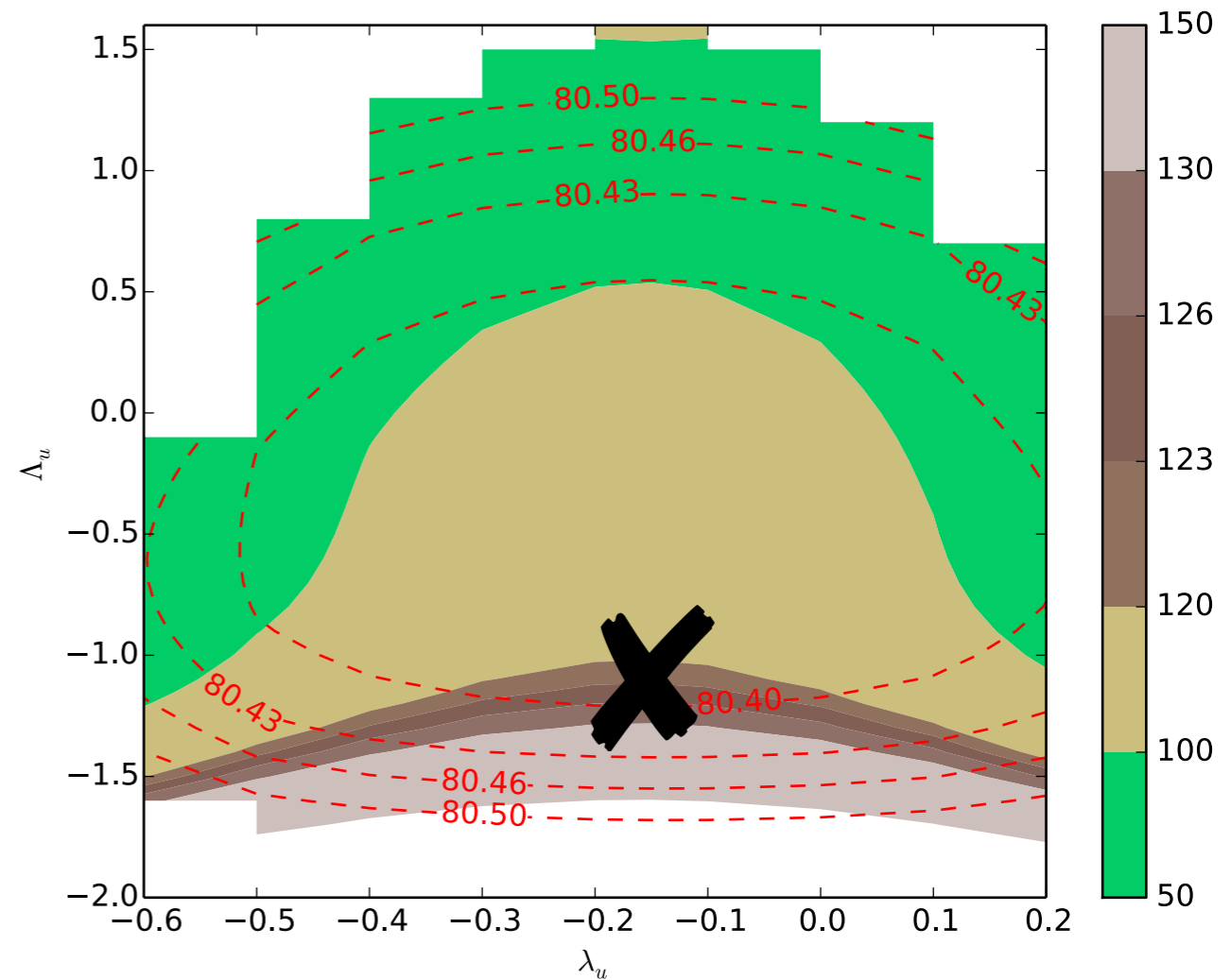
$$m_W^{\text{exp}} = 80.385 \pm 0.015 \text{ GeV}$$

- lightest Higgs mass around 125 GeV
- points in agreement with direct Higgs measurements
[HiggsBounds, HiggsSignals]
- Due to the lack of A-terms R-symmetric models are generally safe as far as colour- and charge-breaking minima are concerned — Casas, Lleyda, Muñoz (1996)
- absolute vacuum stability [disclaimer: within the scope of application of **Vevacious**]
- reasonable TeV range mass spectra

