# aSuperlso\_DM: a new toolbox for dark matter calculations

**Glenn ROBBINS** KBFI, Tallinn, Estonia

In collaboration with Alexandre Arbey, Benjamin Fuks and Nazila Mahmoudi

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# An automisation of Superlso Relic

### SuperIso Relic

- Computation of flavour observables
- Relic density within the framework of adjustable cosmological models (dark energy, dark entropy, ...)
- Indirect detection (Fermi-LAT dSphs, AMS-02 antiprotons)
- Direct detection (Xenon1T, LUX, PANDA-X, PICO60...)
- But specific to the MSSM and NMSSM

#### **aSuperIso\_DM** (automated Superlso for Dark Matter)

A generalisation of SuperIso Relic to any quantum field theory that can be cast under a Lagrangian form and that features a dark matter particle

# An automisation of Superlso Relic

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 ${\tt Introduction}$ 

FeynRules Interface

Dark Matter observable calculation 00000

Conclusions

### FeynRules Interface

Previously on SuperIso Relic

Squared Amplitudes for DM (co-)annihilations generated with FormCalc from the (N)MSSM LanHEP model files.

- $\rightarrow$  Large amount of files and large compilation time

Now on aSuperIso\_DM

Squared amplitudes are generated from a FeynRules model file using Mathematica routines interfaced with FeynRules.

- → Diagrams not flavour-expanded
- $\rightarrow\,$  Small amount of files and reduced compilation time

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## Diagrams

Simple Mathematica interface to obtain and visualise  $2\rightarrow 2$  processes from a list of Feynman Rules

```
 \begin{split} & \text{In}[1] \coloneqq \text{diag=Diagram22}[\text{feynmanrules}, \{e, A, e, A\}] \\ & \text{Out}[1] = \{\text{DiagramList}[\{e, A, e, A\}, \\ & \{\{e, A, e, A, m\$\$\}, e\}, \{\{e, 1\}, -ie\gamma_{\mathtt{S}_5, \mathtt{S}_1}^{\mu_2}, \\ & \{A, 2\}, \{e, \ m\$\$\$\}\}, \{e, 3\}, \ -ie\gamma_{\mathtt{S}_3, \mathtt{S}_6}^{\mu_4}, \{A, 4\}\}\}, \\ & \{\{e, A, e, A, m\$u, e\}, \{\{e, 1\}, \ -ie\gamma_{\mathtt{S}_5, \mathtt{S}_1}^{\mu_4}, \\ & \{A, 4\}, \{e, m\$u\}, \{A, 2\}, \ -ie\gamma_{\mathtt{S}_3, \mathtt{S}_6}^{\mu_2}, \{e, 3\}\}\}] \} \\ & \text{In}[2] \coloneqq \text{PaintDiagramList}[\text{diag}] \\ & \text{Out}[2] = \end{split}
```

 $e A \rightarrow e A$ 



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```



## Squared Amplitude

AmpSquared22 is a function to obtain explicit formulae for squared amplitudes, as a function of particle masses and Mandelstam variables S,T, U (m\$s, m\$t, m\$u).

It makes use of abbreviations and sum over propagator generation numbers to gain computation time.

 $\Rightarrow$  compared to FeynCalc for processes in the Standard Model

FeynRules Interface

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# Model generation

As an example, let's generate the MSSM model:



- Create a new folder named after your model
- 2 Move your FeynRules model file to the model directory
- Open GenerateModel.nb and run every block

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### Model generation





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### Code structure

The Mathematica interface generates:

- Lagrangian and Feynman rules
- Model parameter structure definition and initialisation routine
- C++ files for the calculation of (co-)annihilation squared amplitudes, decay widths and branching ratios and DM-quark effective couplings



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MCCM

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## **Relic density**

#### Alternative cosmological scenarios:

- Possibility to chose among several QCD equations of state
- Modification of the expansion rate: Dark density
- Modification of the entropy content:
  - Dark entropy
  - Reheating (radiation entropy)
- Decaying scalar field

#### Big Bang Nucleosynthesis constraints:

 $\Rightarrow$  using AlterBBN

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## Indirect detection

#### AMS-02 antiprotons

- Propagation code by Boudaud et al., interface with USINE coming soon
- Two-zone diffusion model



- Semi-analytical resolution of the propagation equation
- Flexible DM halo density profile (only needs to respect cylindrical symmetry)
- Flexible propagation parameter values (Diffusion coefficients, convection velocity...)

### Fermi-LAT dwarf spheroidal galaxies (dSphs)

- Likelihoods interpolated from the tabulated likelihoods provided by Fermi-LAT collaboration.
- Flexible sets of dSphs

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## **Direct detection**

### Spin-Dependent (SD) and spin-independent (SI) cross-sections

- Calculation for non-coloured particles with spin 0, 1/2, 1.
- Similarly to micrOmegas, SD and SI contributions to the DM-quarks effective couplings are extracted from the 2-2 DM-quark scattering diagrams by applying projection operators.

### Constraints from XENON1T, PANDAX-2, PICO60...

- Flexible DM local density and velocity distriution
- Flexible nucleon and nuclear form factors

### Comparison to similar codes

- ~30 minutes to generate whole MSSM model on 4 cores, compared to a couple of hours to generate a CalcHep model from the same FeynRules model file (needs flavour-expansion in the latter case).
- Computation time of DM observables similar to SuperIso Relic
- Compilation time reduced to a couple of minutes
- Very close results compared to Superlso Relic and micrOmegas in the MSSM (comparison to MadDM and in the frame of other models coming soon)

### Prospects

- Complete resolution of the relic density Boltzmann equations for multi-component dark matter, including semi-annihilations.
- Sommeferfeld Effect for relic density and indirect detection.
- Models with spin 3/2 and 2 fields.
- Implementation of flavour observables.

# Conclusions

 As supersymmetric scenarios are currently very challenged by expermimental constraints,

SuperIso Relic transforms into aSuperIso\_DM:

- works for any particle physics model with a DM candidate respecting a Z2 symmetry
- compilation time strongly reduced
- a new way to visualise diagrams and obtain squared amplitude explicit formulae
- conserves all the features for dark matter specific to SuperIso Relic
- Public code and manual coming very soon!