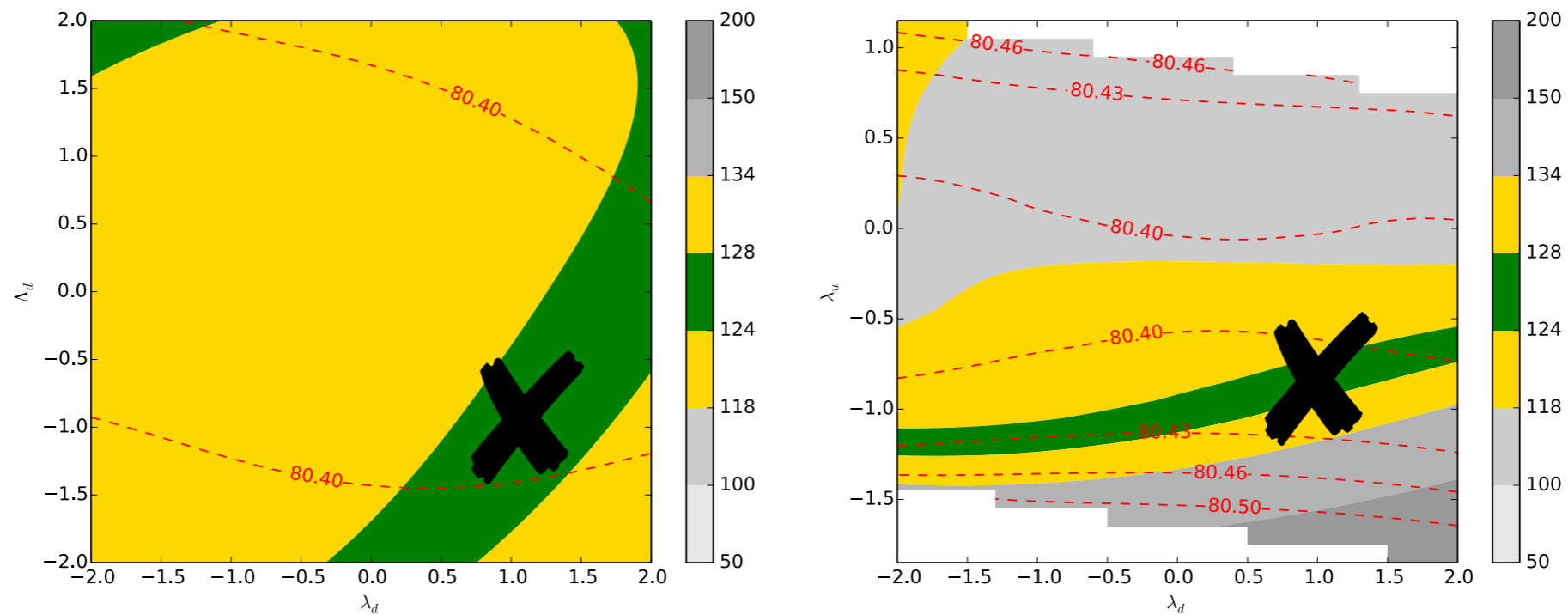
$m_h - m_W$ interdependence for $\tan \beta = 50$



- contours for m_W
- colour gradient for m_h
- **X** for benchmark point



$m_h - m_W$ interdependence for low $\tan \beta$



- to see dependence on down-type parameters one needs to reduce $\tan \beta$
- even for $\tan \beta = 3$ dependence is very mild

Conclusions and outlook

- ✔ I presented a viable R-symmetric realisation of SUSY which
 - ✔ is in agreement with PEWO and flavour-physics constraints
 - ✔ predicts stable vacuum
 - ✔ has interesting collider phenomenology to be explored
 - ✔ has Dirac type neutralino as a candidate for dark matter — Buckley, Hooper, Kumar (2013)
- 🔍 We took the low energy model without discussing its UV completion
- 🚨 Still a lot to do.... Consequences for 14 TeV LHC?

Back-up slides

Tools for numerical analysis

- Model implemented in **SARAH**
- Numerical analysis done within **SARAH**'s generated **SPheno**-like code
- Cross checked with analytic calculation with **FeynArts/FormCalc**
- Higgs sector checked with **HiggsBounds** and **HiggsSignals**
- Vacuum stability checked with **Vevacious**

$SU(3)$ β function

$$\beta_{g_3}^{(1)} = 0$$

$$\beta_{g_3}^{(2)} = \frac{1}{5}g_3^3 \left(11g_1^2 - 20\text{Tr}(Y_d Y_d^\dagger) - 20\text{Tr}(Y_u Y_u^\dagger) + 340g_3^2 + 45g_2^2 \right)$$